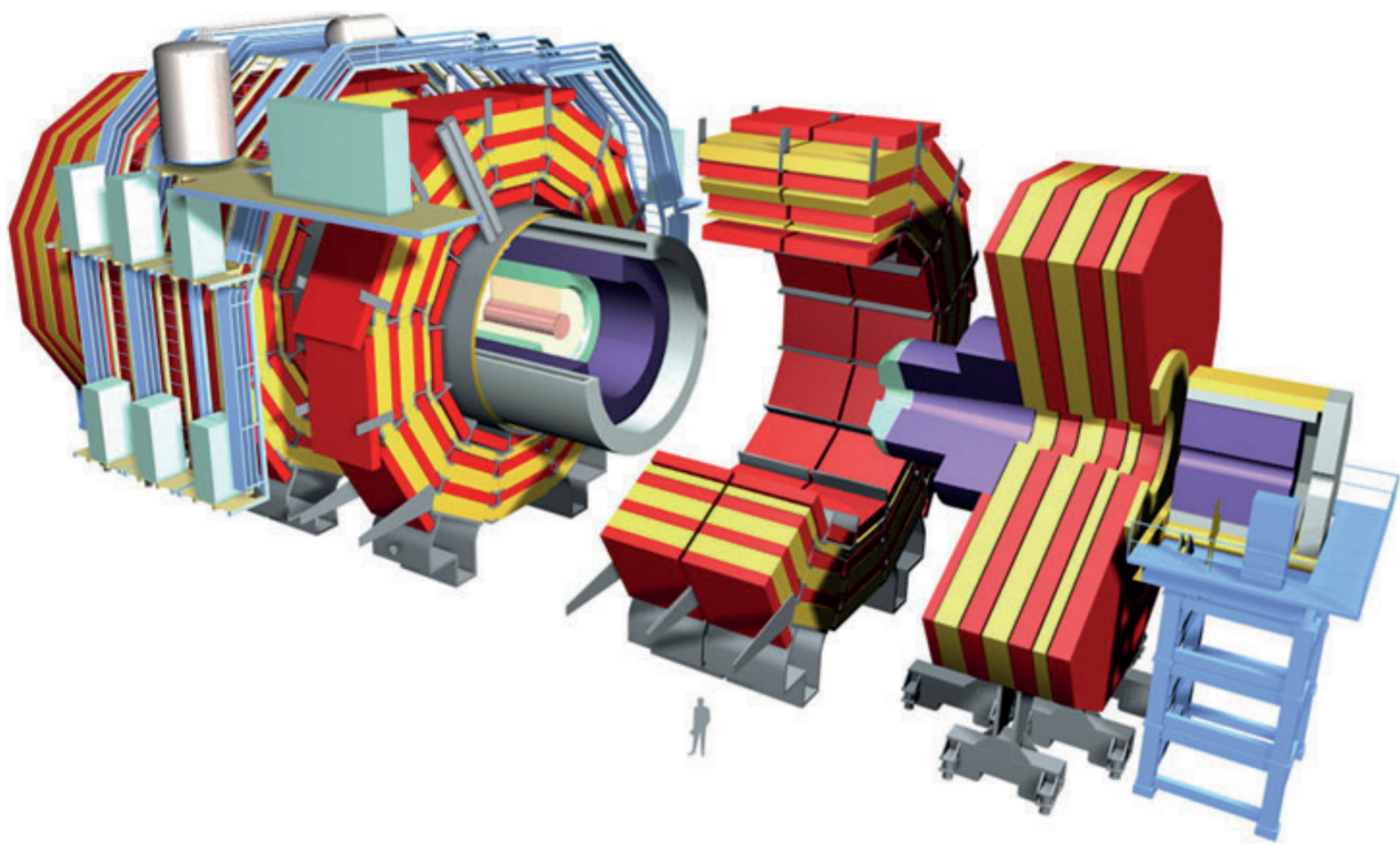




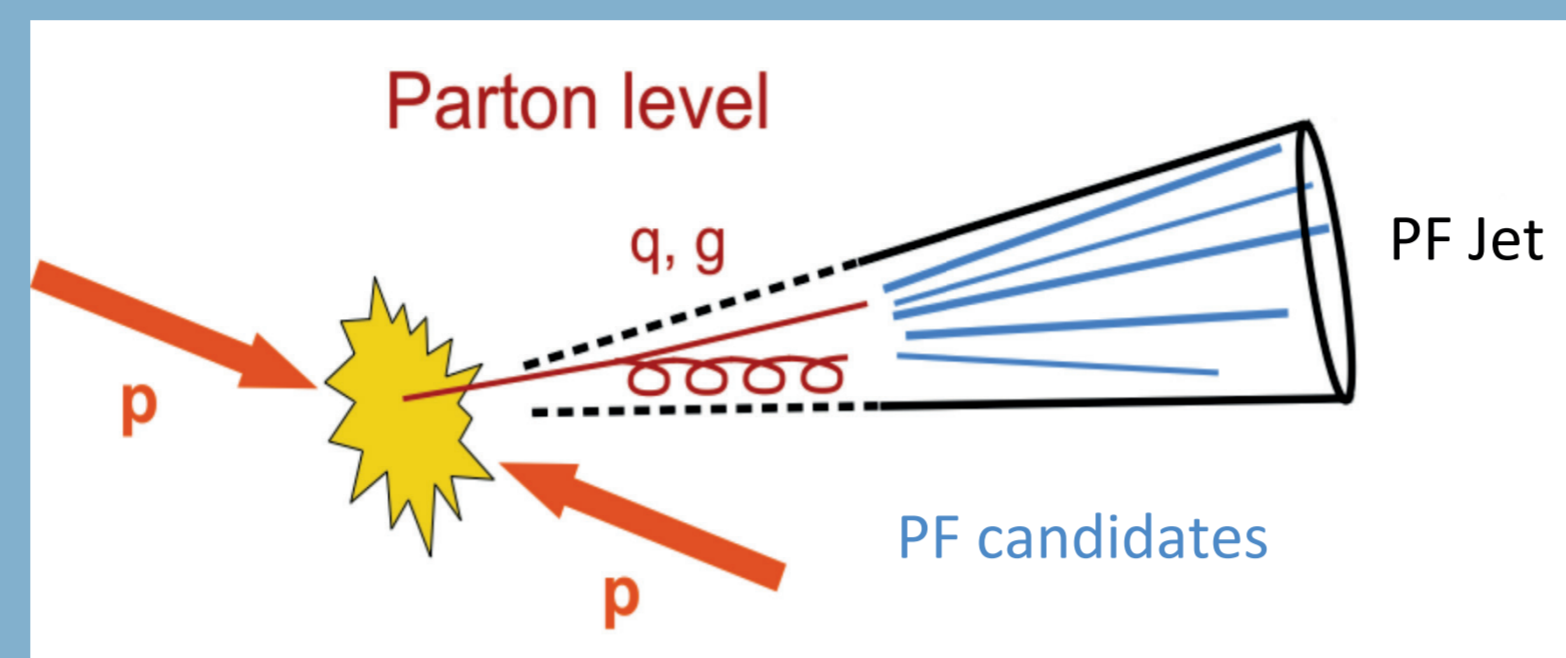
# Jet energy scale and resolution determination in CMS at 13 TeV



Collimated hadrons, called jets, are the experimental signature of quarks and gluons produced in the hard-scattering of partons in the collisions. The detailed understanding of both the **jet energy scale (JES)** and the **jet energy resolution (JER)** has a **strong impact on the CMS physics programme**, as jet measurements critically depend on them.

## Jet reconstruction

Particle Flow (PF) candidates: inputs to the clustering algorithm Anti-kt with R=0.4



## Corrections

Computed to take into account different effects:

- Jet energy only partly reconstructed
- Non-linear response of calorimeters
- Detector segmentation
- Presence of material in front of calorimeters
- Electronic and physics noise

Reconstructed jet (uncalibrated)

