

FROM RESEARCH TO INDUSTRY

cea



Perspectives of GPU
computing in Science

September 26-28, 2016

GPU BASED MODELING PIPELINE TO EXTRACT BRAIN CELL MORPHOLOGY FROM IN VIVO DIFFUSION-WEIGHTED MR SPECTROSCOPY DATA

Palombo M., Ligneul C., Najac C., Le Douce J.,
Flament J., Escartine C., Hantraye P., Brouillet E.,
Bonvento G., Valette J.

*CEA/DSV/I²BM, MIRCEN, FONTENAY-AUX-ROSES,
FRANCE*

OUTLINE

- Introduction and Rationale;
- Application 1: Brain cell's morphology extraction;
- Application 2: finer cell's morphology characterization
- Future Perspectives: applications to pathology

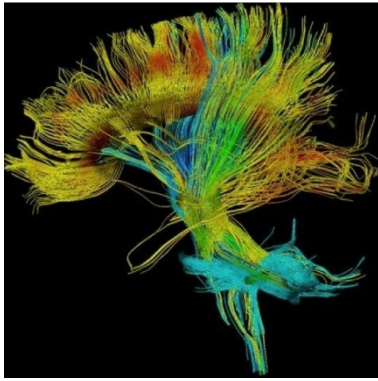
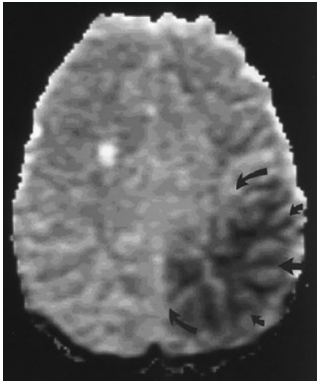
INTRODUCTION

MOLECULAR DIFFUSION MEASURED BY DIFFUSION-WEIGHTED MR

Possibility to investigate the apparent diffusion of endogenous molecules

Diffusion-weighted MRI: water

Ischemic stroke Fiber tracking



High sensitivity

Good spatial resolution (1 mm³)

Non invasive

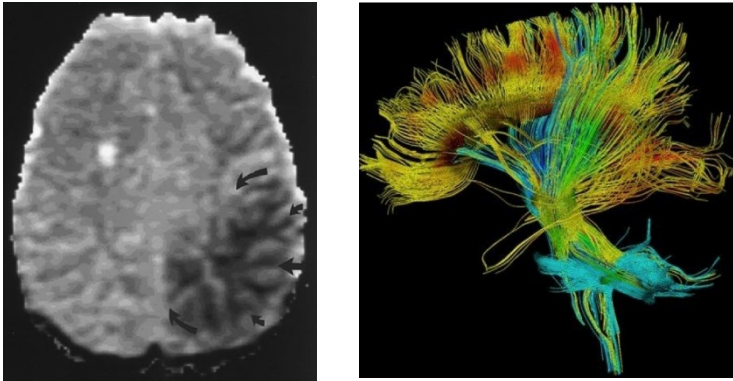
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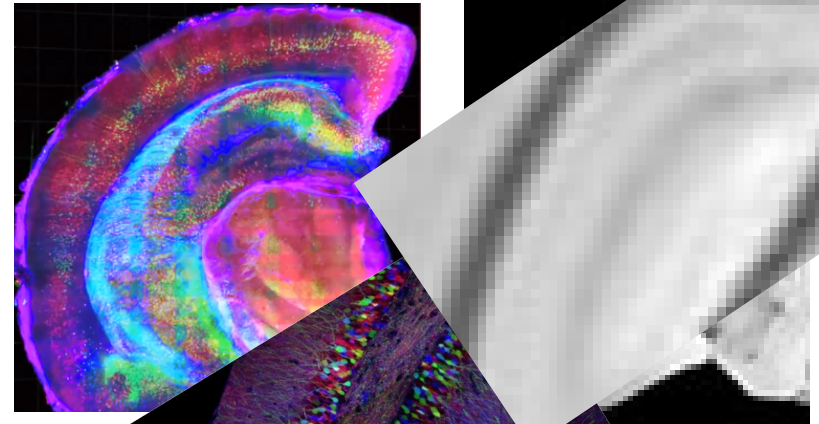


High sensitivity

Good spatial resolution (1 mm³)

Non invasive

Histological Microscopy



Excellent resolution (10 μm³)

Totally invasive

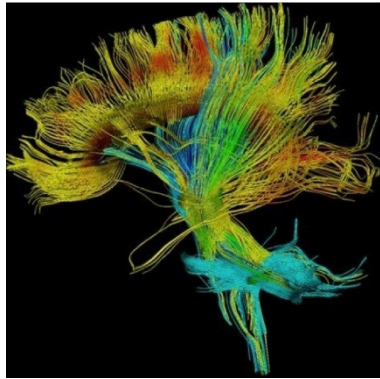
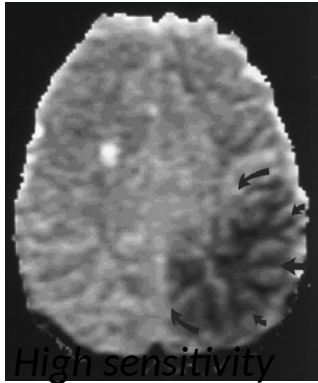
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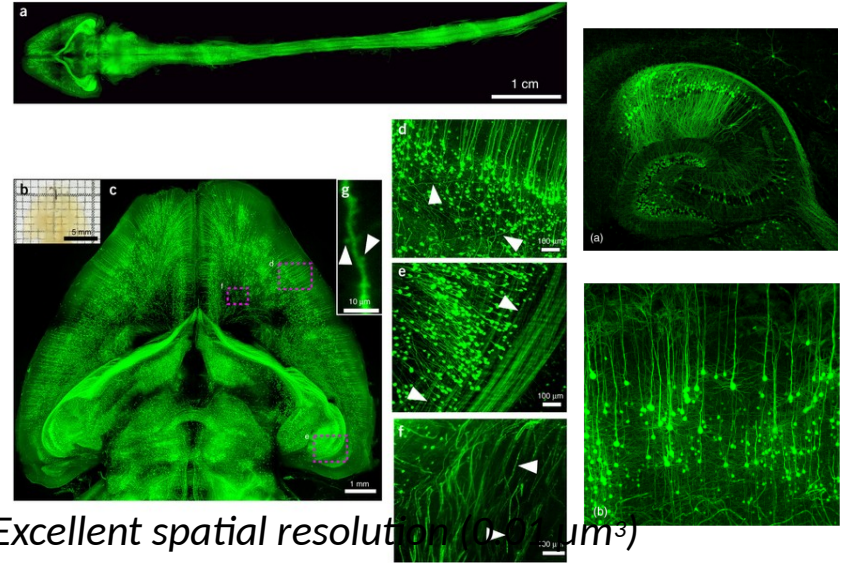
Ischemic stroke Fiber tracking



Good spatial resolution (1 mm³)

Non invasive

Histological Microscopy



Excellent spatial resolution (> 1 μm³)

Totally invasive

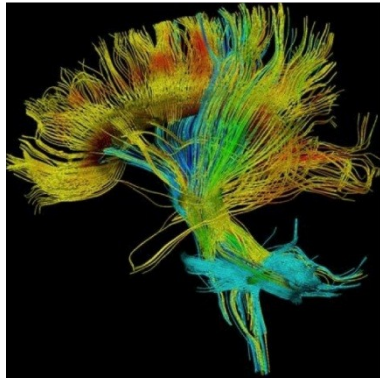
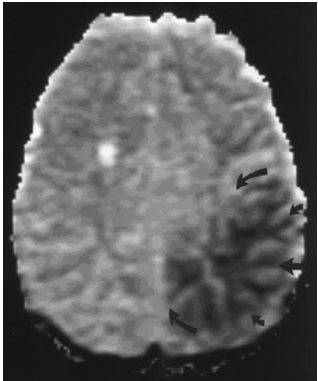
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High sensitivity

But: Diffusion of water = ***no specific*** (extra + intracellular space, crosses membranes)

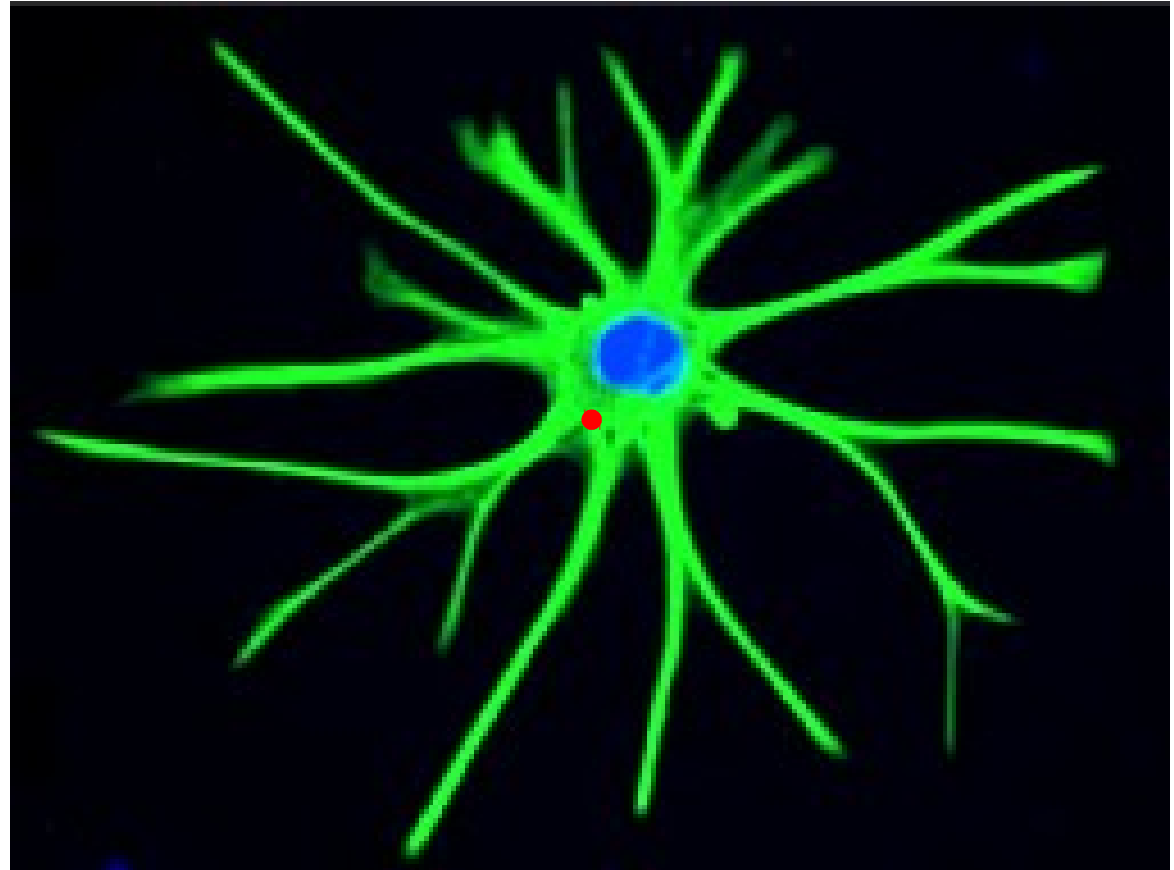
Brain intracellular metabolites are primarily localized and diffuse in cell fibers rather than in cell bodies¹⁻⁴

(1) Marchadour C et al. *Journal of Cerebral Blood Flow & Metabolism* (2012) **32** (12): 2153-2160;

(2) Najac C et al. *Neuroimage* (2014) **90**: 374-380;

(3) Najac C et al. *Brain Structure and Function* (2014) **221** (3): 1245-1254

(4) Ligneul C et al. *Magnetic Resonance in Medicine* (2016): DOI: [10.1002/mrm.26217](https://doi.org/10.1002/mrm.26217)

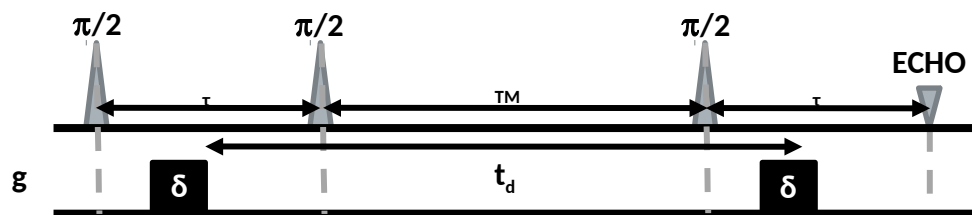


→ **Interpretation and modeling of metabolite diffusion primarily based on cell geometry**

