

ricerca dell'Higgs ai collider adronici

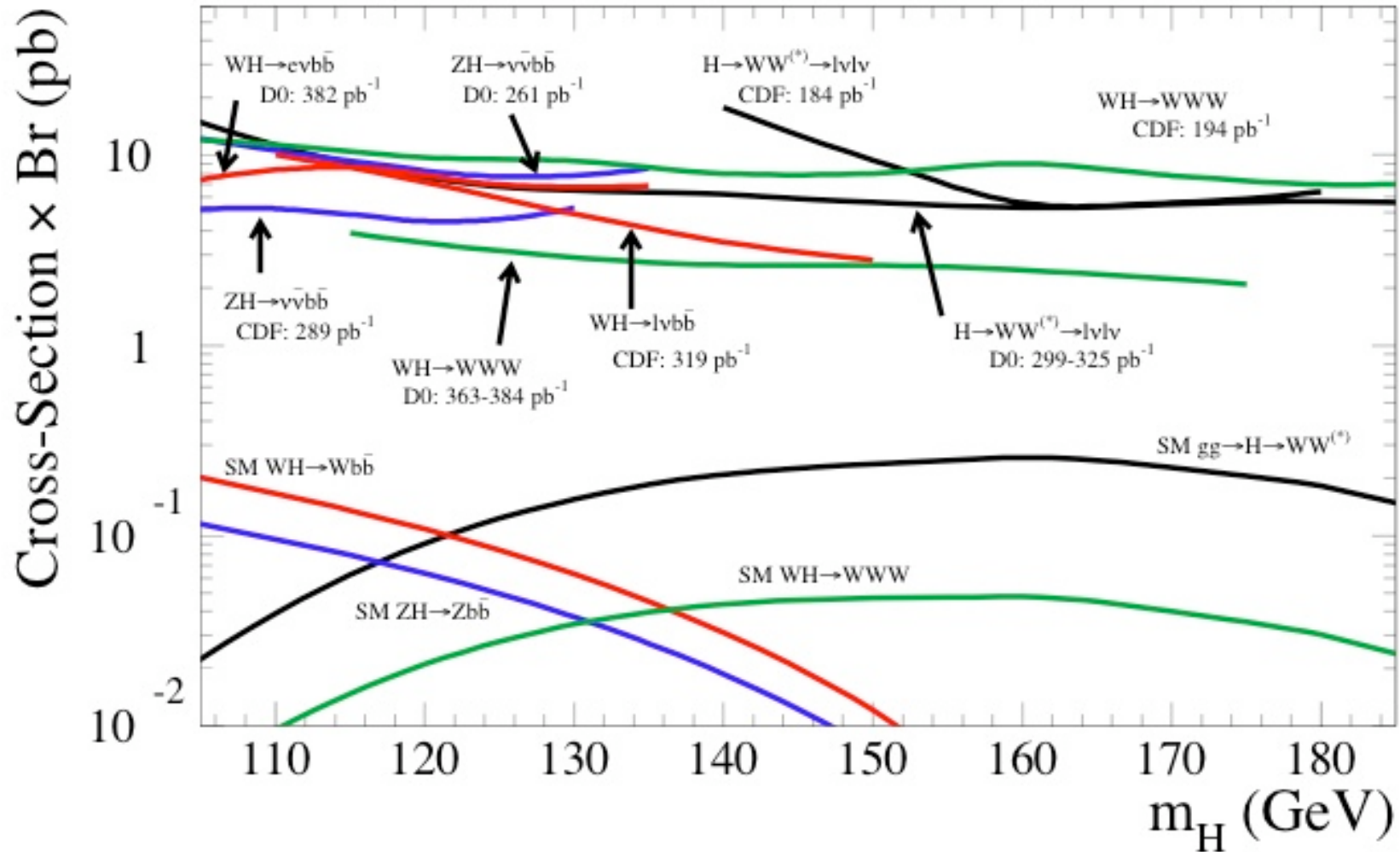
Produzione

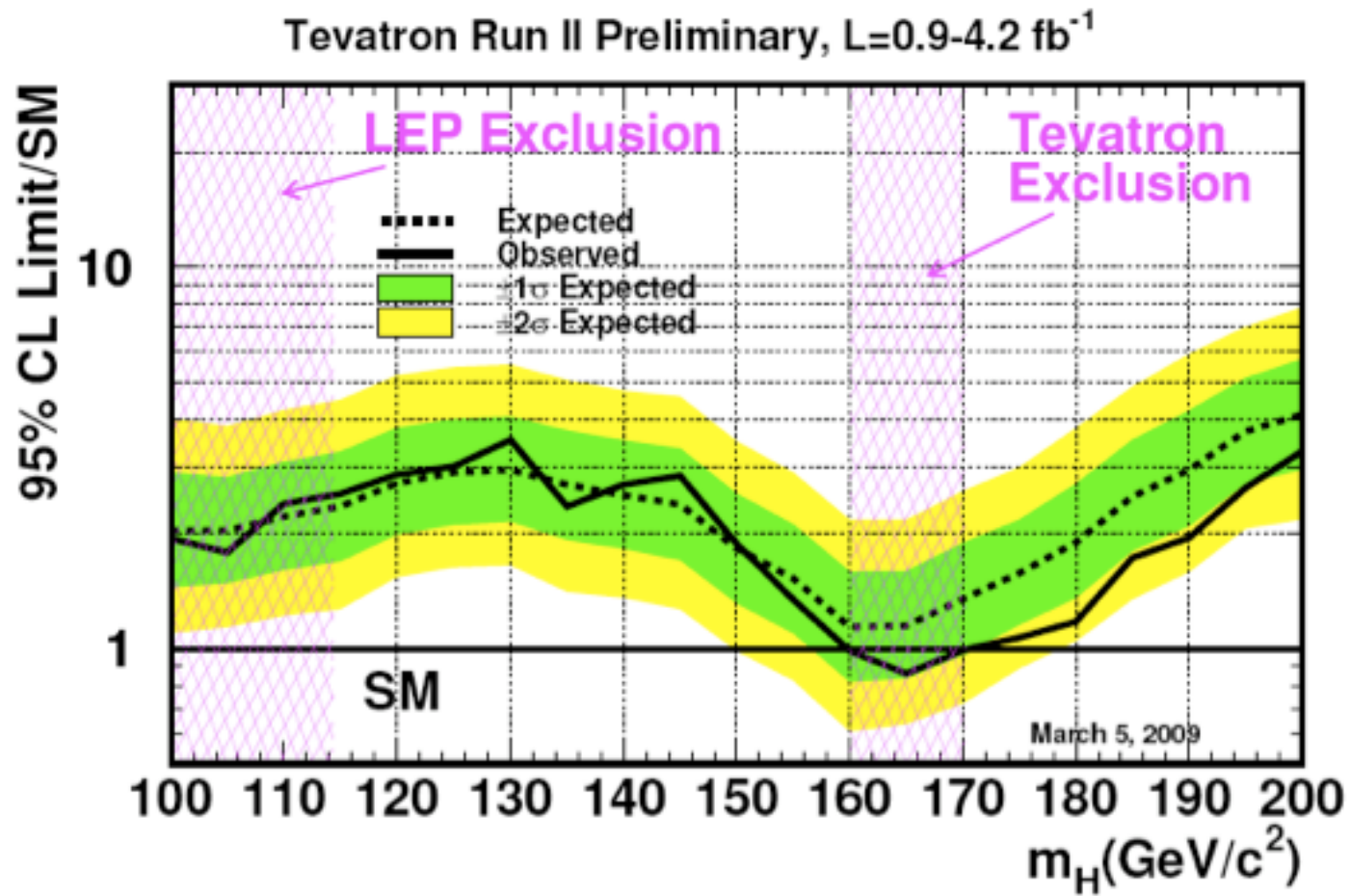
1. gluon fusion in tutto il range
2. Higgs-strahlung per Higgs leggeri
3. WW,ZZ fusion per Higgs pesanti

Segnature:

1. nel range tra 100 e 180 GeV, si può ricostruire la massa invariante da $\gamma\gamma$ o $b\bar{b}$ (al Tevatron, p.e.)
2. nel range intermedio, i decadimenti in coppie virtuali e reali di W o Z possono essere identificati dai decadimenti leptonici (4 leptoni carichi per ZZ)
3. oltre la soglia ZZ, 4 leptoni!
4. All'estremo superiore, anche i decadimenti in jet e neutrini sono utili.

Tevatron Run II Preliminary





LHC: la macchina

Energia dei fasci: 7 TeV

Luminosità: $10^{34} \text{cm}^{-2} \text{s}^{-1}$

(Luminosità dei primi anni? $1\text{-}2 \cdot 10^{33} \text{cm}^{-2} \text{s}^{-1}$?)

