

WEAKLY-INTERACTING MASSIVE PARTICLES AND WHERE TO FIND THEM

a minimal journey through the forest of dark matter searches

From the conclusions of a keynote talk
at a US conference in 2015:

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we'll try to cover:

- what is Dark Matter
- which ideas make sense to look for it
- how far we are from answering

Why we look for WIMPs

naive astronomy: measure **mass** by observing **light**

$$\frac{M_{\odot}}{L_{\odot}} = 5.1 \cdot 10^3 \text{ kg/W}$$

1930s: this "luminous mass" does not equal gravitational mass

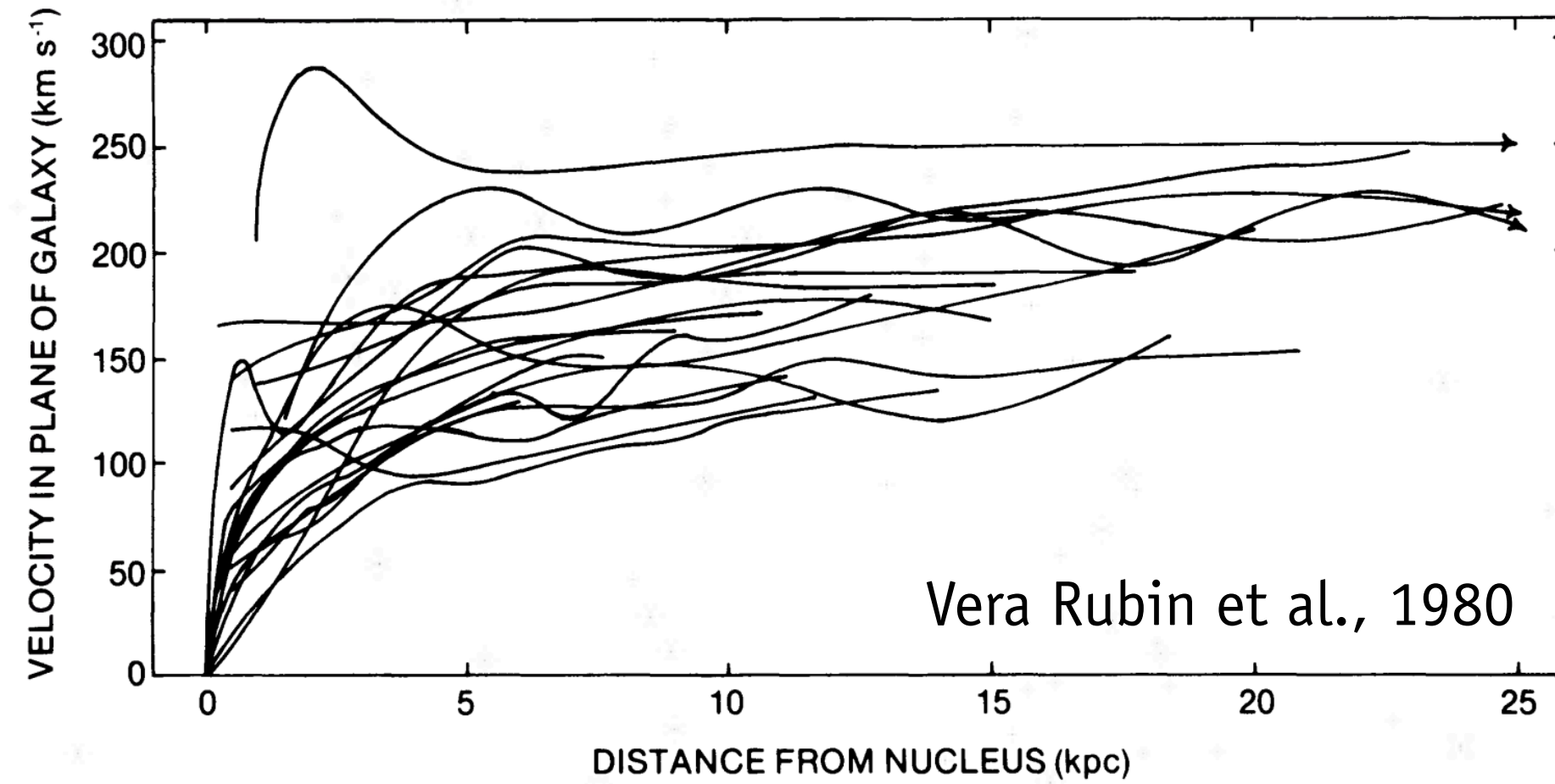
look at motion of stars in galactic plane, or galaxies in Coma cluster

$$F(r) = G \frac{mM(r)}{r^2} = m \frac{v^2}{r} \implies v(r) = \sqrt{\frac{GM(r)}{r}} \propto 1/\sqrt{r}$$

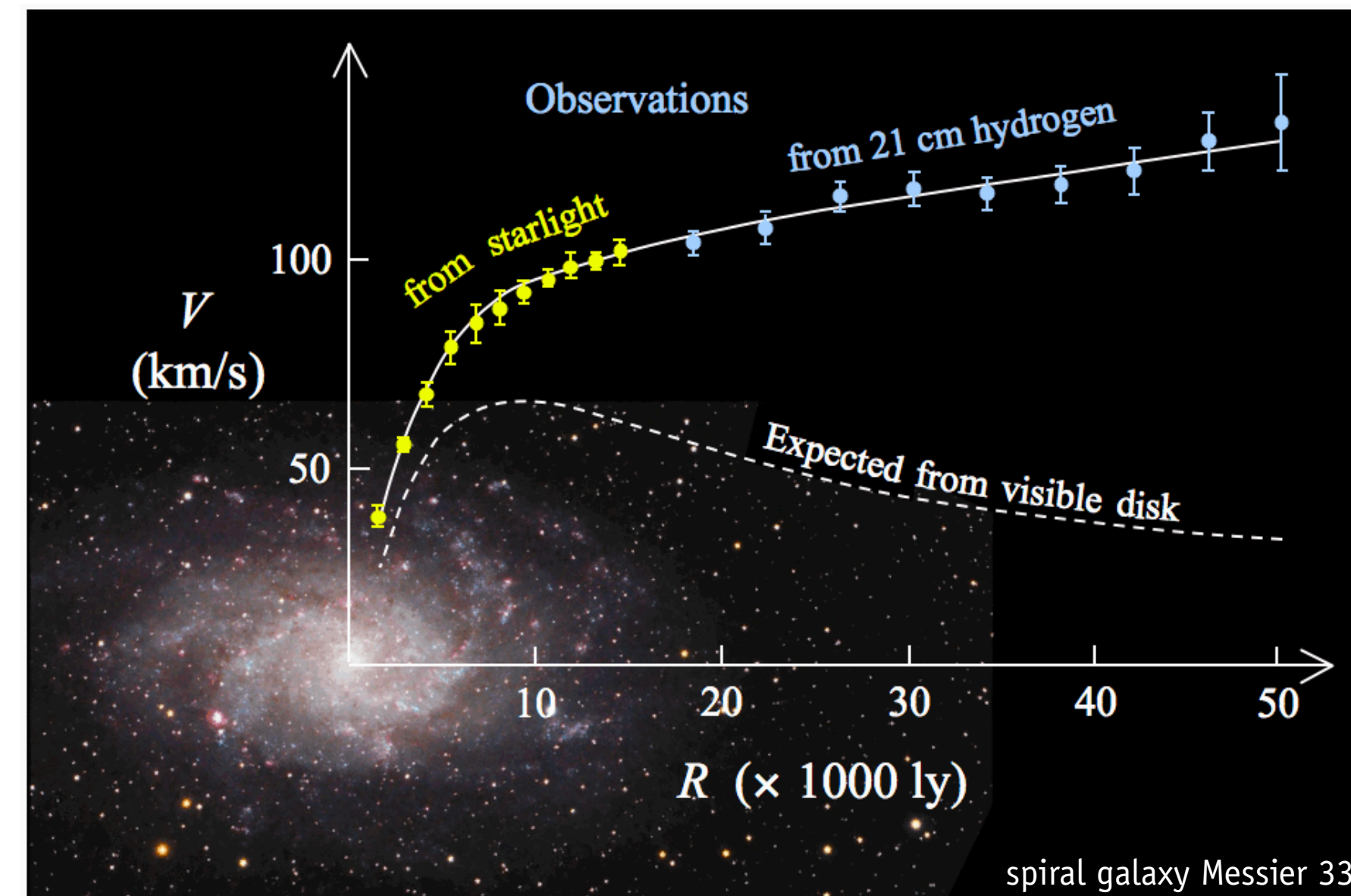
from emitted light (and assumed M/L ratio)

from redshift measurements

1970s: systematic studies on galaxies' massive, invisible halo



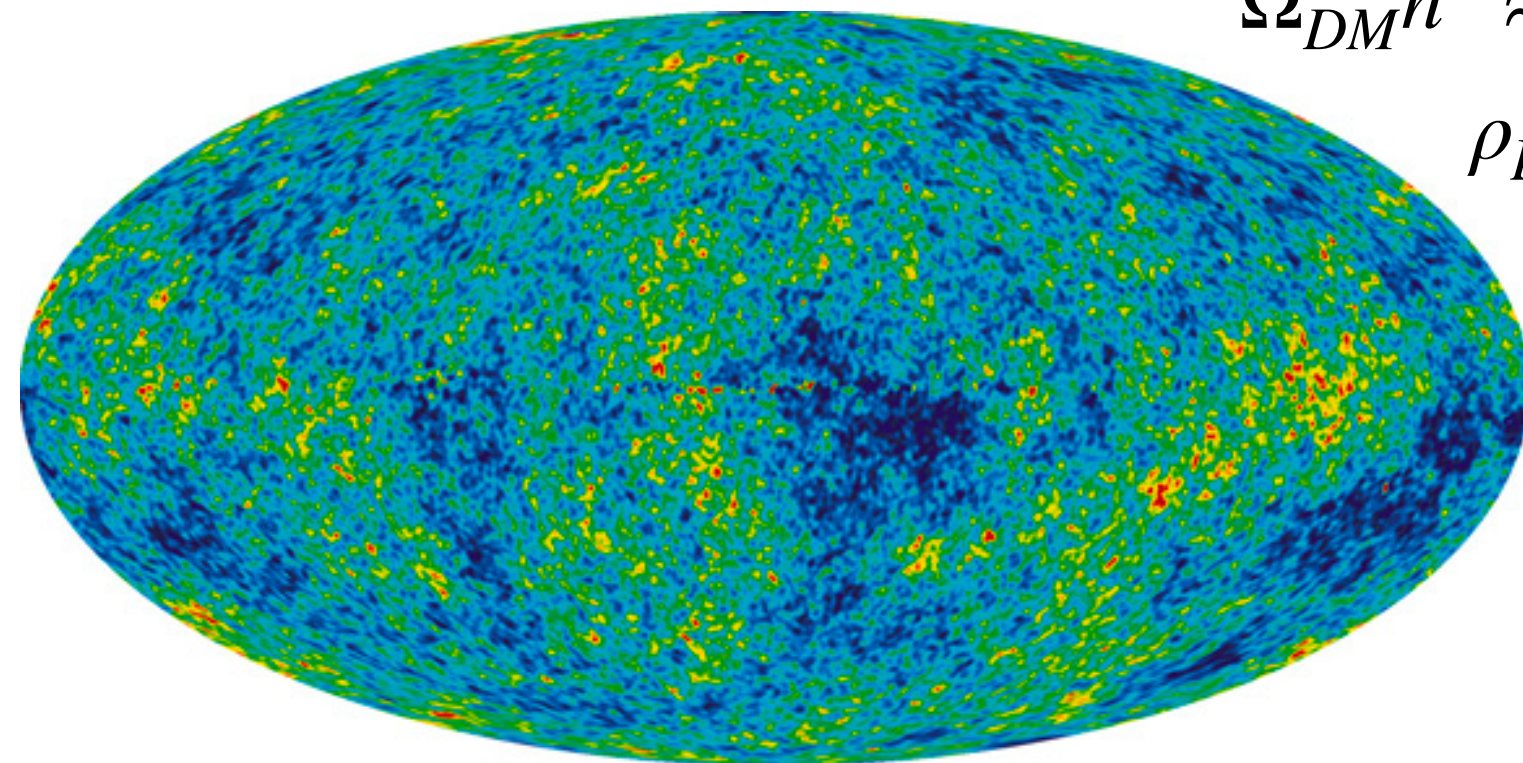
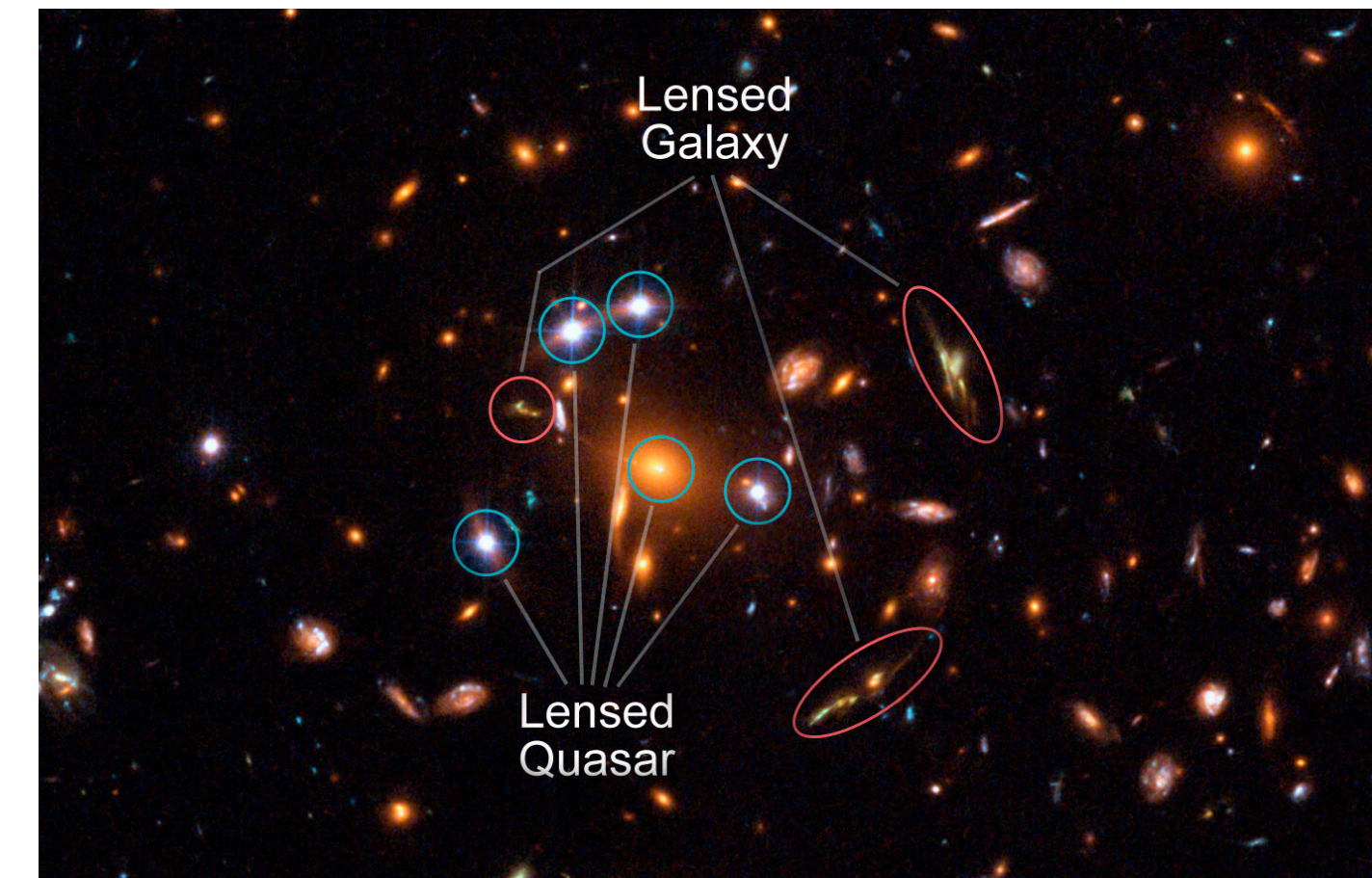
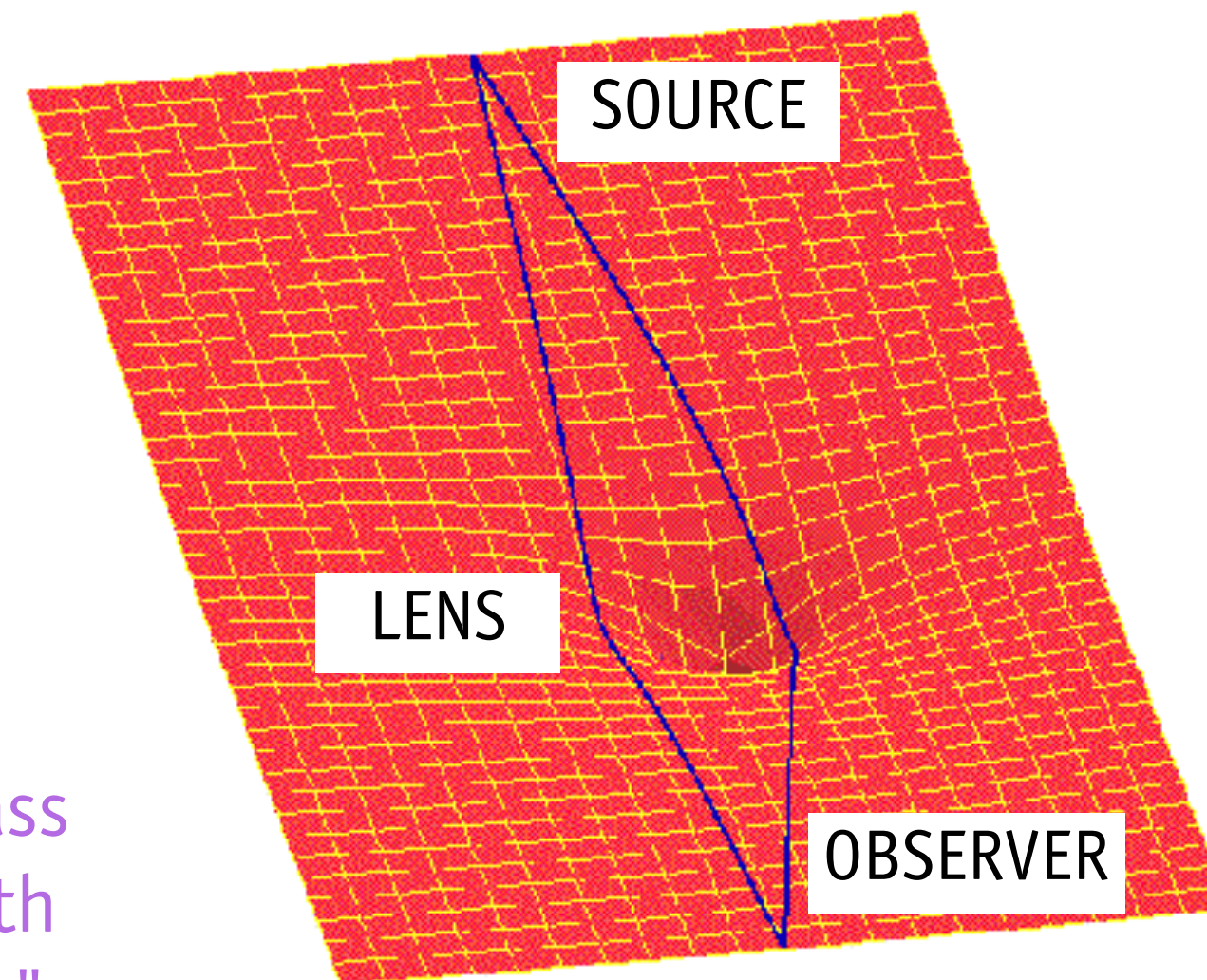
$$\rho_{DM}(r) \propto 1/r^2$$



1980+: further evidence from gravitational lensing & CMB

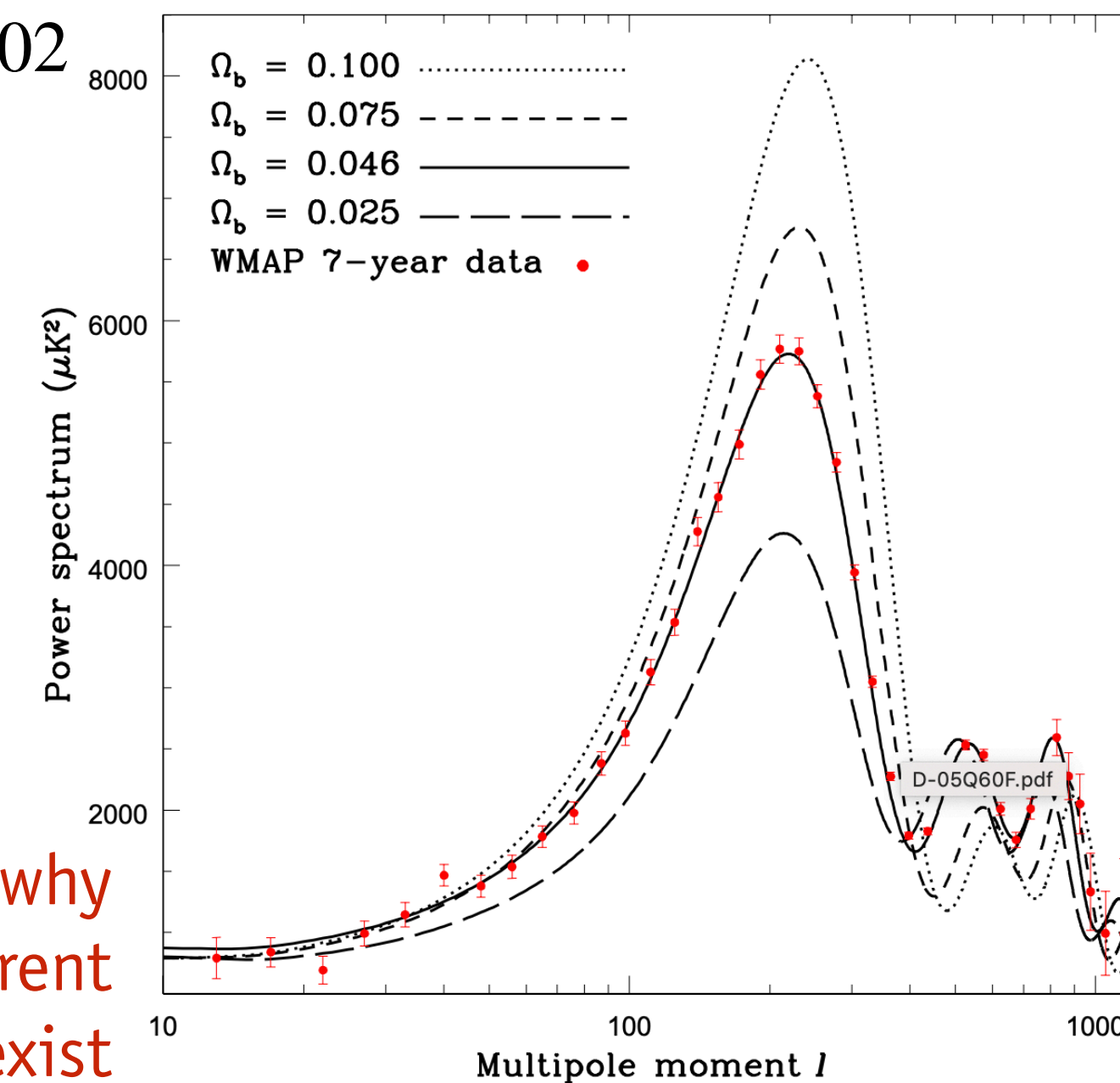
$$\theta_E = \sqrt{\frac{4GM}{c^2} \frac{d_{LS}}{d_L d_S}}$$

inferred lens mass
inconsistent with
"luminous mass"



$$\Omega_{DM} h^2 \approx 0.12 > \Omega_m h^2 \approx 0.02$$

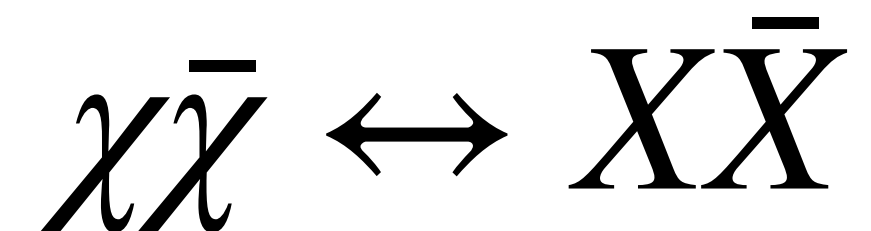
$$\rho_{DM} \approx 0.3 \text{ GeV/cm}^3$$



dark matter required to explain why
CMB fluctuations are $1:10^{-5}$ yet current
structures exist