INTRODUCTION

AIM AND RATIONALE

Diffusion Weighted NMR

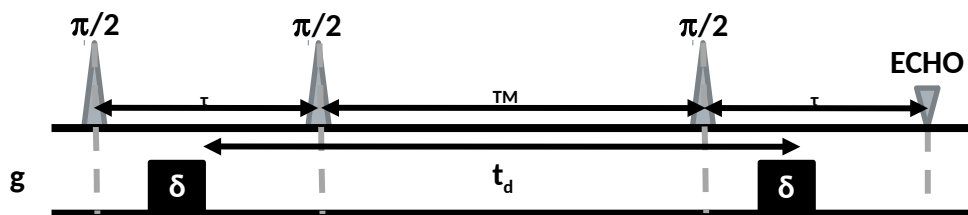


$$\rightarrow \mathbf{b} = \mathbf{q}^2 t_d \approx \mathbf{g}^2 t_d$$

INTRODUCTION

AIM AND RATIONALE

Diffusion Weighted NMR



$$\rightarrow \mathbf{b} = \mathbf{q}^2 t_d \approx \mathbf{g}^2 t_d$$

$$\rightarrow S(\mathbf{b}) \approx \exp[-\mathbf{b} \text{ADC}(t_d)]; \quad \text{ADC} = \langle r(t_d)^2 \rangle / d t_d$$

$$d\phi_j(t) = \gamma \mathbf{g}(t) \cdot \mathbf{x}_j(t) \Delta t$$

$$\phi_j = \sum_{t=0}^{t_{\text{seq}}} d\phi_j(t)$$

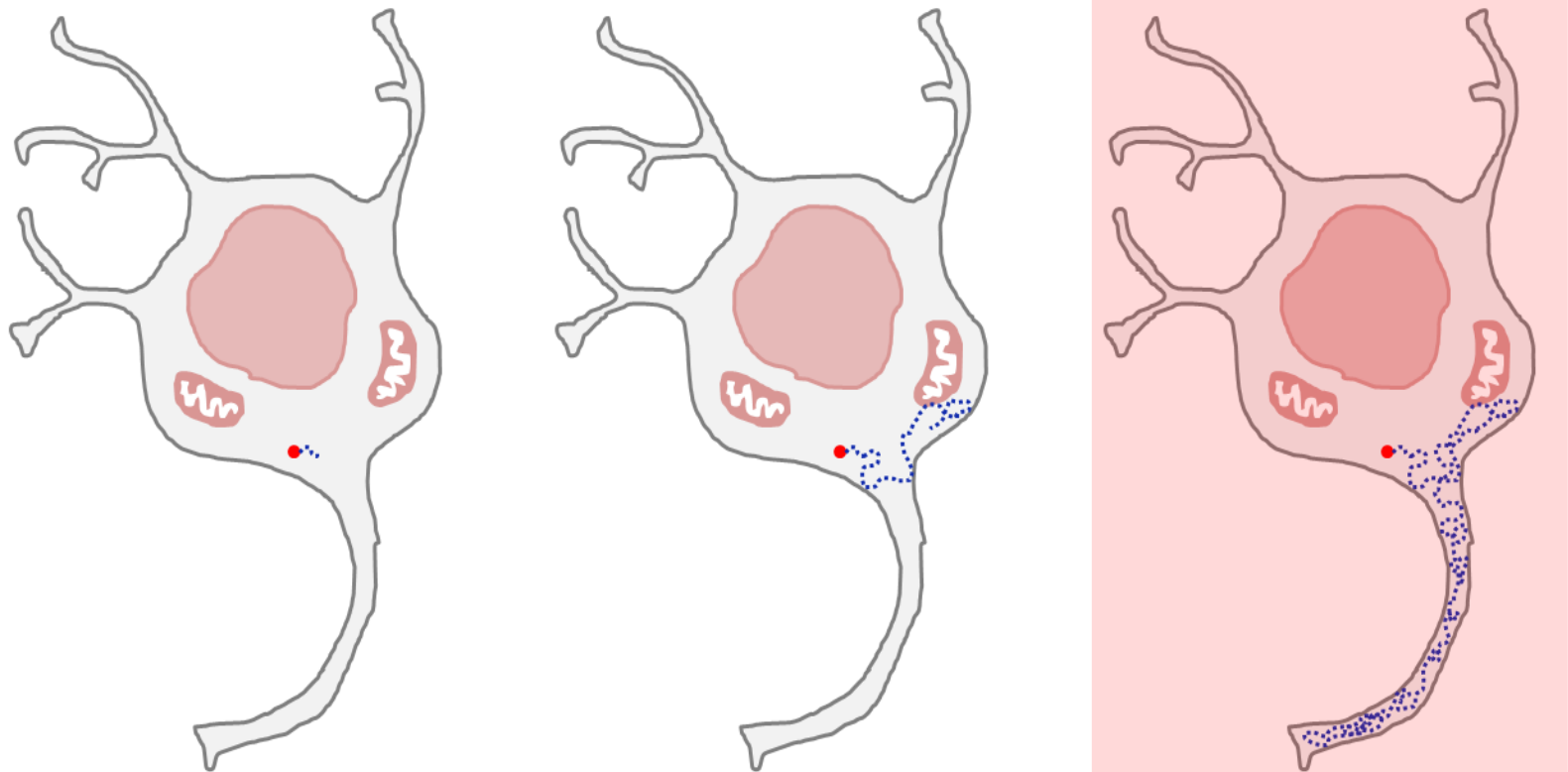
$$S = \left| \frac{1}{N} \sum_{j=1}^N e^{i\phi_j} \right|$$

$$\text{ADC} = - \frac{\ln(S / S_0)}{b}$$

$$b = \gamma^2 \int_0^{t_{\text{eq}}} dt \left[\int_0^t \vec{g}(t') dt' \right]^2$$

LONG DIFFUSION TIME EXPERIMENTS AND MODELING

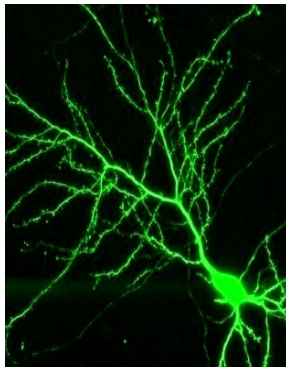
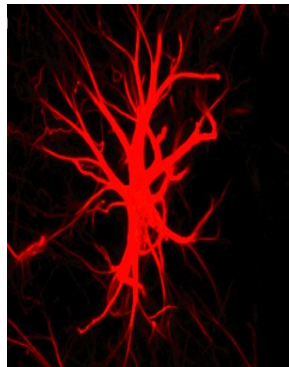
METHODS



Diffusion time T_d	0.1 ms	1 ms	10 ms	100 ms	1 000 ms	10 000 ms
Distance traveled Δx	0.3 μm	1 μm	2 μm	5 μm	15 μm	50 μm
Parameters affecting apparent diffusion	Intracellular viscosity		Fiber diameter (axons, dendrites...) Organelles		Cell size Long-range structural features	

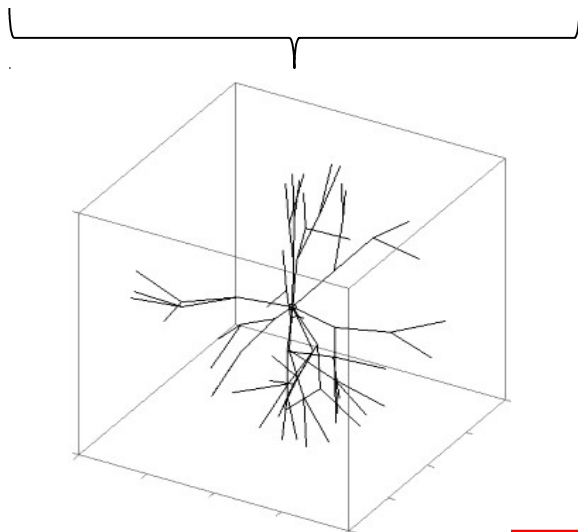
Astrocyte

Neuron

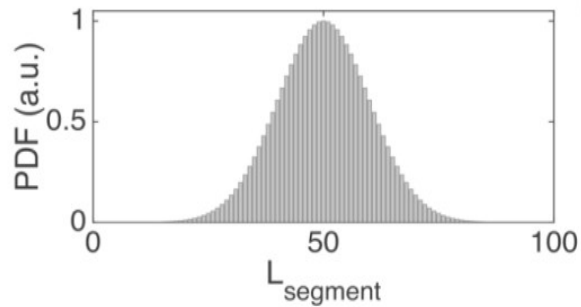
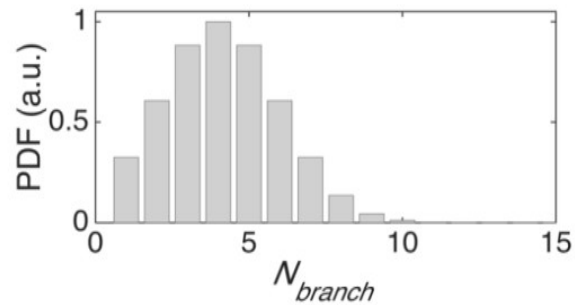


GFAP

eGFP



A Parametrization by morphometric statistics



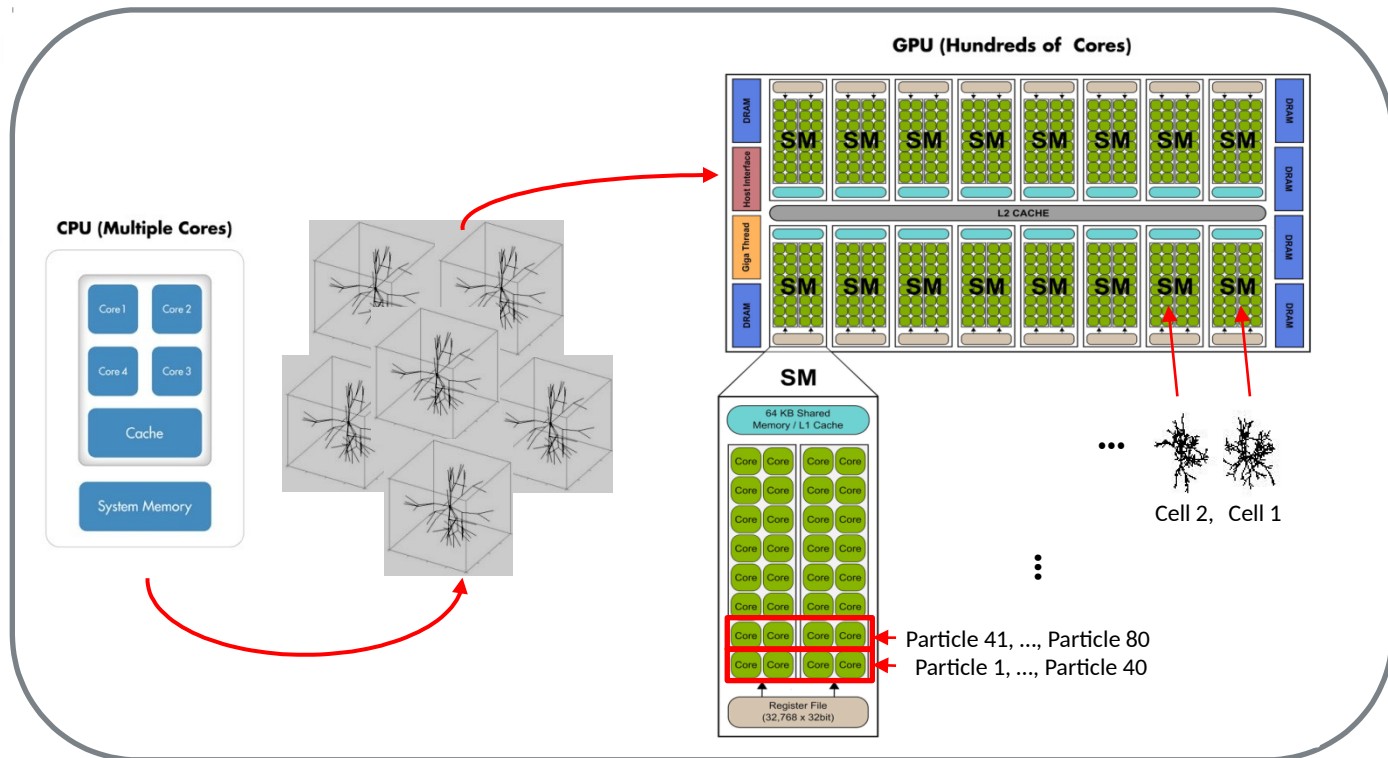
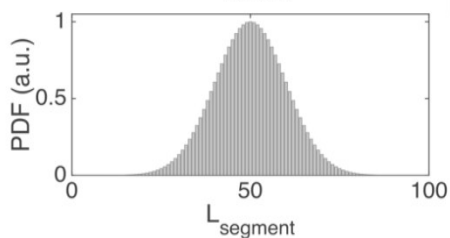
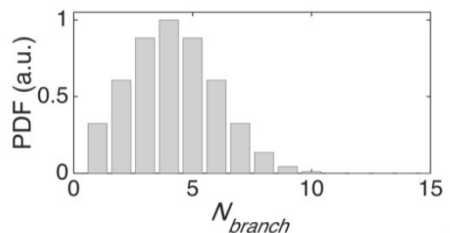
5 model parameters

D_{intra} = effective medium diffusivity
(organelles and macromolecular crowding, spines, cytoplasm viscosity, etc...)

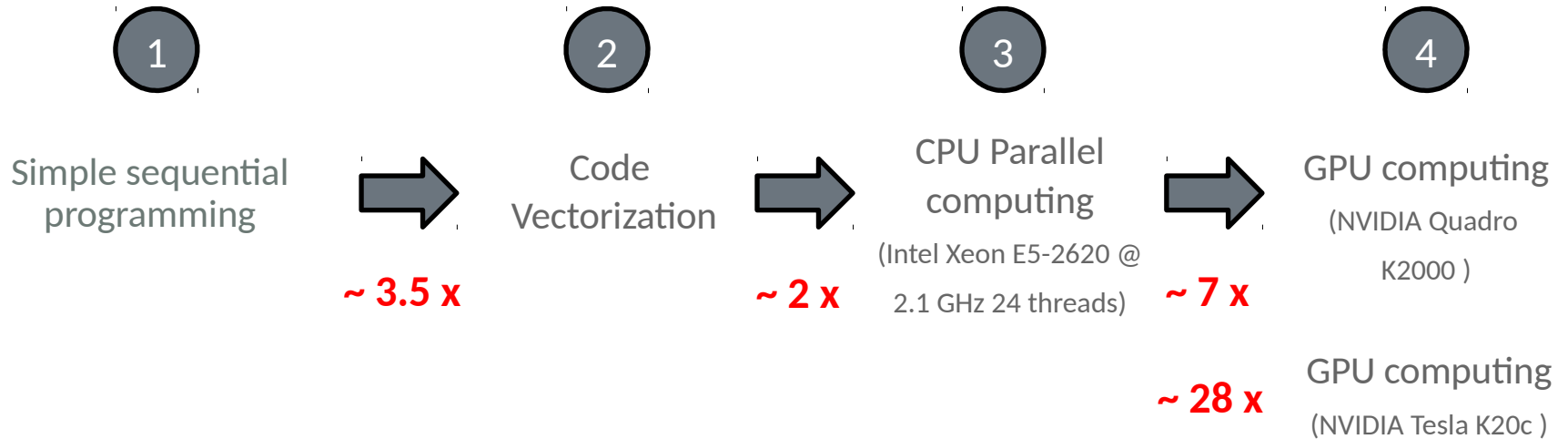
$L_{segment}, N_{branch}$ = long-range topological characteristics

$SD_{L_{segment}}, SD_{N_{branch}}$ = metabolites compartments complexity and heterogeneity.