Multibunch (2835 per fascio, spazati di 25 ns)

$$\sigma_{\text{inel}} = 100 \text{ mb} \rightarrow 10^{-25} \cdot 10^{34} \text{ s}^{-1} = 10^9 \text{ eventi/s}$$

25 eventi/crossing

$$\sigma_{\text{higgs}} = 1 \text{ pb} \rightarrow 10^{-36} \cdot 10^{34} \text{ s}^{-1} = 10^{-2} \text{ eventi/s}$$

Radiazione di fondo, neutroni e gamma

Sfida per i rivelatori:

granularità

velocità di risposta

acquisizione dei dati

resistenza alla radiazione

$$1 \text{ barn} = 10^{-24} \text{cm}^{-2} \text{s}^{-1}$$

$$1 \text{ pb} = 10^{-36} \text{cm}^{-2} \text{s}^{-1}$$

$$1 \text{ fb} = 10^{-39} \text{cm}^{-2} \text{s}^{-1}$$

$$1 \text{ anno} = 10^7 \text{ s}$$

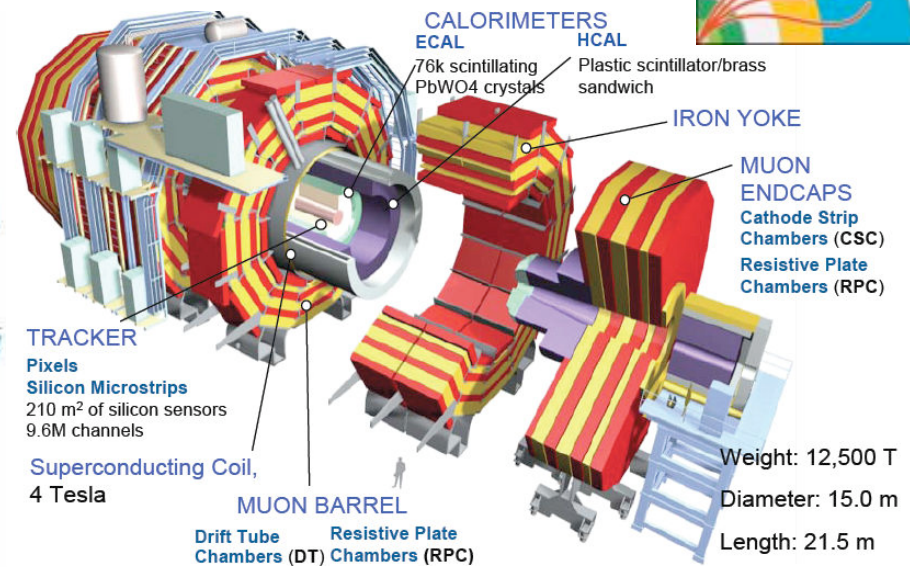
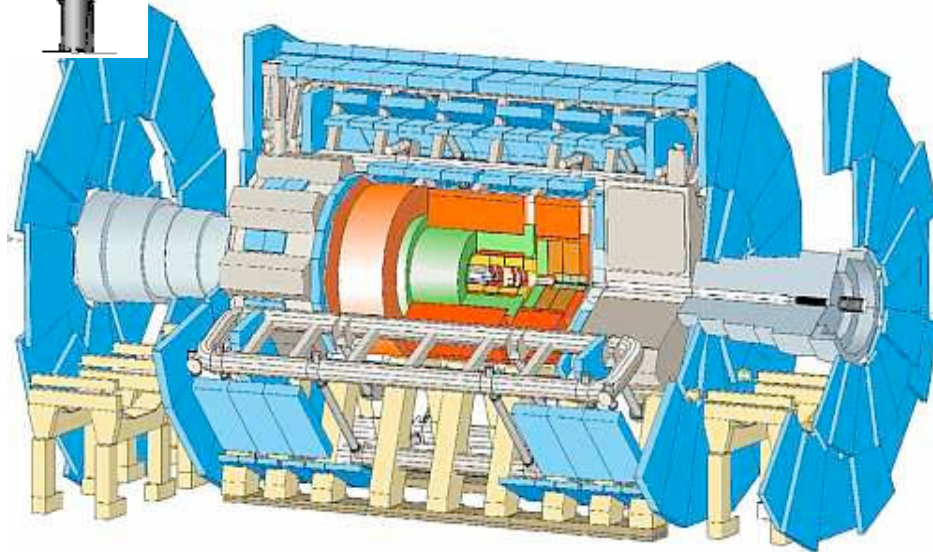
$$[\text{Luminosità integrata}] = [\text{L}^{-2}]$$