Correction for pileup and electronic noise

Scale correction vs  $p_T$  and  $\eta$  in MC

Residual data/MC scale differences vs  $\eta$

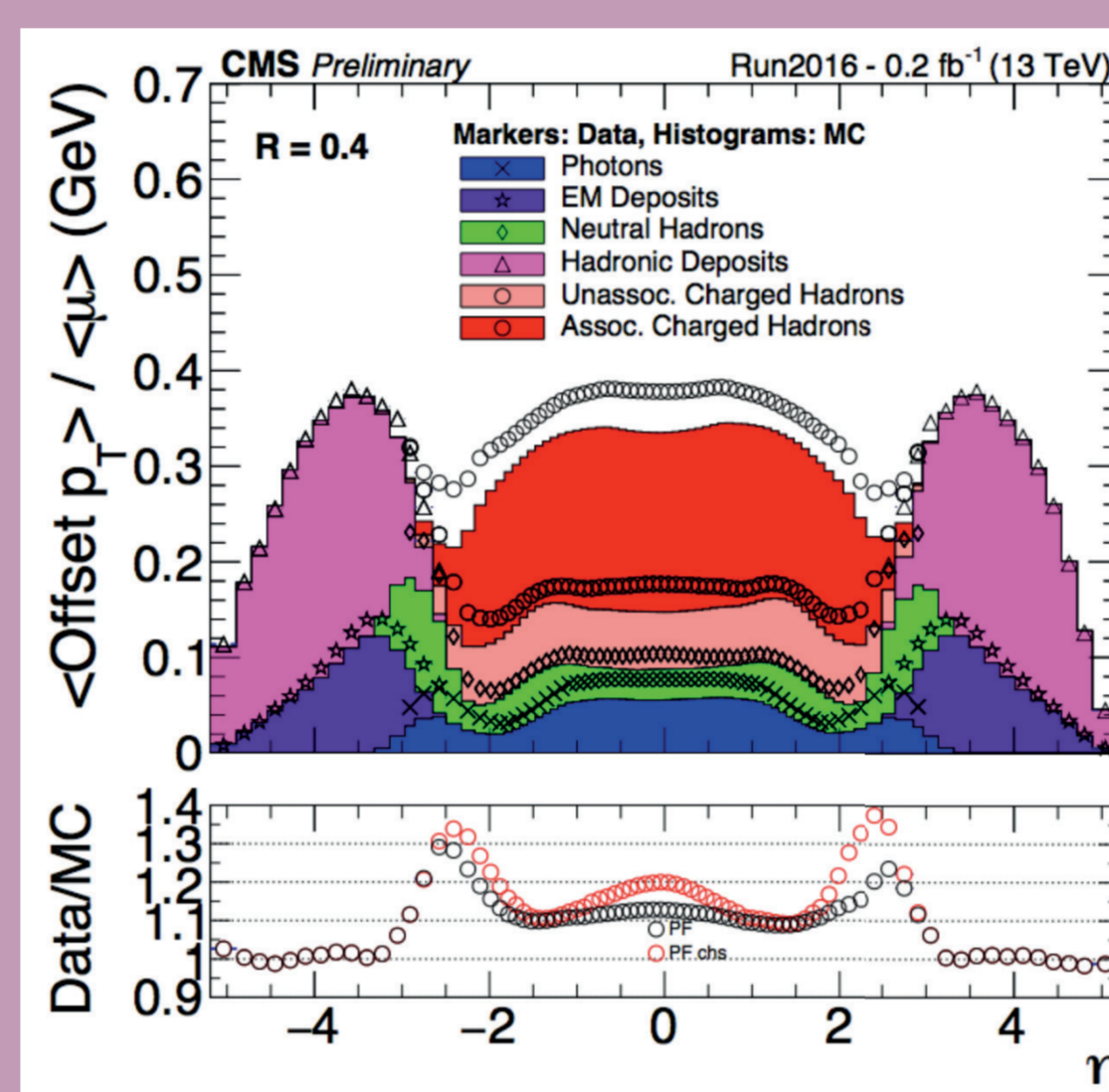
Residual data/MC scale differences vs  $p_T$

FACTORIZATION OF CORRECTIONS

## Pileup and electronic noise removal

Remove the additional energy in the event coming not from the primary hard interaction

- Study based on **Zero Bias events**
- $\langle \text{Offset } p_T \rangle$ : average energy due to pileup
- $\langle \mu \rangle$ : average number of pileup interactions
- Data/MC: scale factor to be applied to the data