Parametrization by morphometric statistics



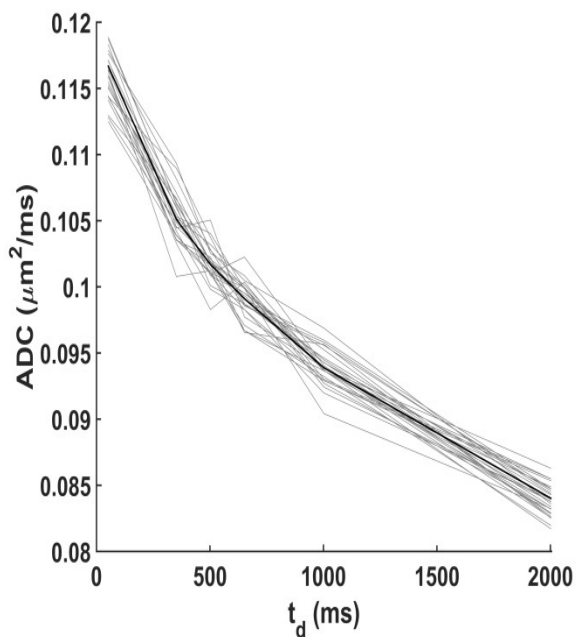
Palombo M. et al. *PNAS* (2016) ; **113**(24), 6671-6676



N particles = 10^3 ; N time step = 10^4 ; System replication = 50; Fitting iteration = 200 x 3;

Total iterations = $\sim 10^{11}$

	1	2	3	4
Fitting free diffusion data	~ 17.5 minute	~ 5 minute	~ 3 minute	~ 0.1 minute
Fitting restricted diffusion data	~ 40 minute	~ 12 minute	~ 6 minute	~ 0.8 minute



250 Monte-Carlo trials

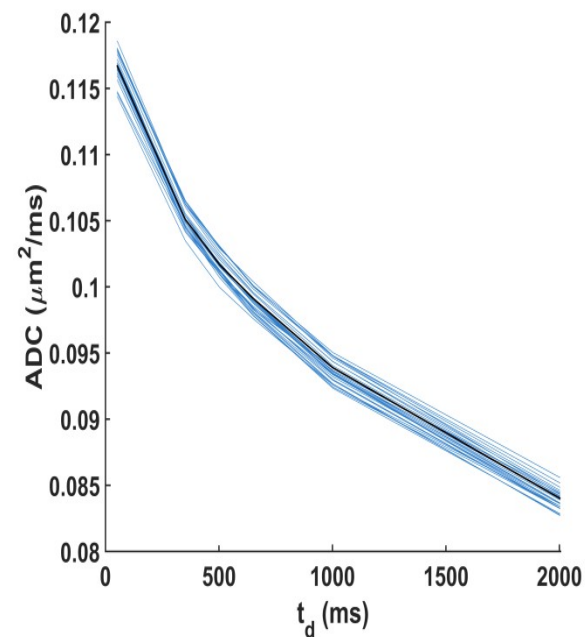
Gaussian noise (15% relative SD) added to a reference simulated $ADC(t_d)$ curve

Combined Parallel Tempering and Levenberg-Marquardt[§]

Unsupervised parameters initialization: refined grid-searching algorithm based on Parallel Tempering

Quick convergence to the optimal solution: Levenberg-Marquardt algorithm

Simulation-Fitting pipeline

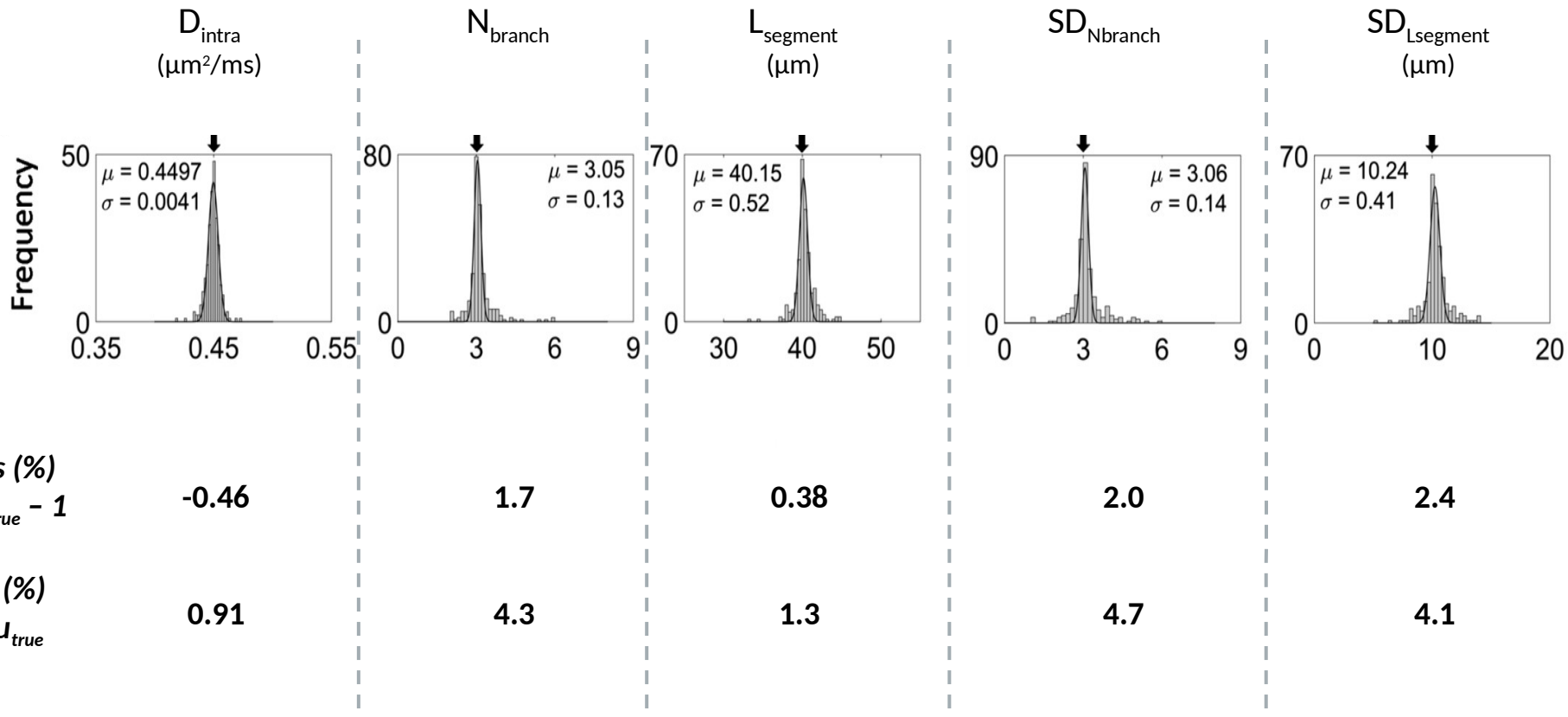


250 sets of fitted morphological parameters

[§] Palombo M. et al. *Proceedings of the 23rd ISMRM Annual Meeting 2015; Abstract # 2982*

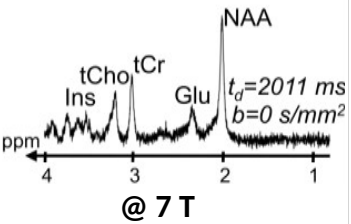
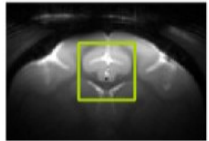
RESULTS

FITTING STABILITY TO EXPERIMENTAL NOISE

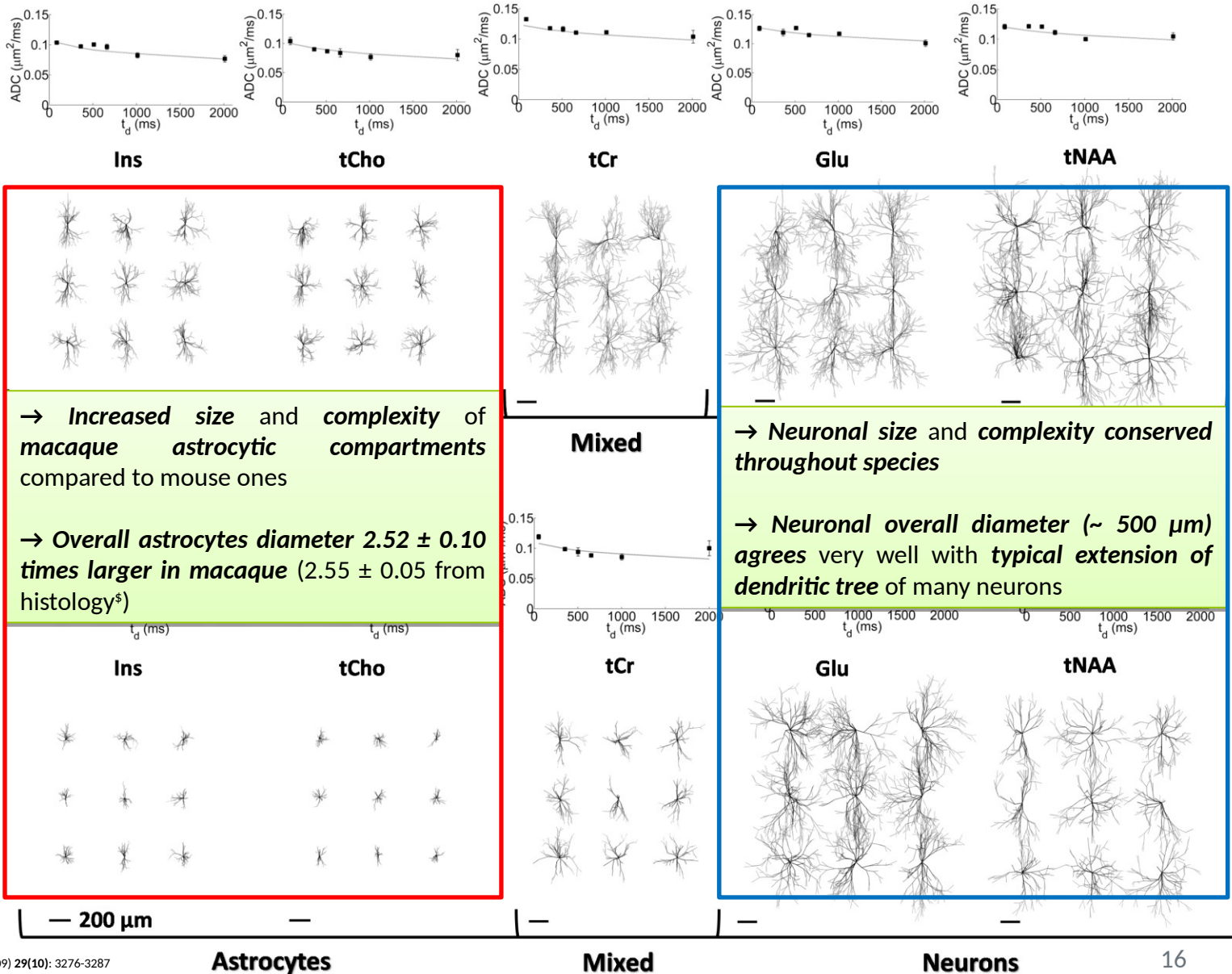
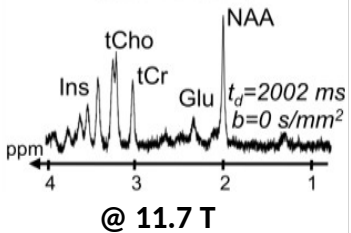
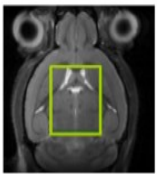


→ Fitting pipeline **very stable** (Bias and CV < 5%) **with respect to experimental noise**