$$1 \text{ anno HL} = 100 \text{ fb}^{-1}$$

$$1 \text{ anno LL} = 10 \text{ fb}^{-1}$$

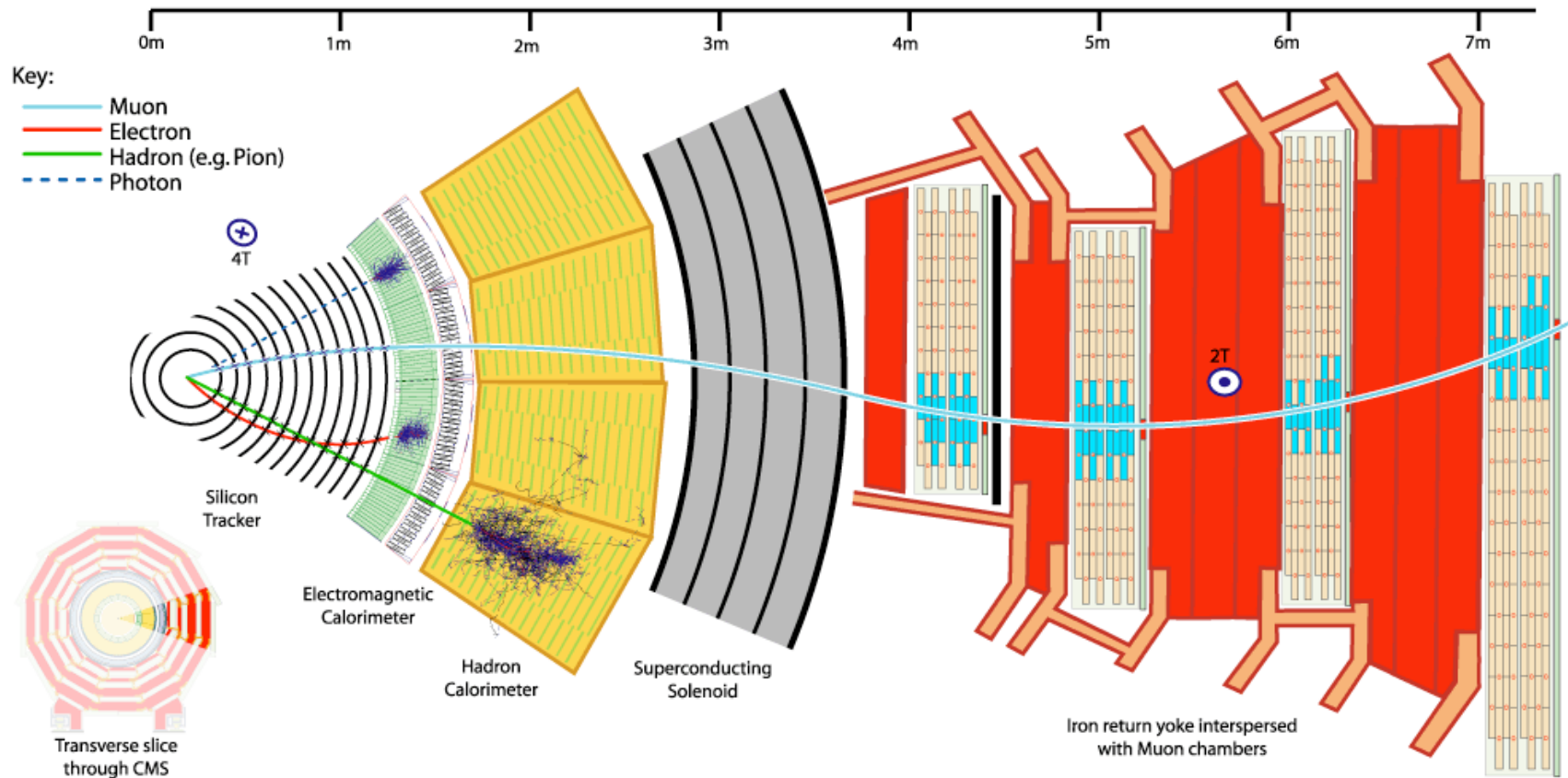
LHC: gli esperimenti

ATLAS and CMS Detectors

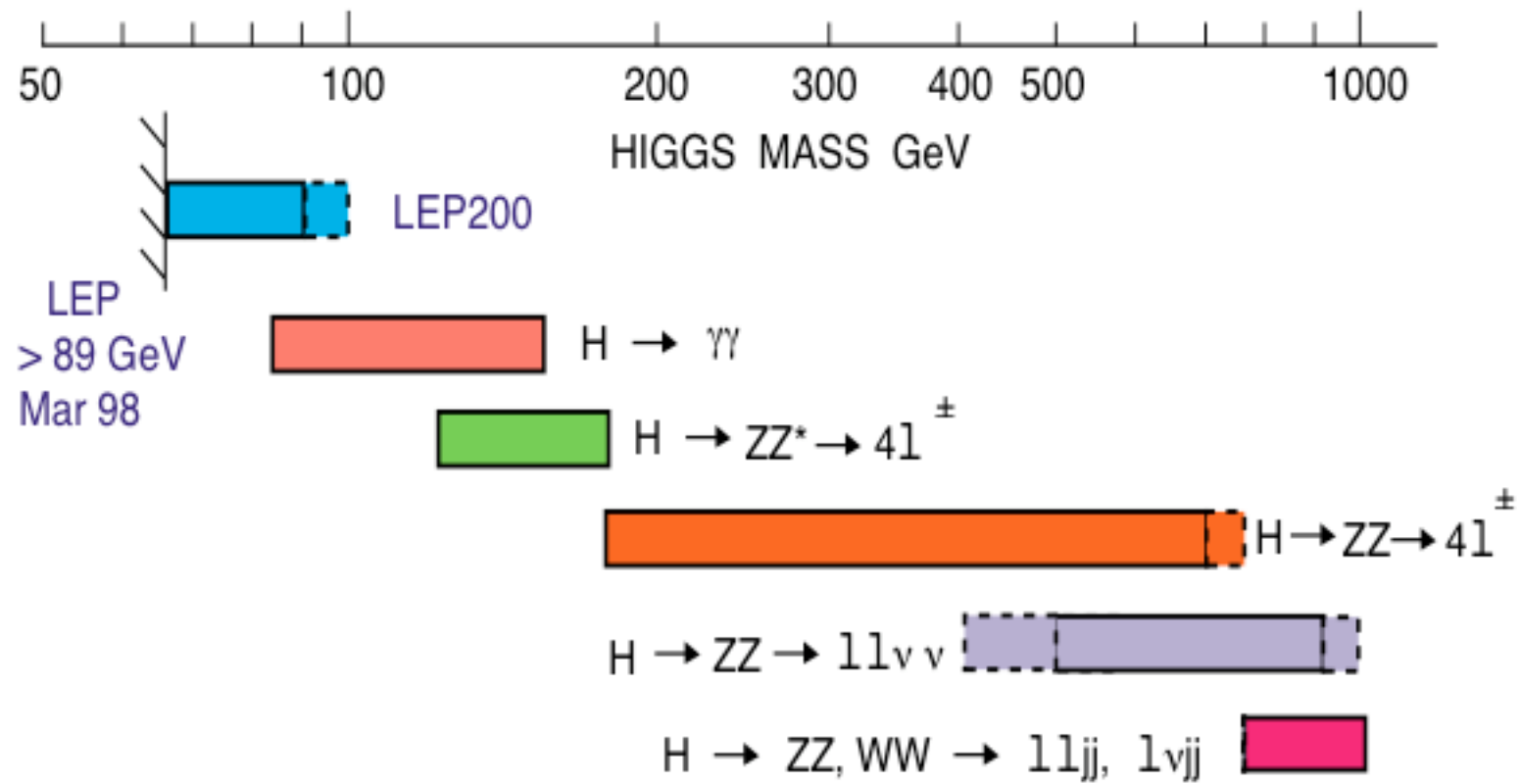


	Weight (tons)	Length (m)	Height (m)
ATLAS	7,000	42	22
CMS	12,500	21	15 ₂₇

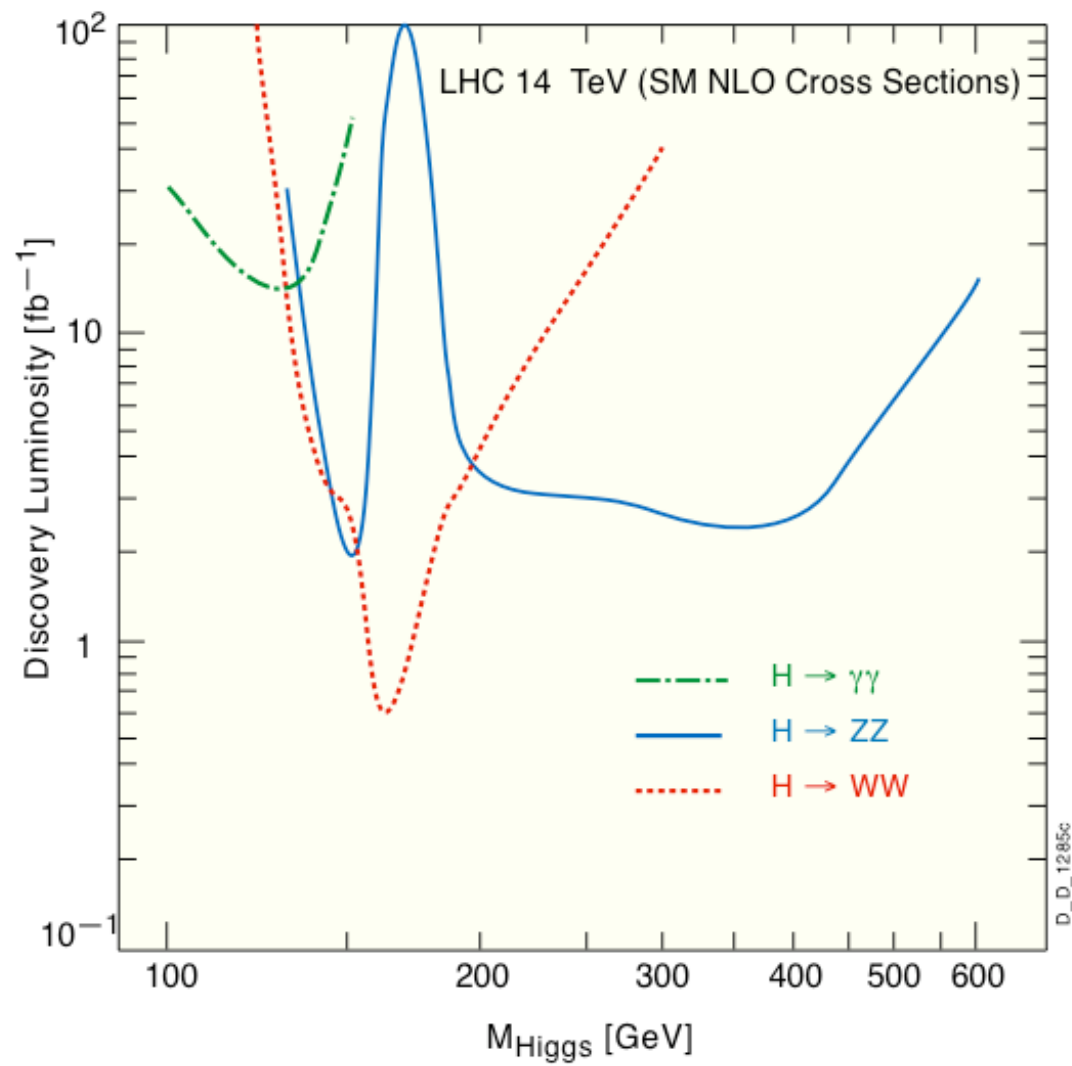
LHC: gli esperimenti



canali di scoperta

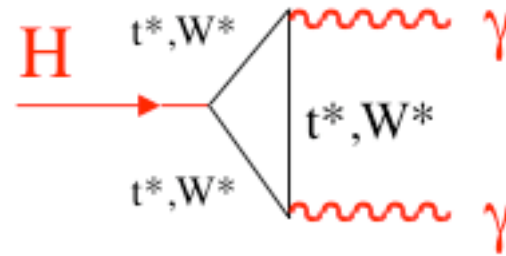


5 σ Higgs Signals (statistical errors only)

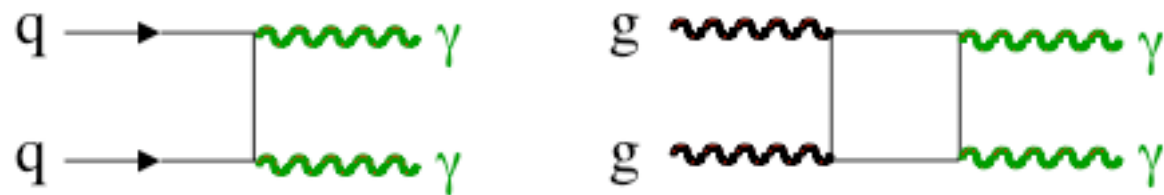


$$H \rightarrow \gamma\gamma$$

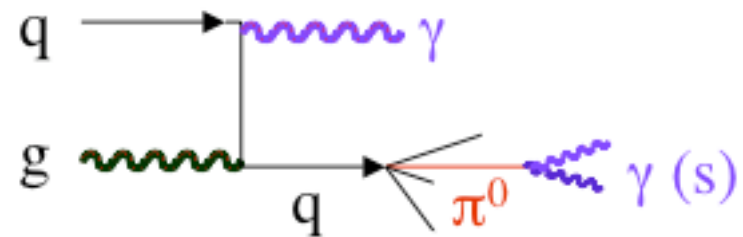
segnale



fondo irriducibile



fondo riducibile



$$H \rightarrow \gamma\gamma$$

significatività = segnale/ $\sqrt{\text{fondo}}$

fondo $\propto$ larghezza del segnale

$$\text{per } m_H < 150 \text{ GeV, } \Gamma_H / m_H \leq 10^{-3}$$

larghezza del segnale = risoluzione sperimentale

$$m_{\gamma\gamma}^2 = 2 E_1 E_2 (1 - \cos\theta_{\gamma\gamma})$$

$$1 - \cos\theta_{\gamma\gamma} = 2\sin^2\theta_{\gamma\gamma}/2$$

$$\frac{\sigma_m}{m} = \frac{1}{2} \left[\left(\frac{\sigma_1}{E_1} \right)^2 + \left(\frac{\sigma_2}{E_2} \right)^2 + \left(\frac{\sigma_\theta}{\text{tg}\theta/2} \right)^2 \right]^{1/2}$$

per $\theta = 90^\circ$

15 milliradiani in angolo sono come 1% in energia

risoluzione di un calorimetro

risoluzione di un calorimetro
$$\frac{\sigma(E)}{E} = \frac{a}{\sqrt{E}} \oplus \frac{b}{E} \oplus c$$