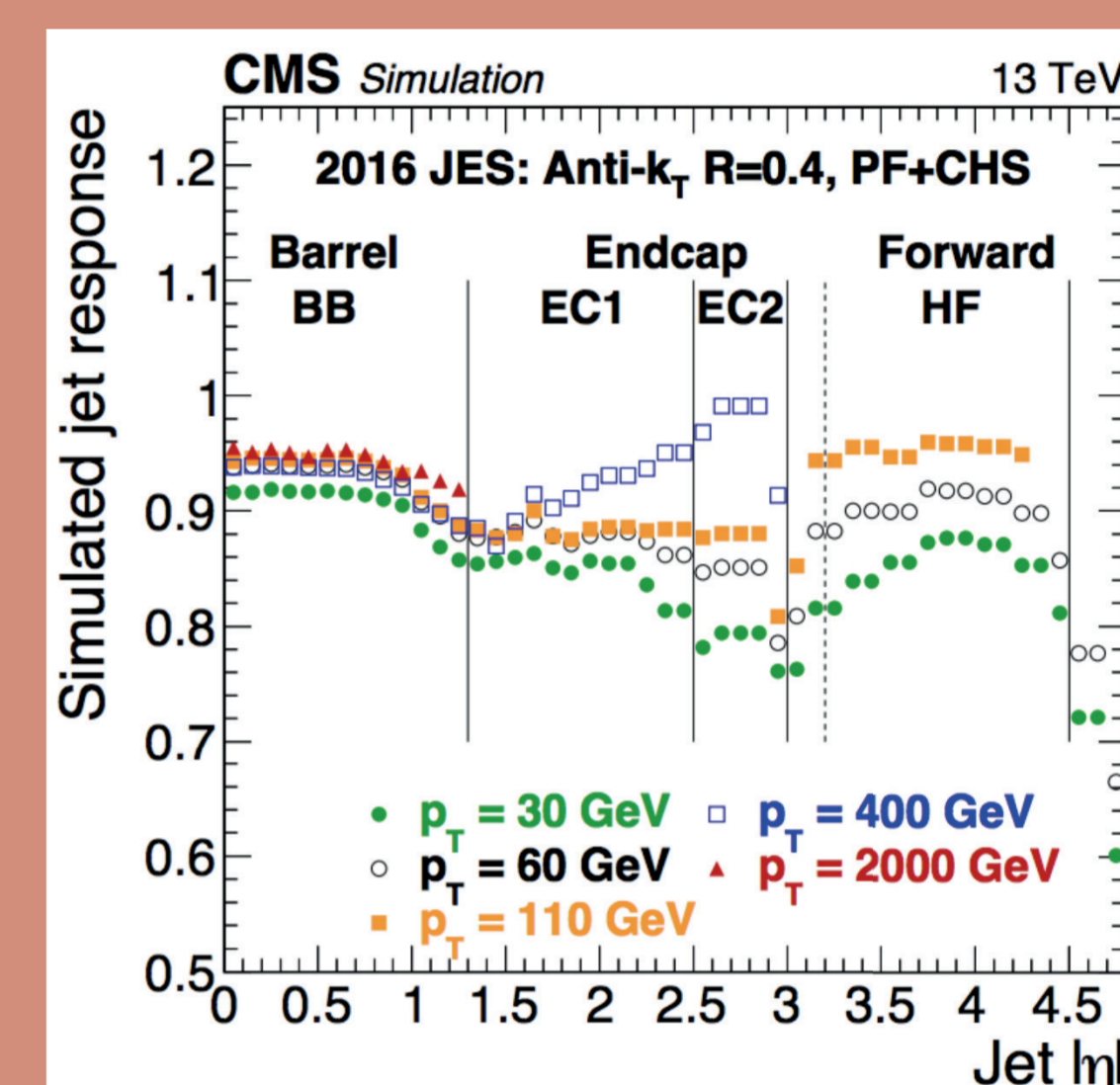
## MC JES

Cure differences in jet energy response vs  $\eta$  and  $p_T$

- Study performed on **QCD MC sample**
- Simulated response:

$$\text{Jet Response} = \frac{p_T(\text{Reco})}{p_T(\text{Gen})}$$

- Response flat and close to 1 after the correction vs  $\eta$  and  $p_T$
- Residual Data/MC differences still to be cured (see next box)