Macaque



Mouse

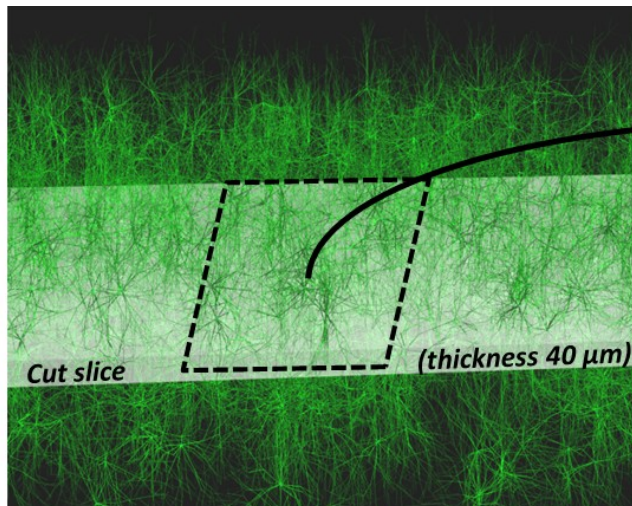


Synthetic tissue generation and sectioning

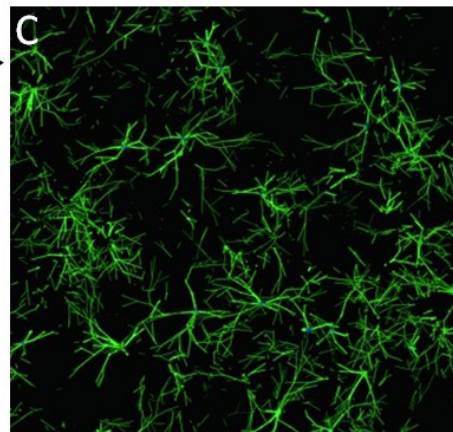
Non-invasive histology

Post mortem histology

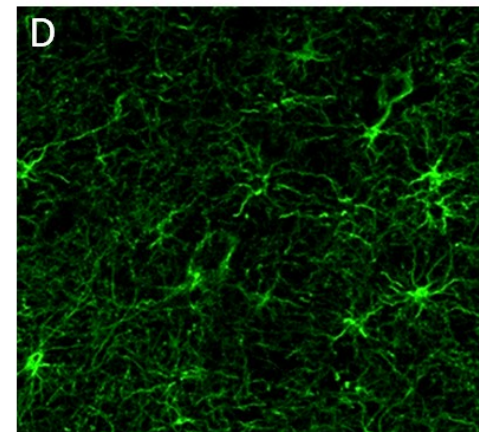
MACAQUE



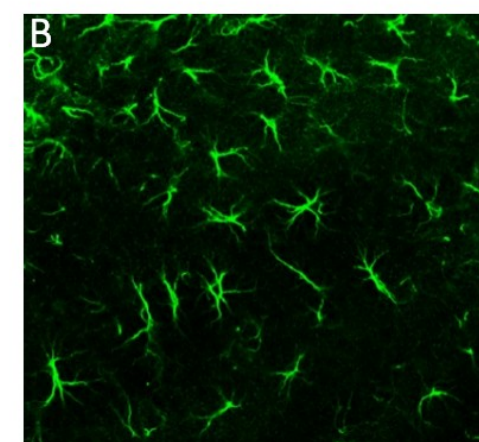
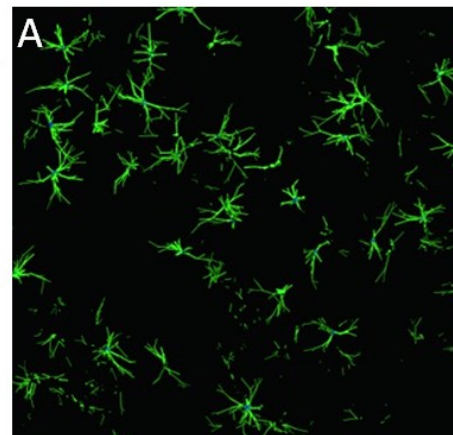
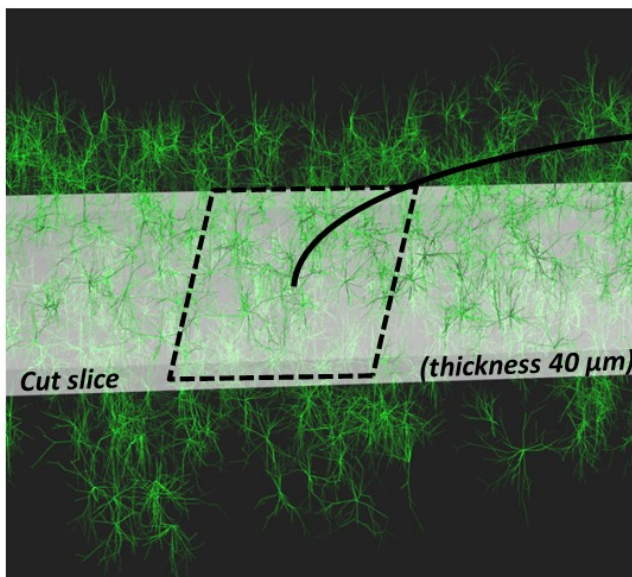
(tCho and Ins)



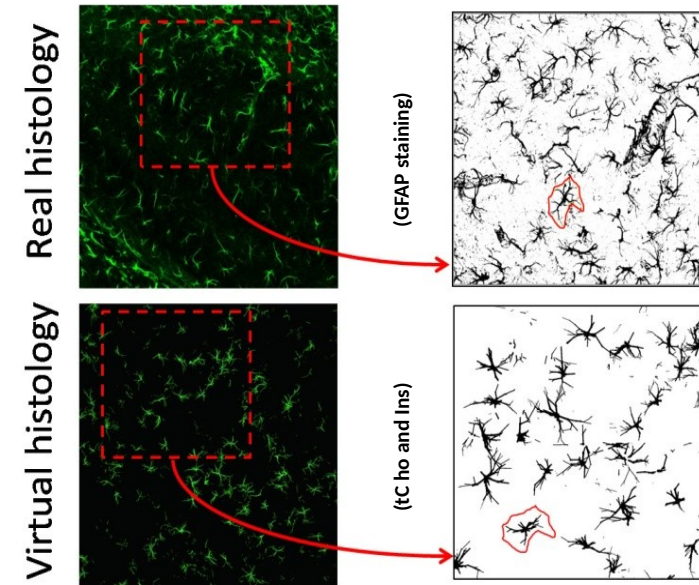
(GFAP staining)



MOUSE



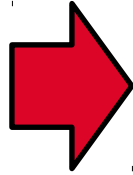
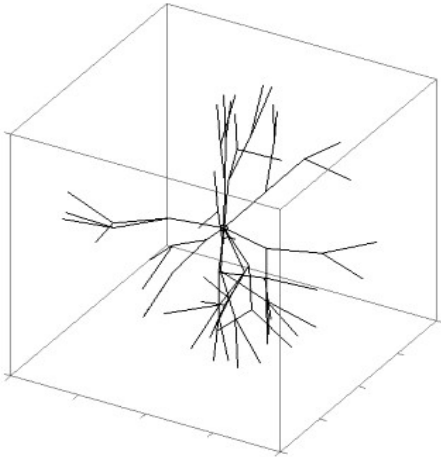
100 μm



A) Zoom and binarization of
bitmap images

- **Reasonable values for cell morphology parameters** in both mouse and macaque brain
- **Good match between Sholl based metrics** measured by real and virtual histology

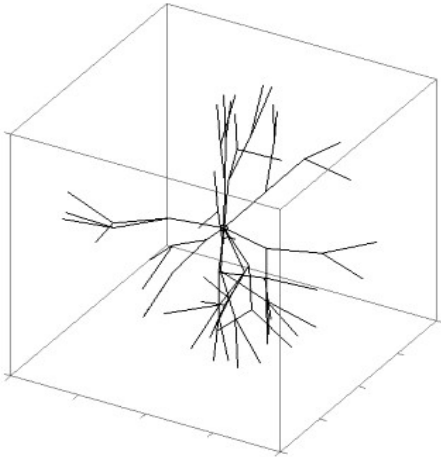
Basic cell-graph model



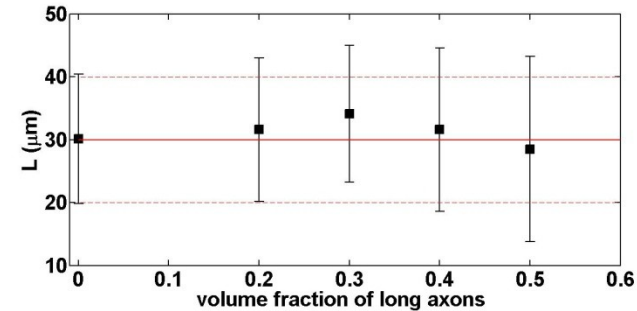
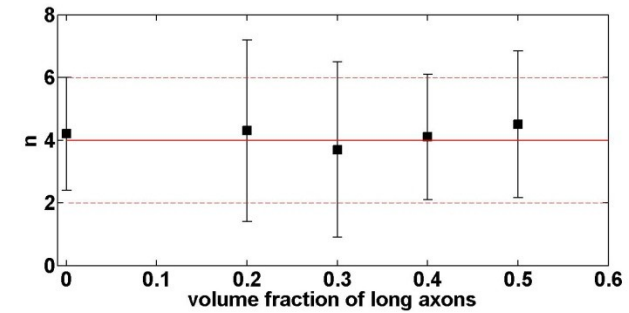
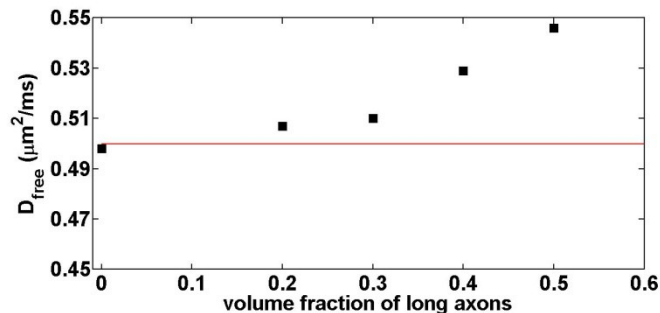
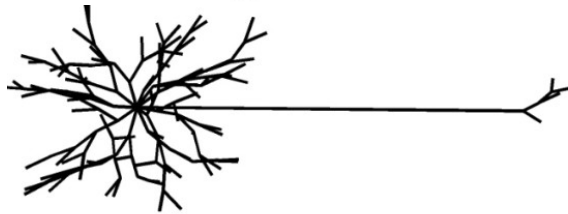
- 1) Presence of very long processes/axons;
- 2) Presence of leaflets/spines;
- 3) Presence of vericosities.

High b-value DW-MRS signal simulations from realistic dendritic geometries

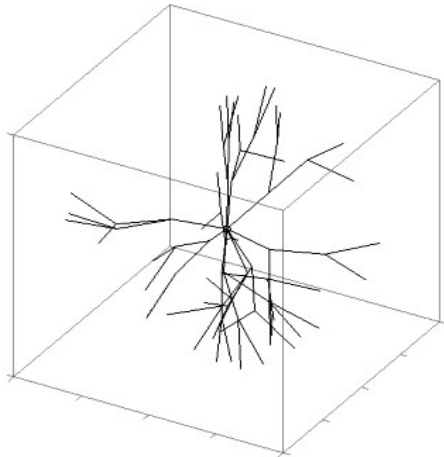
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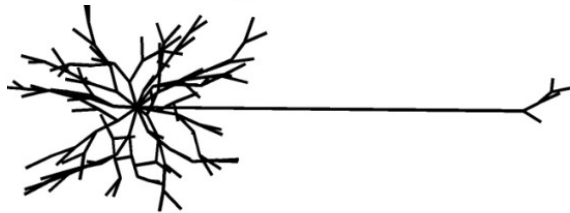
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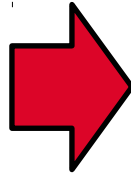
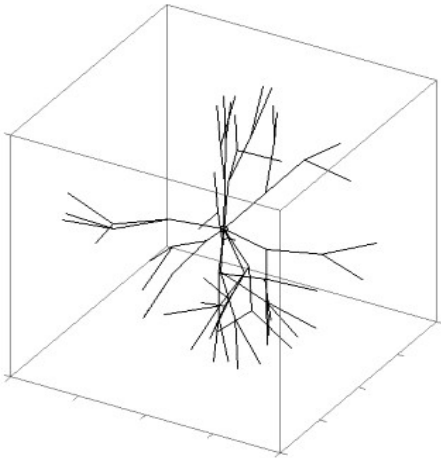


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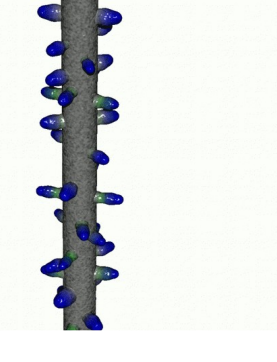
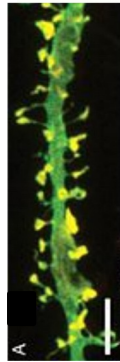
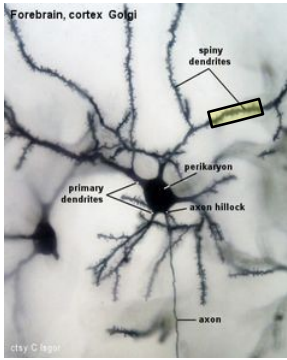
- ▶ It affects the estimation of D_{free} only, inducing overestimation of it.

Basic cell-graph model



- 1) Presence of very long processes/axons;
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- 3) Presence of varicosities.