- a. termine stocastico, fluttuazioni poissoniane
calorimetri omogenei vs campionamento
- b. termine di rumore, indipendente dall'energia
rumore elettronico (tempo vs capacità)
a LHC anche rumore fisico (pile up)
- c. termine costante, dovuto a varie instabilità, prima
tra tutte l'intercalibrazione

pesi relativi dei termini

calorimetro campionamento $\rightarrow$ omogeneo

$$a \sim 10\% \rightarrow 3\%$$

fissiamo $E = 100 \text{ GeV}$

$$a/\sqrt{E} = 1\%, \quad b = 1 \text{ GeV}, \quad c = 1\% \quad \Rightarrow \sigma = 1.7\%$$

$$a/\sqrt{E} = 0.3\%, \quad b = 300 \text{ MeV}, \quad c = 0.3\% \quad \Rightarrow \sigma = 0.5\%$$

caratteristiche geometriche dei calorimetri

lunghezza di radiazione

$$X_0 \approx \frac{A}{Z^2}$$

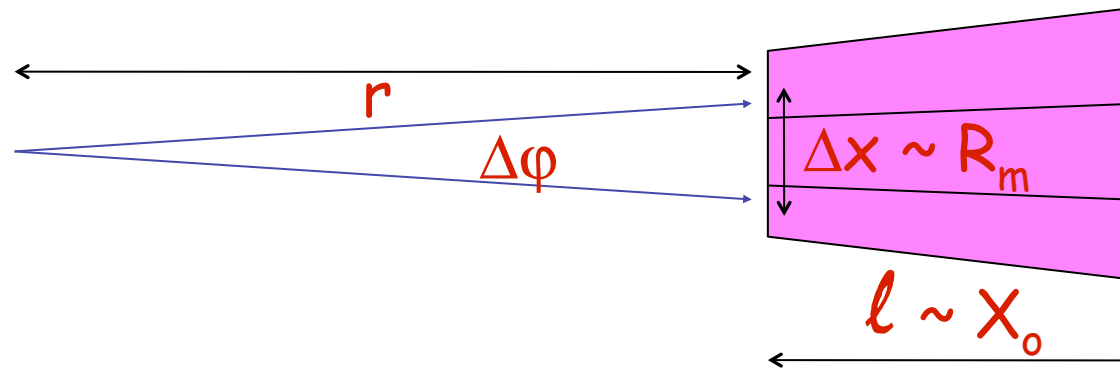
in lunghezze di radiazione, le dimensioni dello sciame crescono logaritmicamente con l'energia
nella regione di 100 GeV, $25 X_0$

raggio di Molière

$$R_M \propto \frac{X_0}{E_C} \propto \frac{A}{Z} (Z \gg 1)$$

dimensioni

per una data separazione angolare $\Delta\varphi$:



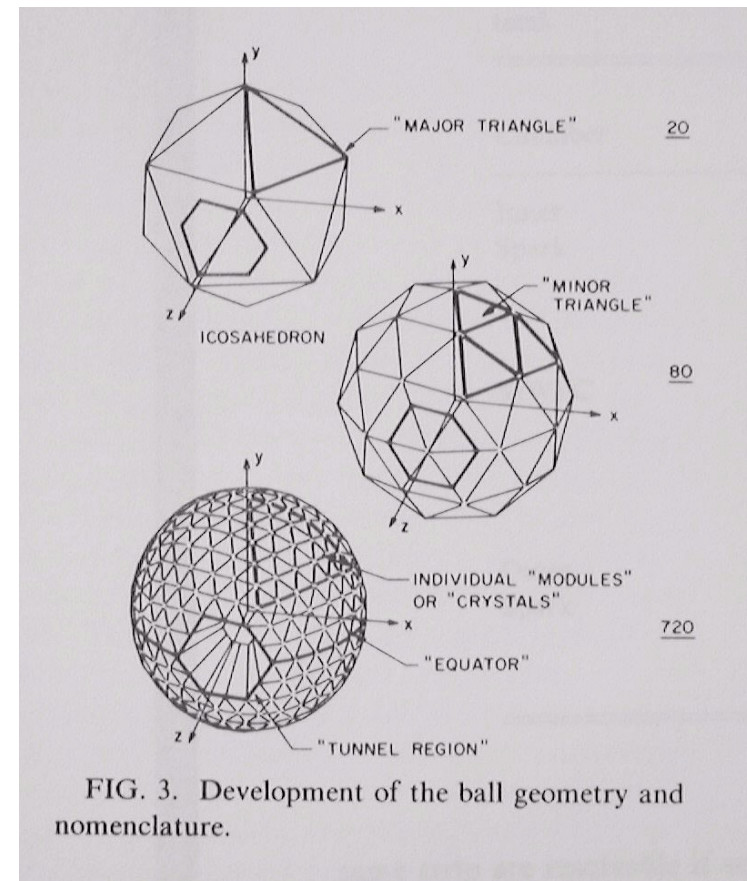
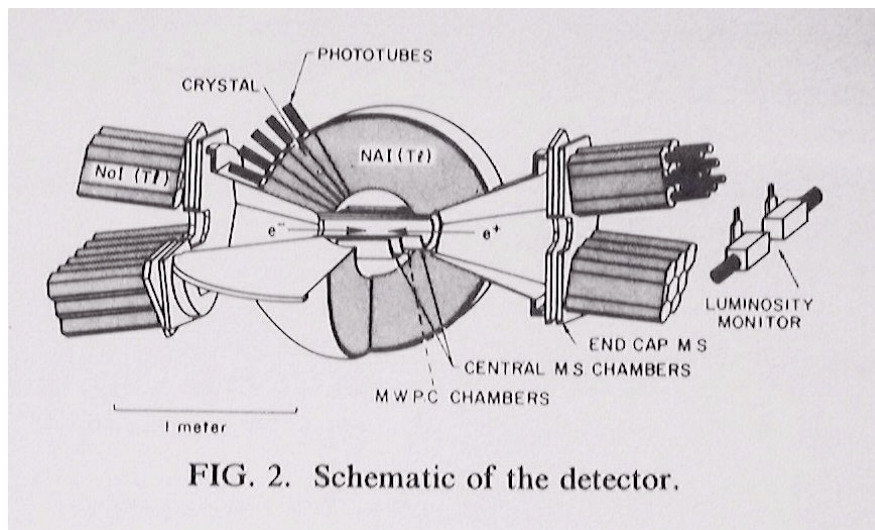
$$\Delta x = r\Delta\varphi \Rightarrow r \propto R_m/\Delta\varphi$$

$$V_{\text{calor.}} \sim r^2 X_0 \sim R_m^2 X_0 / \Delta\varphi$$

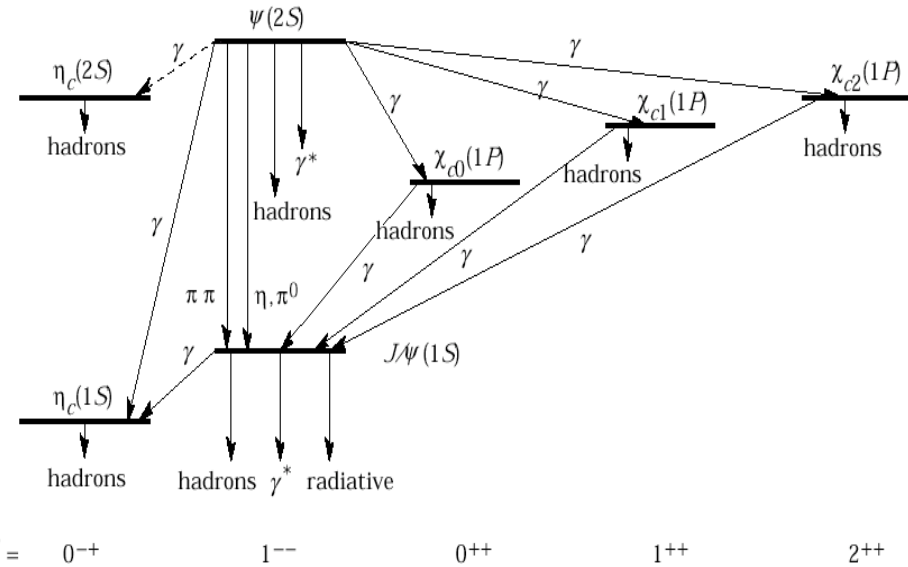
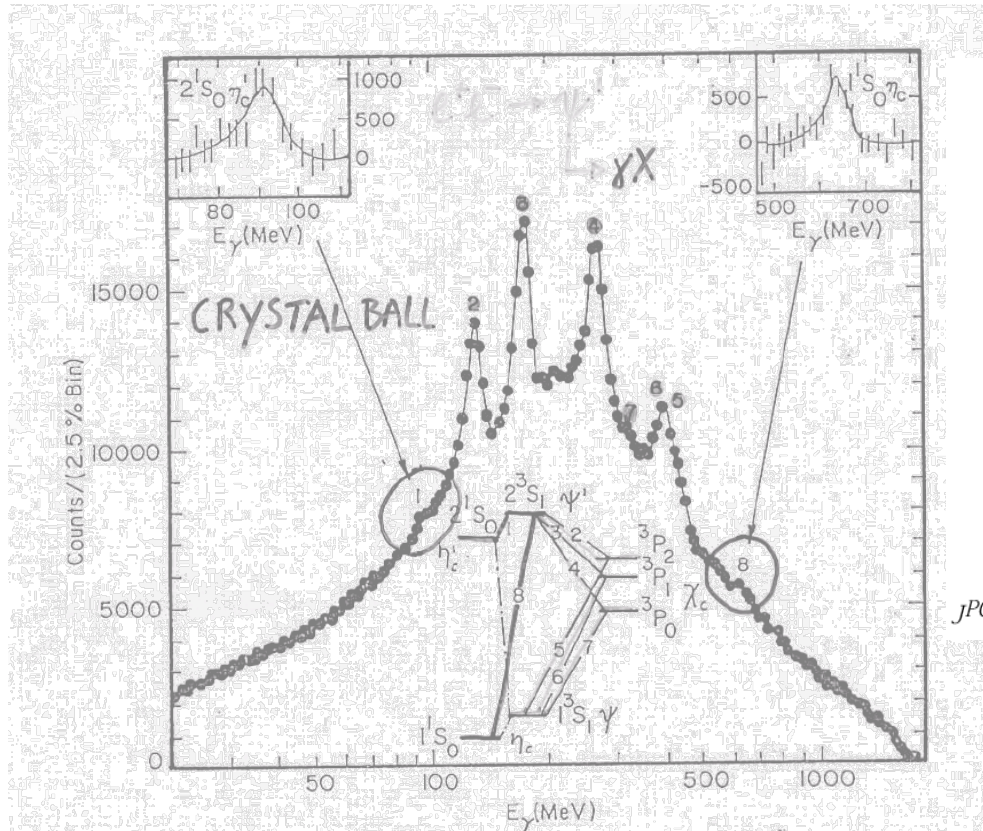
piccolo $\Delta\varphi \Rightarrow$ grandi dimensioni (e costi)