## Residual Data/MC jet energy corrections

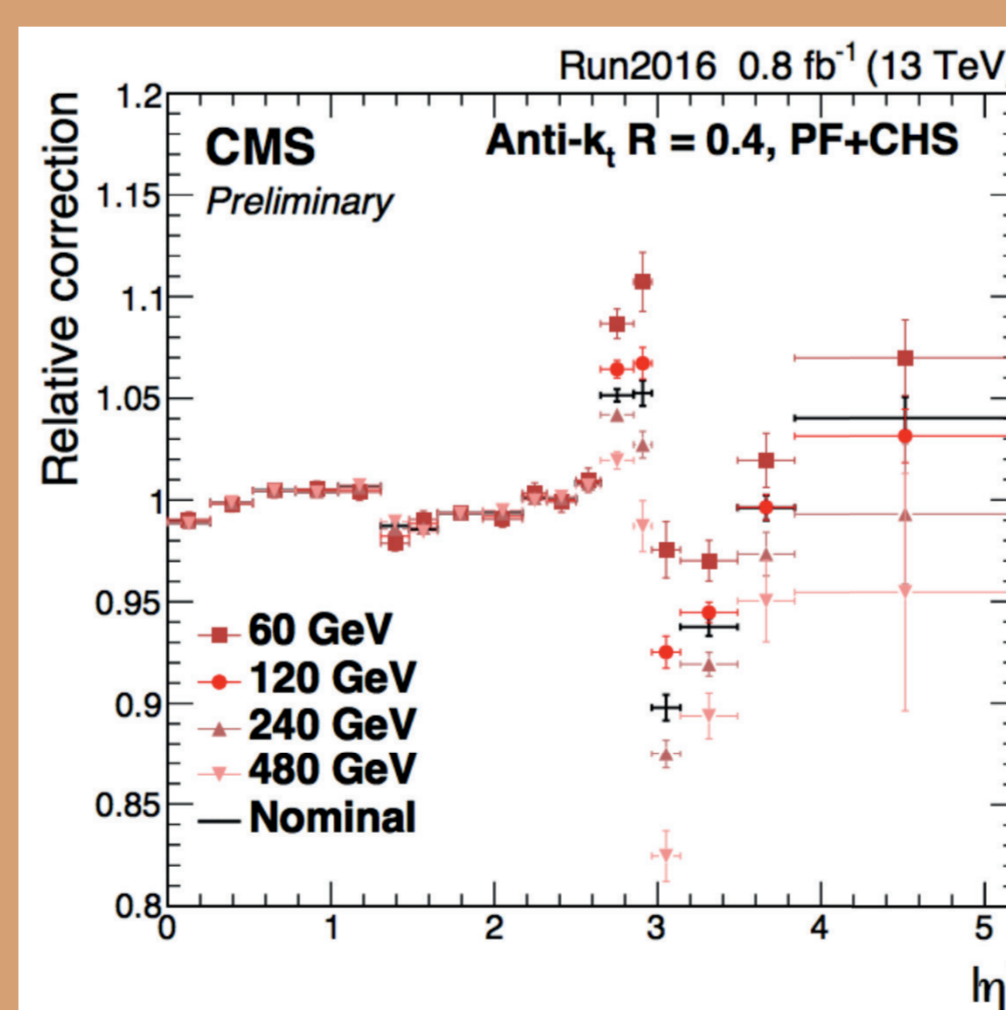
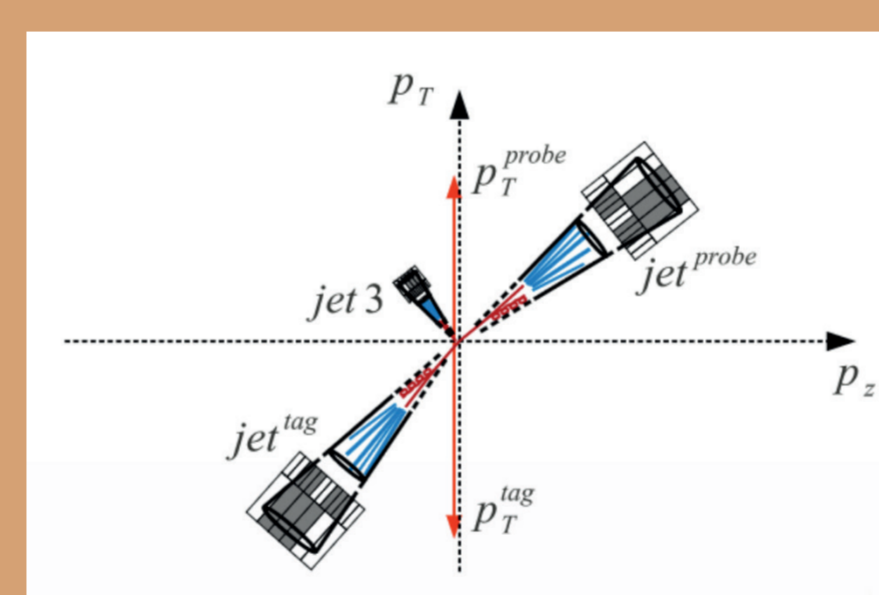
### Relative correction vs $\eta$