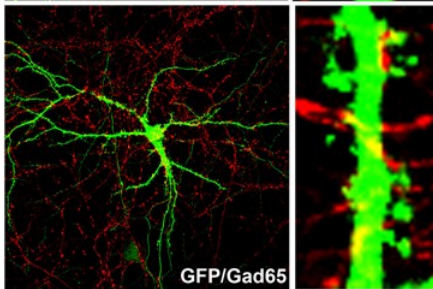
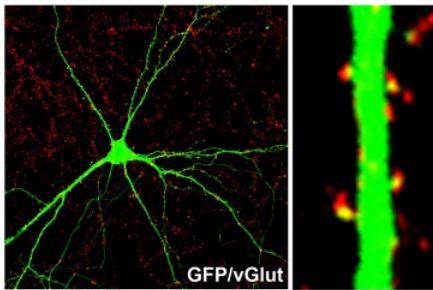
Basic cell-graph model



Real

Simulated

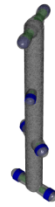
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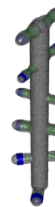
n=4



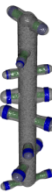
n=8



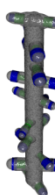
n=12



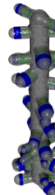
n=16



n=20

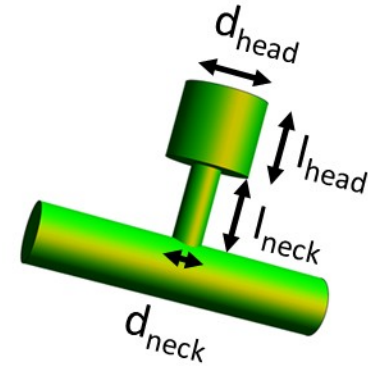
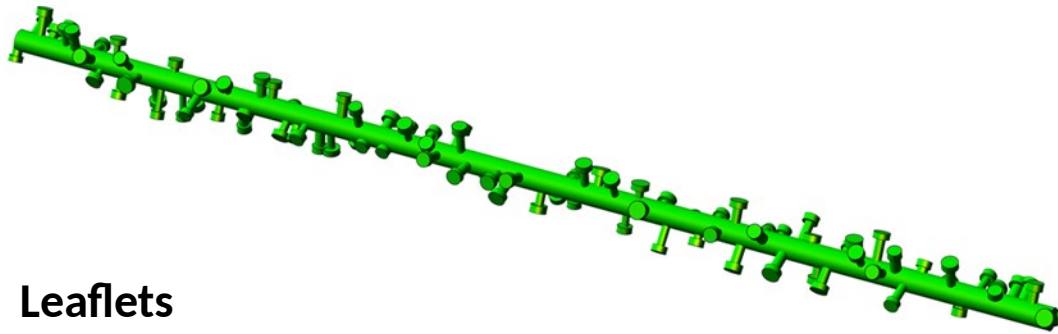


n=40

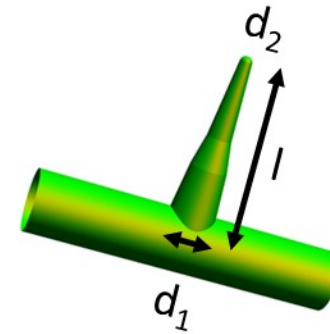
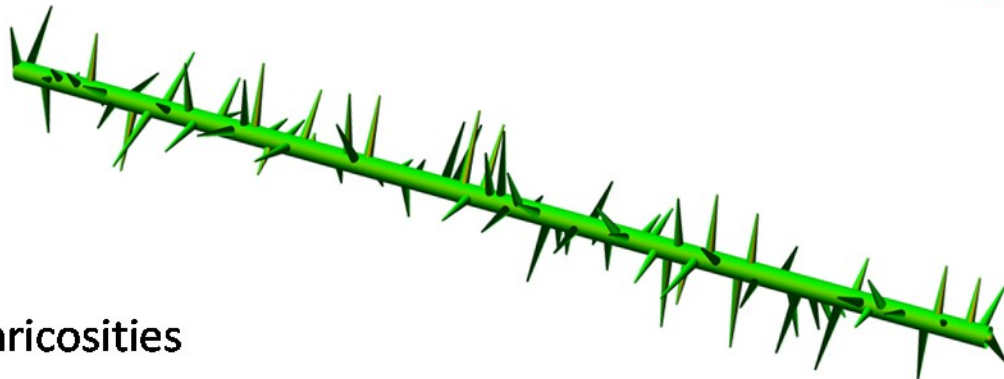


High b-value DW-MRS signal simulations from realistic dendritic geometries

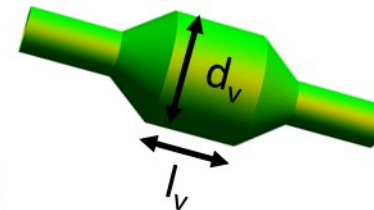
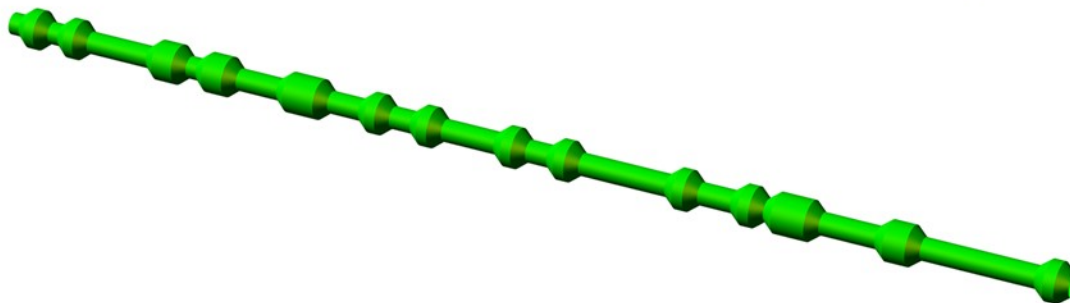
Spine



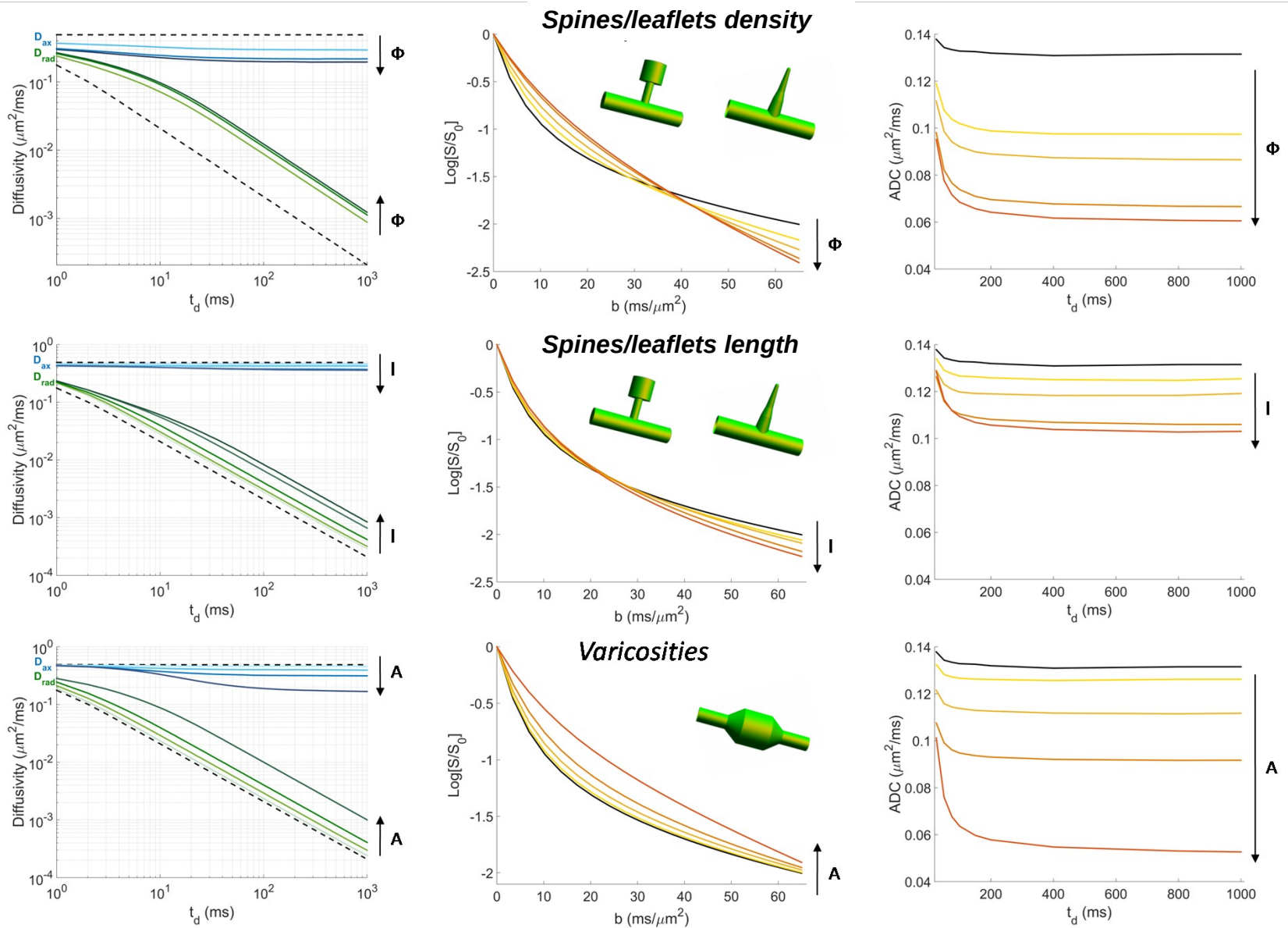
Leaflets



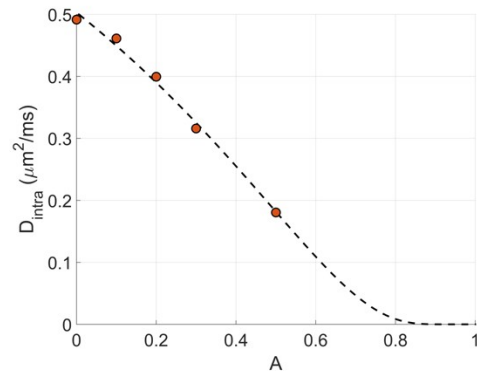
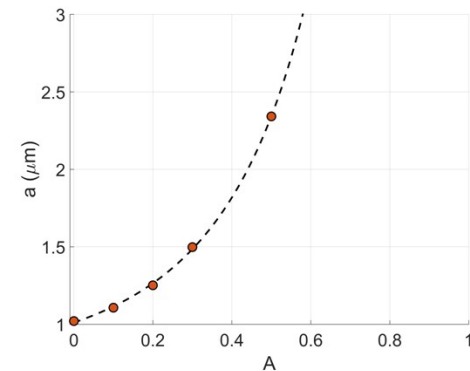
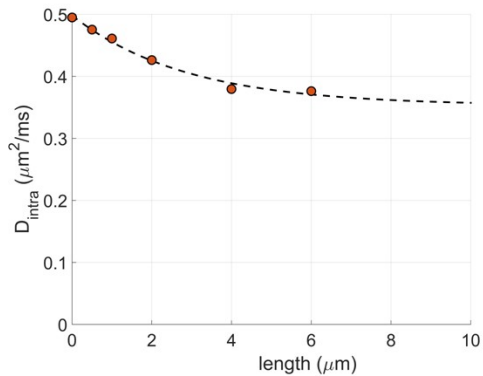
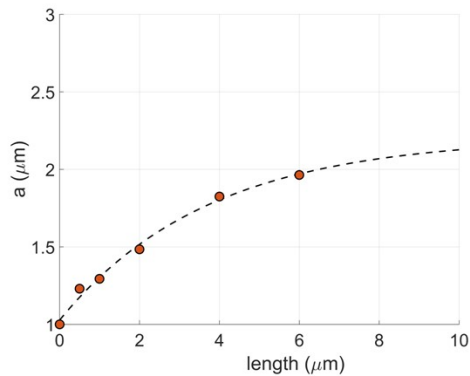
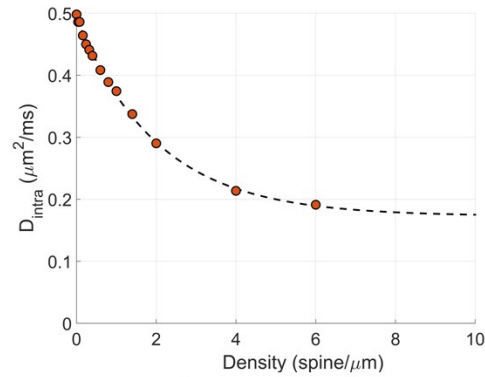
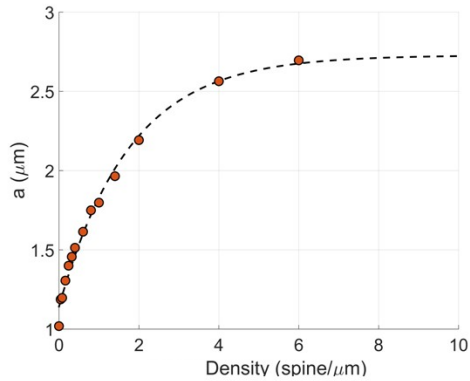
Varicosities



High b-value DW-MRS signal simulations from realistic dendritic geometries



High b-value DW-MRS signal simulations from realistic dendritic geometries



Spines/leaflets density

$$\frac{D_{intra}^{eff}}{D_0} = (2.4\phi^{0.35})^{-1.3} + [1 - (2.4\phi^{0.35})^{-1.3}]e^{-\phi}$$

$$r^{eff} = r_0 + 1.7(1 - e^{-0.6\phi})$$

Spines/leaflets length

$$\frac{D_{intra}^{eff}}{D_0} = [1.1(0.85l)^{0.065}]^{-1.4} + \left\{ 1 - [1.1(0.85l)^{0.065}]^{-1.4} \right\} e^{-0.85l}$$

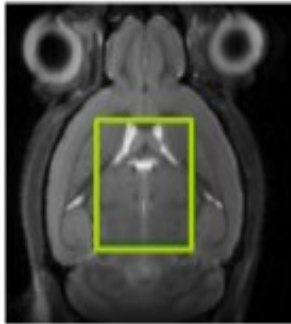
$$r^{eff} = r_0 + 1.2(1 - e^{-0.25l})$$

Varicosities size

$$\frac{D_{intra}^{eff}}{D_0} = e^{-\frac{A}{1-A}}$$

$$r^{eff} = r_0 e^{\frac{0.86A}{1-A}}$$

High b-value DW-MRS signal simulations from realistic dendritic geometries



Metabolite	$D_{\text{intra}}^{\text{cyl}}$ ($\mu\text{m}^2/\text{ms}$)	a (μm)
NAA	0.339	0.62
Glutamate	0.440	0.90
Creatine	0.375	1.59
Taurine	0.436	1.30
Choline	0.308	1.33
Myo-Inositol	0.325	1.67

Neurons (D_0 from ultra short t_d)

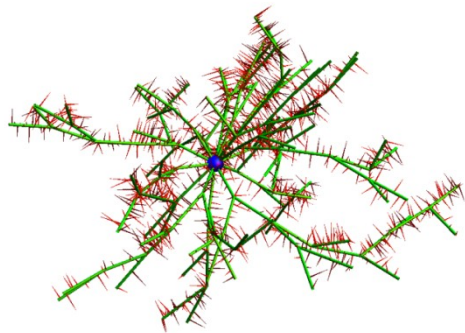
NAA: $\Phi = 0.19$ spine/ μm ; $R_0 = 0.45$ μm ; $l = 0.95$ μm ($D_0 = 0.454$ $\mu\text{m}^2/\text{ms}$)
 Glu: $\Phi = 0.23$ spine/ μm ; $R_0 = 0.52$ μm ; $l = 1.05$ μm ($D_0 = 0.476$ $\mu\text{m}^2/\text{ms}$)