WHERE DOES DARK MATTER COME FROM?

early universe: thermal equilibrium (same rate of interaction and annihilation)



as universe expanded:

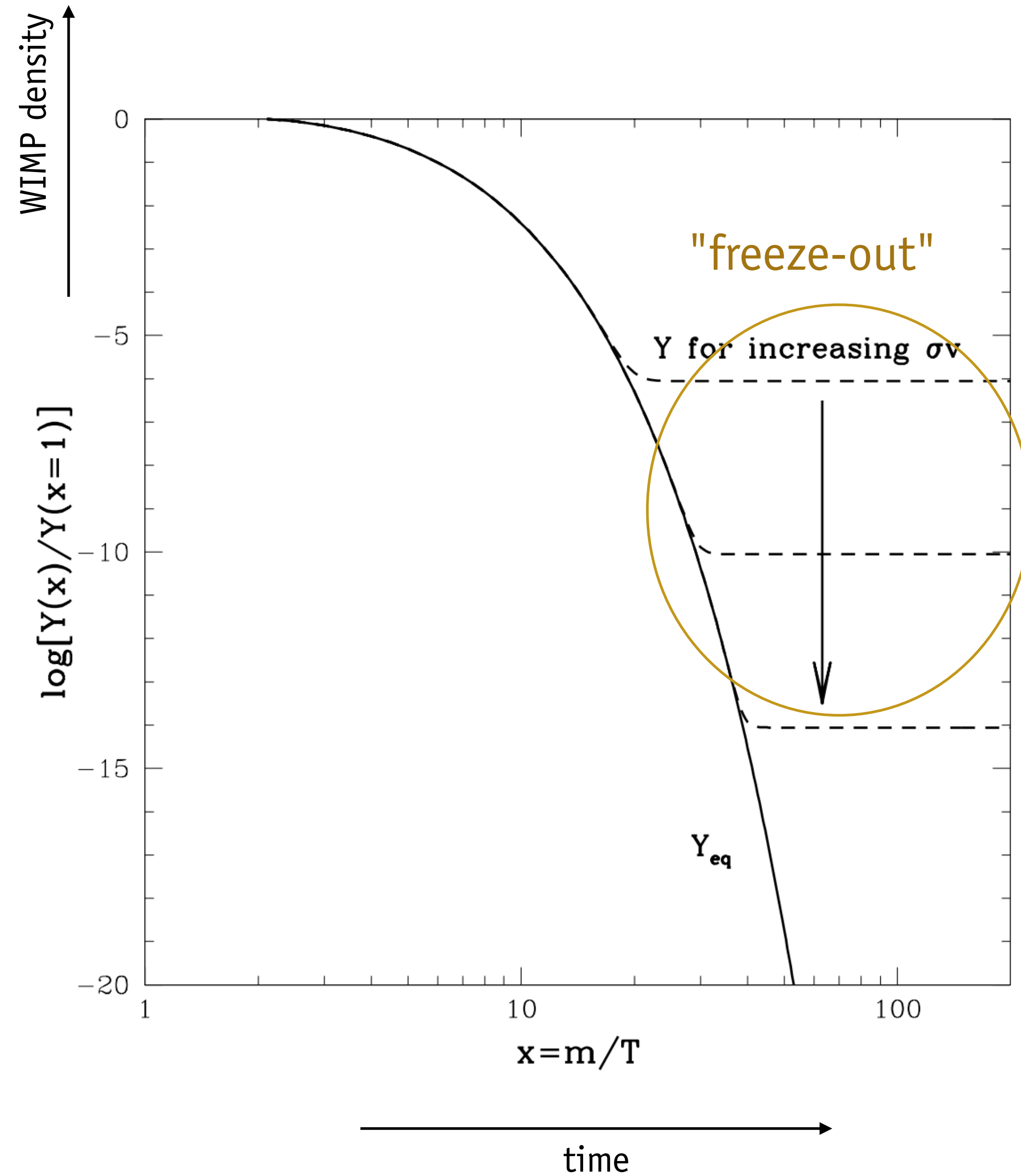
- 1) particles lost kinetic energy to produce heavier particles
- 2) particles got diluted, hence interaction rate diminished

WHERE DOES DARK MATTER COME FROM?

towards equilibrium: the Boltzmann equation

$$\frac{dn}{dt} = -3Hn - \langle \sigma_{\text{ann}} v \rangle (n^2 - n_{\text{eq}}^2)$$

particle number density
universe expands
thermal average of total annihilation cross-section



strong evidence of dark matter across many scales: how should a **particle candidate** look like?

$$\Omega_{DM}h^2 = \frac{m_{DM}n}{\rho_c} \approx \frac{3 \times 10^{-27} \text{cm}^3 \text{s}^{-1}}{\langle \sigma_{\text{ann}} v \rangle} \sim 0.12$$

↓
0.3 GeV/cm³

$$\langle \sigma_{\text{ann}} v \rangle \approx \alpha_{\text{EM}} / m_{DM}^2$$

if DM candidate interacts with a "weak" interaction, one gets correct order of magnitude of relic density: **WIMP miracle?**

-> need a new, neutral particle beyond the Standard Model

neutrinos are too fast to explain structure formation, and fail at giving the correct relic density

$$\Omega_{\nu}h^2 = \sum_{i=1}^3 \frac{g_i m_i}{90 \text{ eV}} < 0.0076 \ll \Omega_{dm}$$

massive

to explain gravitational observations

weakly interacting

if interacting at all...

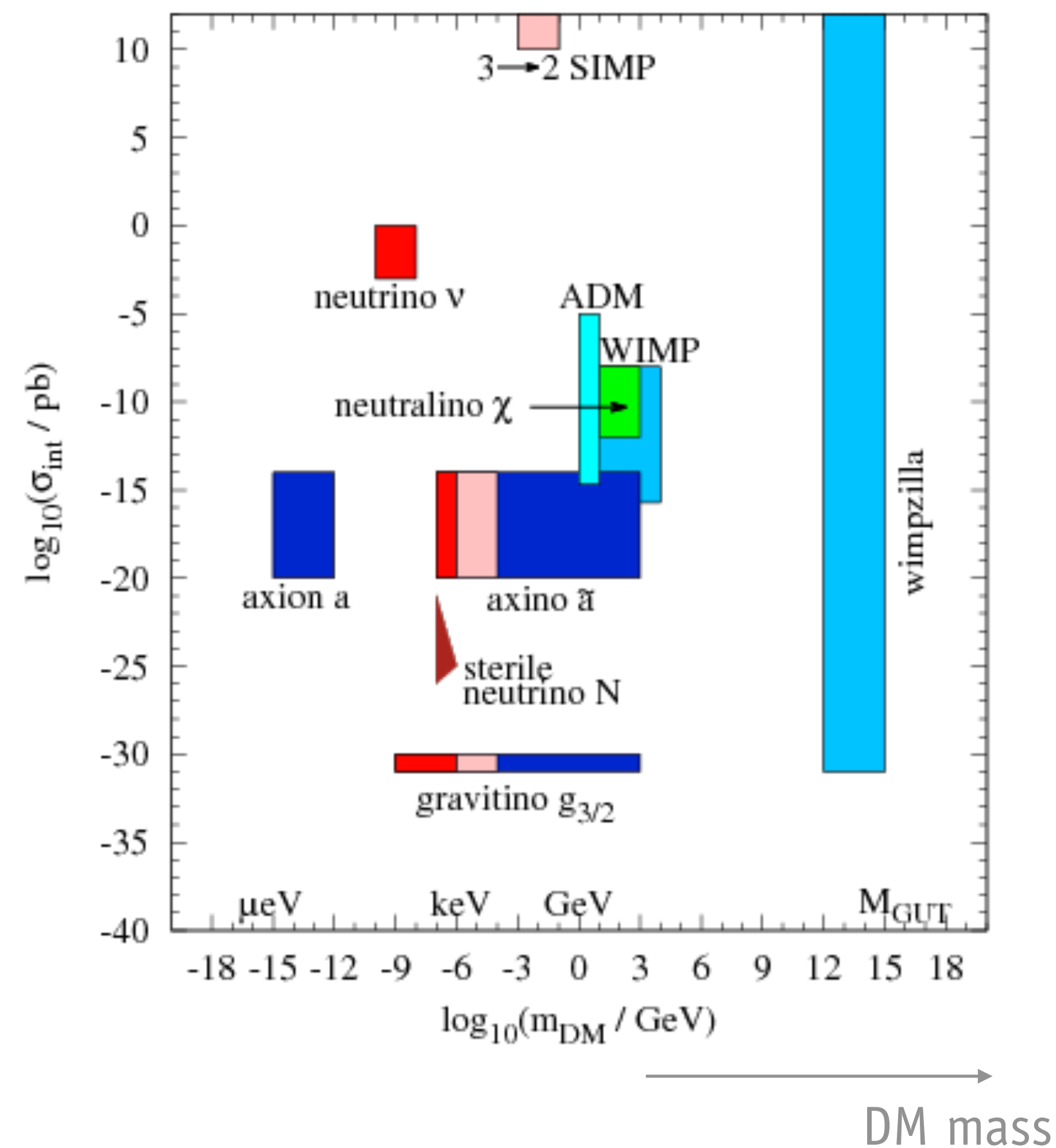
explain relic abundance

correct annihilation rate and couplings

stable

lifetime $> 10^{17}$ s

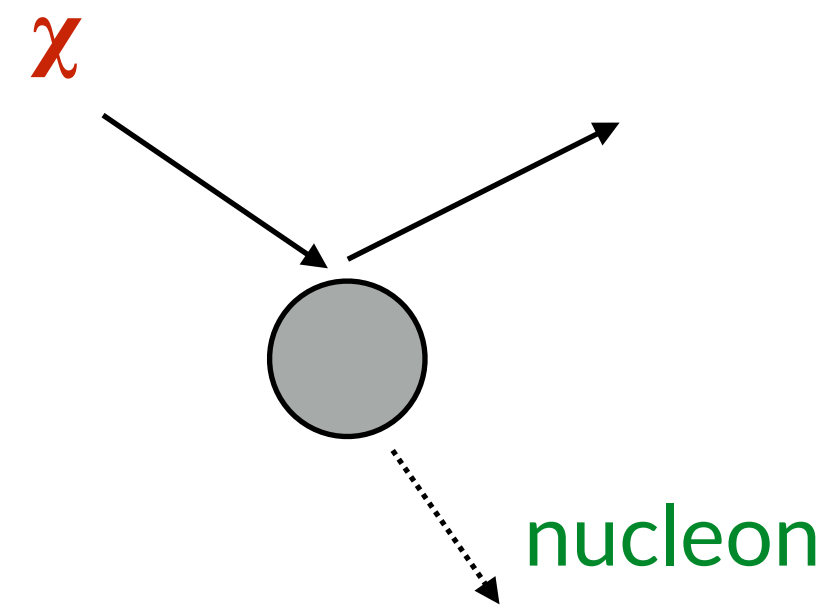
typical
interaction
cross-section



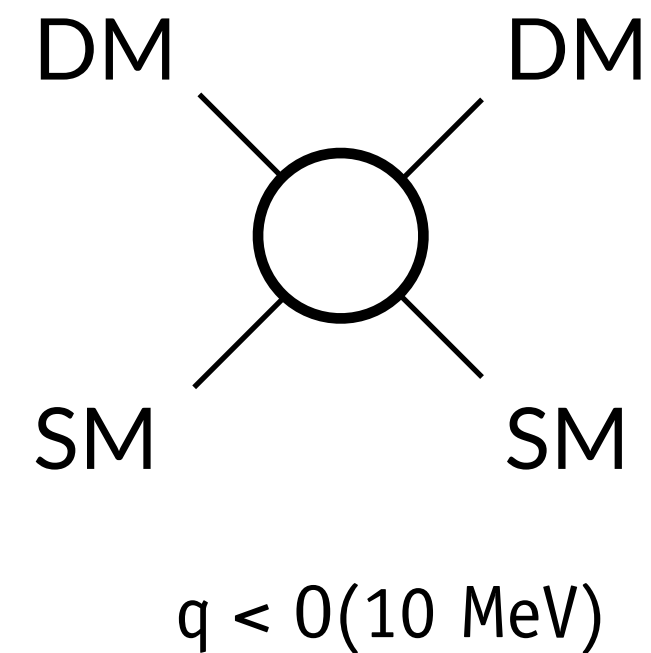
How we may detect them

Method #1: Use the available Dark Matter

direct detection

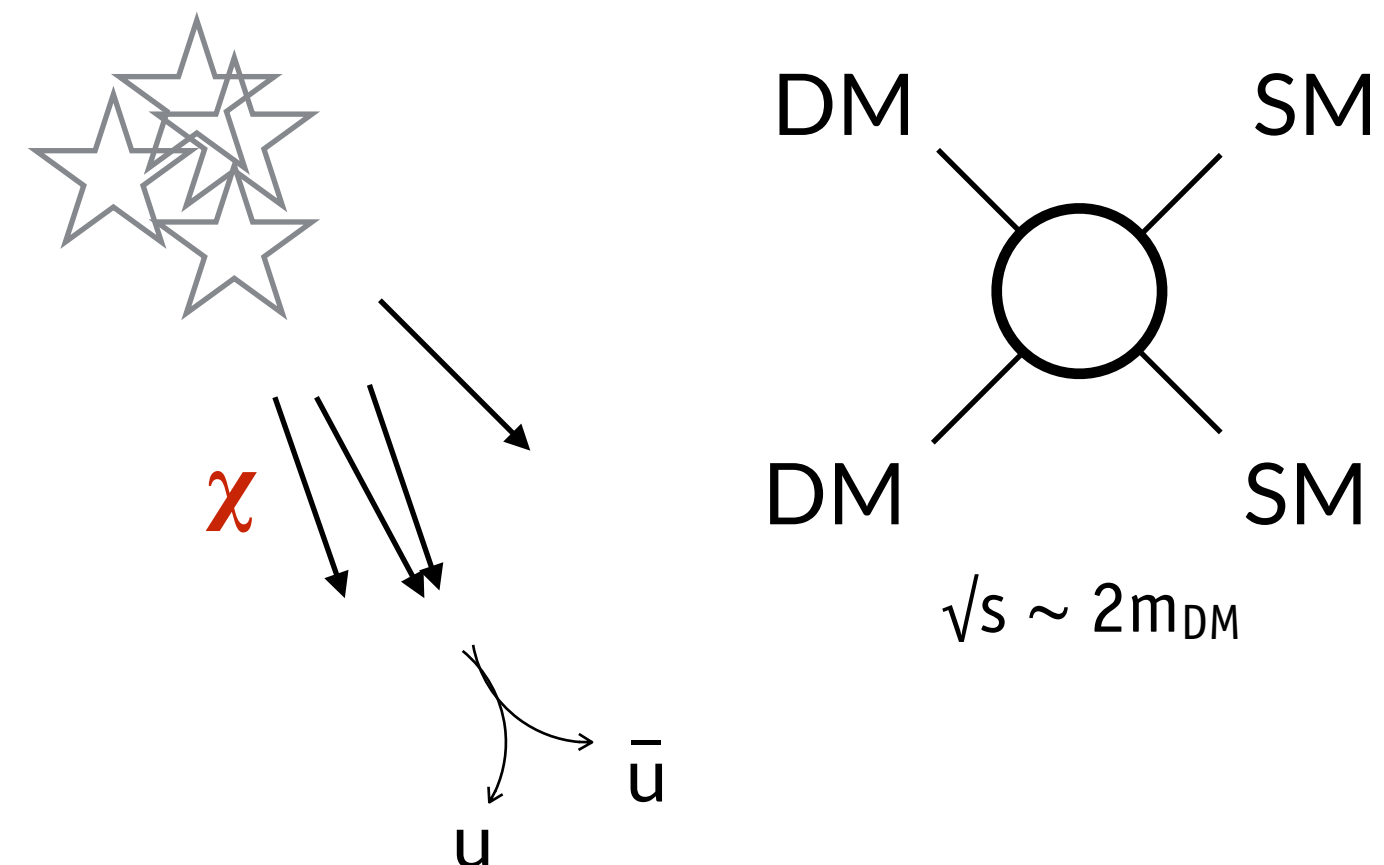


must know: nucleon form factors, DM local density, background levels...

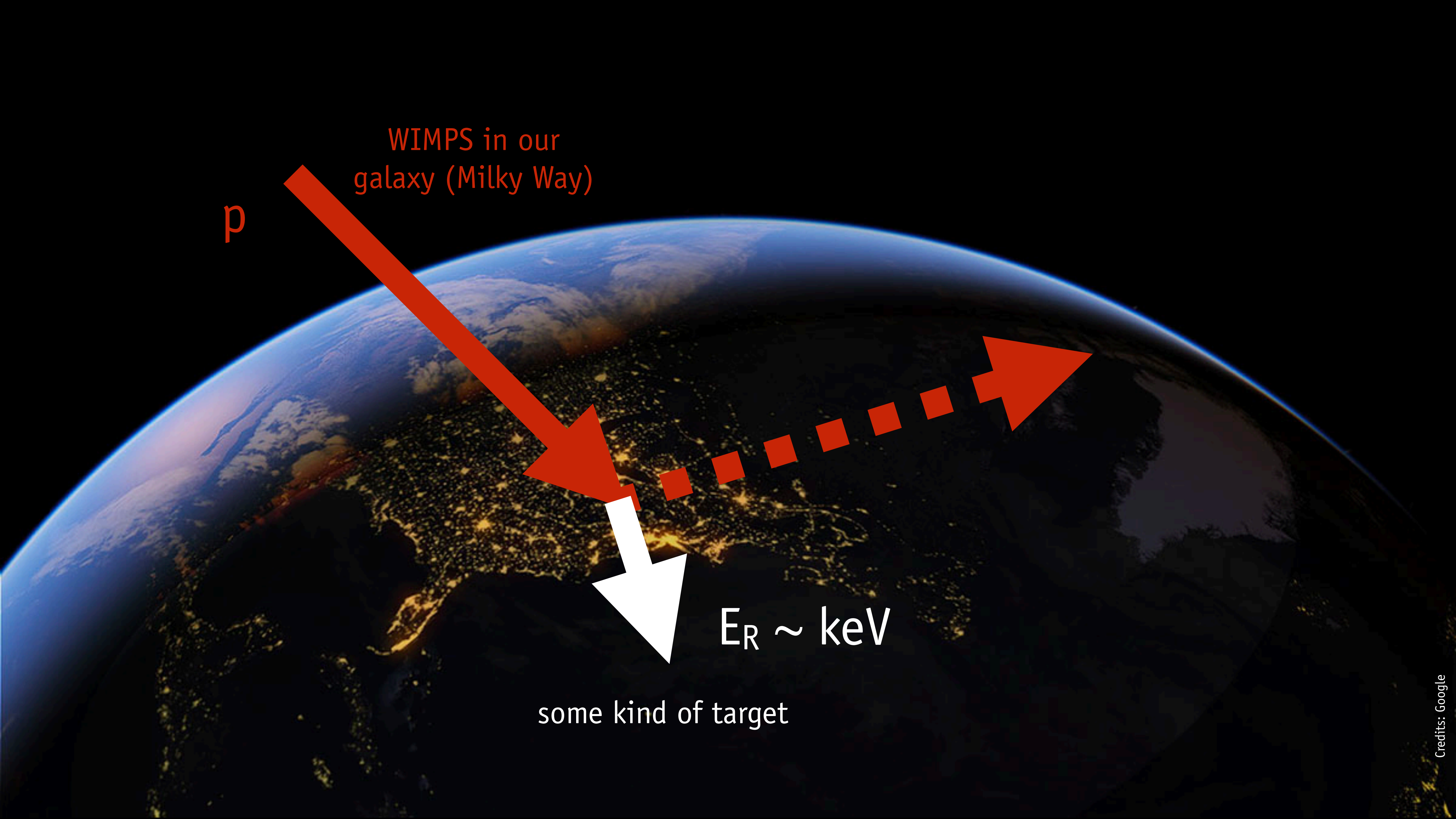


- build detectors which may detect the existing Dark Matter (DM)
- hope they do
 - experimental challenge set by DM mass and nature of DM-SM interaction

indirect detection



[spoiler alert:
there is a method #2]



WIMPS in our galaxy (Milky Way)

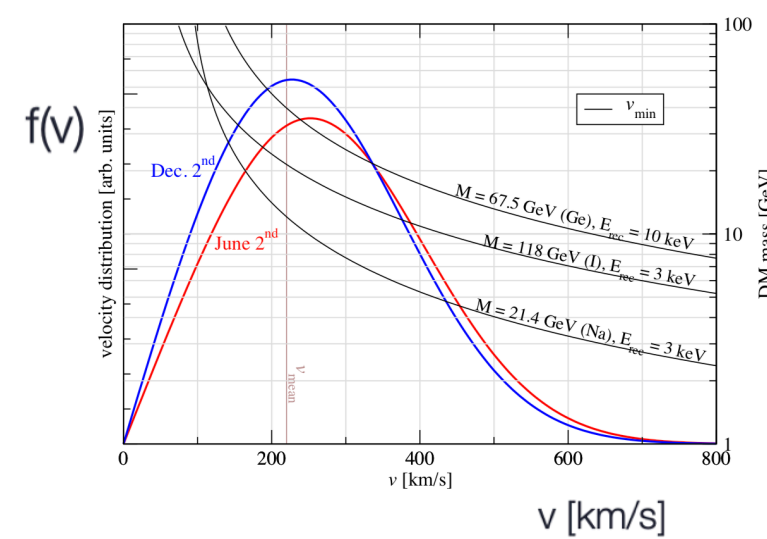
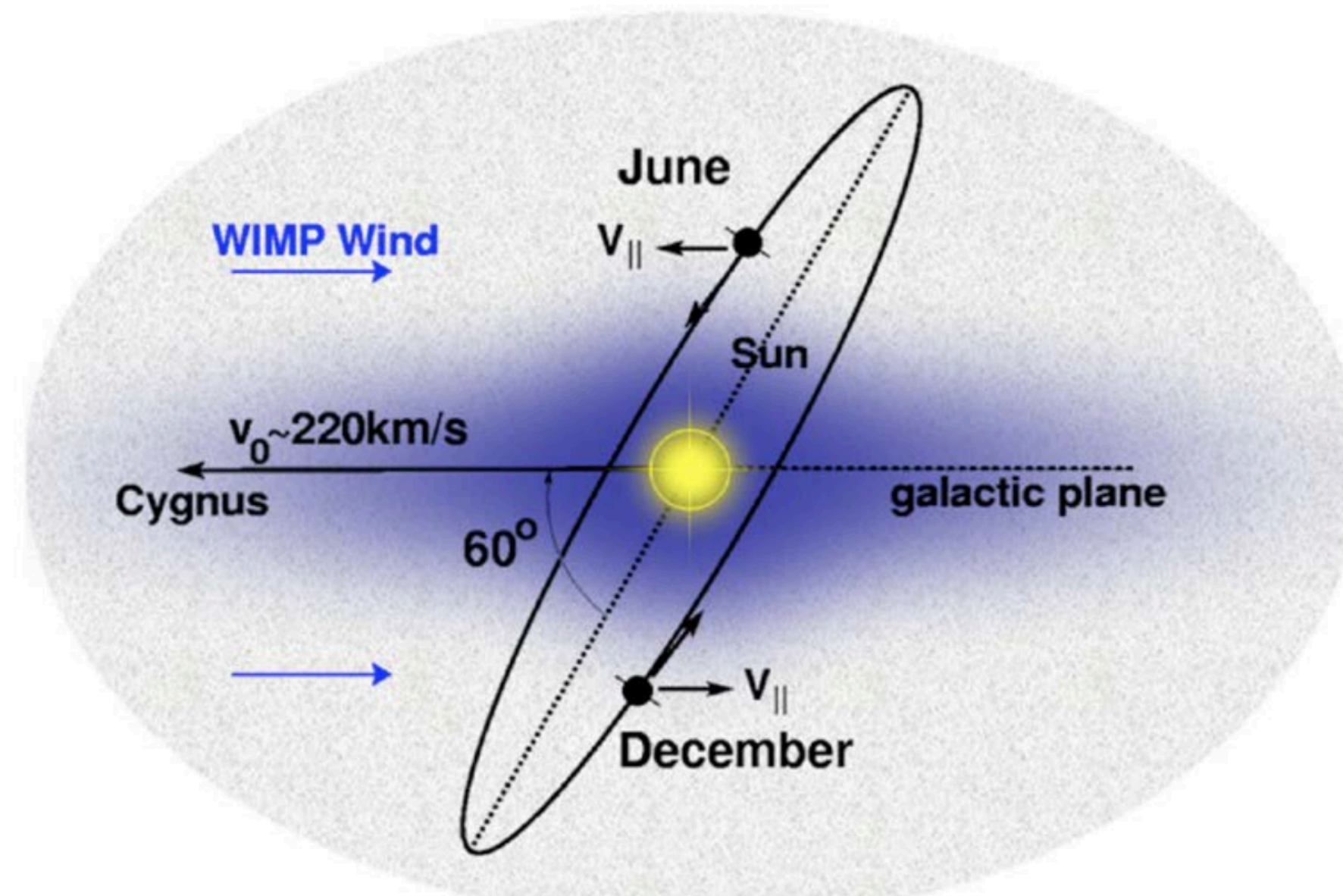
p