- **Dijet events**
- Using one jet in the barrel to correct the other one free to scan the whole detector
- Asymmetry in  $p_T$  between the two jets:

$$A = \frac{p_{T,probe} - p_{T,barrel}}{p_{T,probe} + p_{T,barrel}}$$

- Jet energy response mediated over  $p_T$  as a function of jet  $\eta$ :

$$\text{Jet Response} = \frac{1 + \langle A \rangle}{1 - \langle A \rangle}$$



### Absolute corrections vs $p_T$

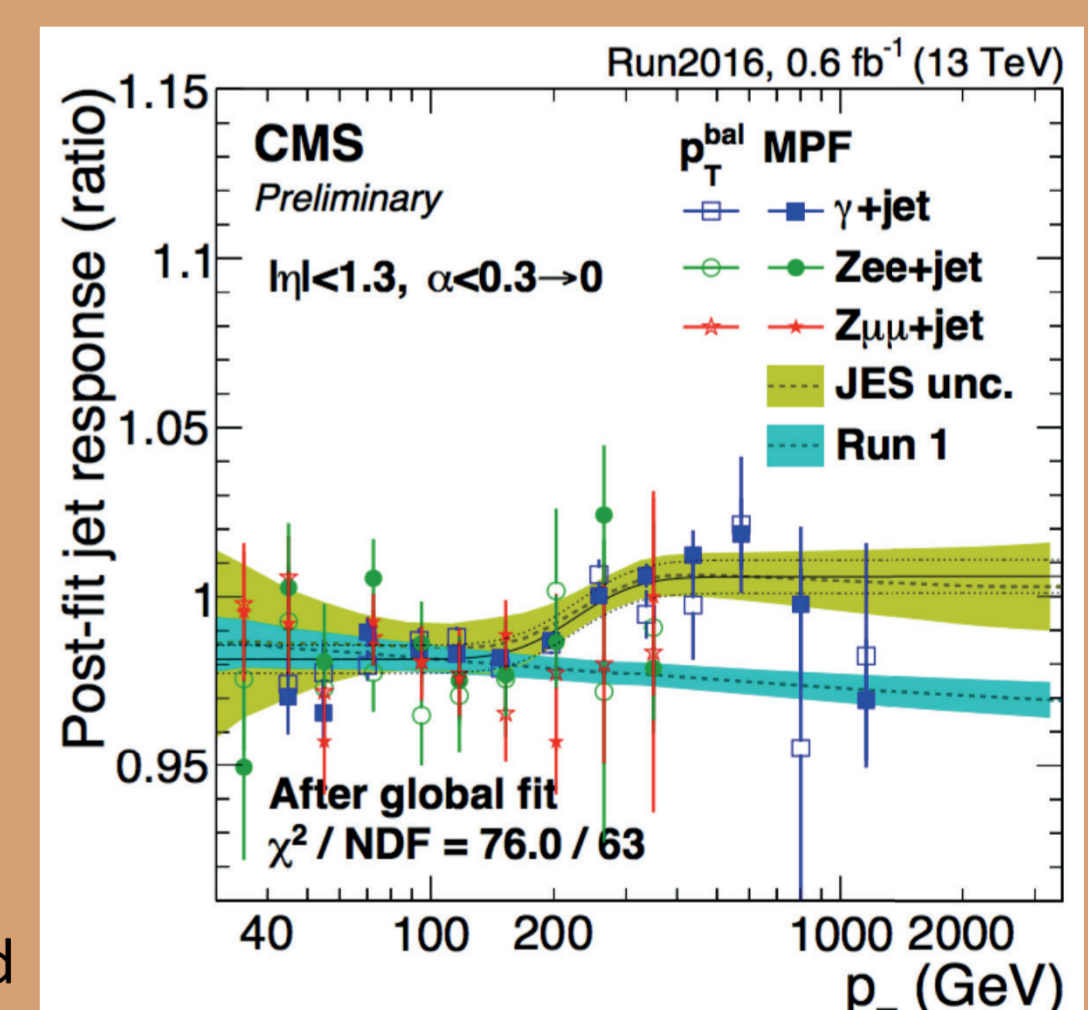
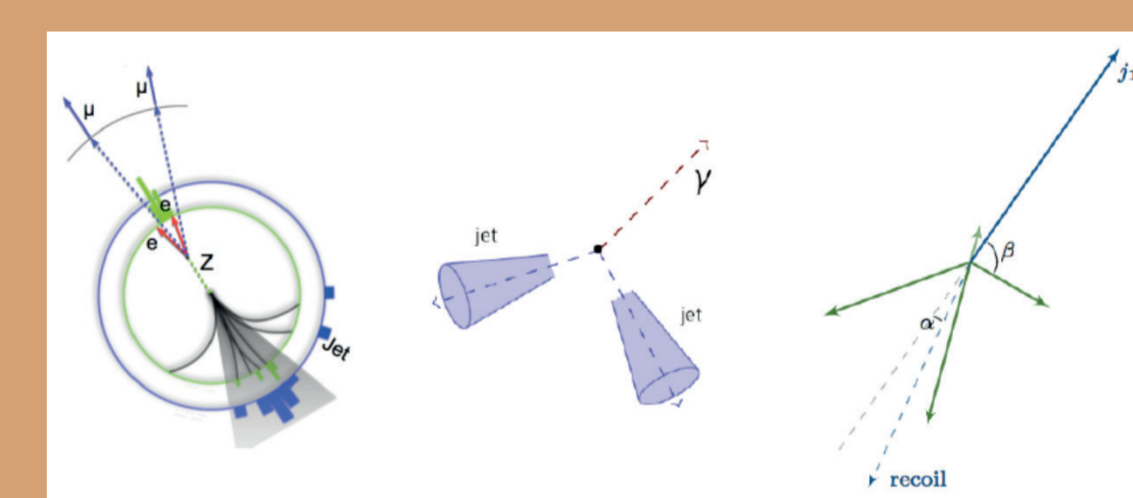
- **Z+jet and  $\gamma$ +jet events:**
- Calibrate the jet energy scale using a well calibrated object
- **Multijets events:**
- High- $p_T$  jet balanced by two or more lower  $p_T$  jets ("recoil system")

