

Next: [Errors in Math Functions](#), Previous: [Hyperbolic Functions](#), Up: [Mathematics](#) [[Contents](#)][[Index](#)]

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## 19.6 Special Functions

These are some more exotic mathematical functions which are sometimes useful. Currently they only have real-valued versions.

Function: *double* **erf** (*double* *x*)

Function: *float* **erff** (*float* *x*)

Function: *long double* **erfl** (*long double* *x*)

Function: *\_FloatN* **erffN** (*\_FloatN* *x*)

Function: *\_FloatNx* **erffNx** (*\_FloatNx* *x*)

Preliminary: | MT-Safe | AS-Safe | AC-Safe | See [POSIX Safety Concepts](#).

`erf` returns the error function of *x*. The error function is defined as

$$\text{erf}(x) = 2/\sqrt{\pi} * \text{integral from } 0 \text{ to } x \text{ of } \exp(-t^2) dt$$

Function: *double* **erfc** (*double* *x*)

Function: *float* **erfcf** (*float* *x*)

Function: *long double* **erfcl** (*long double* *x*)

Function: *\_FloatN* **erfcfN** (*\_FloatN* *x*)

Function: *\_FloatNx* **erfcfNx** (*\_FloatNx* *x*)

Preliminary: | MT-Safe | AS-Safe | AC-Safe | See [POSIX Safety Concepts](#).

`erfc` returns  $1.0 - \text{erf}(x)$ , but computed in a fashion that avoids round-off error when *x* is large.

Function: *double* **lgamma** (*double* *x*)

Function: *float* **lgammaf** (*float* *x*)

Function: *long double* **lgammal** (*long double* *x*)

Function: *\_FloatN* **lgammafN** (*\_FloatN* *x*)

Function: *\_FloatNx* **lgammafNx** (*\_FloatNx* *x*)

Preliminary: | MT-Unsafe race:signgam | AS-Unsafe | AC-Safe | See [POSIX Safety Concepts](#).

`lgamma` returns the natural logarithm of the absolute value of the gamma function of *x*. The gamma function is defined as

$$\text{gamma}(x) = \text{integral from } 0 \text{ to } \infty; \text{ of } t^{(x-1)} e^{-t} dt$$

The sign of the gamma function is stored in the global variable *signgam*, which is declared in `math.h`. It is 1 if the intermediate result was positive or zero, or -1 if it was negative.

To compute the real gamma function you can use the `tgamma` function or you can compute the values as follows:

```
lgam = lgamma(x);
gam  = signgam*exp(lgam);
```

The gamma function has singularities at the non-positive integers. `lgamma` will raise the zero divide exception if evaluated at a singularity.

Function: *double* **lgamma\_r** (*double* *x*, *int* \**signp*)

Function: *float* **lgammaf\_r** (*float* *x*, *int* \**signp*)

Function: *long double* **lgammal\_r** (*long double* *x*, *int* \**signp*)

Function: *\_FloatN* **lgammafN\_r** (*\_FloatN* *x*, *int* \**signp*)

Function: *\_FloatNx* **lgammafNx\_r** (*\_FloatNx* *x*, *int* \**signp*)

Preliminary: | MT-Safe | AS-Safe | AC-Safe | See [POSIX Safety Concepts](#).

`lgamma_r` is just like `lgamma`, but it stores the sign of the intermediate result in the variable pointed to by *signp* instead of in the *signgam* global. This means it is reentrant.

The `lgammafN_r` and `lgammafNx_r` functions are GNU extensions.

Function: *double* **gamma** (*double* *x*)

Function: *float* **gammaf** (*float* *x*)

Function: *long double* **gammal** (*long double* *x*)

Preliminary: | MT-Unsafe race:signgam | AS-Unsafe | AC-Safe | See [POSIX Safety Concepts](#).

These functions exist for compatibility reasons. They are equivalent to `lgamma` etc. It is better to use `lgamma` since for one the name reflects better the actual computation, and moreover `lgamma` is standardized in ISO C99 while `gamma` is not.

Function: *double* **tgamma** (*double* *x*)

Function: *float* **tgammaf** (*float* *x*)

Function: *long double* **tgammal** (*long double* *x*)

Function: *\_FloatN* **tgammafN** (*\_FloatN* *x*)

Function: *\_FloatNx* **tgammafNx** (*\_FloatNx* *x*)

Preliminary: | MT-Safe | AS-Safe | AC-Safe | See [POSIX Safety Concepts](#).

`tgamma` applies the gamma function to *x*. The gamma function is defined as

$$\text{gamma}(x) = \int_0^{\infty} t^{(x-1)} e^{-t} dt$$

This function was introduced in ISO C99. The `_FloatN` and `_FloatNx` variants were introduced in ISO/IEC TS 18661-3.