From histology: $\Phi < 0.50$ spine/ μm ; $R_0 \sim 0.50$ μm ; $l \sim 1.00$ μm

Astrocytes (D_0 from ultra short t_d)

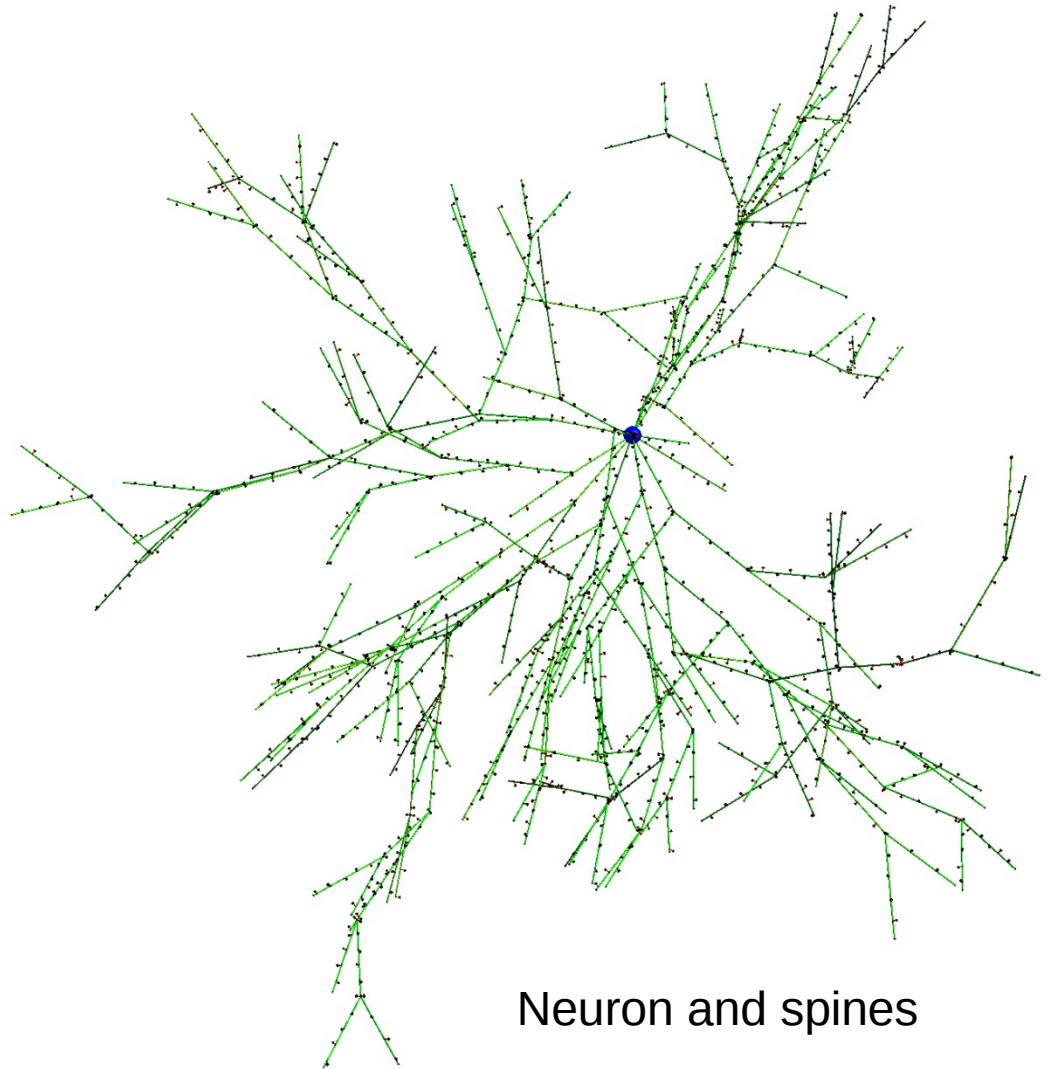
tCho: $\Phi = 0.70$ leaflets/ μm ; $R_0 = 0.75$ μm ; $l = 2.65$ μm ($D_0 = 0.370$ $\mu\text{m}^2/\text{ms}$)
 Ins: $\Phi = 0.73$ leaflets/ μm ; $R_0 = 1.07$ μm ; $l = 2.79$ μm ($D_0 = 0.393$ $\mu\text{m}^2/\text{ms}$)

From histology: $\Phi \sim 1.00$ leaflets/ μm ; $R_0 \sim 1.00$ μm ; $l > 2.50$ μm

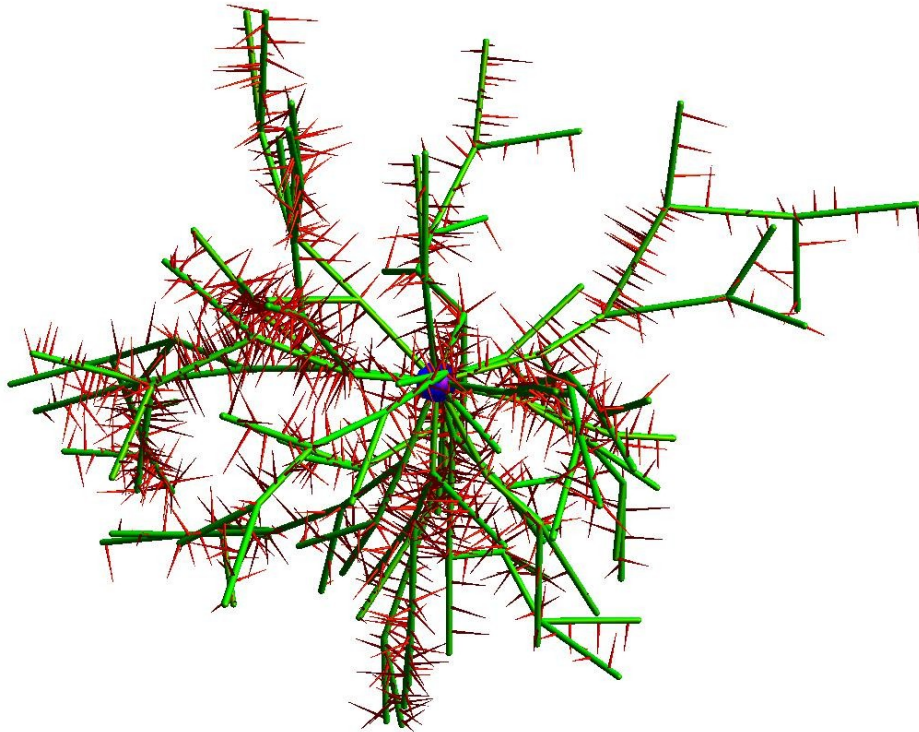


12 μm

Astrocyte and leaflets

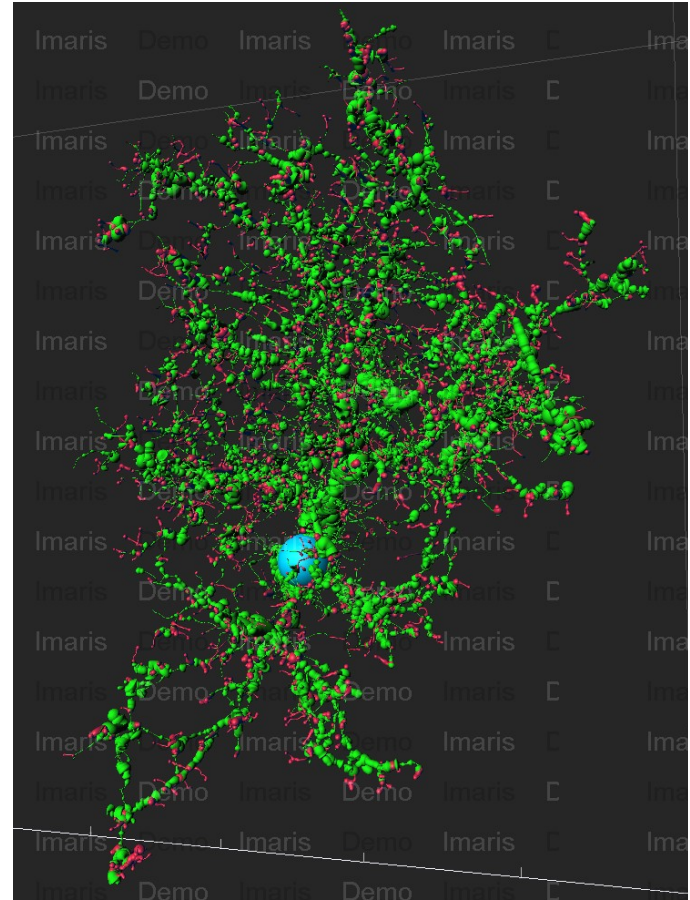


Neuron and spines



14 μm

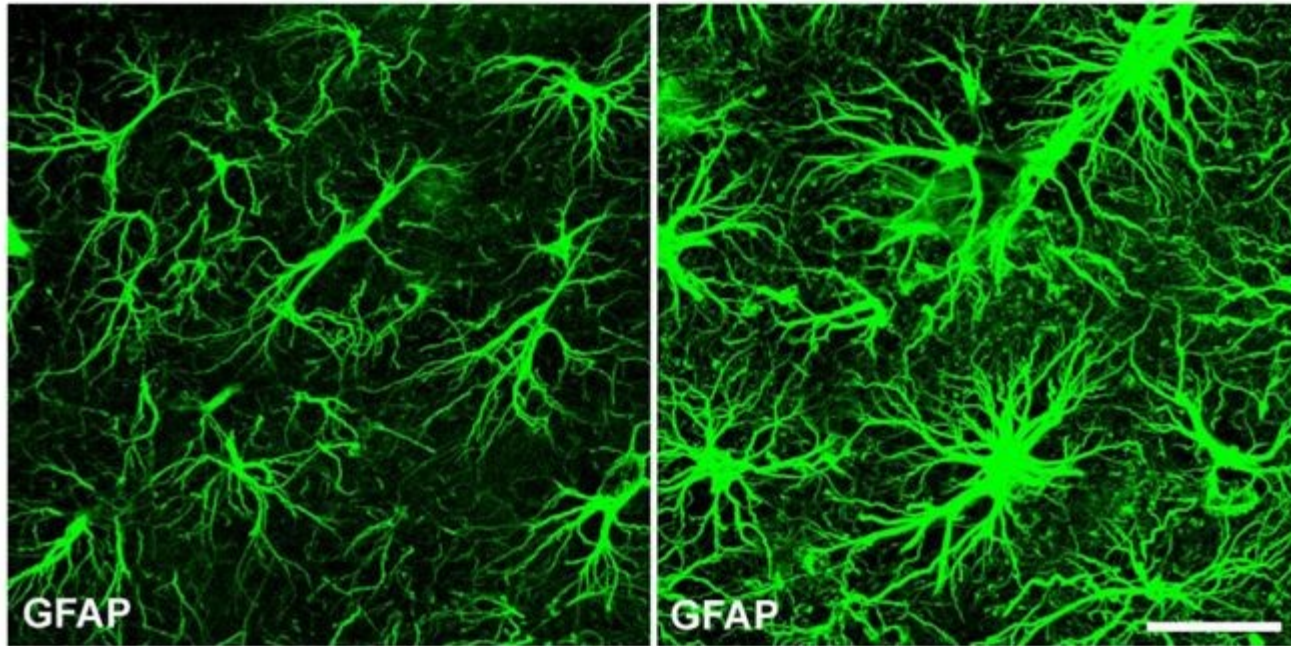
Virtual Astrocyte



Real Astrocyte

In CEA/MIRCen, Paris (France)

Injury and inflammation → Astrocytes reactivity

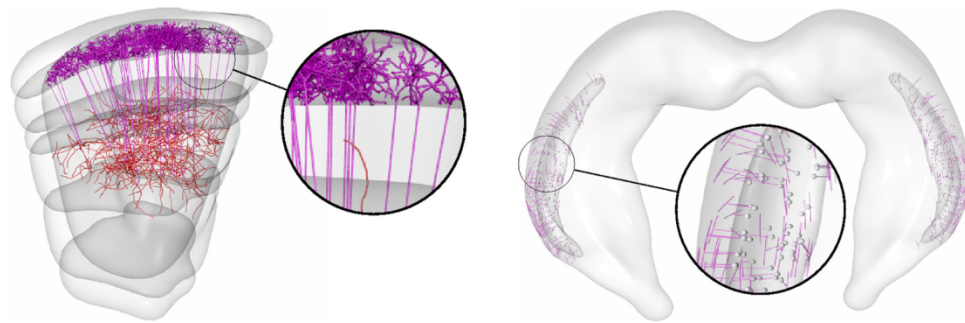


Astrocyte

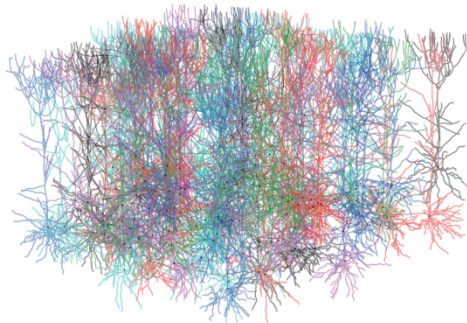
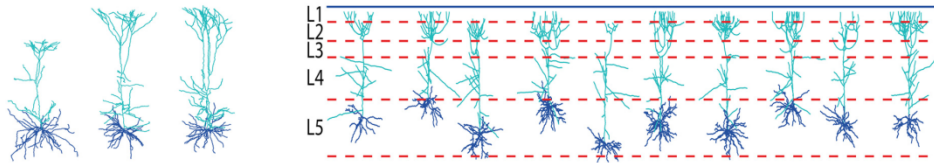
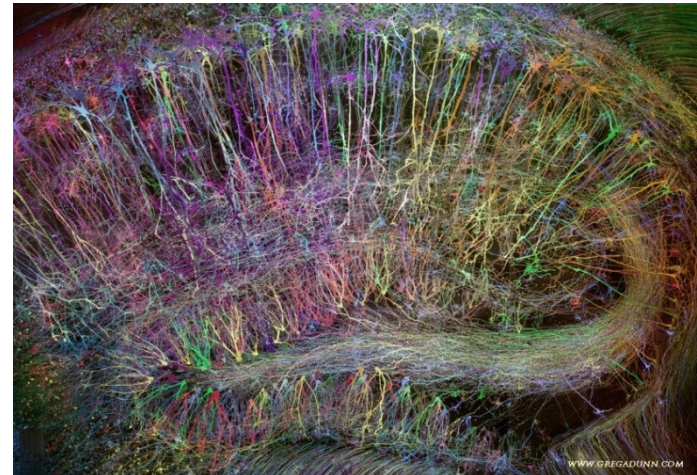
'Reactive' Astrocyte