The Crystal Ball

672 + 60 NaI crystals
pioneering most of the
features of barrel
calorimeters

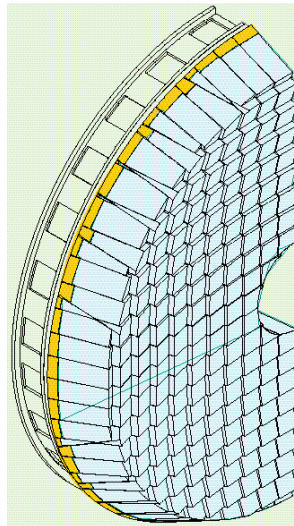
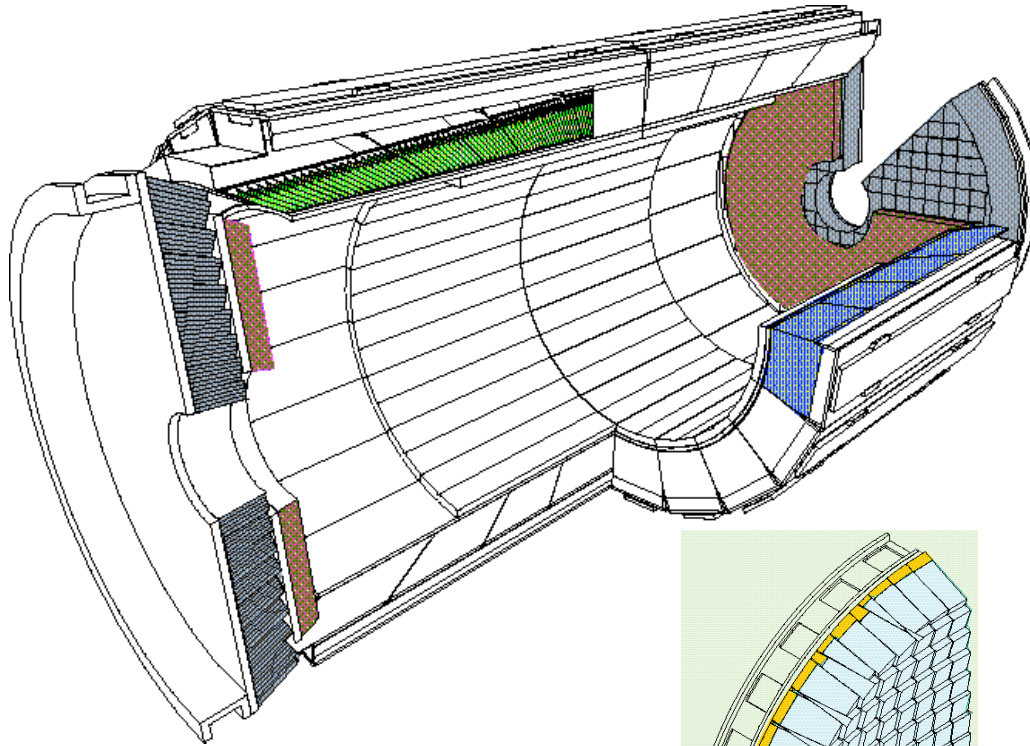


Crystal Ball results



$$e^+e^- \rightarrow \Psi' \rightarrow \gamma X$$

calorimetro a cristalli di CMS



- 75000 PWO crystals
- APD read out (gain 50)
- E_γ range 1 GeV $\rightarrow$ 1 TeV

PWO: PbWO_4
about 10 m³, 80 ton

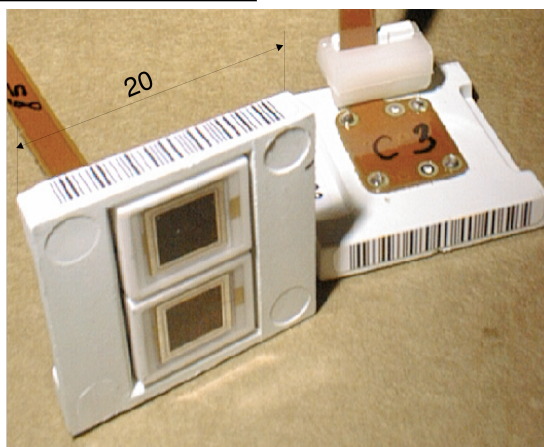
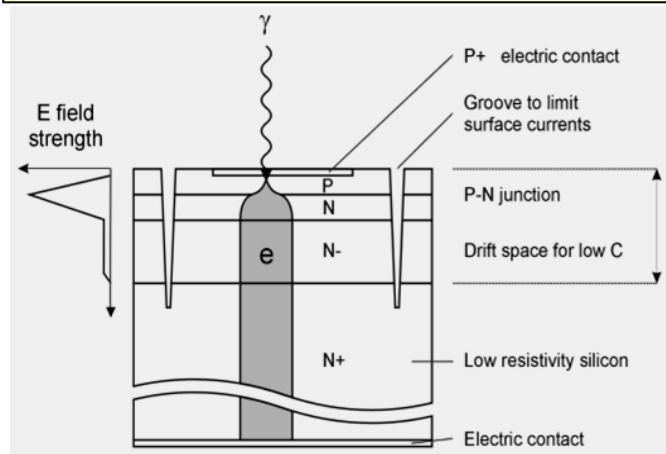
Parameter	Barrel	Endcap
η coverage	$ \eta < 1.48$	$1.48 < \eta < 3.0$
Granularity ($\Delta\eta \times \Delta\phi$)	0.0175×0.0175	varies in η
Crystal Dims. (cm ³)	$2.18 \times 2.18 \times 23$	$2.85 \times 2.85 \times 22$
Depth in X_0	25.8	24.7 (+3 X_0)
No. of crystals	61,200	14,950
Crystal Volume (m ³)	8.14	3.04
Photodetector	APDs	VPTs
Modularity	36 supermodules	4 Dees

photodetectors

Barrel: Avalanche photodiodes (APD)

Two 5x5 mm² APDs/crystal

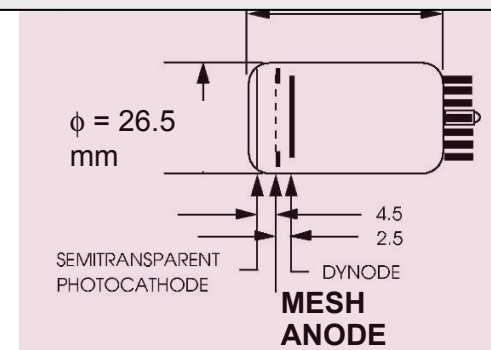
- Gain: 50
- QE: ~75% at 420 nm
- Temperature dependence: -2.4%/°C
- Delivery complete