$E_R \sim \text{keV}$

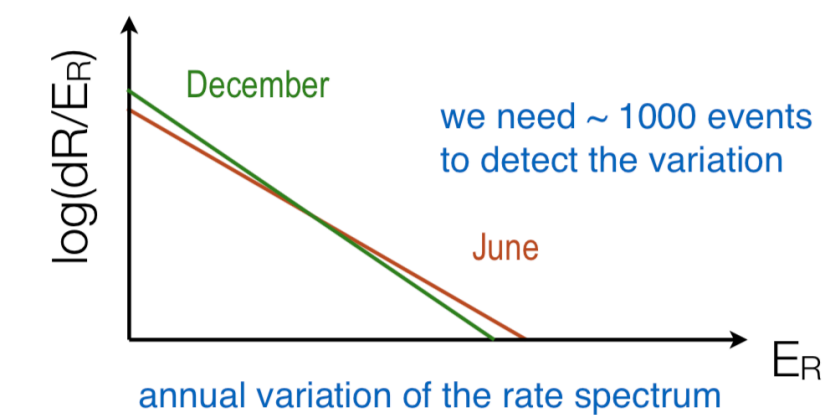
some kind of target

HOW WOULD A SIGNAL LOOK LIKE?

the Milky Way is immersed in a halo of DM particles - Earth rotates around the Sun, so we see an "apparent wind" with $v \sim 220 \text{ km/s}$



v follows a Maxwellian velocity distribution (from 0 to the escape velocity from the MW)

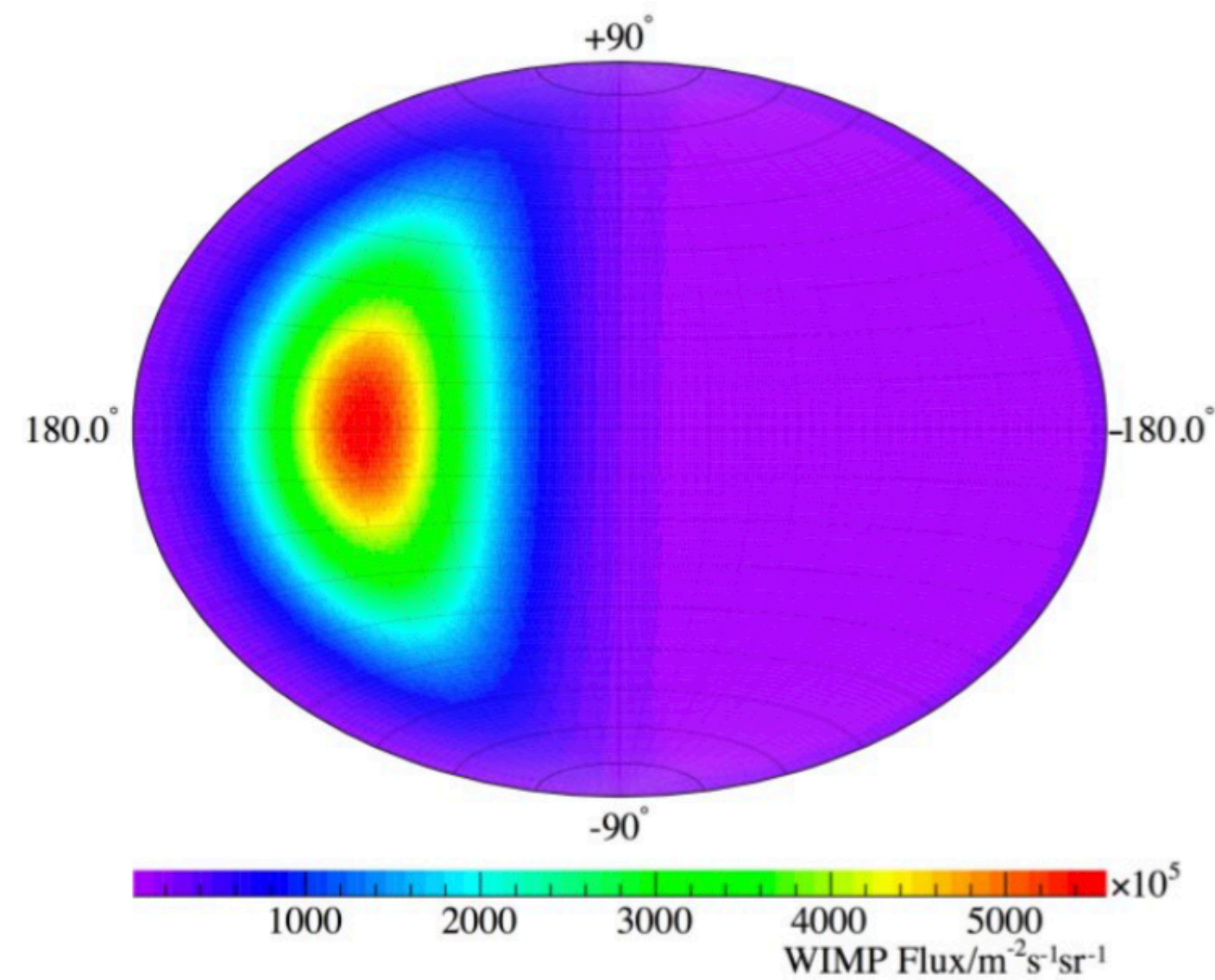


a signal would show
~7% yearly modulation

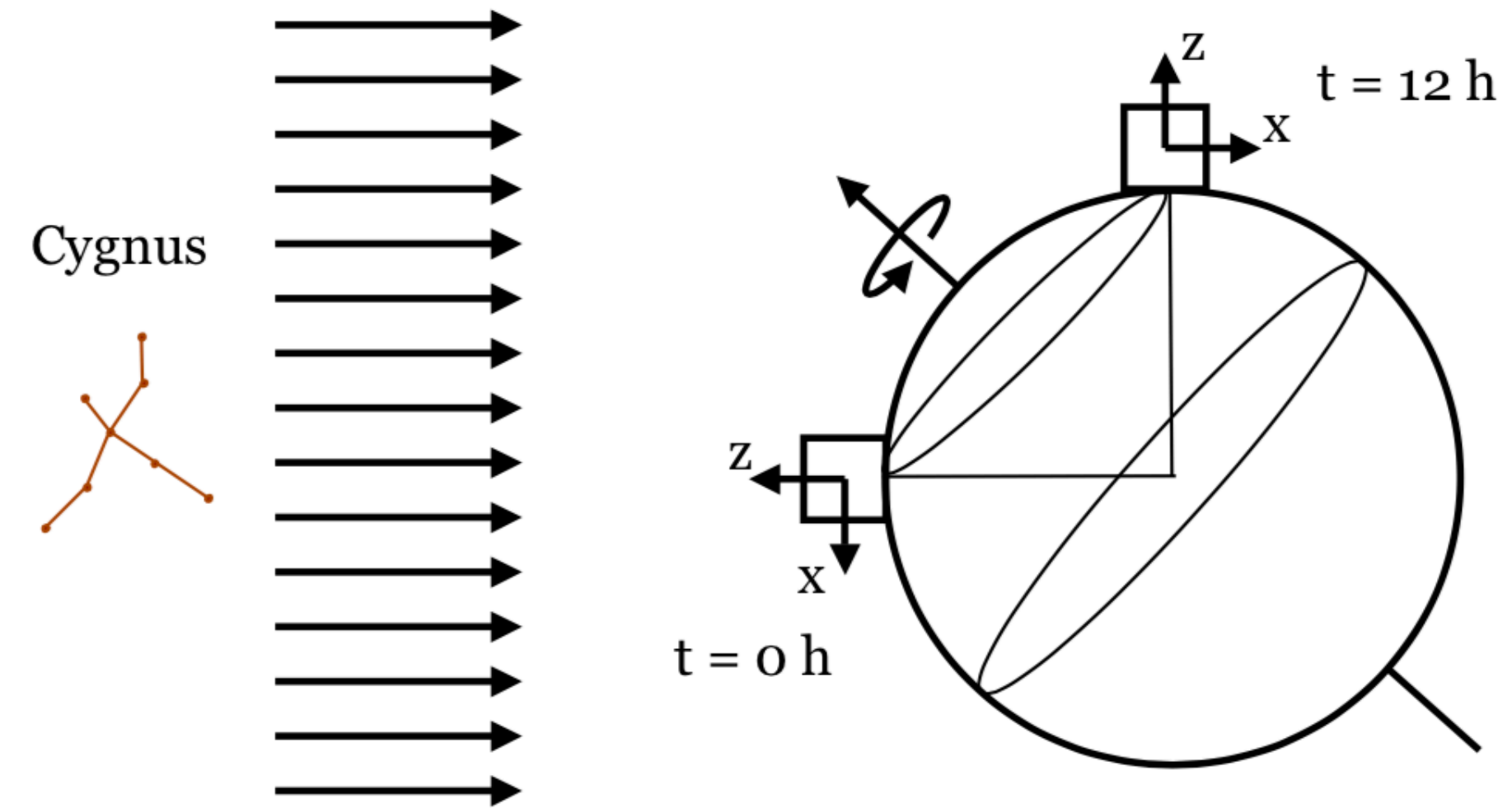
$$N(E, t) = N_0(E) + N_m(E) \cos\left(\frac{2\pi}{T}(t - t_0)\right)$$

→ 1 year
↑ June 2nd

Earth also rotates around its own axis, so signal direction should change by 90 degrees every 12 hours



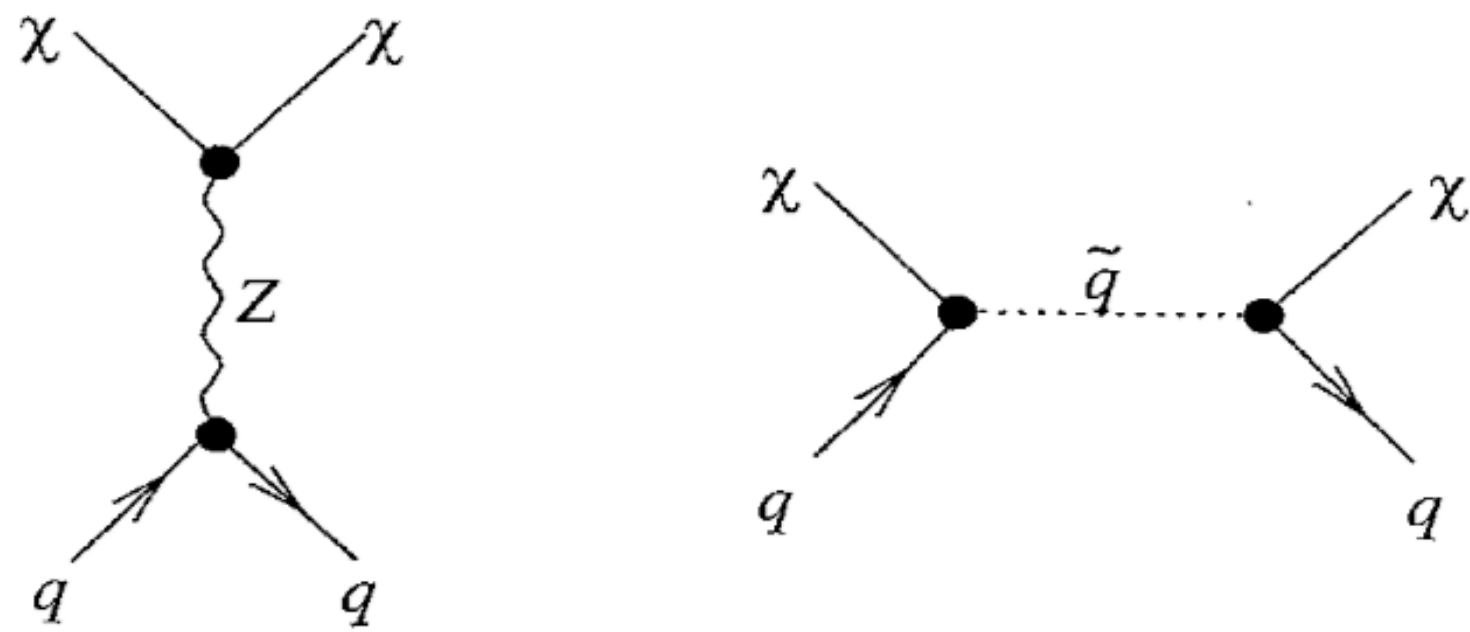
Projection of the WIMP flux in Galactic coordinates



smoking guns, but:

- need time **stability** of detector calibration/response/backgrounds
- need ~ 1000 (10) events for testing annual (daily) modulation

a signal would show
 $\sim 30\%$ daily modulation



source	events/cm ² /min
solar neutrinos	~4x10 ¹²
cosmic ray muons	1
100 GeV WIMP	4x10 ⁵
1 TeV WIMP	4x10 ⁴

how many events? for a 100 GeV WIMP:

$$\phi_{\chi} = \frac{\rho_{\chi}}{m_{\chi}} \times \langle v \rangle = 6.6 \times 10^4 \text{ cm}^{-2} \text{ s}^{-1}$$

we deal with **rare events**: one usually reasons in terms of event rates per target (fiducial) mass and data taking time

$$R = \frac{N_A}{A} \times \phi_{\chi} \times \sigma \sim 0.13 \text{ events kg}^{-1} \text{ yr}^{-1}$$

typical: < 0(10 tons), 5-10 years

experimental needs:

- **ton-scale detectors** to collect enough events for discovery
- must **suppress backgrounds** (radioactivity, cosmics, neutrinos...)

EVENT RATE, IN A NUTSHELL

1. kinematics & velocity distribution

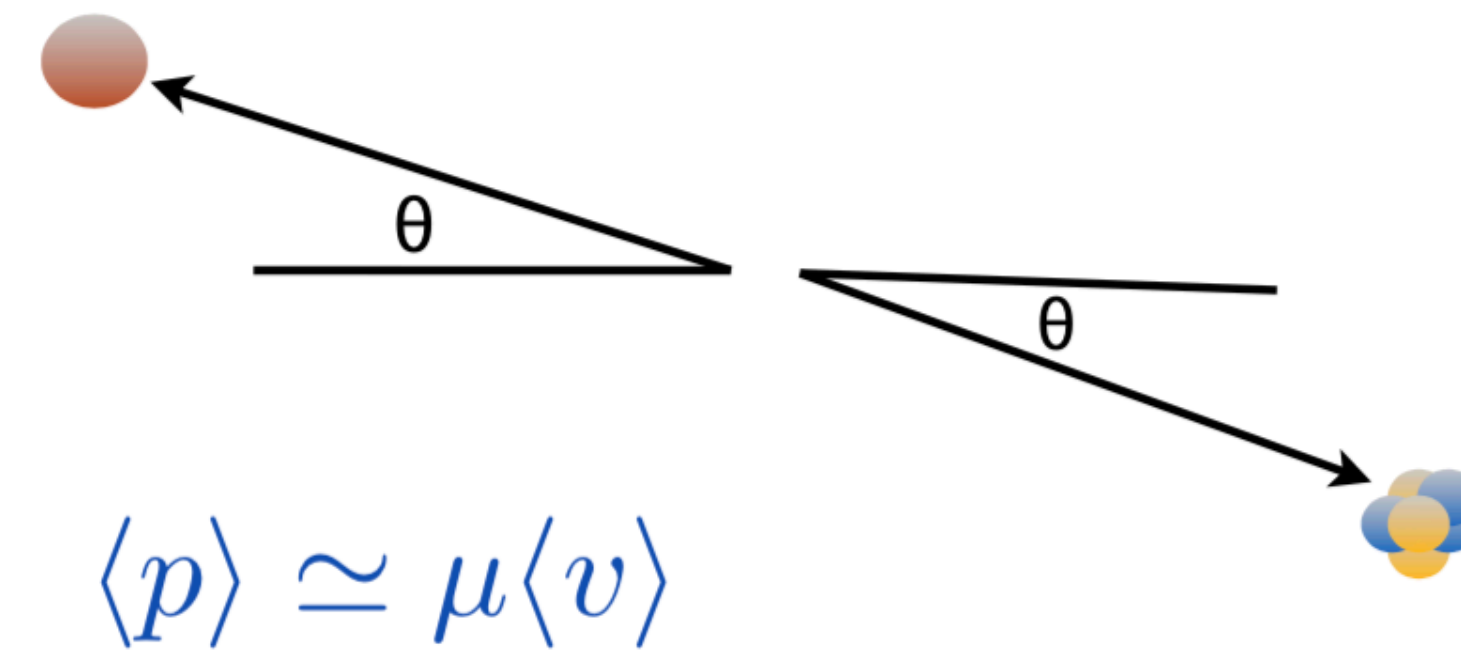
what we measure

$$E_R = \frac{|\vec{q}|^2}{2m_N} = \frac{\mu^2 v^2}{m_N} (1 - \cos \theta)$$

dependence on incident energy

reduced mass of the nucleon-WIMP system

~ 30 keV for $m_N = m_{\text{DM}} = 100$ GeV



2. WIMP-parton interaction

spin independent $\sim A^2$

$$\mathcal{L}_{\text{eff}} = \frac{1}{\Lambda^2} (\bar{\chi} \Gamma_{\text{dark}} \chi) (\bar{\psi} \Gamma_{\text{vis}} \psi)$$

$$\Gamma \in \{1, \gamma_5, \gamma_\mu, \gamma_\mu \gamma_5, \sigma_{\mu\nu}, \sigma_{\mu\nu} \gamma_5 \dots\}$$

3. nuclear form-factor

$$\lambda = \frac{h}{p} \simeq 20 \text{ fm} > r_0 A^{1/3} \text{ fm}$$

$$\frac{dR}{dE_R} = R_0 S(E_R) F^2(E_R) I$$

form factor correction

spectral function (masses and kinematics)

interaction type [spin (in)dependent]

$$R_0 \equiv \frac{2}{\sqrt{\pi}} \frac{N_A}{A} \frac{\rho_{DM}}{m_{DM}} \sigma_0 v_0$$

for spin-independent interactions:

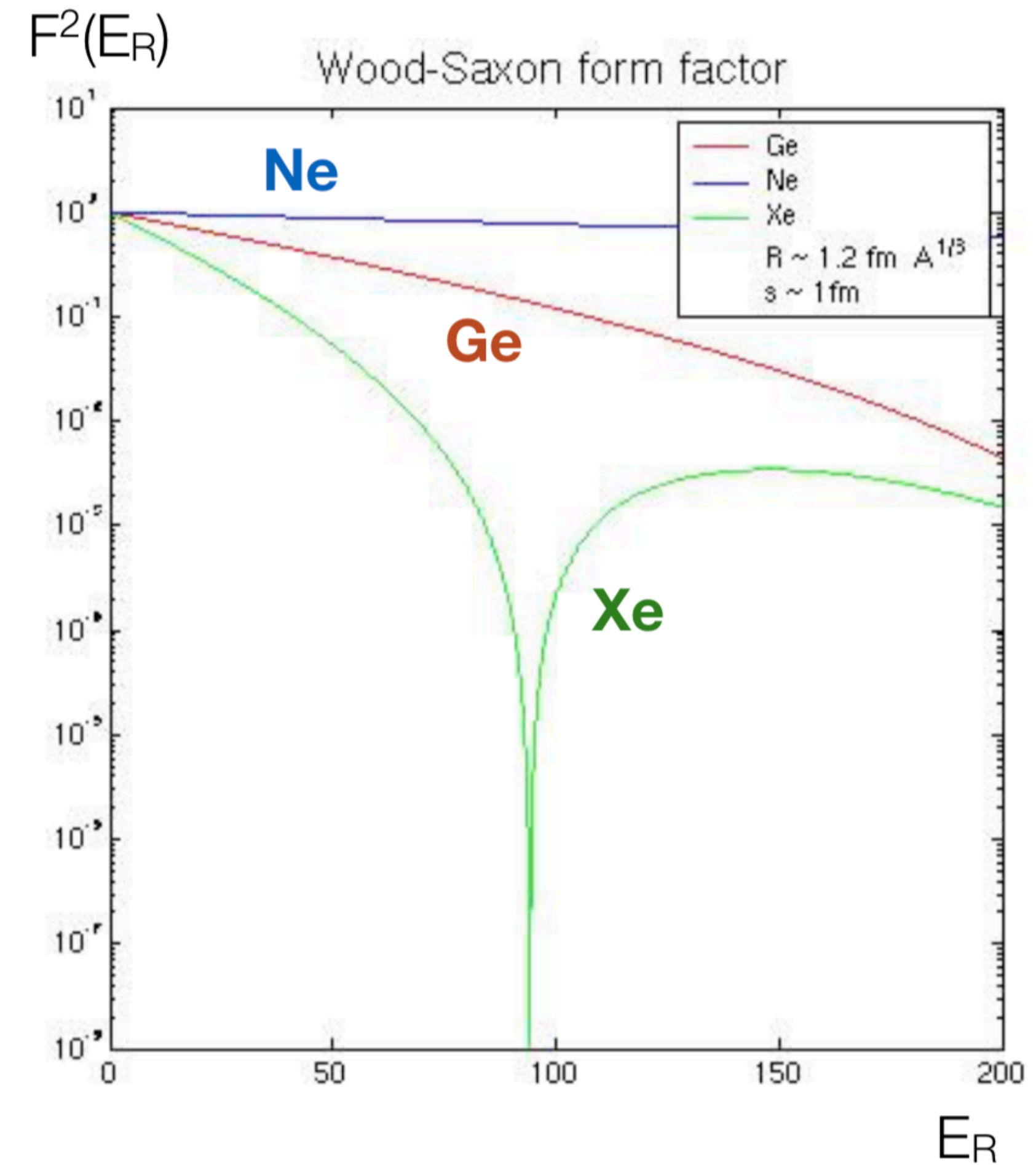
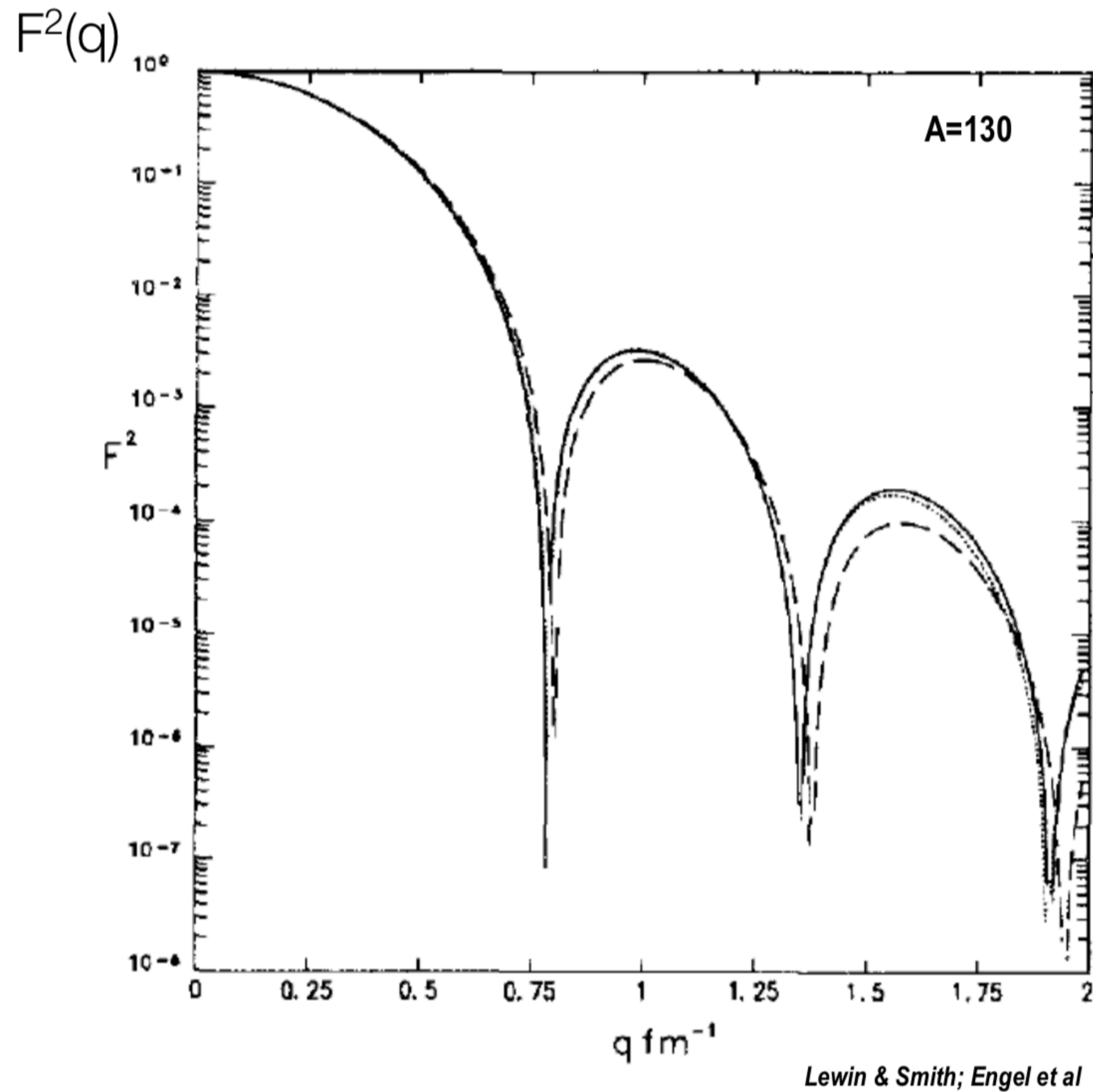
$$M(\vec{q}) = f_n A \underbrace{\int d^3x \rho(\vec{x}) e^{i\vec{q}\cdot\vec{x}}}_{F(\vec{q})} \Rightarrow \sigma \propto |M|^2 \propto A^2$$

fundamental couplings to nucleons

Fourier-transform of the density of scattering centers

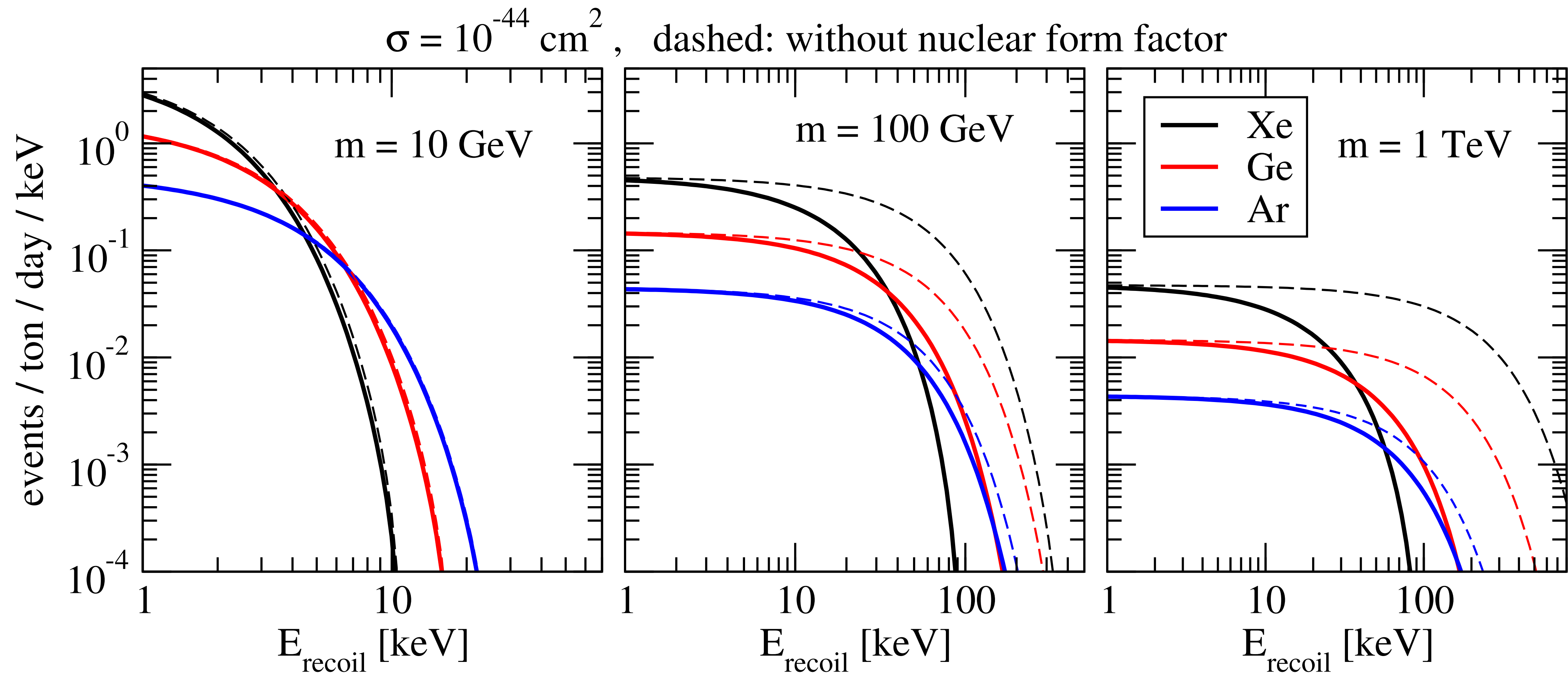
mass number

FORM FACTOR, THE UNDERGROUND STONE GUEST



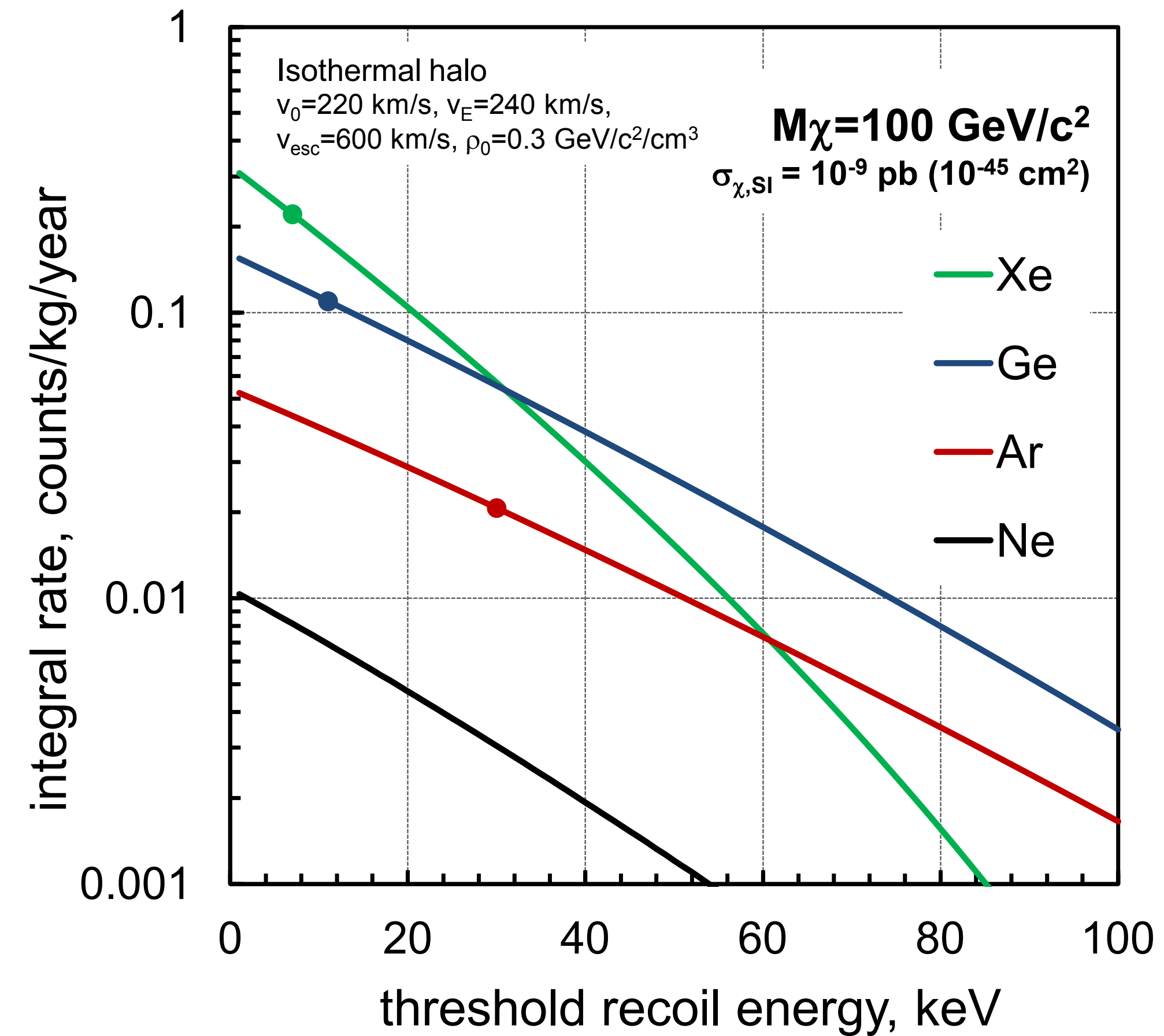
depending on the recoil energy, the nuclear structure of each target is seen differently by the incoming DM particle

FORM FACTOR, THE UNDERGROUND STONE GUEST



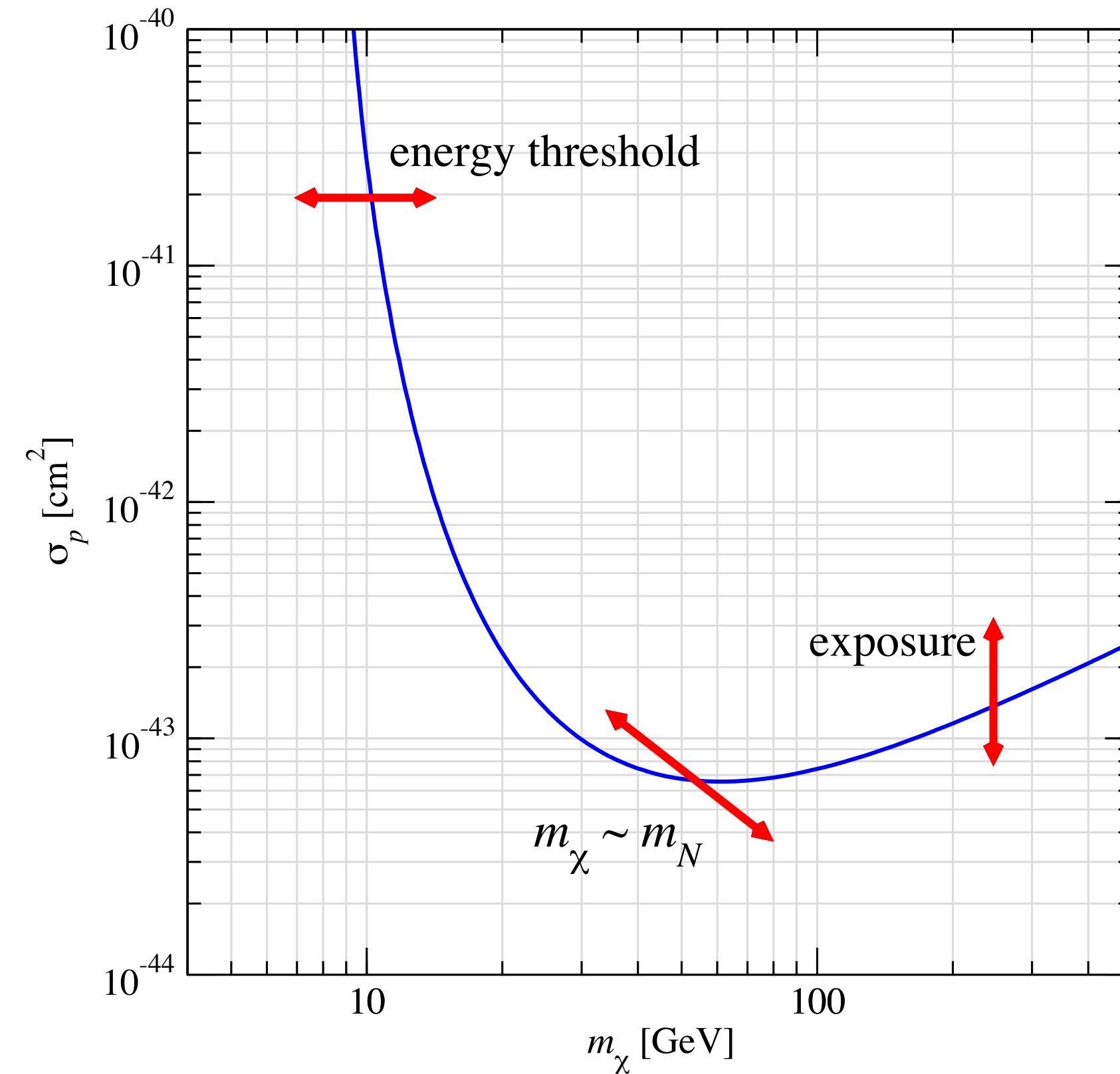
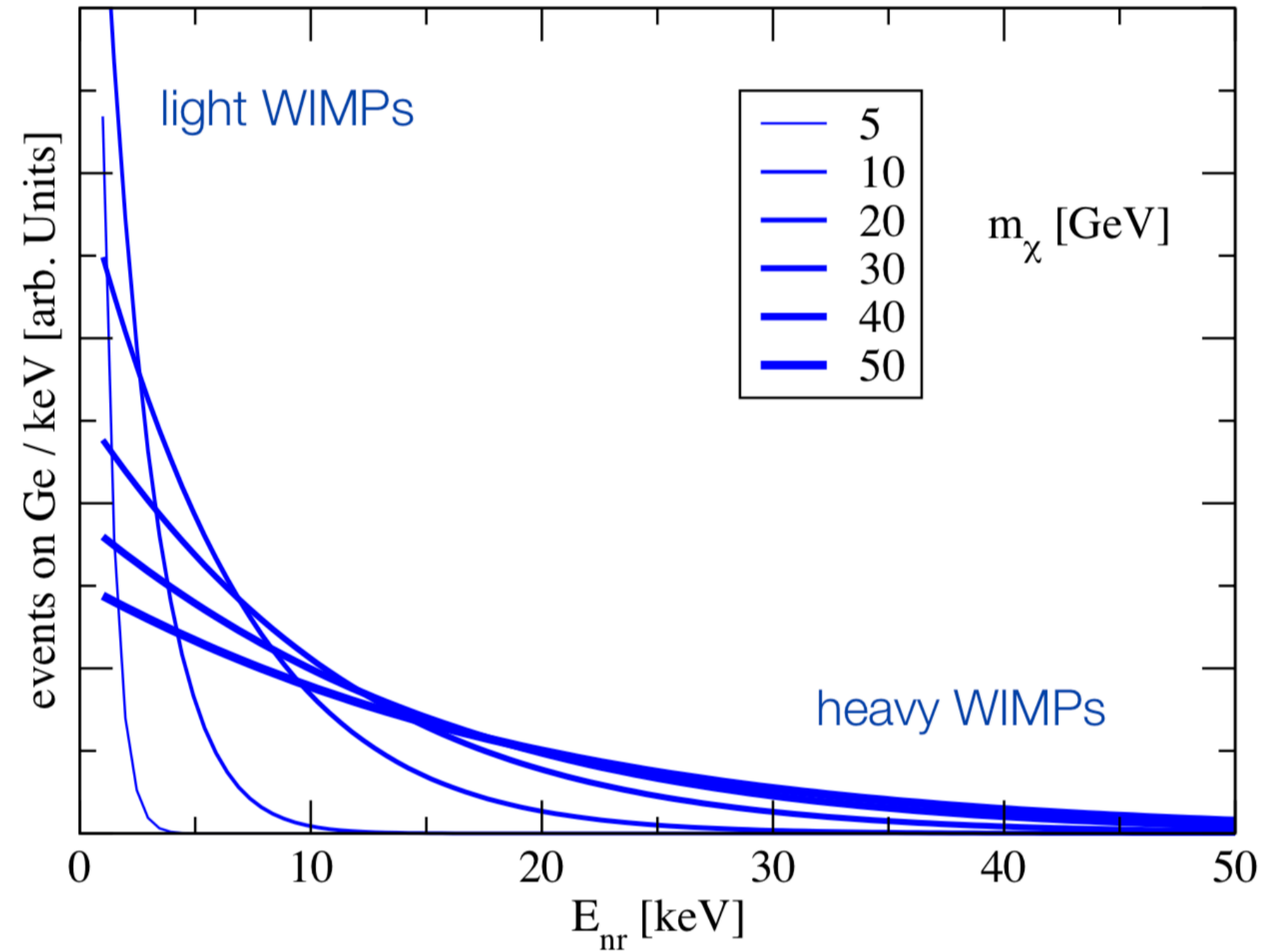
the form factor effect is dominant for higher WIMP masses
and influences our choice of the target material

CHOOSING THE TARGET



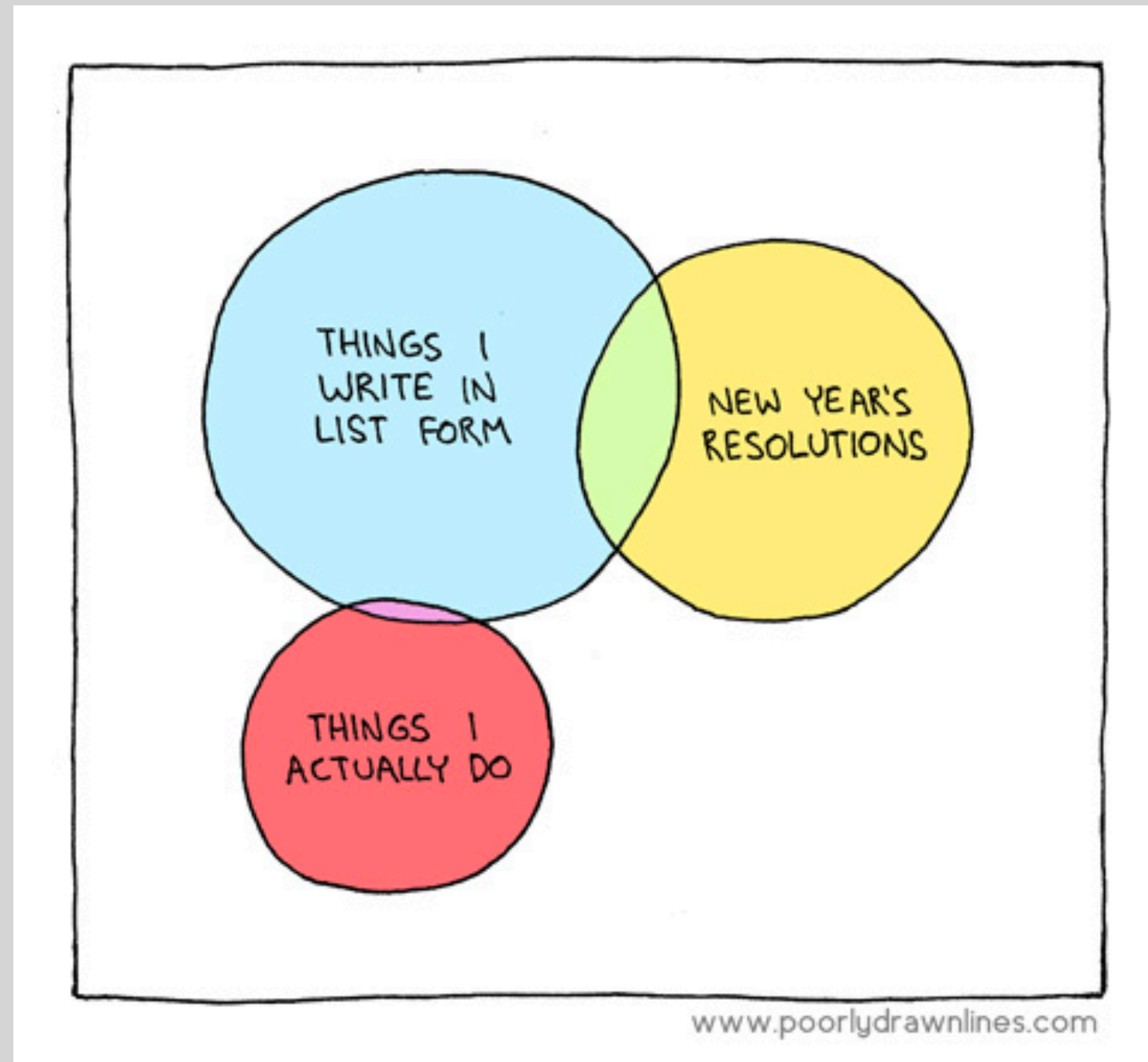
- energy **threshold** of each experiment is a **trade-off** between sensitivity and noise+backgrounds+resolution
- choice of **target** affected also by **backgrounds**/detection/cost

THE TYPICAL DIRECT DETECTION RESULT



- need **detectors** sensitive to **keV** energies to probe WIMPs (compare to LHC calorimeters...)
- usually **massive** (ton-scale), years of data taking (ultimately necessary to check if signal modulates as expected)

How it's done underground



choose physics signal

charge, light, phonons...