In UCL, London (UK)

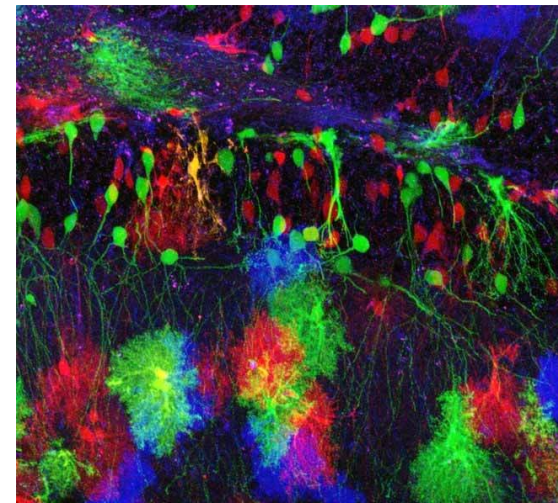
Simulate the whole brain → Cells growth and context aware interactions



Vanherpe L., et al. *PRE* (2016); **94**, 023315



Torben-Nielsen B., et al.
Front. NeuroAnatomy
(2014); **8**, 92





**THANK YOU ALL
FOR YOUR
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***INCELL* project
(2013-2018)**

Contacts:

mrc.palombo@gmail.com

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Commissariat à l'énergie atomique et aux énergies alternatives

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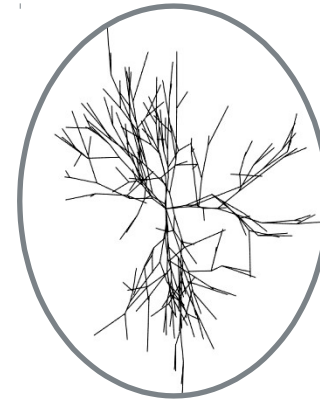
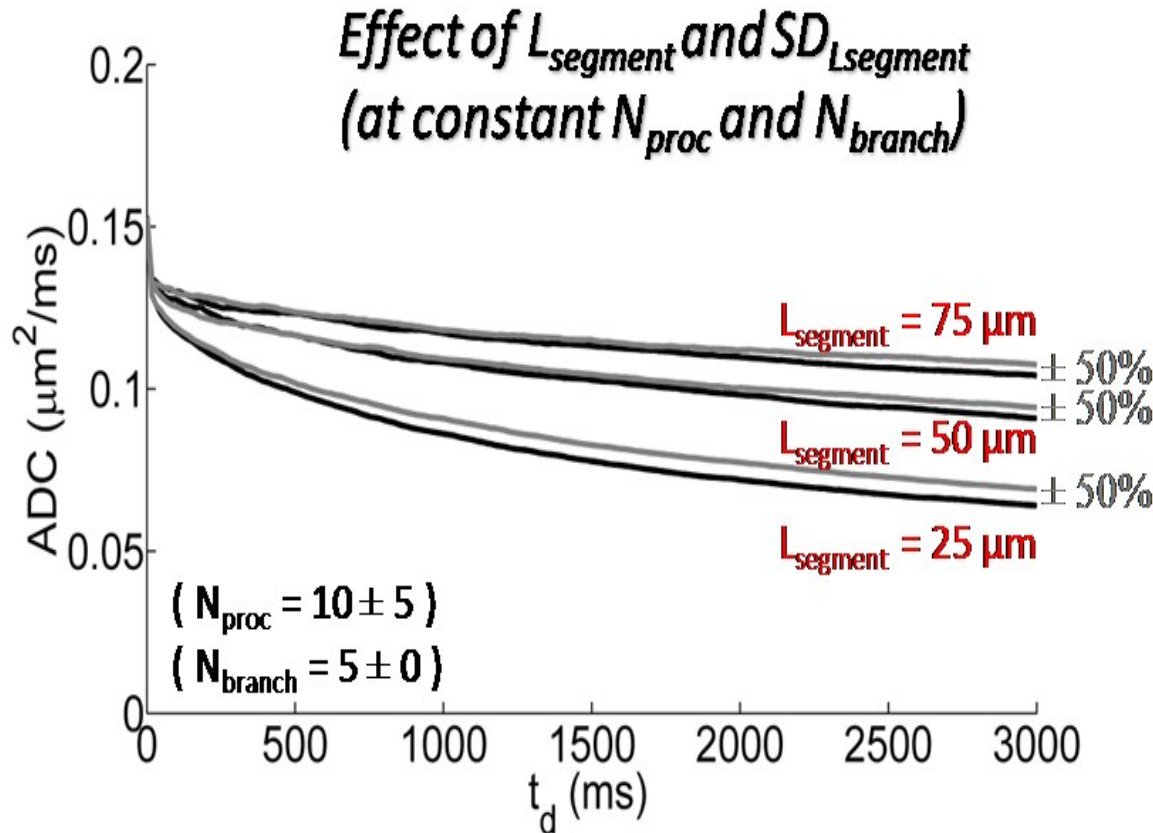
T. +33 (0)1 46 54 70 80 | F. +33 (0)1 46 54 70 80

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Direction
Département
Service

RESULTS

EFFECTS OF MORPHOMETRIC PARAMETERS ON ADC TIME DEPENDENCE



$L_{segment} = 75 \mu\text{m}$



$L_{segment} = 50 \mu\text{m}$



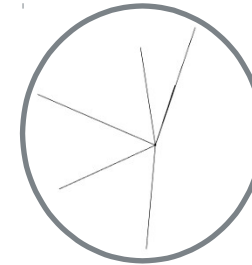
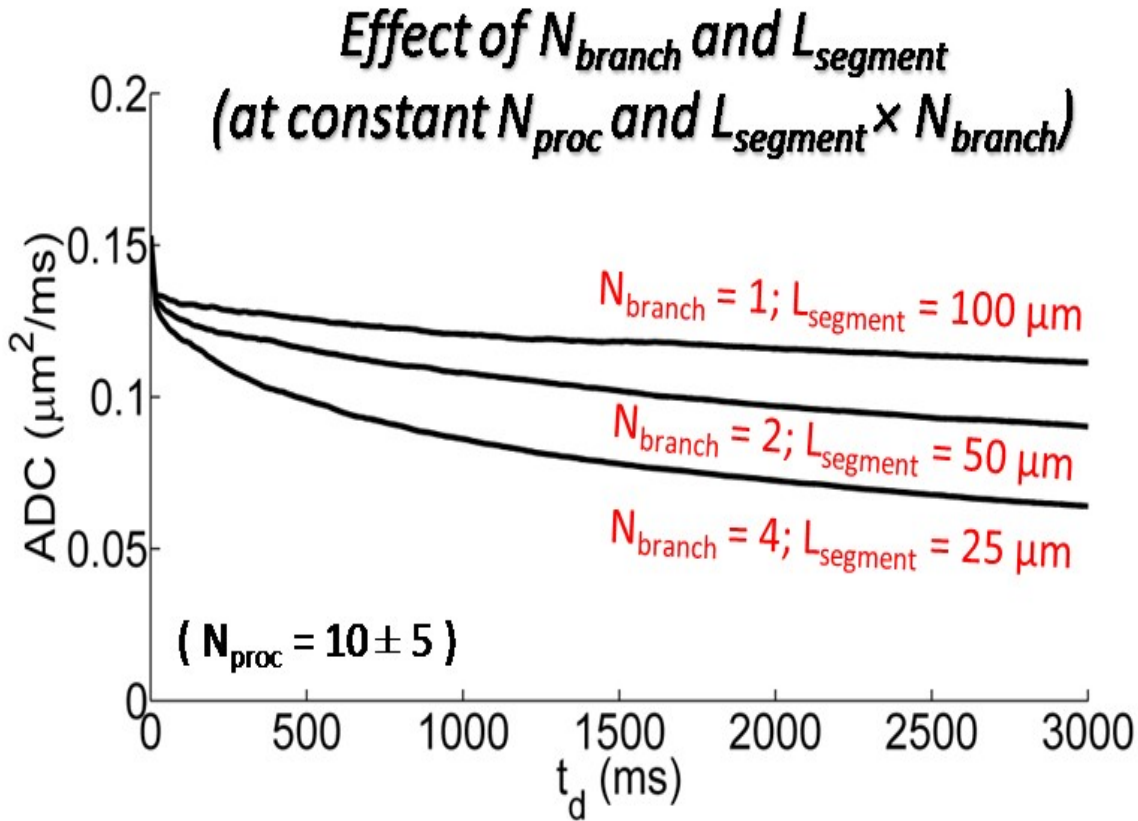
$L_{segment} = 25 \mu\text{m}$

→ While $L_{segment}$ has a **strong effect**, the $SD_{Lsegment}$ has a **significant impact at long diffusion times only**.

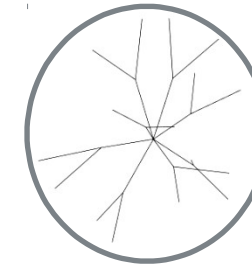
Similar impact was found for N_{branch} and $SD_{Nbranch}$

RESULTS

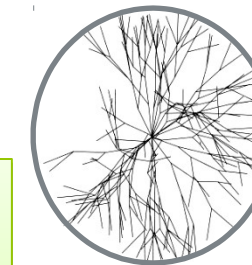
EFFECTS OF MORPHOMETRIC PARAMETERS ON ADC TIME DEPENDENCE



$N_{branch} = 1; L_{segment} = 100 \mu\text{m}$

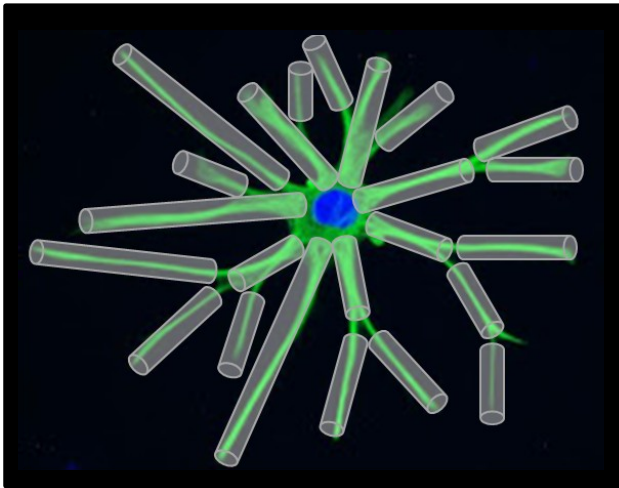


$N_{branch} = 2; L_{segment} = 50 \mu\text{m}$



$N_{branch} = 4; L_{segment} = 25 \mu\text{m}$

→ ADC time dependency *does not only depend on* total process length ($N_{branch} \times L_{segment}$), *but specifically depends on* $L_{segment}$ and N_{branch} .



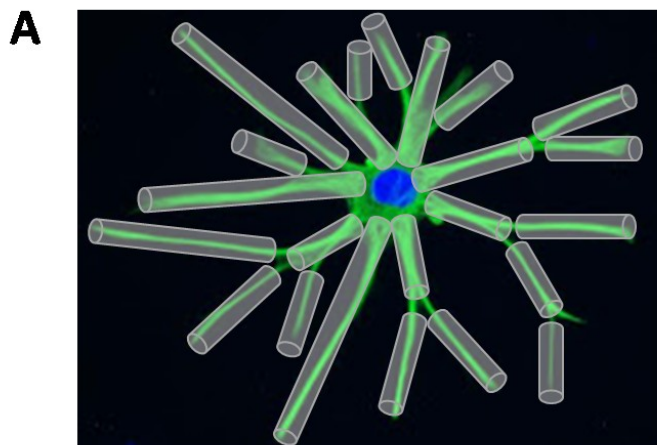
Strong g (short t_d)