Function: *double* **j0** (*double* *x*)

Function: *float* **j0f** (*float*  $x$ )  
 Function: *long double* **j0l** (*long double*  $x$ )  
 Function: *\_FloatN* **j0fN** (*\_FloatN*  $x$ )  
 Function: *\_FloatNx* **j0fNx** (*\_FloatNx*  $x$ )

Preliminary: | MT-Safe | AS-Safe | AC-Safe | See [POSIX Safety Concepts](#).

$j_0$  returns the Bessel function of the first kind of order 0 of  $x$ . It may signal underflow if  $x$  is too large.

The *\_FloatN* and *\_FloatNx* variants are GNU extensions.

Function: *double* **j1** (*double*  $x$ )  
 Function: *float* **j1f** (*float*  $x$ )  
 Function: *long double* **j1l** (*long double*  $x$ )  
 Function: *\_FloatN* **j1fN** (*\_FloatN*  $x$ )  
 Function: *\_FloatNx* **j1fNx** (*\_FloatNx*  $x$ )

Preliminary: | MT-Safe | AS-Safe | AC-Safe | See [POSIX Safety Concepts](#).

$j_1$  returns the Bessel function of the first kind of order 1 of  $x$ . It may signal underflow if  $x$  is too large.

The *\_FloatN* and *\_FloatNx* variants are GNU extensions.

Function: *double* **jn** (*int*  $n$ , *double*  $x$ )  
 Function: *float* **jnf** (*int*  $n$ , *float*  $x$ )  
 Function: *long double* **jnl** (*int*  $n$ , *long double*  $x$ )  
 Function: *\_FloatN* **jnfN** (*int*  $n$ , *\_FloatN*  $x$ )  
 Function: *\_FloatNx* **jnfNx** (*int*  $n$ , *\_FloatNx*  $x$ )

Preliminary: | MT-Safe | AS-Safe | AC-Safe | See [POSIX Safety Concepts](#).

$j_n$  returns the Bessel function of the first kind of order  $n$  of  $x$ . It may signal underflow if  $x$  is too large.

The *\_FloatN* and *\_FloatNx* variants are GNU extensions.

Function: *double* **y0** (*double*  $x$ )  
 Function: *float* **y0f** (*float*  $x$ )  
 Function: *long double* **y0l** (*long double*  $x$ )  
 Function: *\_FloatN* **y0fN** (*\_FloatN*  $x$ )  
 Function: *\_FloatNx* **y0fNx** (*\_FloatNx*  $x$ )

Preliminary: | MT-Safe | AS-Safe | AC-Safe | See [POSIX Safety Concepts](#).

$y_0$  returns the Bessel function of the second kind of order 0 of  $x$ . It may signal underflow if  $x$  is too large. If  $x$  is negative,  $y_0$  signals a domain error; if it is zero,  $y_0$  signals overflow and returns *-&infin;*.

The `_FloatN` and `_FloatNx` variants are GNU extensions.

Function: *double* **y1** (*double*  $x$ )

Function: *float* **y1f** (*float*  $x$ )

Function: *long double* **y1l** (*long double*  $x$ )

Function: *\_FloatN* **y1fN** (*\_FloatN*  $x$ )

Function: *\_FloatNx* **y1fNx** (*\_FloatNx*  $x$ )

Preliminary: | MT-Safe | AS-Safe | AC-Safe | See [POSIX Safety Concepts](#).

$y_1$  returns the Bessel function of the second kind of order 1 of  $x$ . It may signal underflow if  $x$  is too large. If  $x$  is negative,  $y_1$  signals a domain error; if it is zero,  $y_1$  signals overflow and returns  $-\infty$ .

The `_FloatN` and `_FloatNx` variants are GNU extensions.

Function: *double* **yn** (*int*  $n$ , *double*  $x$ )

Function: *float* **ynf** (*int*  $n$ , *float*  $x$ )

Function: *long double* **ynl** (*int*  $n$ , *long double*  $x$ )

Function: *\_FloatN* **ynfN** (*int*  $n$ , *\_FloatN*  $x$ )

Function: *\_FloatNx* **ynfNx** (*int*  $n$ , *\_FloatNx*  $x$ )

Preliminary: | MT-Safe | AS-Safe | AC-Safe | See [POSIX Safety Concepts](#).

$y_n$  returns the Bessel function of the second kind of order  $n$  of  $x$ . It may signal underflow if  $x$  is too large. If  $x$  is negative,  $y_n$  signals a domain error; if it is zero,  $y_n$  signals overflow and returns  $-\infty$ .

The `_FloatN` and `_FloatNx` variants are GNU extensions.

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Next: [Errors in Math Functions](#), Previous: [Hyperbolic Functions](#), Up: [Mathematics](#) [[Contents](#)][[Index](#)]