measure detector response

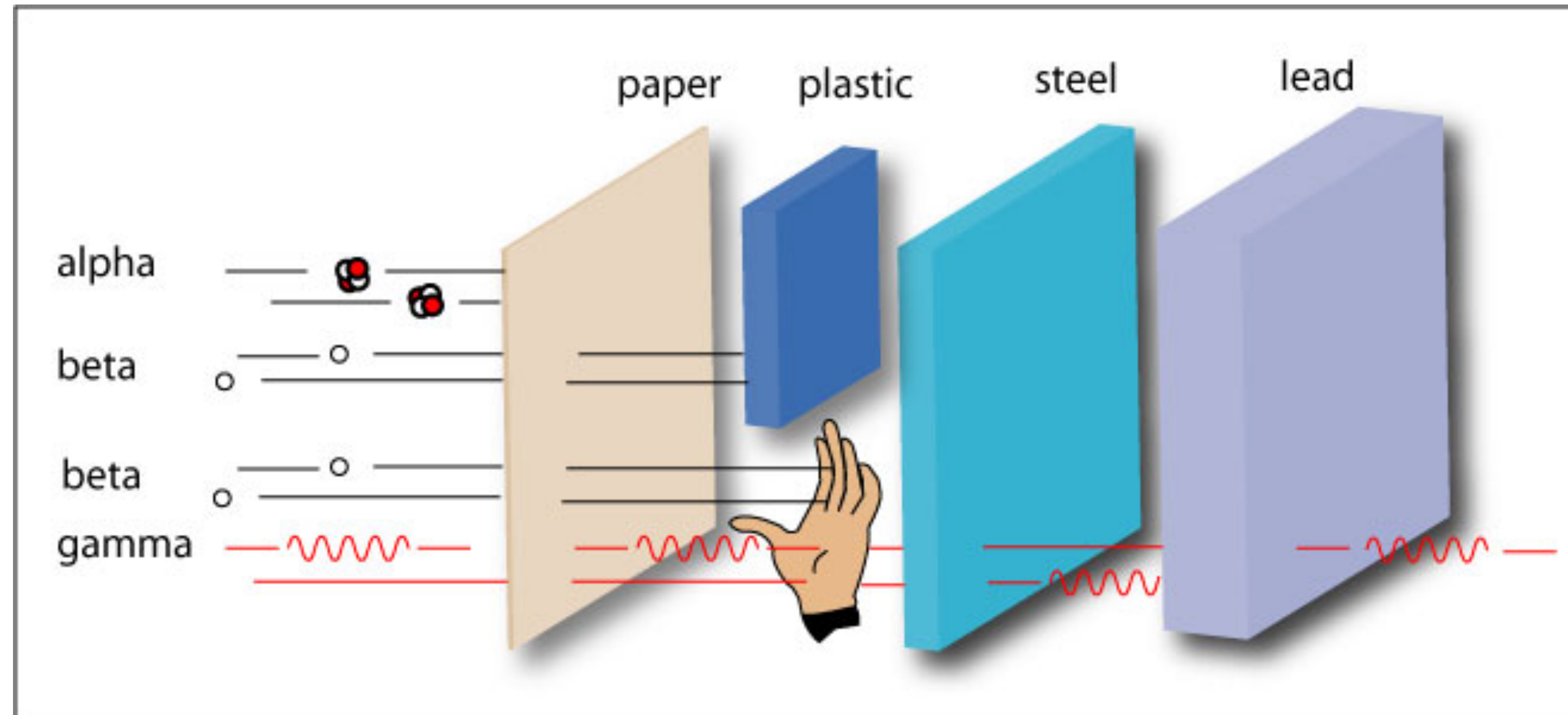
calibration, monitoring

suppress backgrounds

with shielding and analysis-level

make sure it's dark matter

measure modulation and direction



key issue: WIMP event rate is low

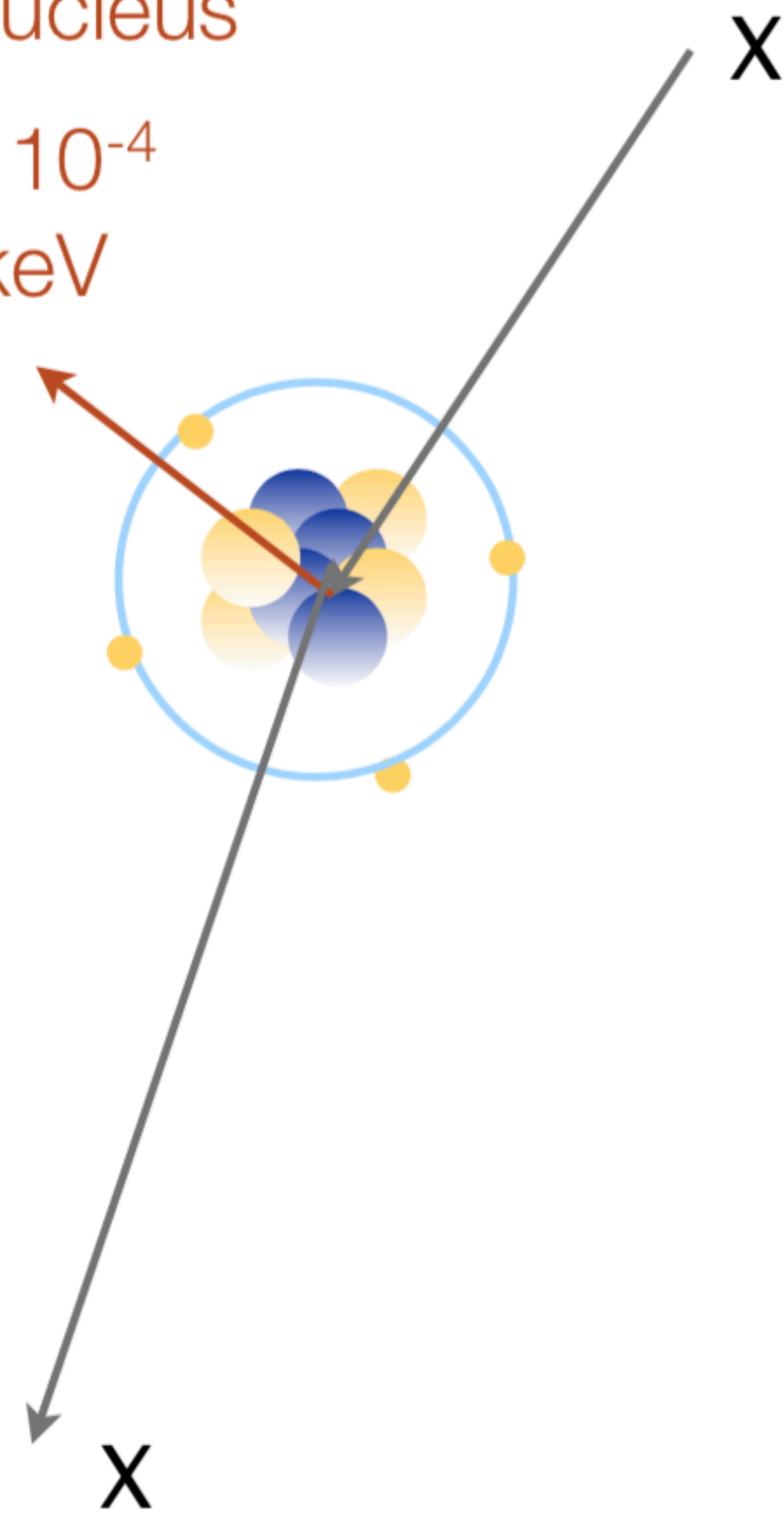
radioactivity is the main background (e.g. 2 MeV photons \rightarrow 14 cm in LAr)

signal (nuclear recoil, NR)

Recoiling nucleus

$$v/c \approx 7 \times 10^{-4}$$

$$E_R \approx 10 \text{ keV}$$



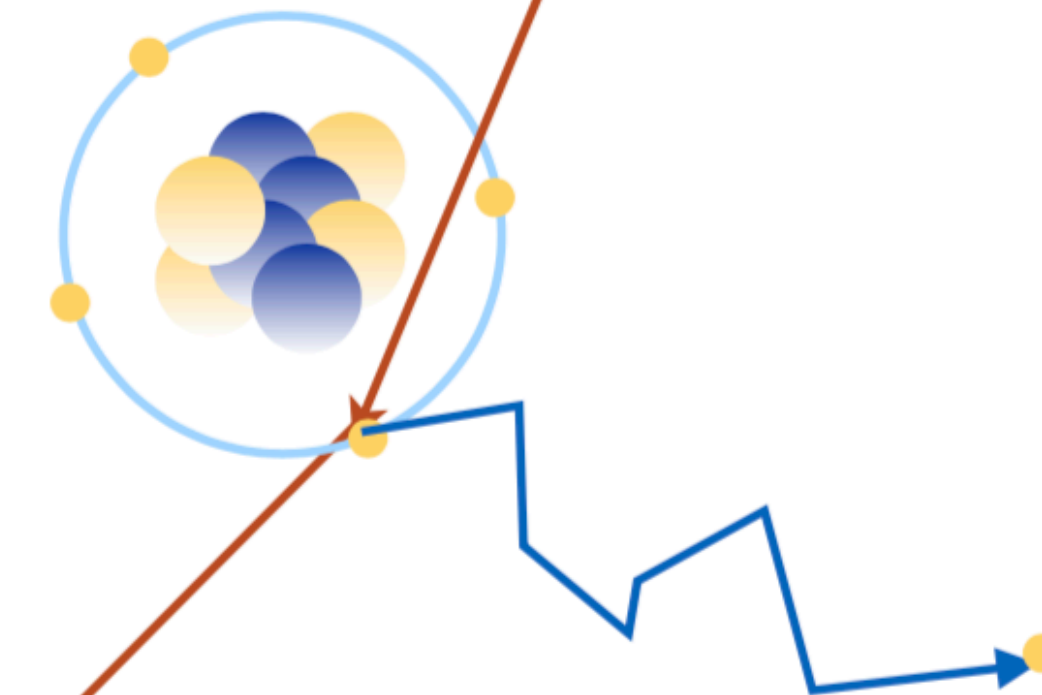
γ/β radiation (electron recoil, ER)

gamma

gamma

Electron

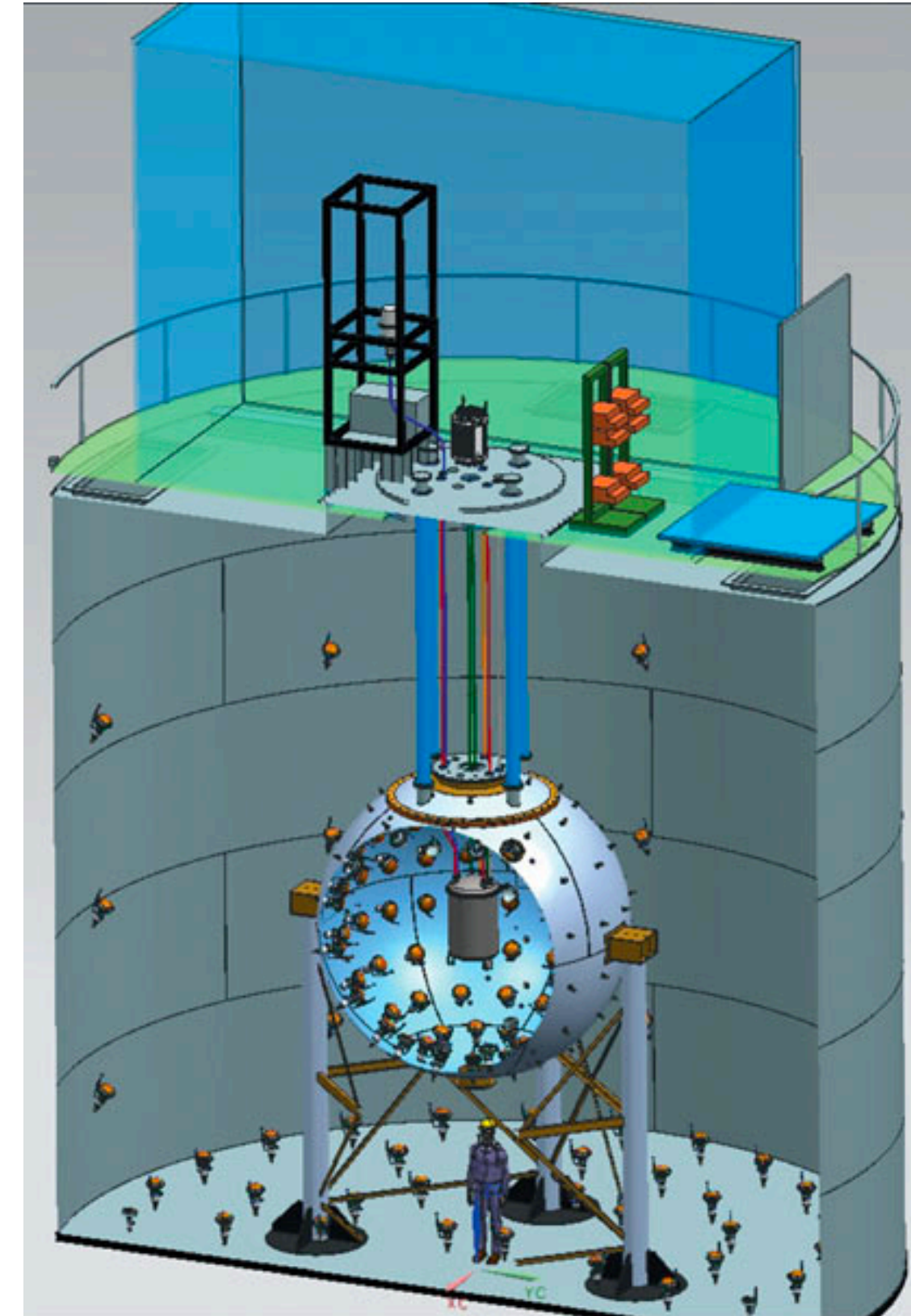
$$v/c \approx 0.3$$



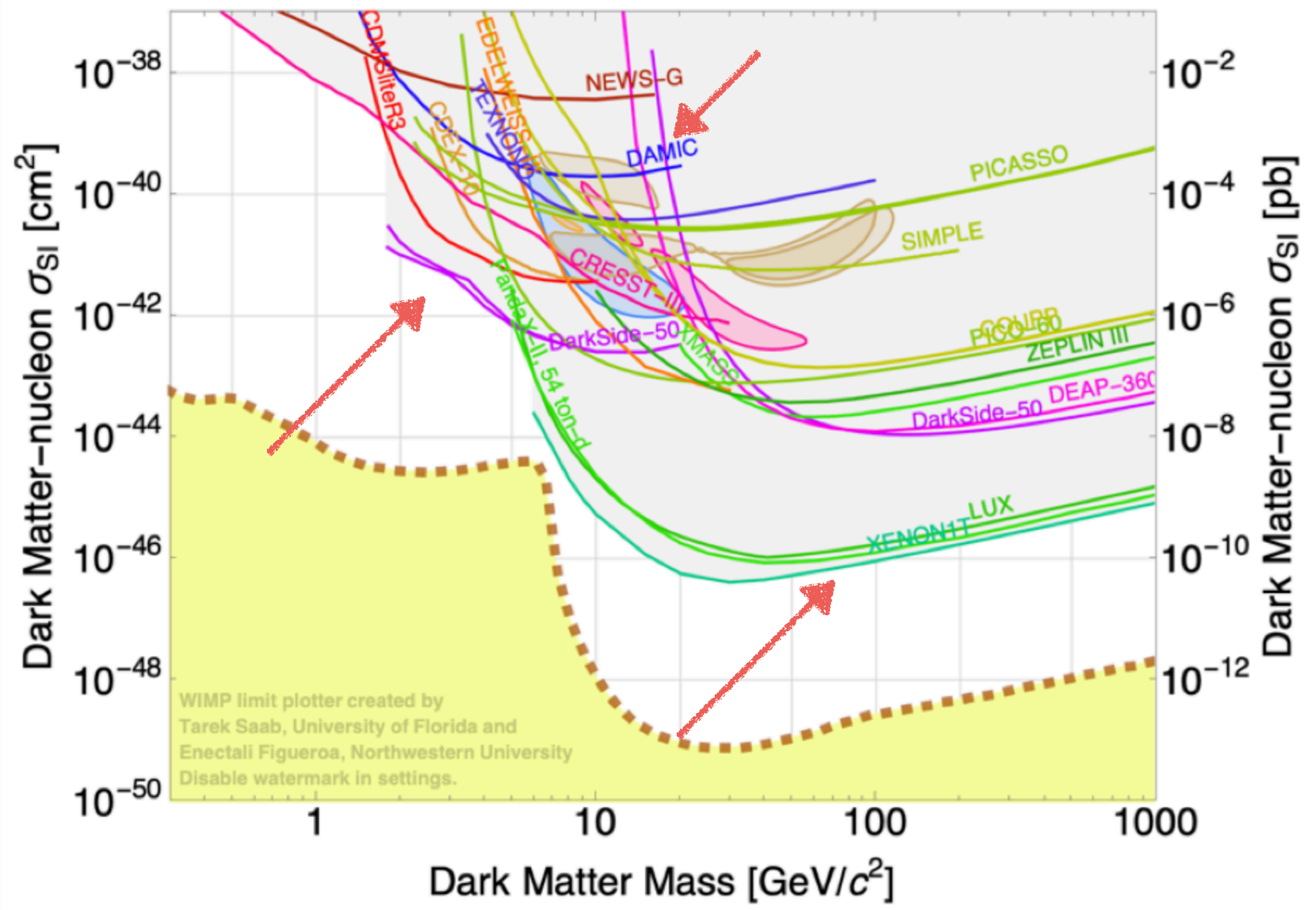
we want to reconstruct and discriminate these kinds of signals

BACKGROUNDS

- **external radiation: shields and vetoes**
 - example of shields: Pb (gammas), water (neutrons)
 - example of active vetoes: Cherenkov (muons), scintillators (gamma, neutrons)
 - use underground labs (LNGS, SNOLAB) to suppress cosmic rays (mostly muons)
- **internal radiation from detector components: suppress & use MC**
 - analysis techniques (e.g. ML) to define fiducial volume
- **neutrinos constitute the ultimate background for the current generation of detectors**
 - they may come from the Sun, supernovae, atmosphere...
 - they really look like DM
 - ~~Obi-Wan-Kenobi~~ directionality would be our only hope



upper limit? discovery? neutrino floor?



THE MYSTERY OF DAMA

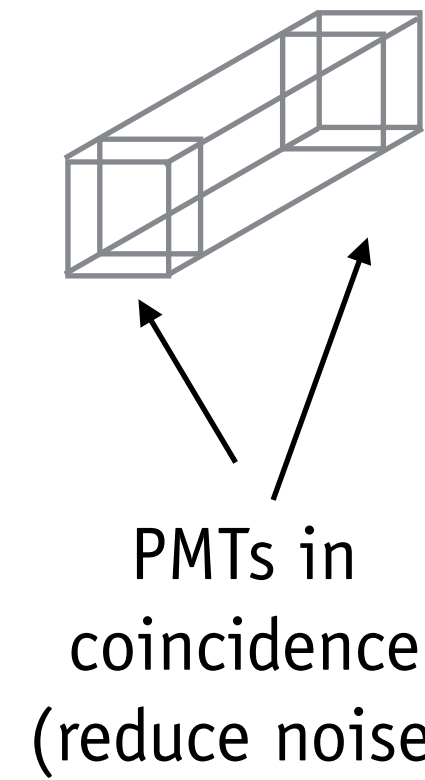
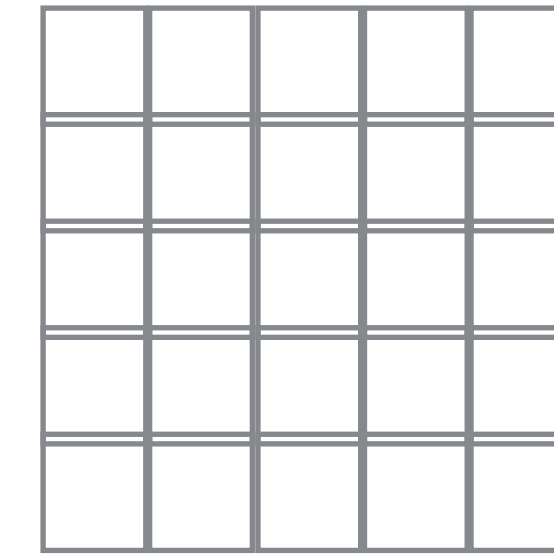
look for single-hit **scintillation** light in
25 NaI(Tl) crystals, 9.7 kg each

3-5 g/cm³ at room temperature, read out by 2
radiopure PMTs each

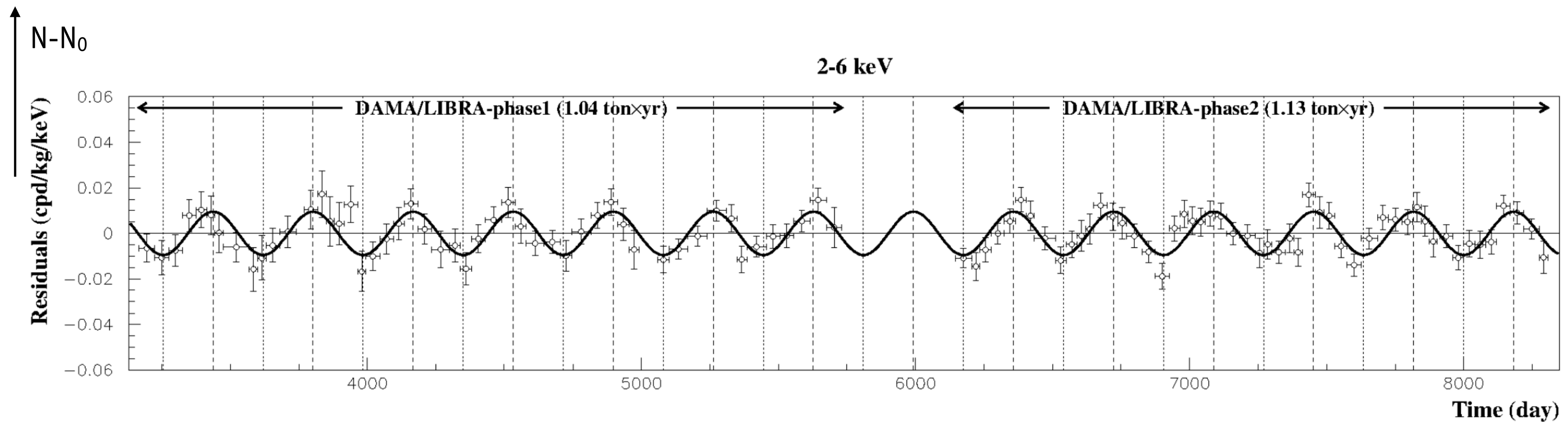
1 keV_{ee} threshold, 2.4 ton year

but: ⁴⁰K contamination gives 3.2 keV e⁻

5x5 matrix



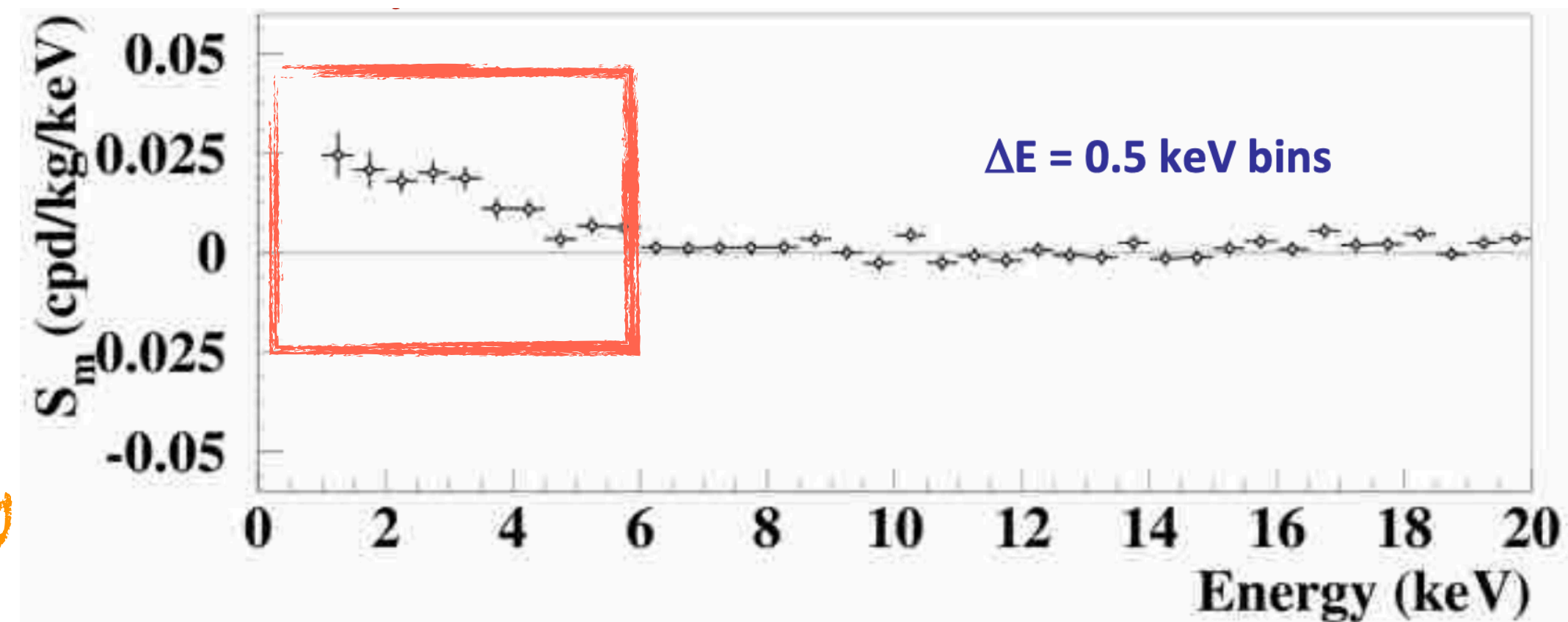
DAMA claims a $\sim 12\sigma$ observation of an annual-modulation signal
but no independent experiment managed to reproduce these results so far



$$N(E, t) = N_0(E) + N_m(E) \cos\left(\frac{2\pi}{T}(t - t_0)\right)$$

time (days)