- Jet energy response for all the methods:

$$1) R_{jet}^{p_T} = \frac{p_T}{p_T^{ref}}$$

$$2) R_{jet}^{MPF} = 1 + \frac{\vec{E}_T \cdot \vec{p}_T^{ref}}{(p_T^{ref})^2} \quad \text{where } ref = Z, \gamma, \text{recoil}$$

- Results from all the datasets combined together



## Jet Energy Resolution

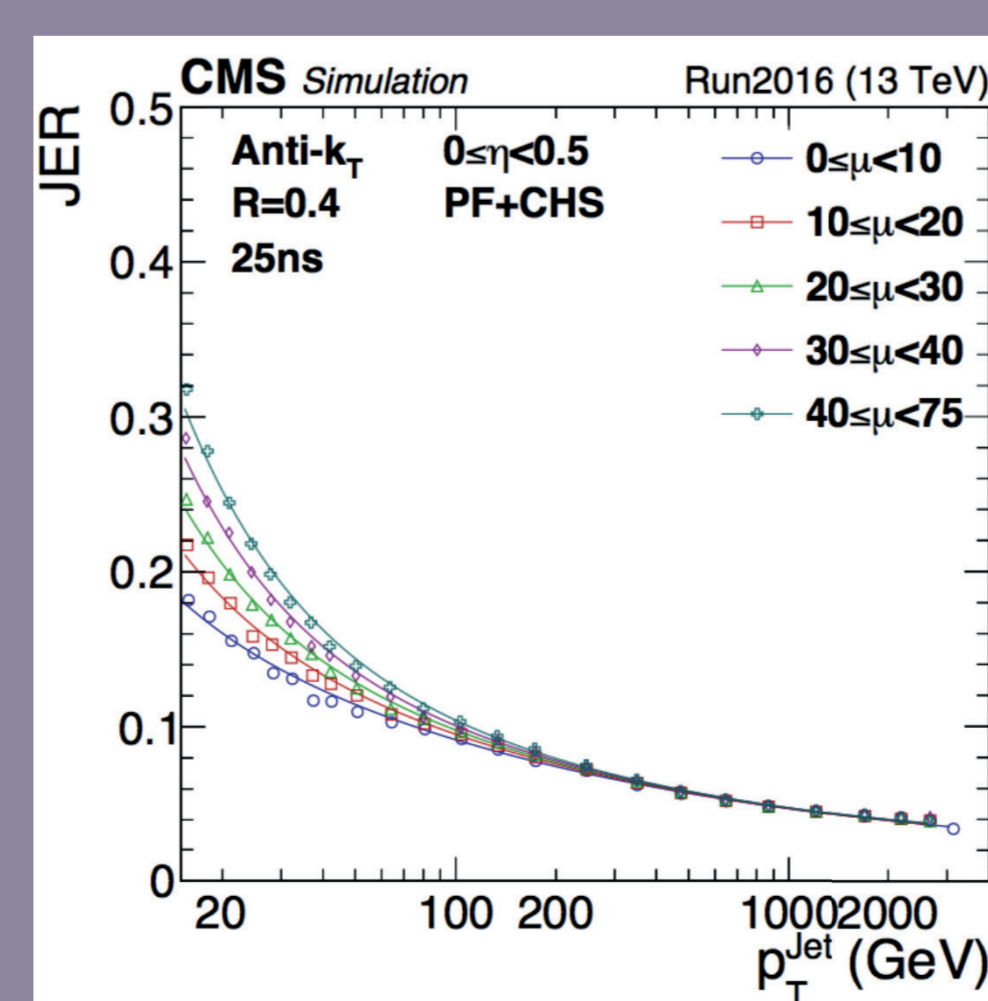
MC needs to be smeared to describe the data/Compute systematics