✗ Segments length

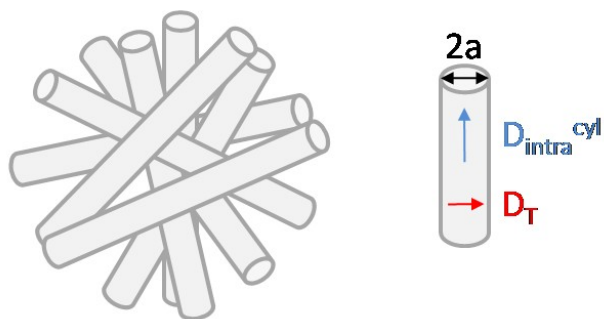
✗ Number of consecutive bifurcation

→ Segments Diameter

RESULTS

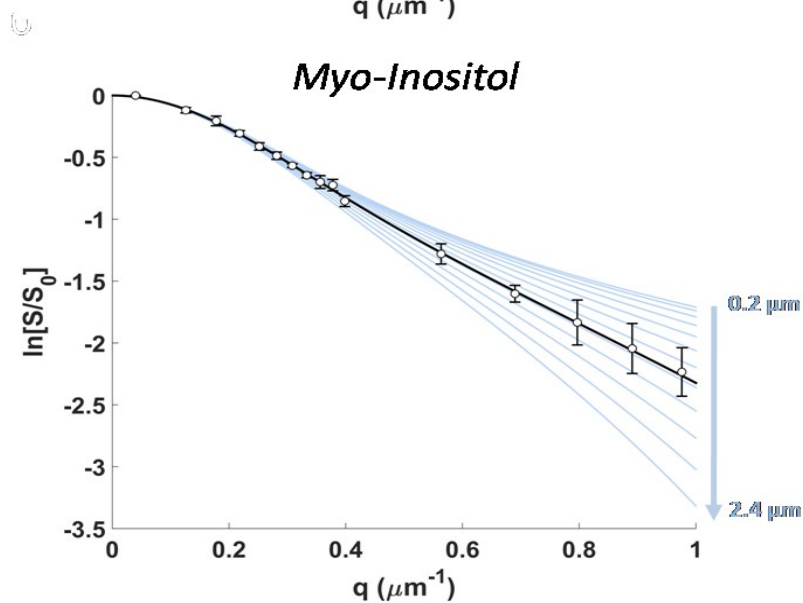
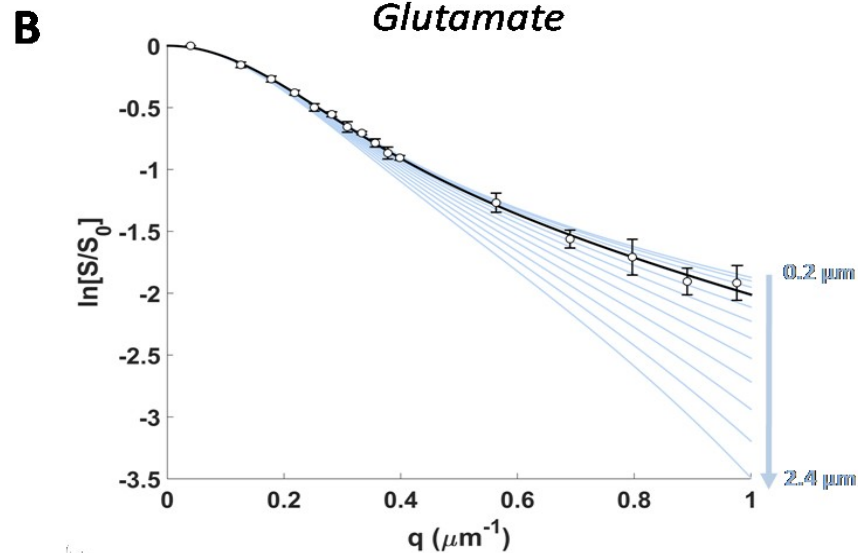


Randomly Oriented Cylinders
Model

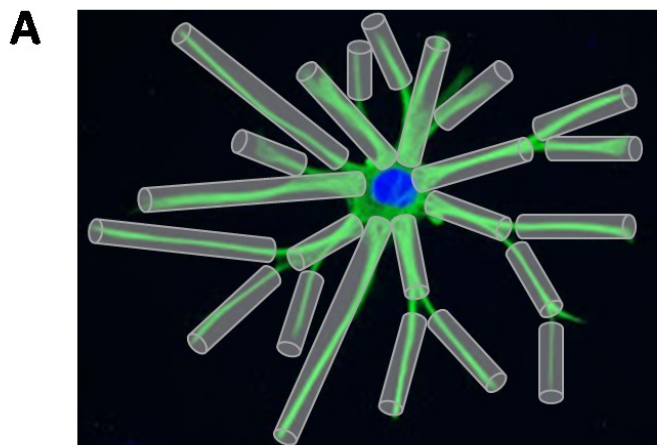


$$E_{cyl}(q, \Delta) = \exp(-D_T q^2 \Delta) \sqrt{\frac{\pi}{4q^2 \Delta (D_{intra}^{cyl} - D_T)}} \operatorname{erf} \left[\sqrt{q^2 \Delta (D_{intra}^{cyl} - D_T)} \right]$$

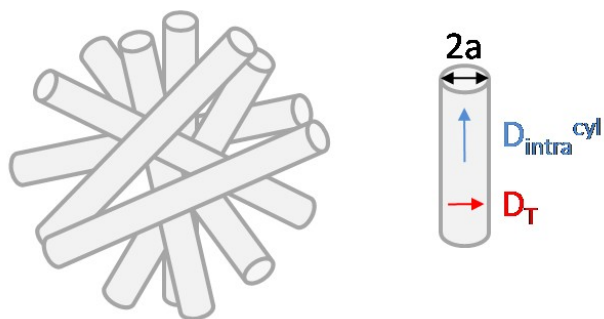
$$D_T = \frac{a^2}{4\Delta} \left[1 - \exp \left(-\frac{4D_{intra}^{cyl} \Delta}{a^2} \right) \right]$$



RESULTS

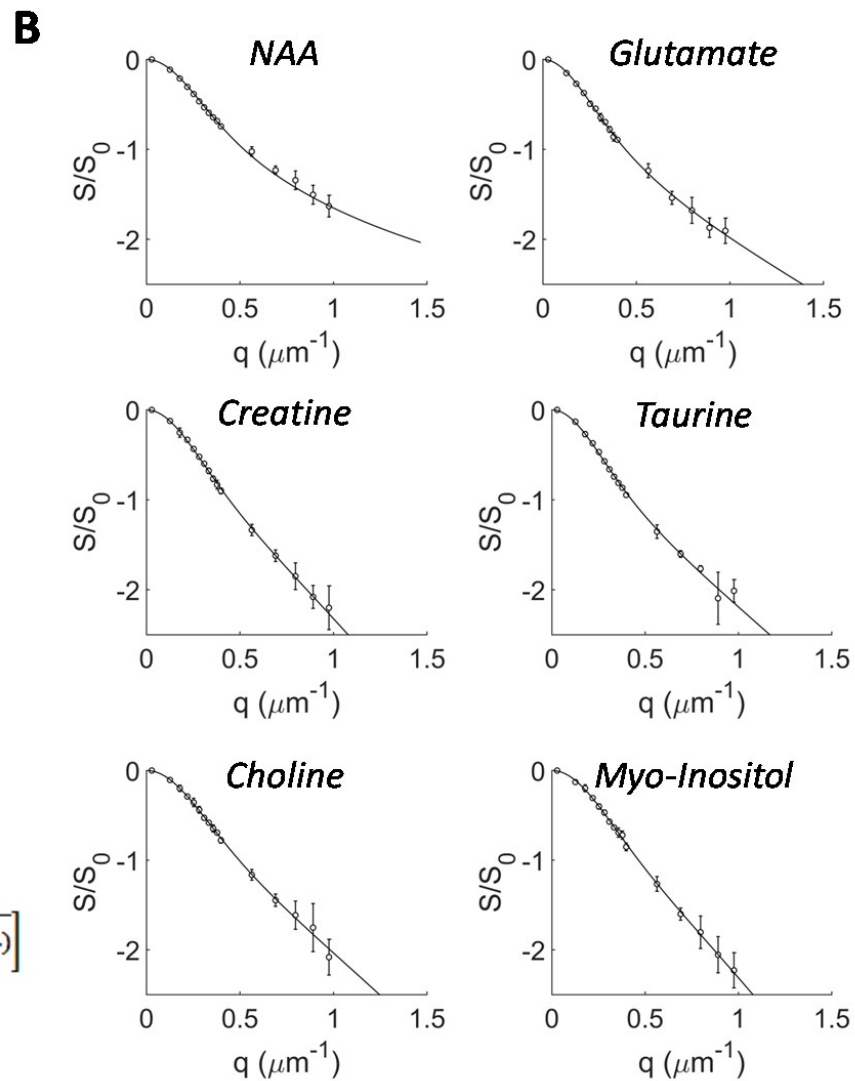


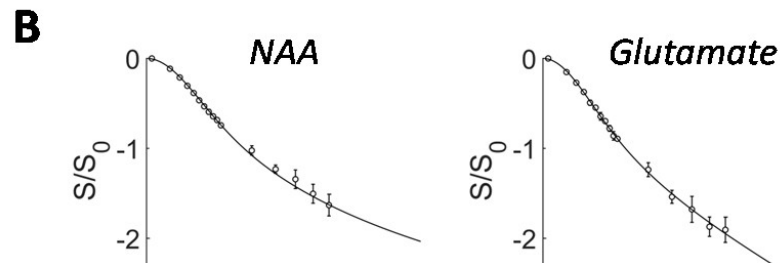
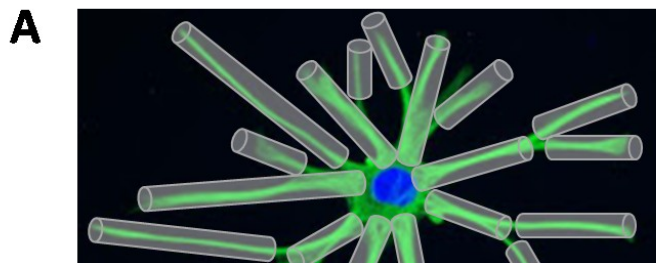
Randomly Oriented Cylinders
Model



$$E_{cyl}(q, \Delta) = \exp(-D_T q^2 \Delta) \sqrt{\frac{\pi}{4q^2 \Delta (D_{intra}^{cyl} - D_T)}} \operatorname{erf} \left[\sqrt{q^2 \Delta (D_{intra}^{cyl} - D_T)} \right]$$

$$D_T = \frac{a^2}{4\Delta} \left[1 - \exp \left(-\frac{4D_{intra}^{cyl} \Delta}{a^2} \right) \right]$$

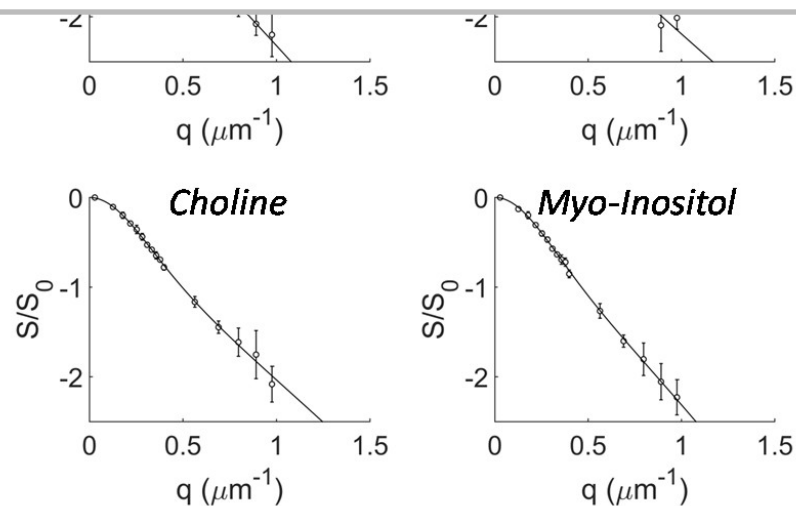




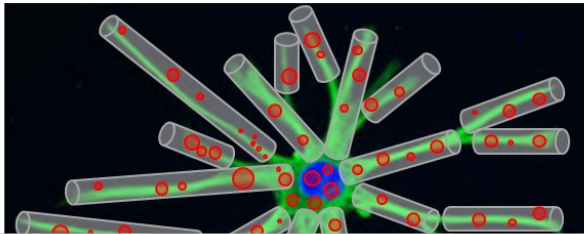
→ Randomly oriented cylinders model well describes metabolites' diffusion at high b values

→ Randomly oriented cylinders model allows estimation of reasonable values for cell processes diameter

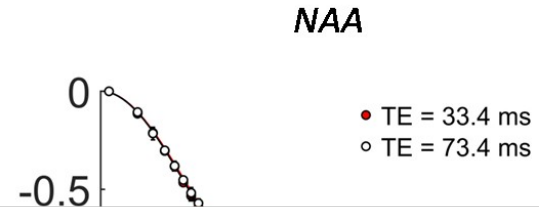
Metabolite	$D_{\text{intra}}^{\text{cyl}} (\mu\text{m}^2/\text{ms})$	$a (\mu\text{m})$
NAA	0.339	0.00
Glutamate	0.440	0.90
Creatine	0.375	1.59
Taurine	0.436	1.30
Choline	0.308	1.33
Myo-Inositol	0.325	1.67



A



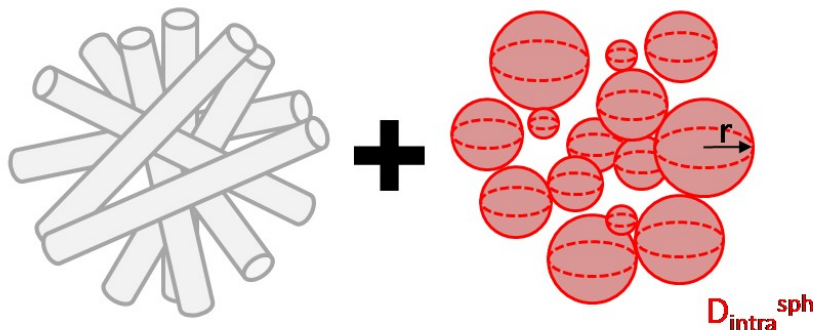
B



→ Modified randomly oriented cylinders model well describes NAA diffusion at high b values, allowing estimation of reasonable values for cell processes diameter and small compartments size.

Spheres Model

$q (\mu\text{m}^{-1})$



$$E_{tot}(q, \Delta) = v_{sph} \frac{\int_0^\infty r^3 P(r) E_{sph}(q, \Delta) dr}{\int_0^\infty r^3 P(r) dr} + (1 - v_{sph}) E_{cyl}(q, \Delta)$$

C

Randomly Oriented Cylinders Model		
Metabolite	$D_{intra}^{cyl} (\mu\text{m}^2/\text{ms})$	$a (\mu\text{m})$
NAA (TE=73.4 ms)	0.335	0.62

Randomly Oriented Cylinders + Polydispersed Spheres Model				
Metabolite	$D_{intra}^{sph} (\mu\text{m}^2/\text{ms})$	$\mu (\mu\text{m})$	$\sigma (\mu\text{m})$	$v_{sph} (\%)$
NAA (TE=33.4 ms)	0.168	0.019	0.028	2.0