N_m (events/kg/day per keV)
in different energy bins



results not reproduced by
any other experiment yet

Worldwide WIMP Searches

~50% use Noble Liquids



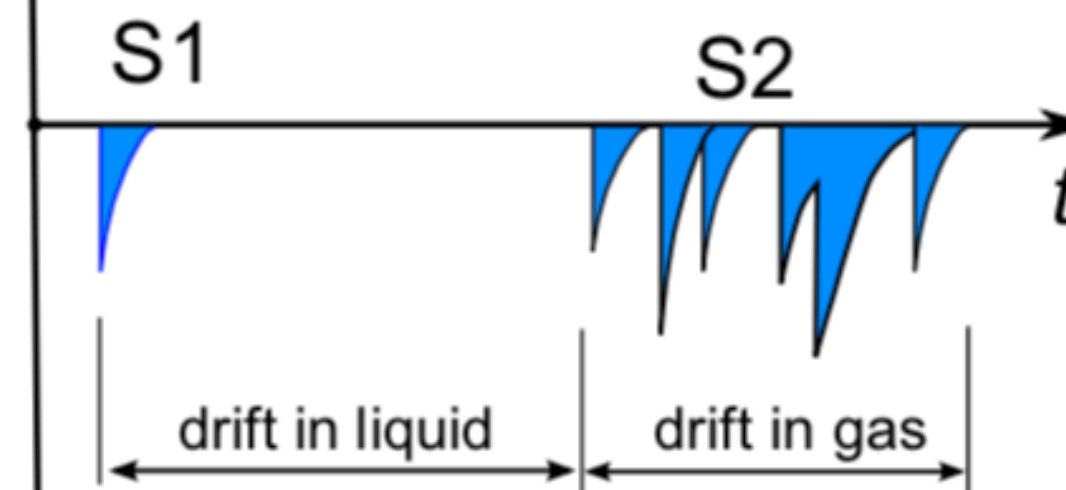
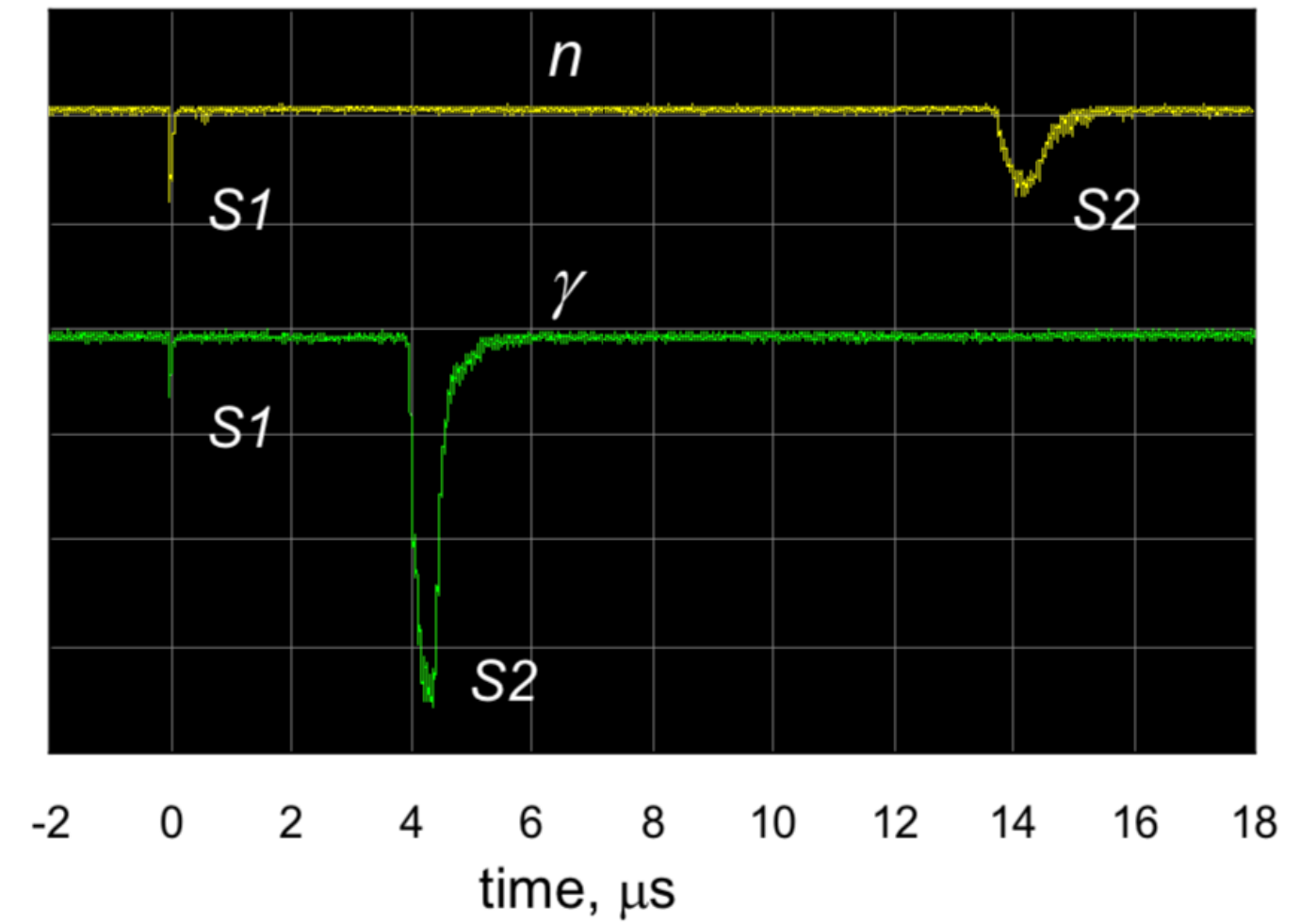
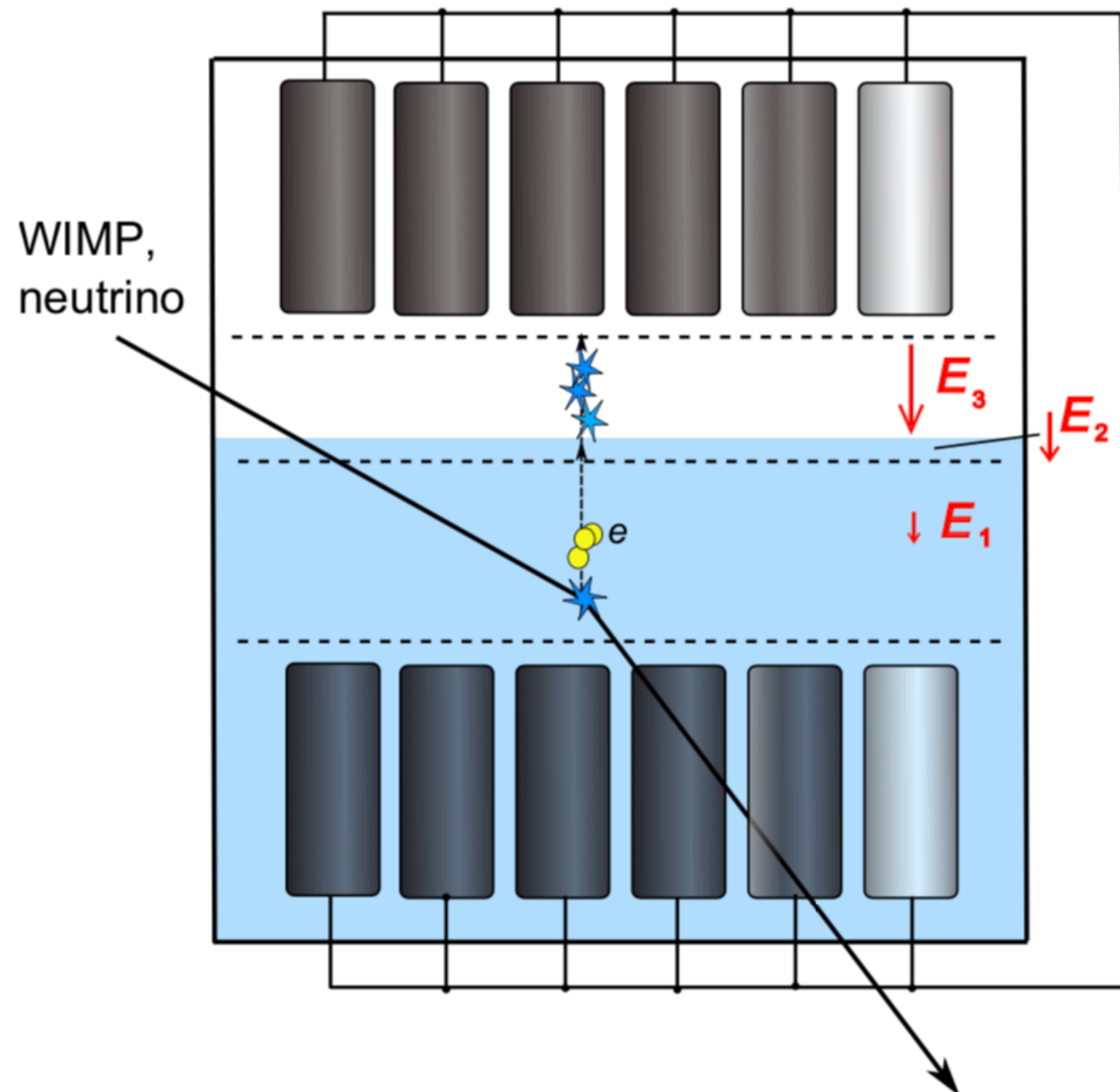
1. WIMP interacts with nucleus
2. nucleus travels in liquid losing energy
 - a) excites atom?
 - b) ionises atom?
 - c) "heats" medium?

experimental strategy: detect a) and b) by detecting light emitted in these processes

THE DUAL-PHASE TPC CONCEPT

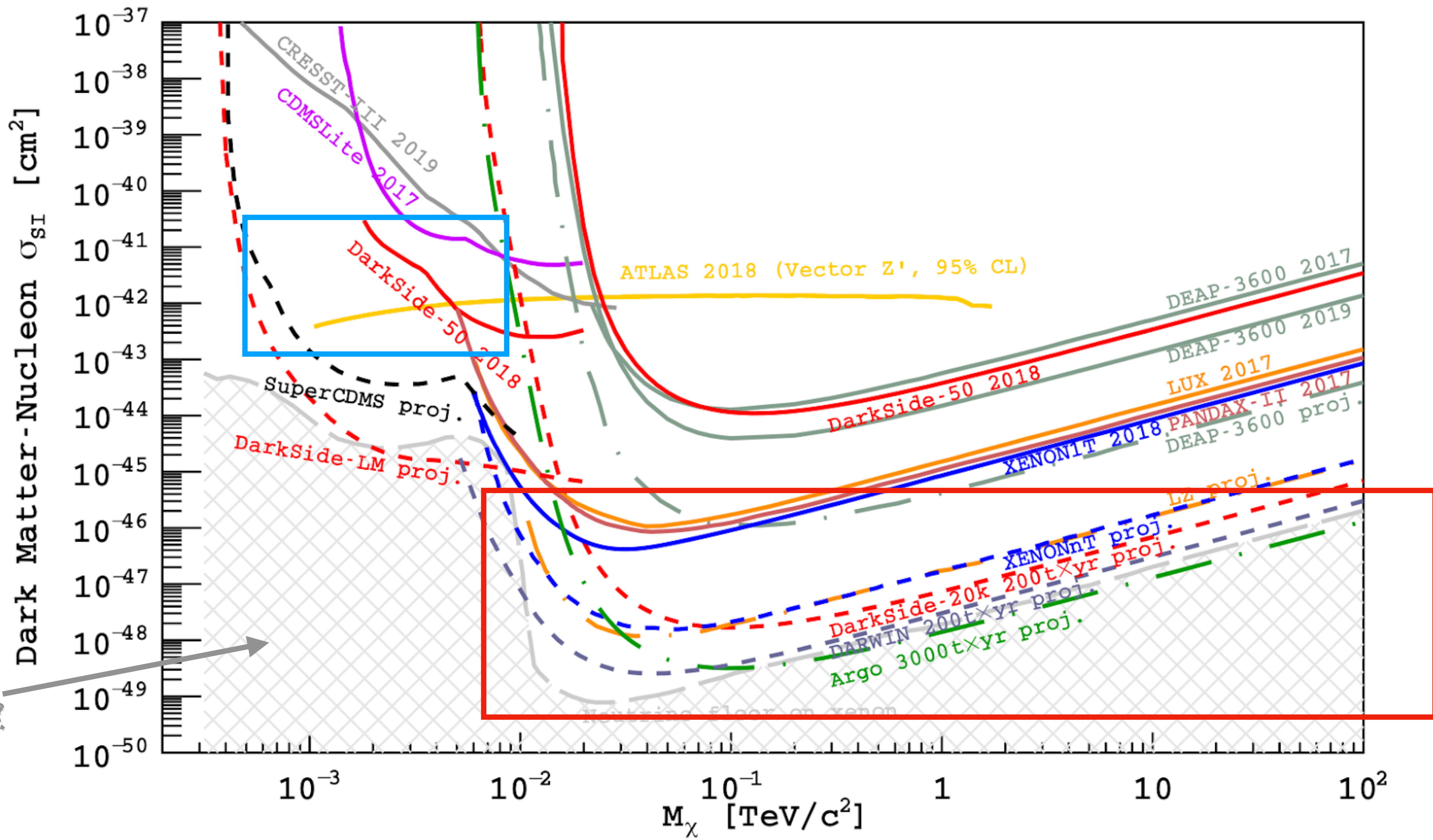
$$E_{\text{liquid}} \sim 200 \text{ V/cm} \quad (v_{\text{drift}} \sim 1 \text{ mm}/\mu\text{s})$$

$$E_{\text{gas}} \sim 3 \text{ kV/cm}$$



- light from scintillation in liquid
- later ($\sim z$): light from electroluminescence in gas (electron excites gas)

PUTTING DIRECT DETECTION ALTOGETHER



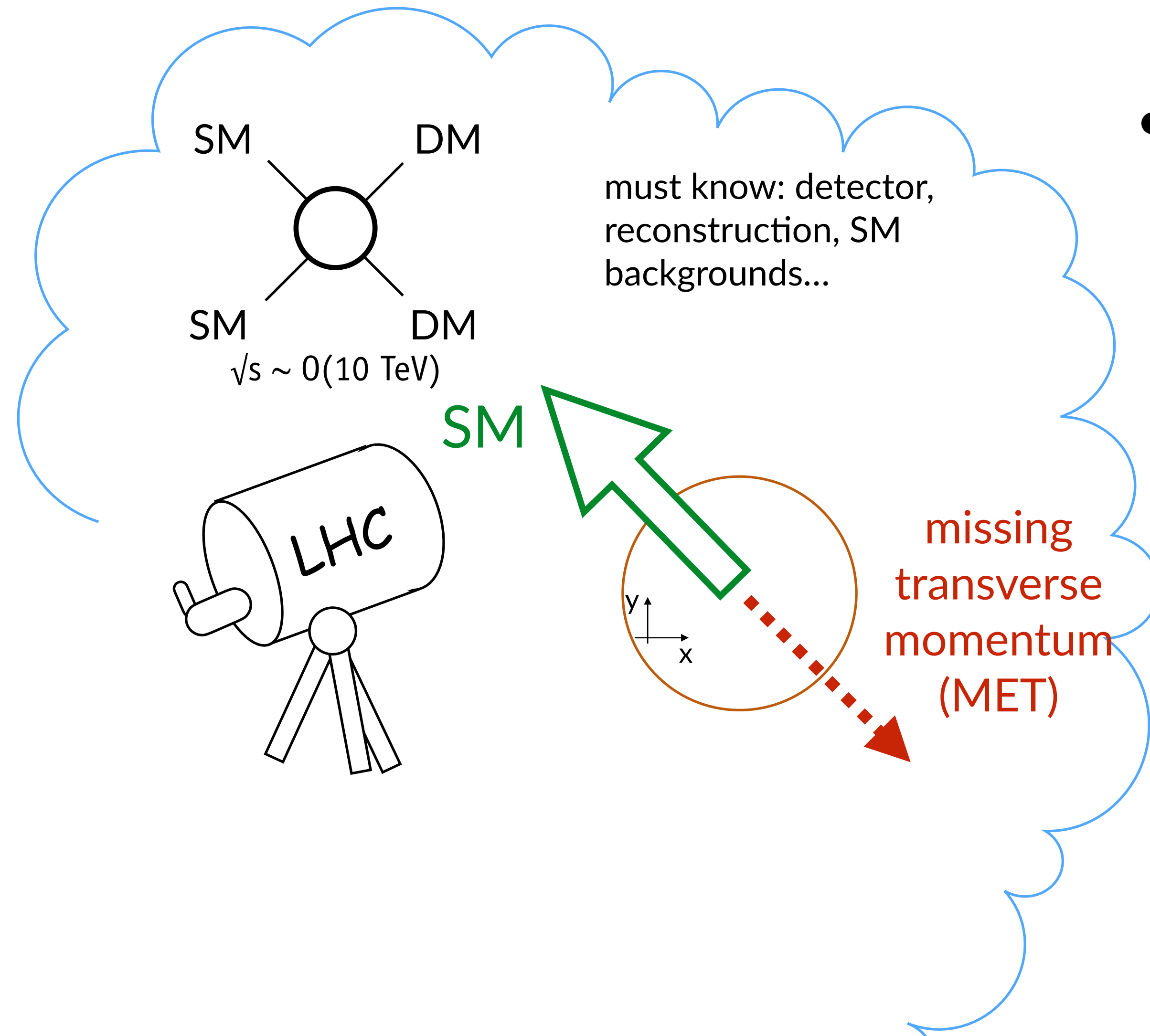
to go beyond:
directionality?

complementary strategies to reach neutrino floor

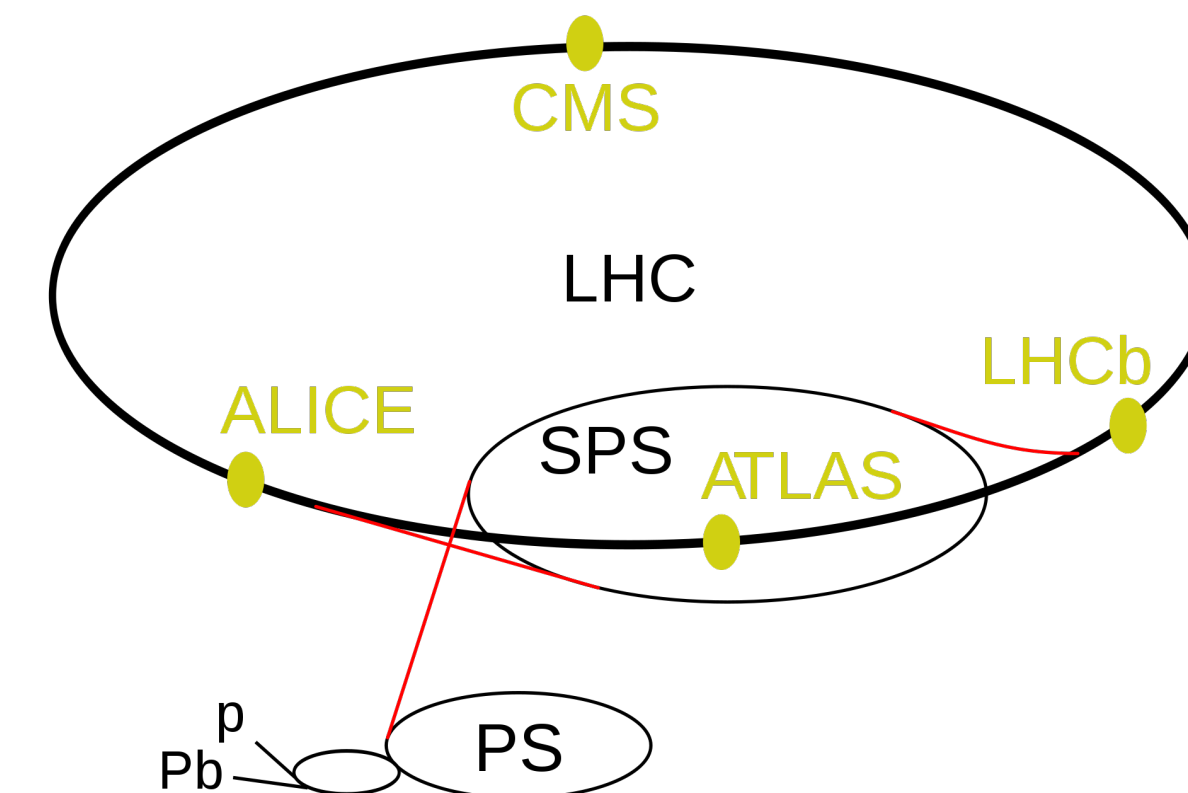
sensitivity driven by noble liquids (**scintillation+ionisation** vs **ionisation-only**)

Why collider searches

What about producing WIMPs?