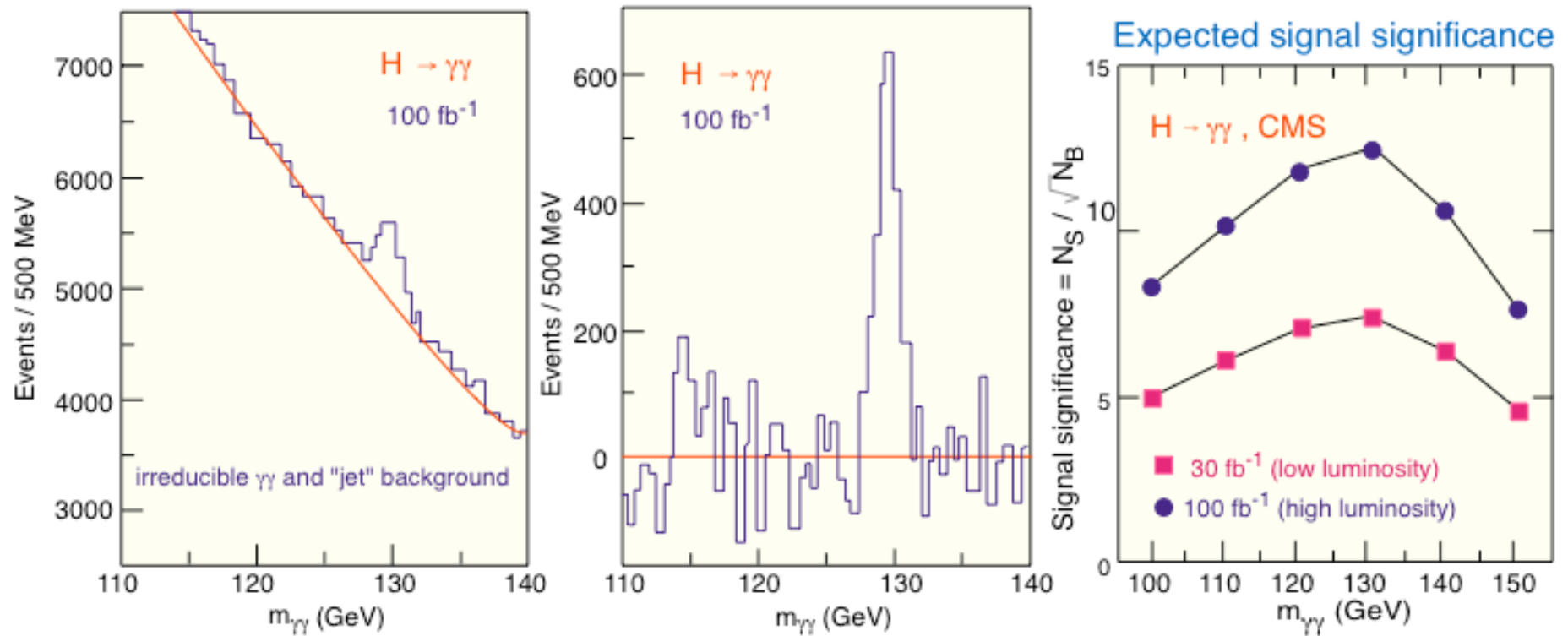
Endcaps: Vacuum phototriodes (VPT)

More radiation resistant than Si diodes

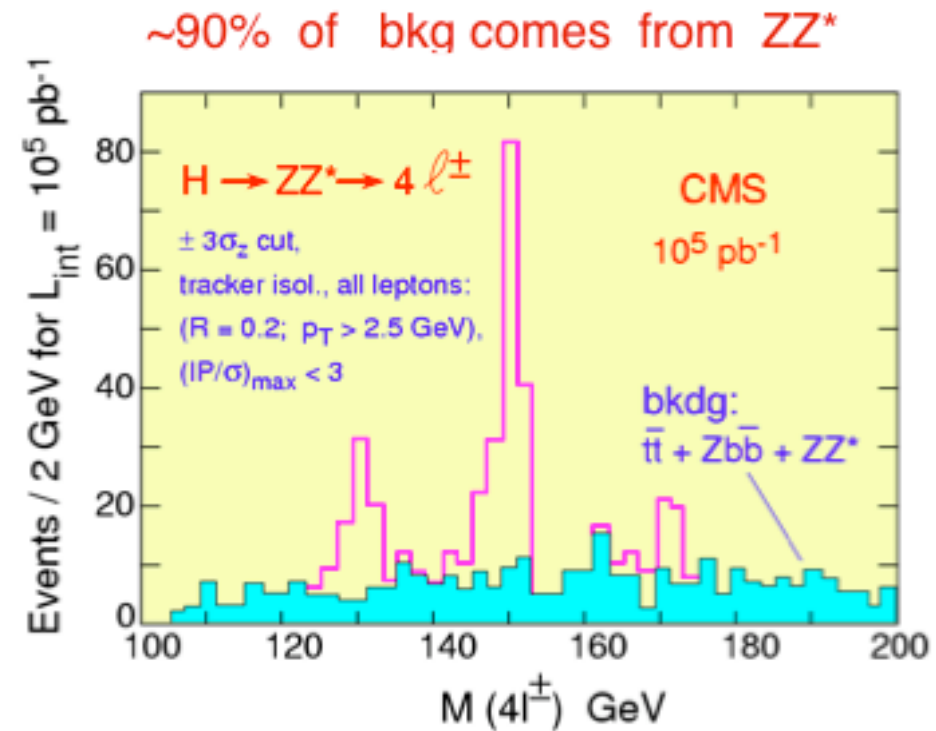
- Active area ~ 280 mm²/crystal
- Gain 8 -10 (B=4T) Q.E.~20% at 420nm
- Delivery ~80%



$H_{SM} \rightarrow \gamma\gamma$ in CMS PbWO₄ calorimeter



$H \rightarrow ZZ^* \rightarrow 4 \text{ leptoni}$



1 experiment, 30 fb^{-1}

$m_H \text{ (GeV)}$	120	130	150	170	180
S	4	11	27	8	20
S/B	2.7	4.4	9	2.7	6.7
S/ $\sqrt{B}$ 30 fb^{-1} (Poisson)	2.4	4.8	15.5	3.2	11.2
S/ $\sqrt{B}$ 100 fb^{-1} (Poisson)	3.8	10.3	22.6	5.3	16.7

?

$$H \rightarrow WW \rightarrow l\nu l\nu$$

Importante intorno a 170 GeV dove ZZ è depresso

$$\sigma \times BR \approx 700 \text{ fb}$$

misura di conteggio, non ci sono picchi di massa invariante

fondi:

- | | |
|---|---------------------------------|
| - $WW^{(*)}$ (irreducible) | $\sigma \approx 5 \text{ pb}$ |
| - $WZ \rightarrow l\nu ll, ZZ \rightarrow ll\nu\nu$ | $\sigma \approx 1 \text{ pb}$ |
| - $Wt, Wbb \rightarrow 2l+X$ | $\sigma \approx 120 \text{ pb}$ |

tagli tipici:

leptoni isolati di segno opposto, alto pt

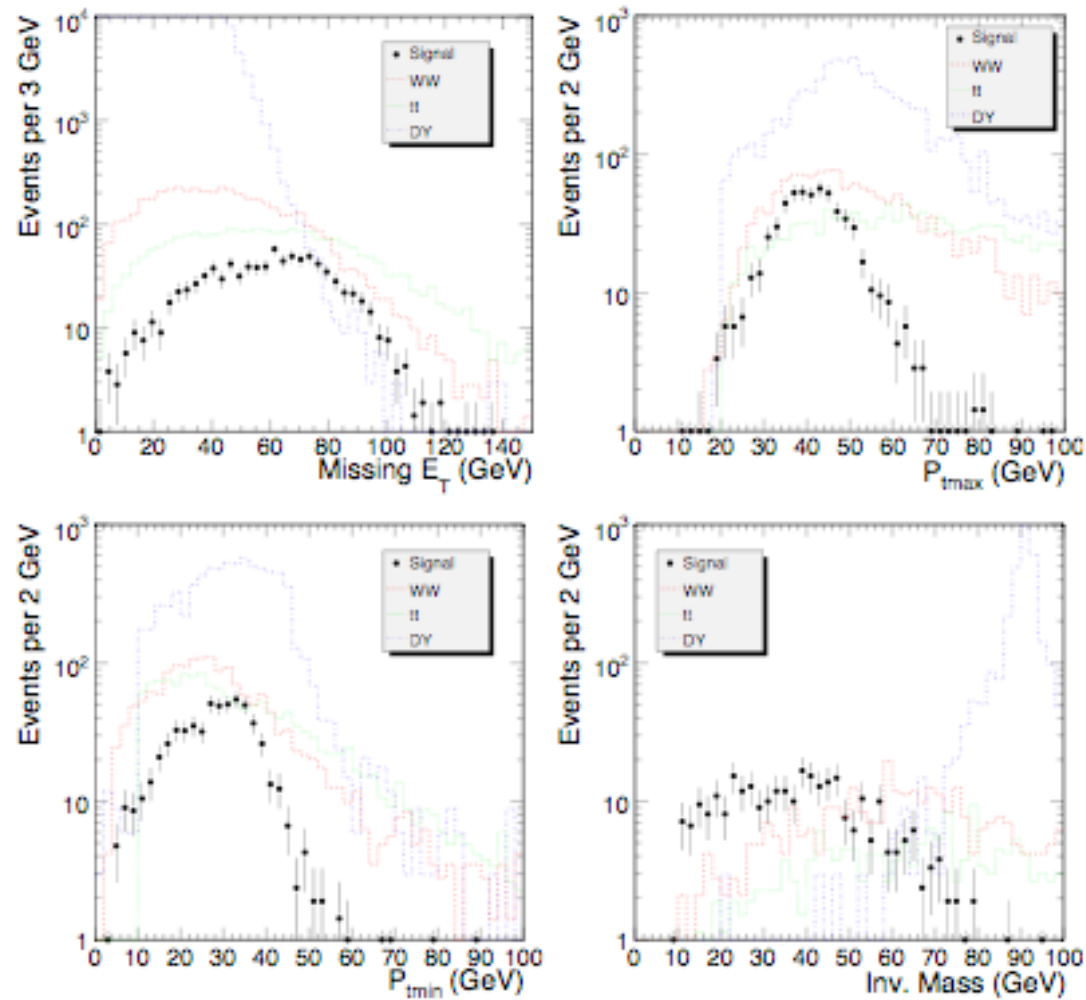
$M_{ll} < 80 \text{ GeV}$ (contro WZ, ZZ)