- Estimated and calibrated using **dijet events**
- Jet energy resolution definitions:

$$\frac{\sigma(p_T)}{p_T}(MC) = \sigma\left(\frac{p_T^{Reco}}{p_T^{Gen}}\right)$$

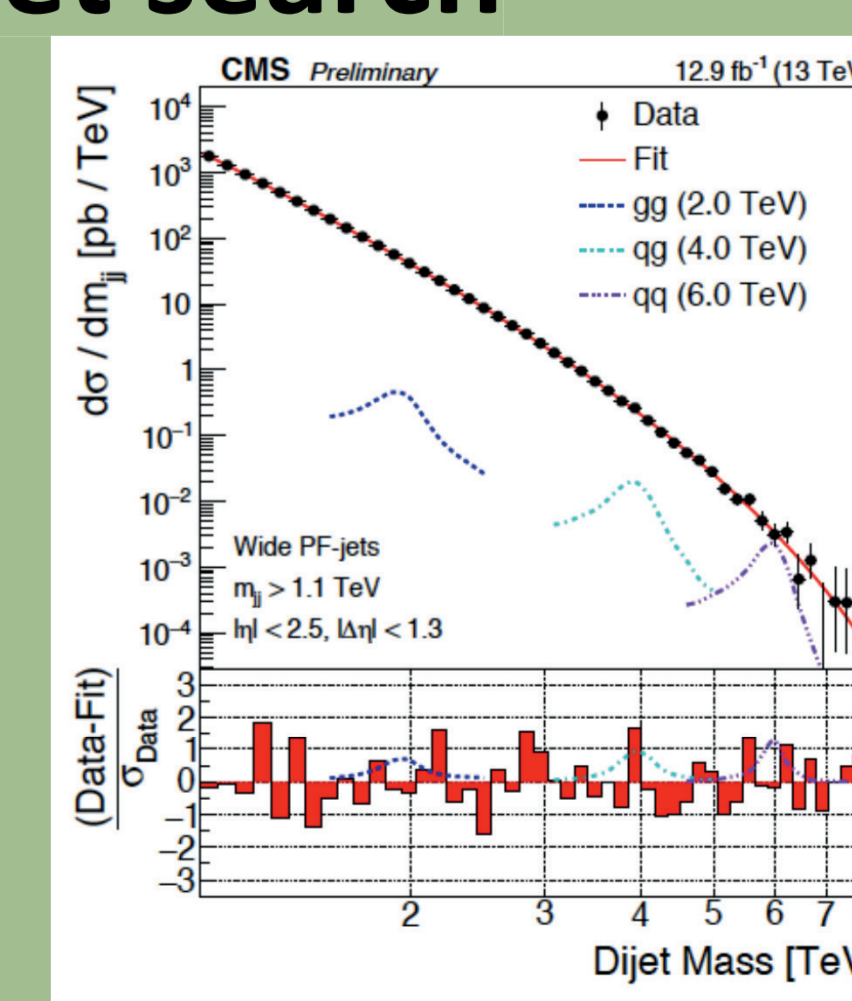
$$\frac{\sigma(p_T)}{p_T}(Data) = \sqrt{2}\sigma_A$$

where  $A = \frac{p_{T,probe} - p_{T,barrel}}{p_{T,probe} + p_{T,barrel}}$



## Physics example: high-mass dijet search

- LHC is a dijet resonance factory
- The precision in the knowledge of the jets energy  $\rightarrow$  precision in the measurement of the resonance mass:
- Systematics uncertainty due to jet energy scale: 2% shift of  $m_{jj}$
- Resolution @ 3TeV  $\sim$ 10%



CALIBRATED JET  
READY FOR  
PHYSICS