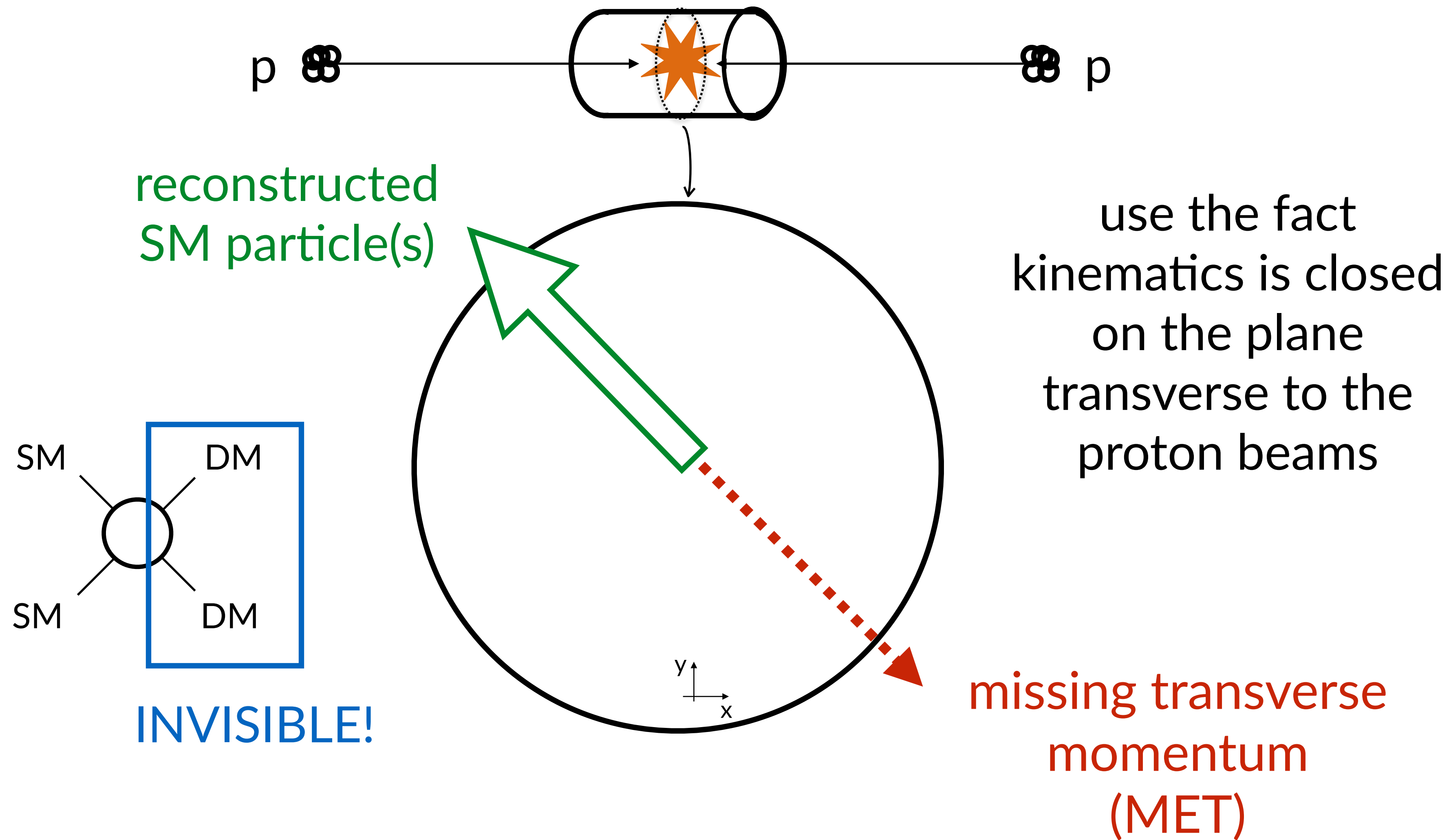


- build a collider which might produce DM
- build detectors which can detect everything else
- hope they do
 - experimental challenge set by needed precision and nature of DM-SM interaction



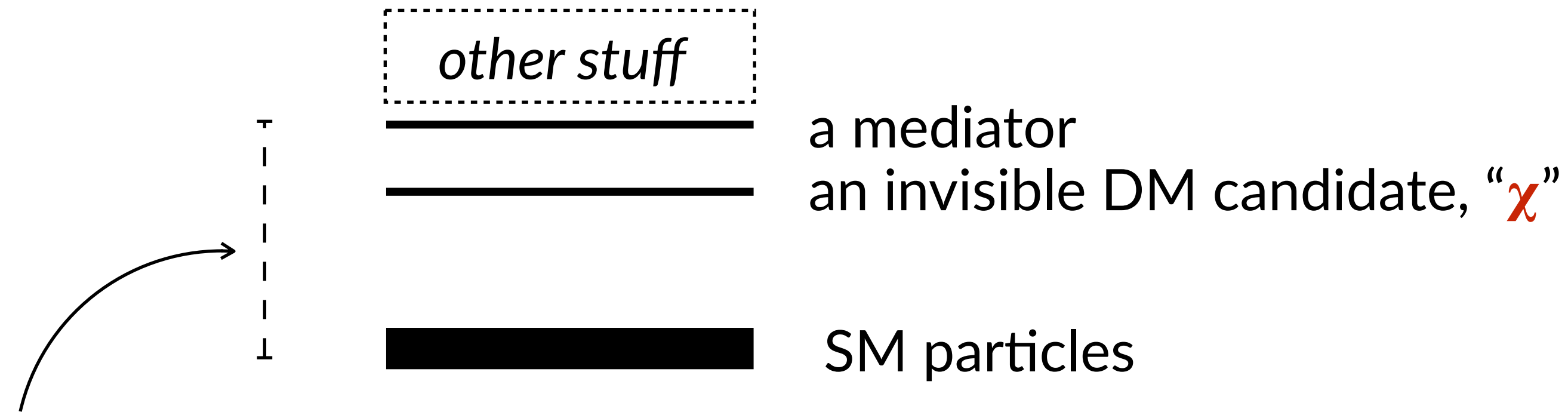
The invisible, through the visible

pp collisions @ 13 TeV



Extending the Standard Model

or: what are we all looking for?



$\Delta m \gg q^2$: **effective field theory** (as in the case of direct detection: Fermi-like interaction!)

$\Delta m \lesssim q^2$: use **simplified models**

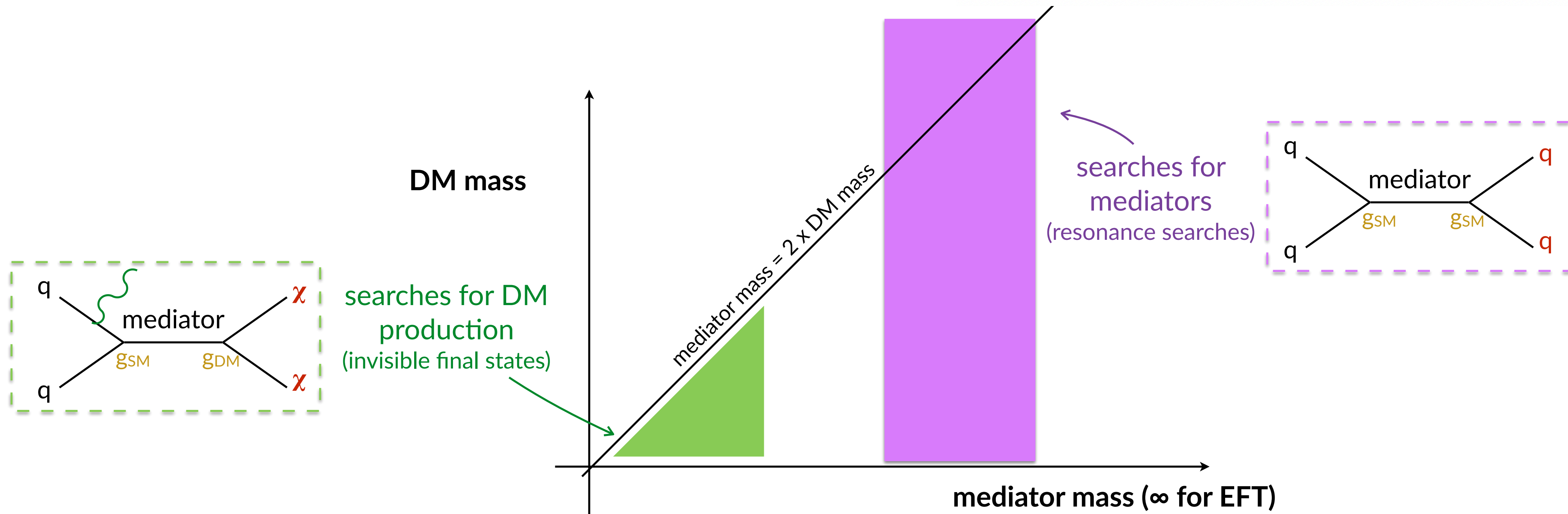
(simplified Lagrangian w.r.t. UV-complete models like SUSY)

	mediator	DM	coupling strength
direct detection	choice of the target	choice of the technology	reach neutrino bkg
LHC	choice of the final state	almost irrelevant if $< O(100 \text{ GeV})$	background estimation, luminosity

THE TYPICAL SIMPLIFIED MODEL

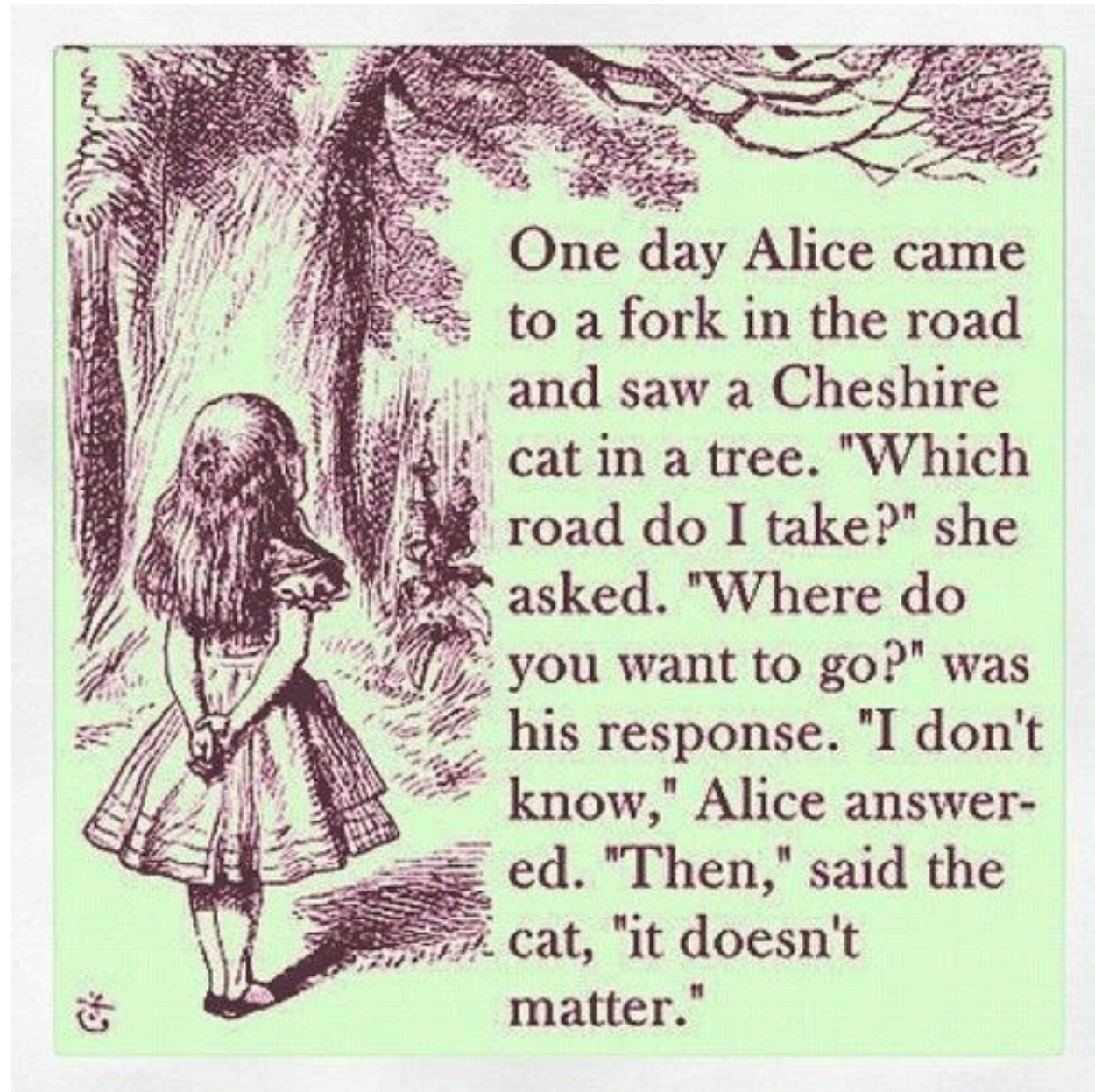
$$\mathcal{L}_{\text{vector}} = -g_{\text{DM}} Z'_\mu \bar{\chi} \gamma^\mu \chi - g_q \sum_{q=u,d,s,c,b,t} Z'_\mu \bar{q} \gamma^\mu q$$

$$\mathcal{L}_{\text{axial-vector}} = -g_{\text{DM}} Z'_\mu \bar{\chi} \gamma^\mu \gamma_5 \chi - g_q \sum_{q=u,d,s,c,b,t} Z'_\mu \bar{q} \gamma^\mu \gamma_5 q$$



- once interaction is fixed (e.g. vector), parameter space is (at least) 4-dimensional
 - mediator mass, DM mass, mediator-SM coupling strength, mediator-DM coupling strength
- results often expressed in terms of 2D slices at **fixed couplings**

WHICH ROAD DO I TAKE?



- LHC may produce DM, and hence characterise a possible discovery
 - strength: synergy of (often non-trivial) final states
 - limitation: "invisible" requires trigger and MET
- experimental strategy: cover all possible channels and explore the theory "idea space"

can use bb/tt + MET and multiple signatures
(mediator couples à la Yukawa with quark masses)

can use jets + MET and confirm with mediator searches
& ancillary channels (MET+gamma, MET+W/Z...)

	LHC	direct detection	indirect detection
scalar	low xsec, soft MET	:	
pseudo-scalar	low xsec, soft MET	: '((velocity suppressed)	:)
vector	large xsec	:) (spin independent)	
axial-vector	large xsec	: ((spin-dependent: experimental issue)	



different people see different things...

INVISIBLE CHANNELS

mono-jet, mono-W/Z, mono-photon...

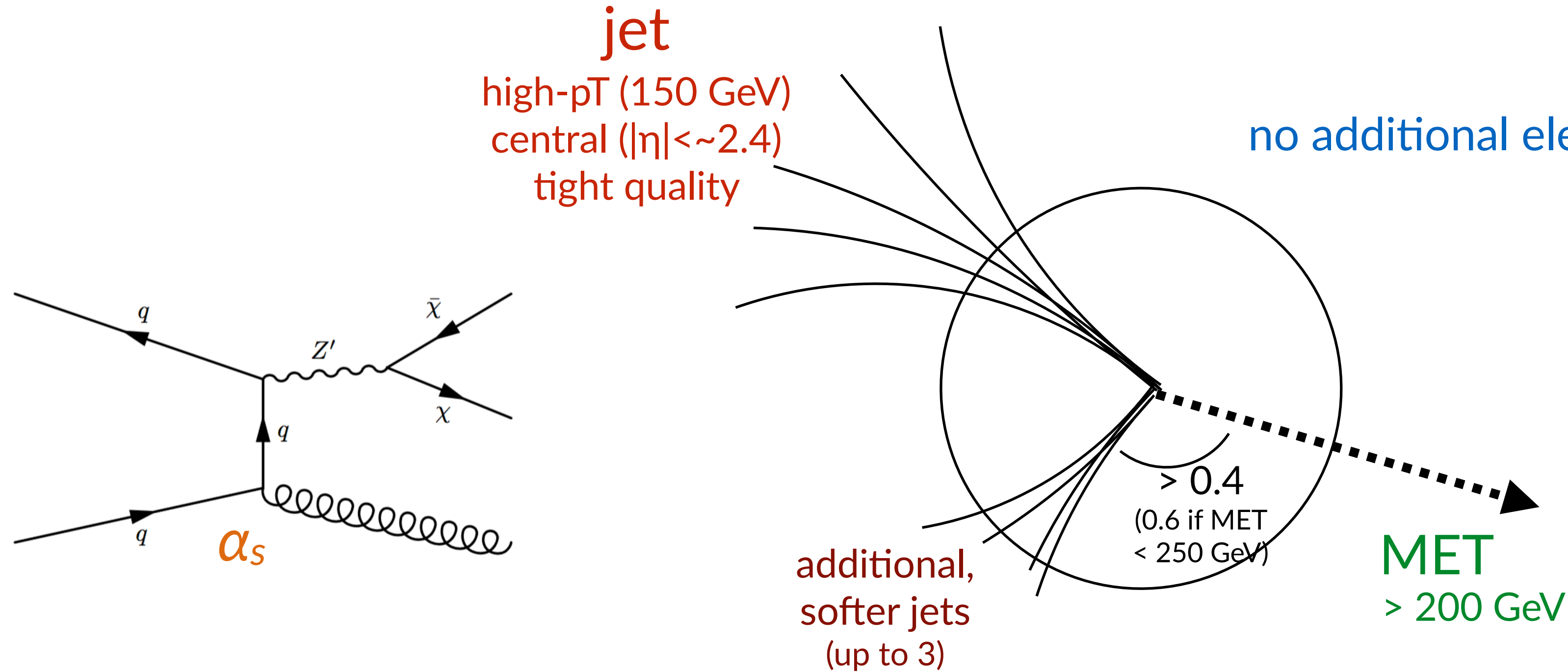


[* plots by ATLAS, but CMS
has similar approach]

"MONO-JET"

arXiv:2102.10874

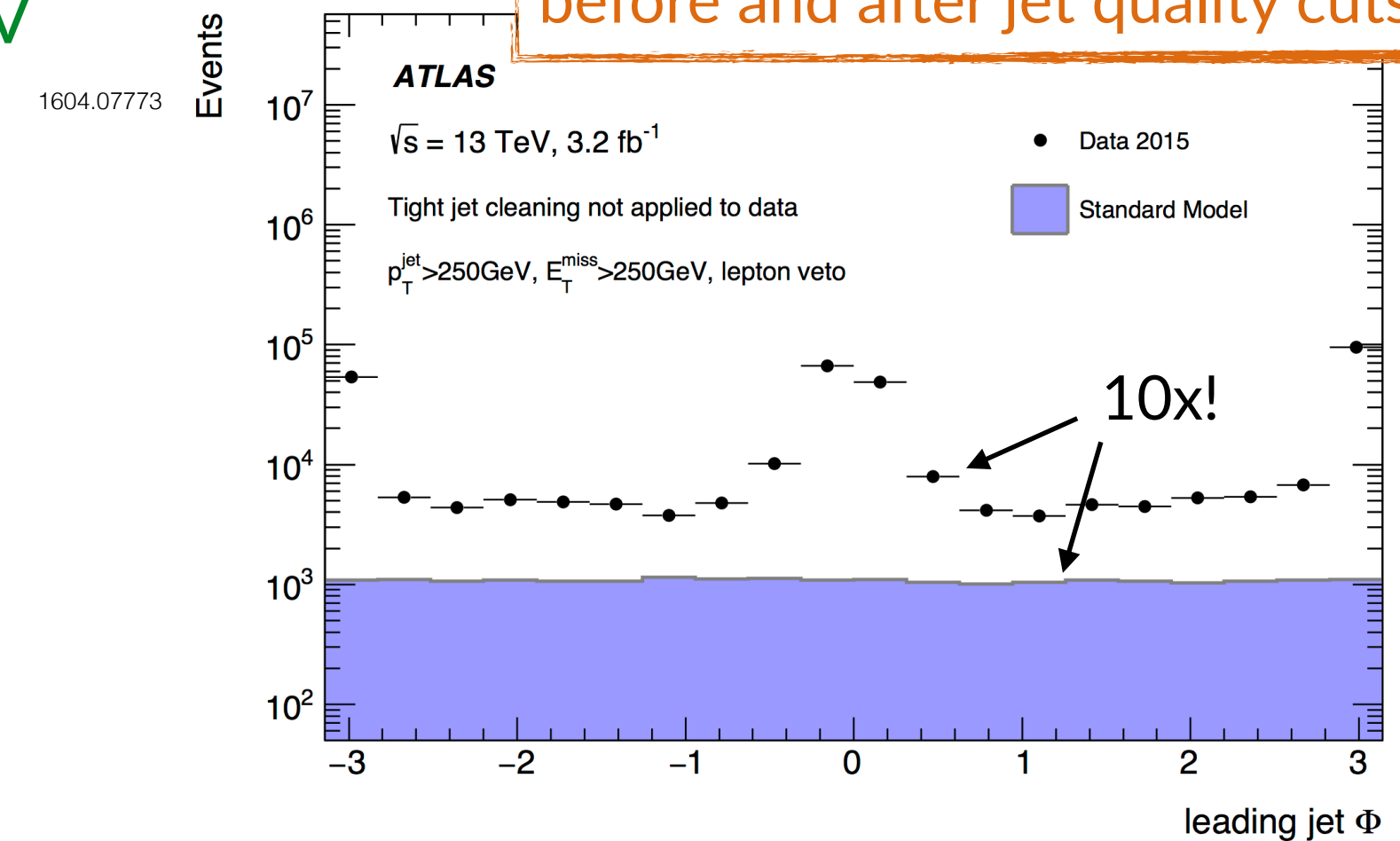
best channel if tagging object comes from ISR! (pay only α_s)



same signature as

- $Z(\nu\nu) + \text{jets}$, $W(\tau[qq']\nu) + \text{jets}$...
 - normalisation from simultaneous fit to $p_T(W/Z)$ distributions in lepton control regions
- use calorimeter segmentation to reject beam & instrumental background

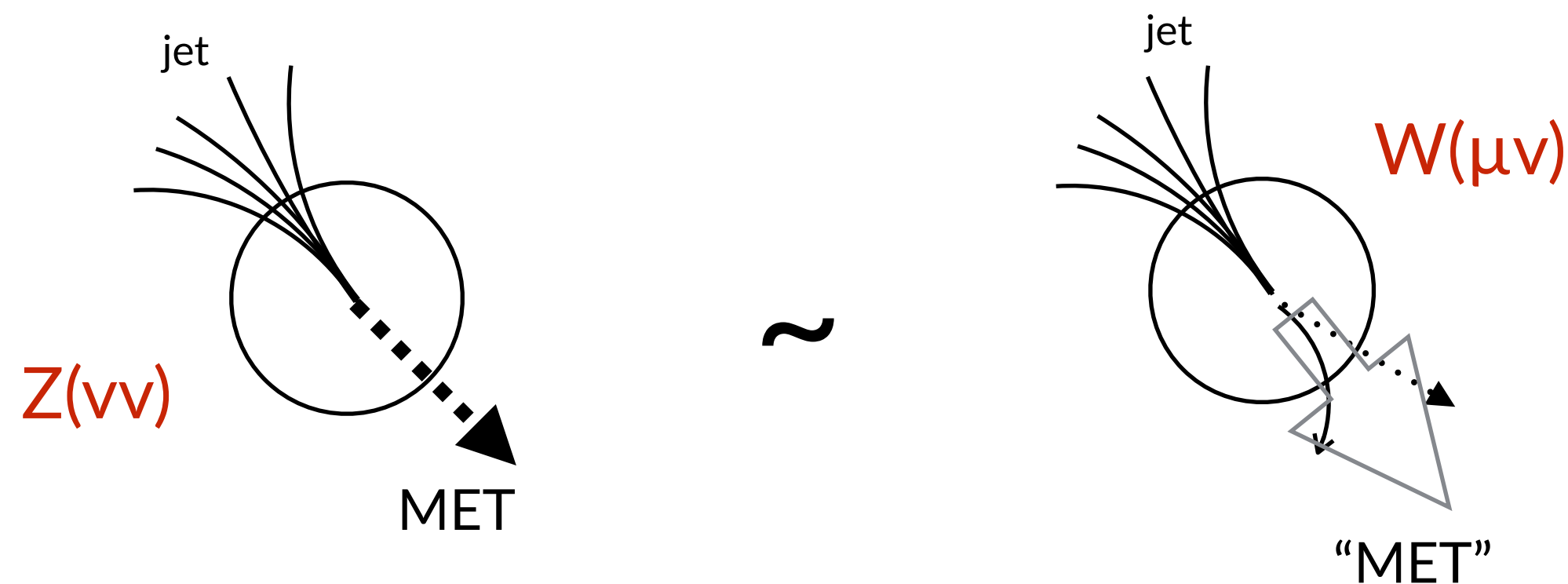
before and after jet quality cuts



"MONO-JET"

Reducing the irreducible: estimating V+jets (V=W or Z)

if we pretend leptons are invisible:



- fully link the $Z(\nu\nu)$ +jets cross-section to the $W(\mu\nu)$ +jets one

$$N_{\text{meas}}(Z\nu\nu) = \mathbf{k}^* N_{\text{meas}}(W\mu\nu/ev) = \mathbf{k}^* N_{\text{meas}}(Z\mu\mu)$$

from a fit to data enriched in W/Z+jets

- background uncertainty from residual differences between $Z(\nu\nu)$ and the rest (e.g. muon uncertainties)
- do this differentially, as a function of $p_T(V)$ -> why?