nessun jet energetico

missing energy

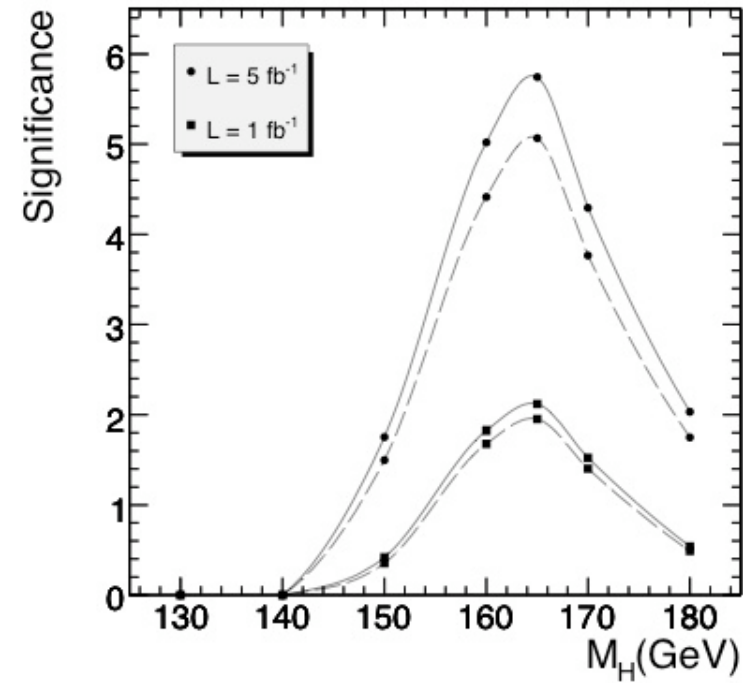
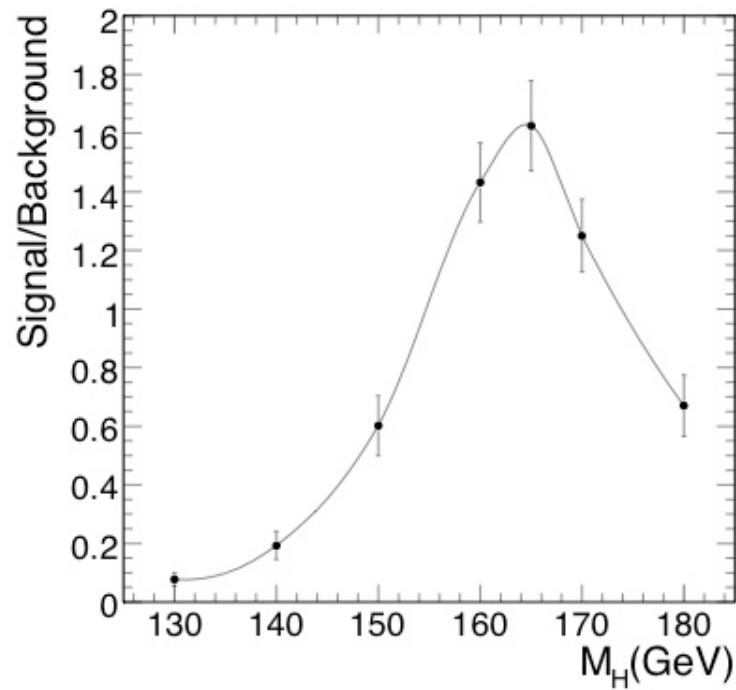
$$H \rightarrow WW \rightarrow \mu\nu\mu\nu$$

la conoscenza del fondo è
essenziale per la misura



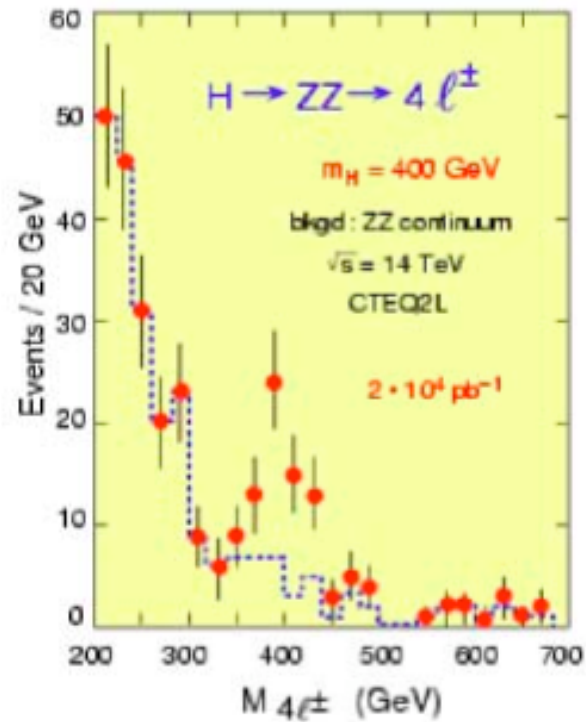
$H \rightarrow WW \rightarrow \mu\nu\mu\nu$

scoperta in CMS

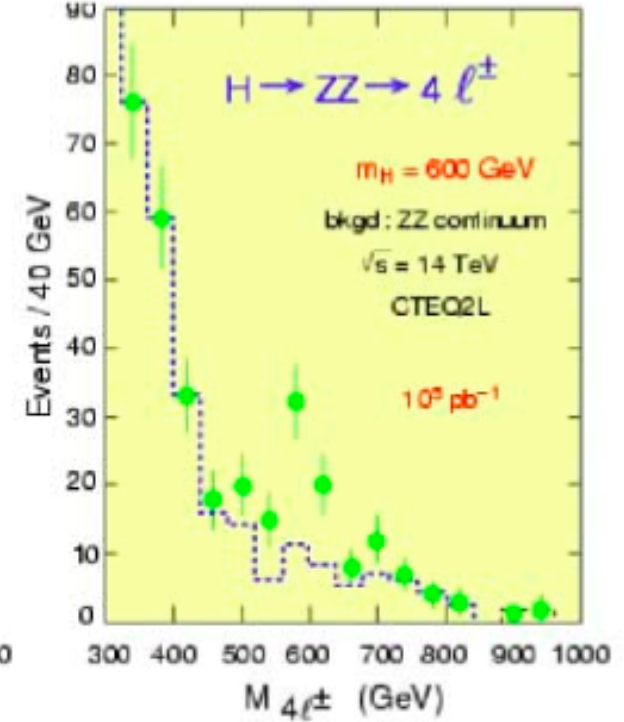
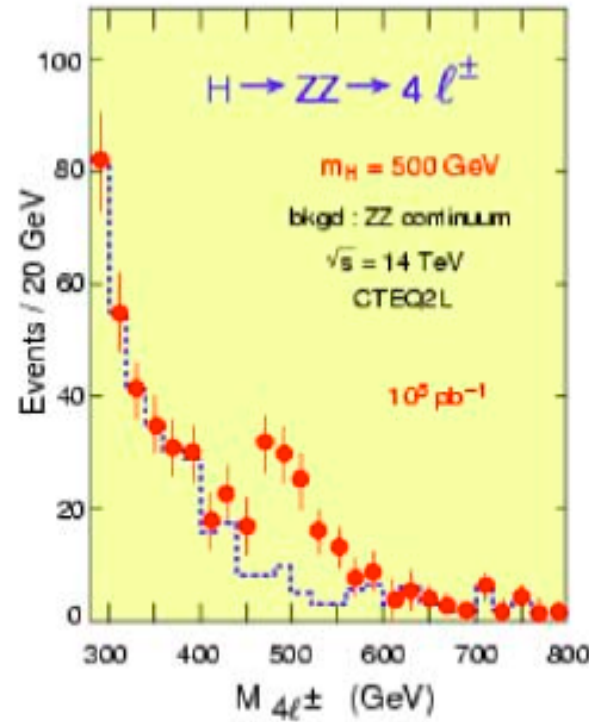


$H \rightarrow ZZ \rightarrow 4\ell$: Signal - High m_H

20 fb⁻¹



100 fb⁻¹



$m_H \sim 1 \text{ TeV} : H \rightarrow ZZ \rightarrow \ell\ell \nu\nu$

As m_H increases further, Γ_H increases and σ falls $\Rightarrow$ turn to higher BR modes

ATLAS : 100 fb⁻¹

Signal: Jacobian peak in E_T^{miss} in events with Z + large E_T^{miss}

Typical Cuts

2 isol ℓ : $p_T^\ell > 20 \text{ GeV}$, $p_T(Z) > 60 \text{ GeV}$

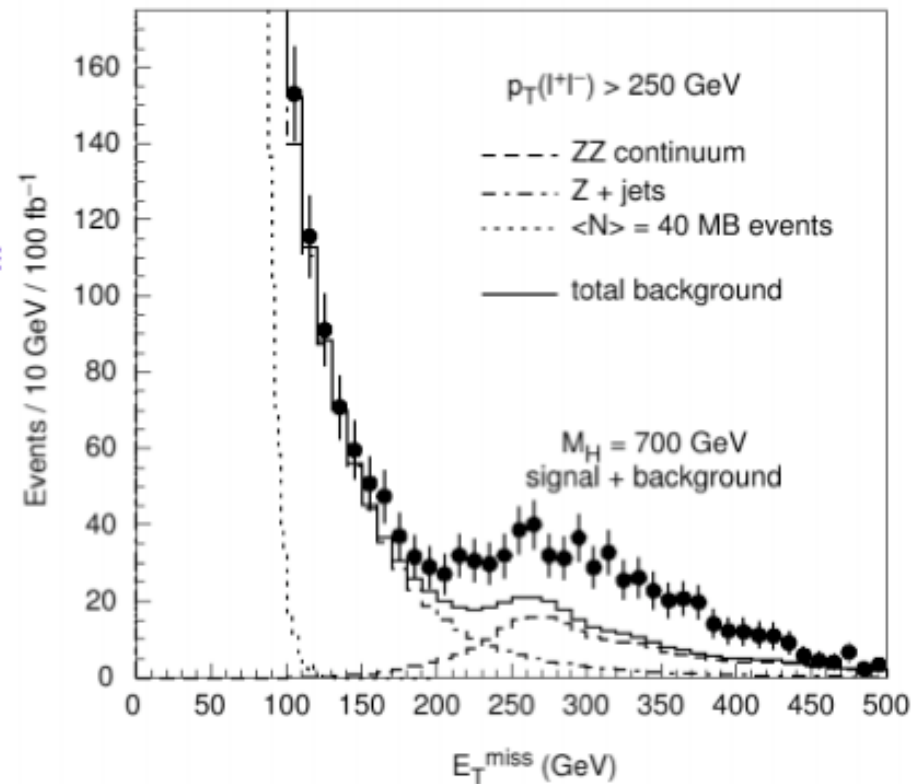
$E_T^{\text{miss}} > 100 \text{ GeV}$

1 tagging jet $E_T^j > 1 \text{ TeV}$, in $|\eta| > 2.5$

Backgrounds: irreducible – ZZ,
reducible – Z + jets

Z+jets: parton level simulation

Forward jets can be used



$m_H \sim 1 \text{ TeV} : H \rightarrow \ell\ell, \ell\nu, jj$

Larger statistics if use decay modes $H \rightarrow WW \rightarrow \ell\nu + \text{jets}$ and $H \rightarrow ZZ \rightarrow \ell\ell + \text{jets}$
BUT need to reduce enormous W+jets and Z+jets background

Consider WW final state (ZZ similar)

Find jets in $\Delta R = 0.2$ with $E_T > 50 \text{ GeV}$, reconstruct $W \rightarrow jj$

$E_T(jj) > 150 \text{ GeV}$, $m_W - 2\sigma < m_{jj} < m_W + 2\sigma$

$p_T(\ell) > 50 \text{ GeV}$, $E_T^{\text{miss}} > 50 \text{ GeV}$

$p_T(W) > 200 \text{ GeV}$

Backgrounds from W+jets and $tt \rightarrow WbWb$ roughly equal but still large

$\varepsilon(W \rightarrow \text{jets}) \sim 60\%$,
 $\sigma(m_W) \sim 7 \text{ GeV}$

Use **forward tagging jets from $qq \rightarrow Hqq$**

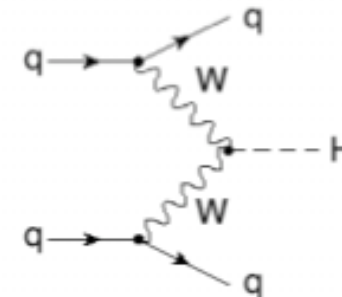
$E_T^{\text{tag}} > 15 \text{ GeV}$, $E > 600 \text{ GeV}$ with $2 < |\eta| < 5$

$E_T^{\text{cell}} > 3 \text{ GeV}$

Low L : no additional jets with $E_T > 20 \text{ GeV}$ in $|\eta| < 2$

Fake tag prob. from MinBias

Single jet - 4.6%, double jet - 0.07%



$m_H \sim 1 \text{ TeV} : H \rightarrow ZZ \rightarrow \ell\ell jj,$

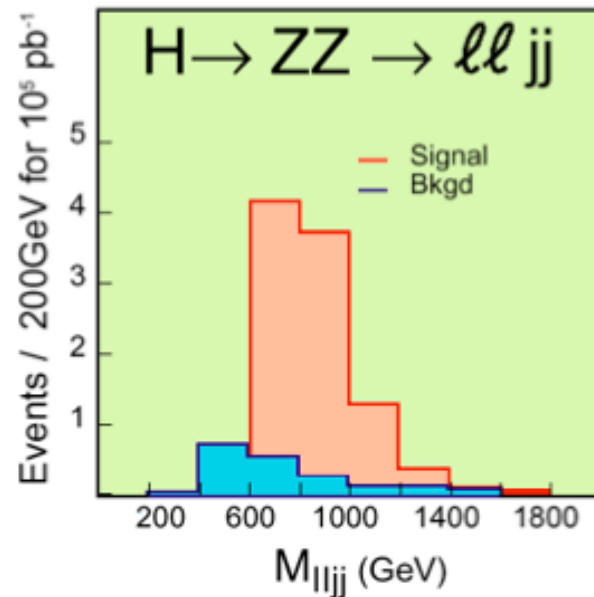
Typical Cuts

2 isol ℓ : $p_T^\ell > 50 \text{ GeV}$, $p_T(Z) > 150 \text{ GeV}$

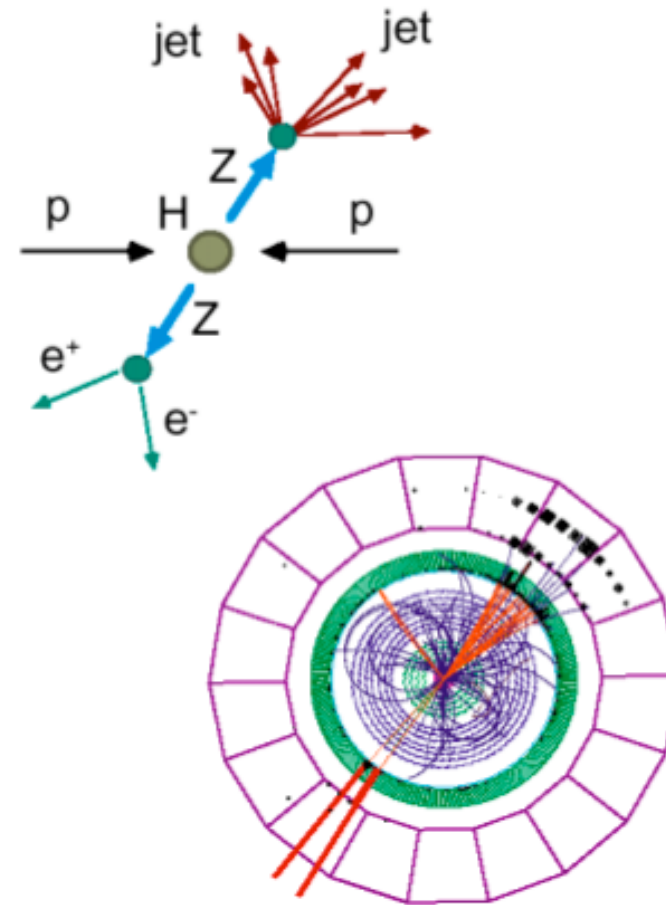
$M_{\ell\ell} = m_Z - 10 \text{ GeV}$

i.e. 2 central jets $E_T^j > 40 \text{ GeV}$ in $|\eta| < 3$

2 tagging jets $E_T^j > 400 \text{ GeV}$, $E_T^j > 20 \text{ GeV}$



CMS



$m_H \sim 1 \text{ TeV} : H \rightarrow WW \rightarrow \ell \nu jj$

Typical Cuts

1 isol $\ell : p_T^\ell > 30 \text{ GeV}$ in $|\eta| < 2.5$

$E_{T^{\text{miss}}} > 100 \text{ GeV}$

i.e. 2 central jets $E_T^j > 40 \text{ GeV}$ in $|\eta| < 3$

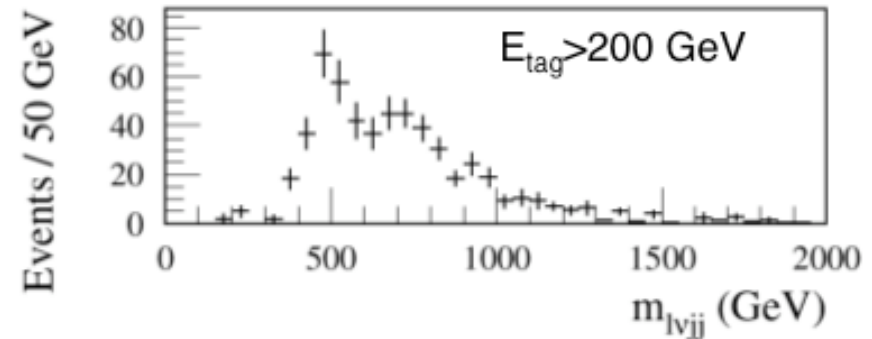
2 tagging jets $E_T^j > 400 \text{ GeV}$, $E_T^j > 20 \text{ GeV}$

$p_T^W > 100 \text{ GeV}$ in $\ell \nu$ and jj modes

ATLAS

$m_H = 1 \text{ TeV}, 30 \text{ fb}^{-1}$

Process	Central cuts	Jet veto	Double tag
$H \rightarrow WW$	222	143	73
$t\bar{t}$	38300	2800	85
$W + jets$	15700	6900	62



$m_H = 800 \text{ GeV}, 30 \text{ fb}^{-1}$