"MONO-JET"

two ways to do that

option A: "transfer factor" technique

$$N(Z \rightarrow \nu\nu, \text{data}) \approx N(Z \rightarrow \nu\nu, \text{MC}) \cdot \frac{N(W \rightarrow \mu\nu, \text{data})}{N(W \rightarrow \mu\nu, \text{MC})}$$

transfer factor

- as in SM measurements
- becomes complex when adding more regions (subtract & correlate backgrounds)

option B: "simultaneous fit"

$$\mathcal{P}(n_{cb}, a_p | \phi_p, \alpha_p, \gamma_b) = \prod_{c \in \text{channels}} \prod_{b \in \text{bins}} \text{Pois}(n_{cb} | \nu_{cb}) \cdot G(L_0 | \lambda, \Delta_L) \cdot \prod_{p \in \mathcal{S} + \Gamma} f_p(a_p | \alpha_p)$$

normalisation factors (free)

nuisance parameters (systematics)

nuisance parameters (low MC stats)

- as in Higgs discovery
- each background (and systematic variation) corresponds to a histogram
- systematic nuisance parameters describe how uncertainties impact bin contents across regions

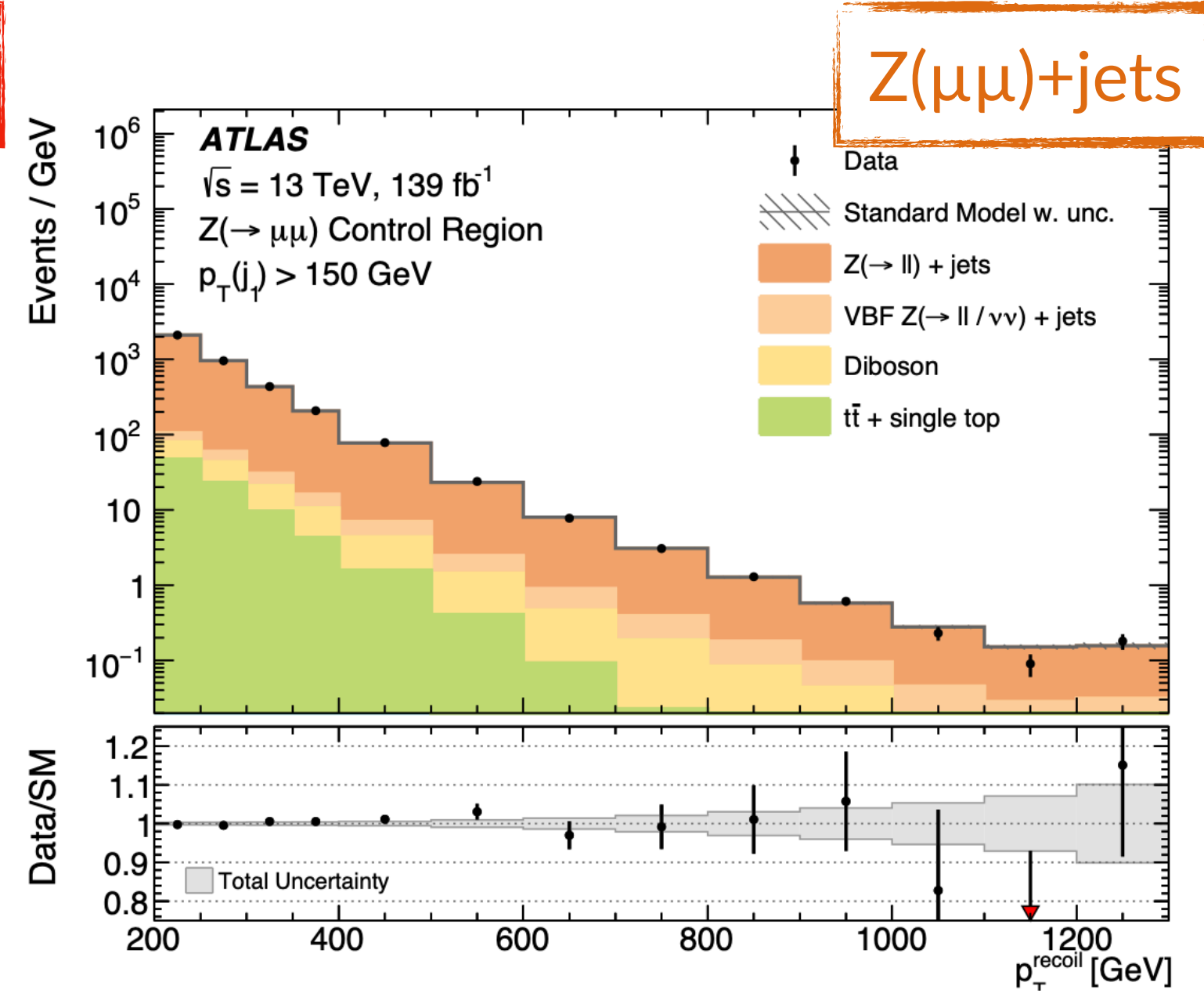
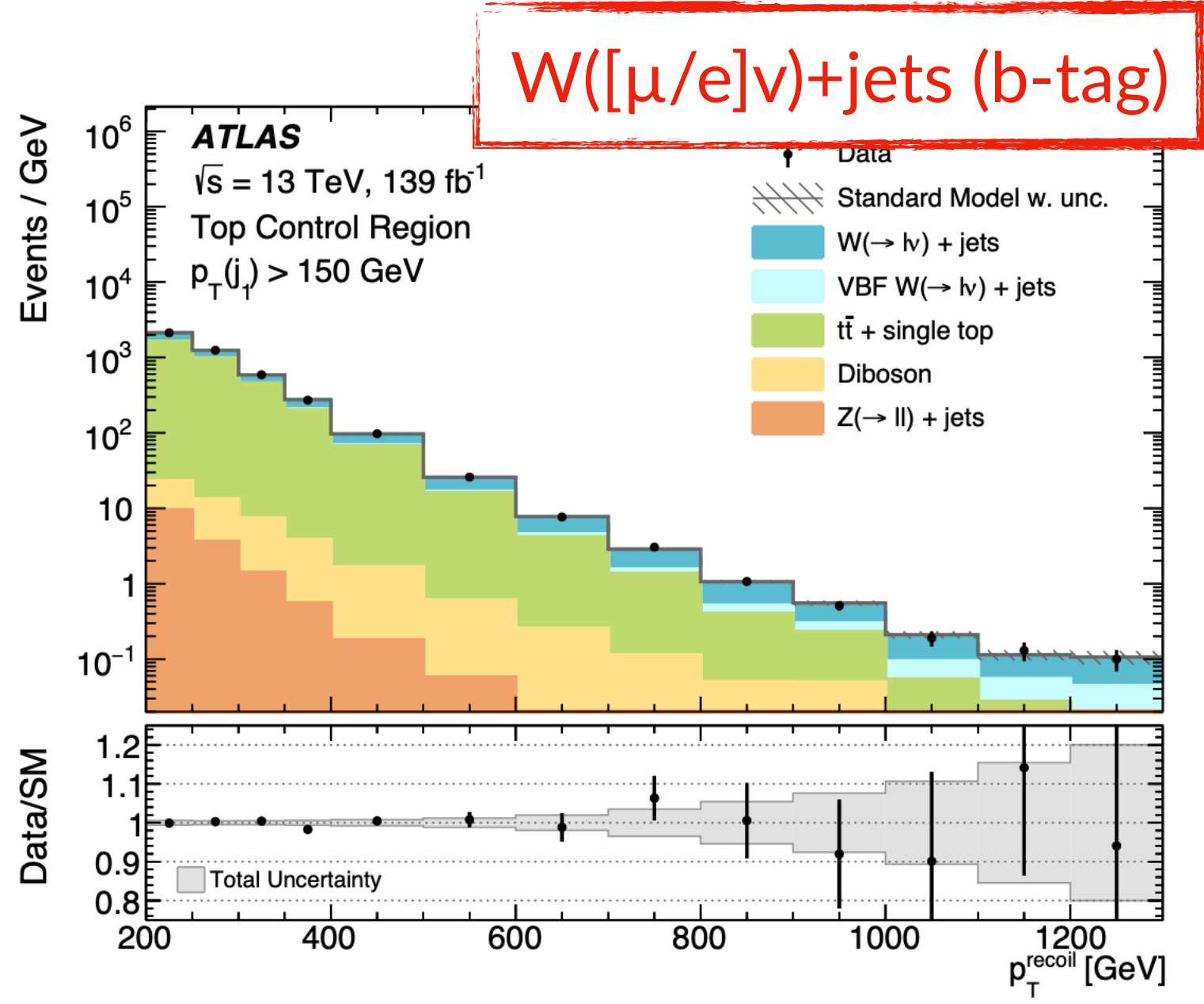
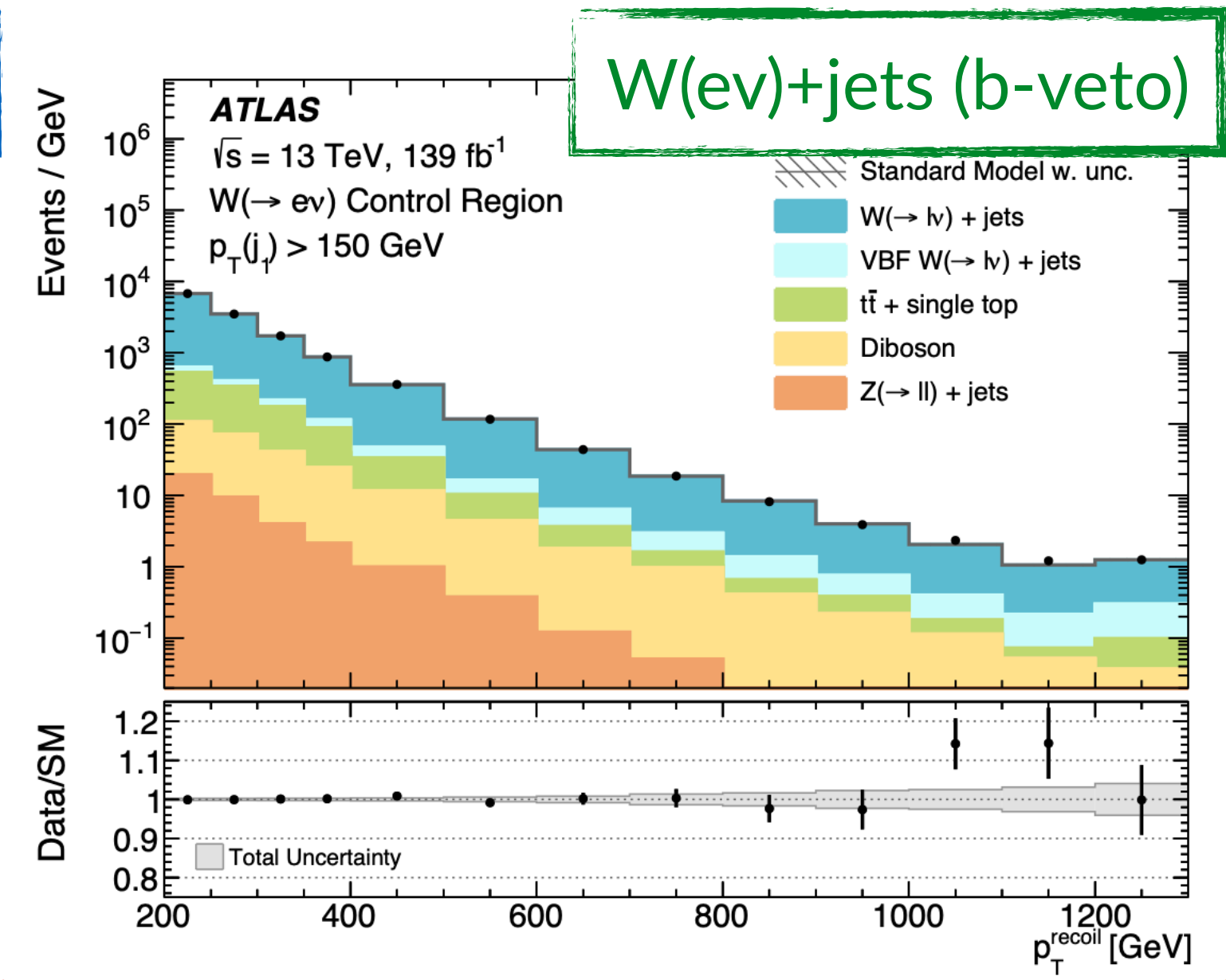
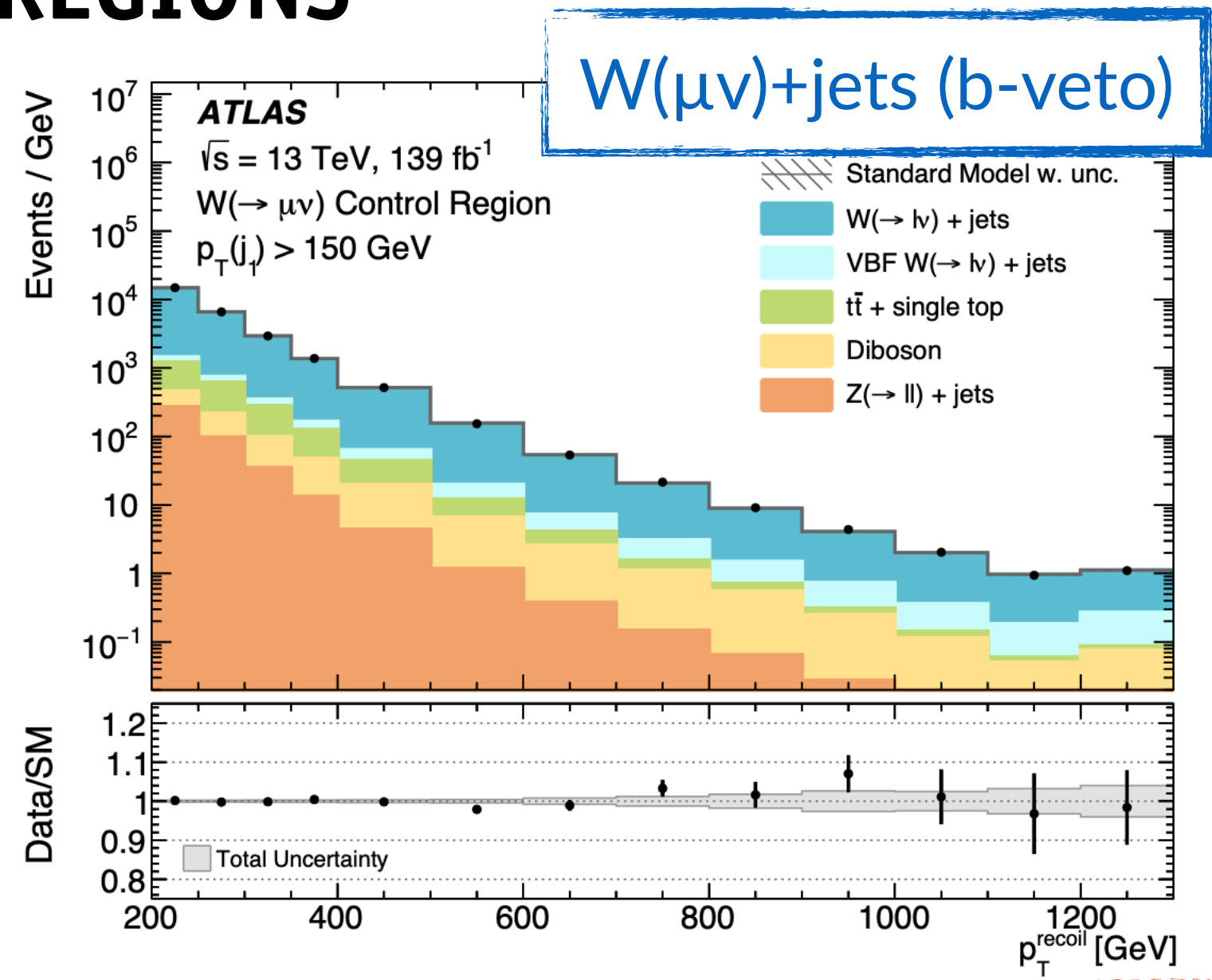
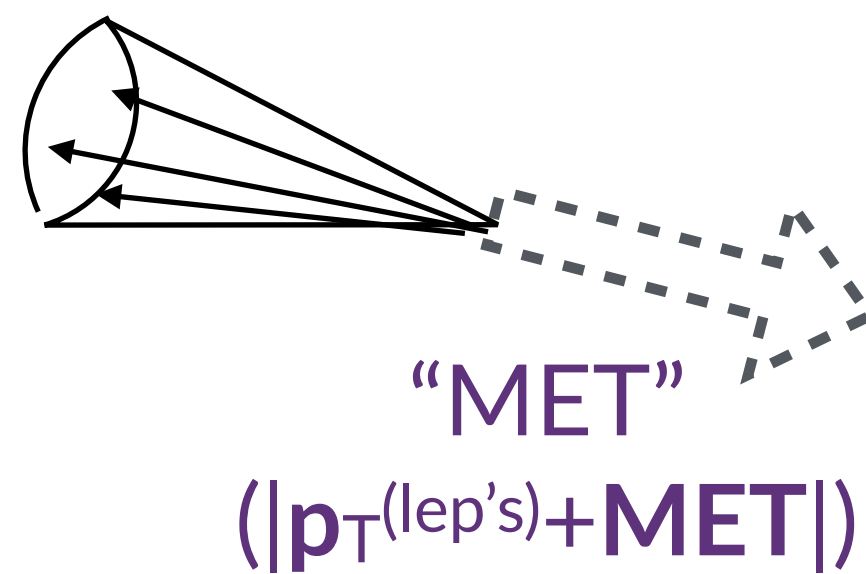
option B is nowadays the state-of-the-art

P_T(W/Z) IN "MONO-JET" CONTROL REGIONS

fit parameters:

- W/Z normalisation (free, common also to Z(νν)+jets)
- tt̄/single-t normalisation
- shape/normalisation uncertainties (constrained)

jet



[results of CR-only fit]

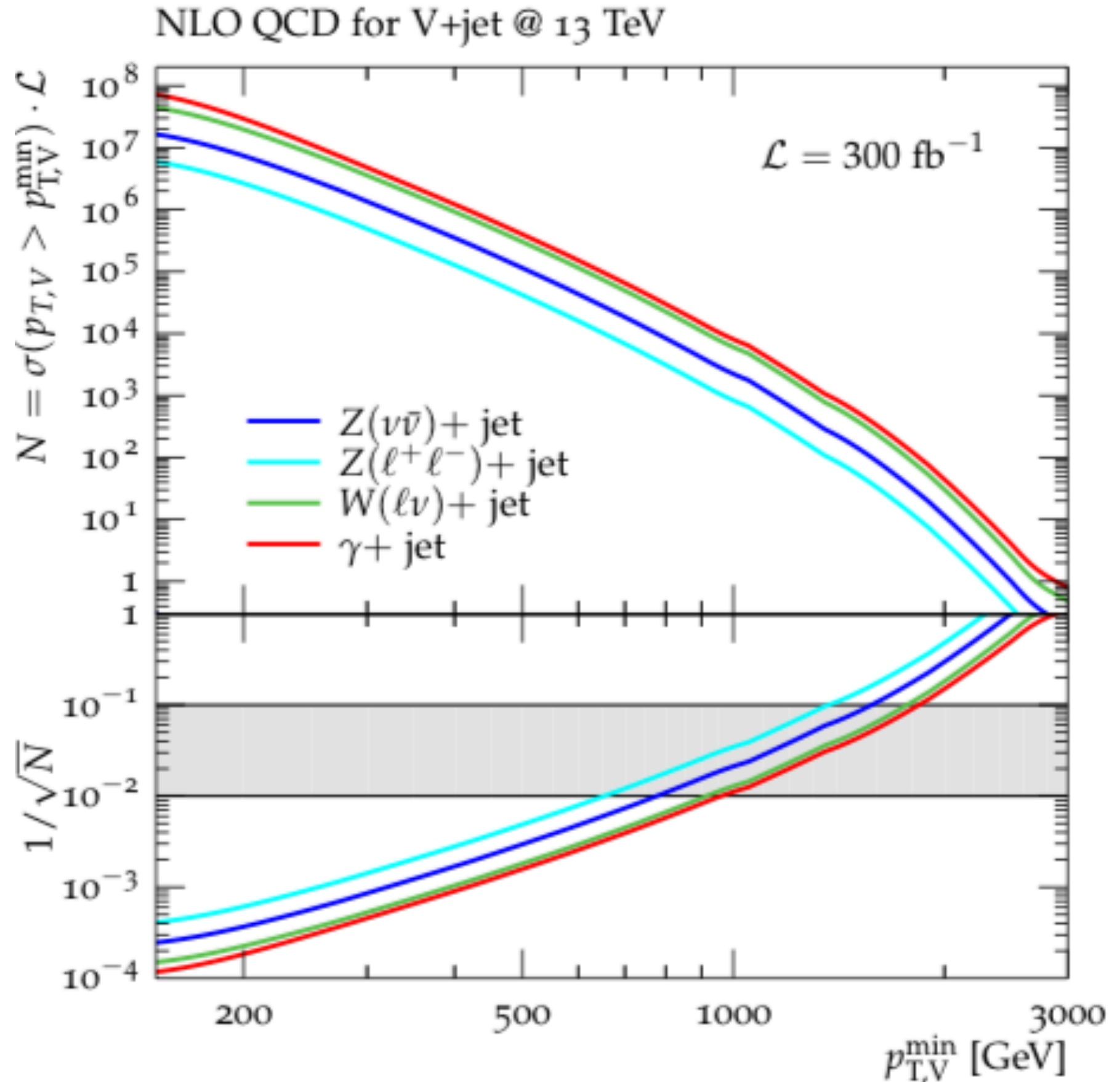
also: Z(ee)+jets CR

WEAPONS OF Z(vv) DESTRUCTION

arXiv:1705.04664v1

v2 goes to NNLO in QCD, implemented recently @ ATLAS

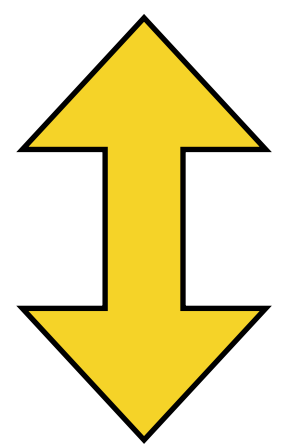
V+jets xsec x BR, as a function of p_T



produce more W+jets than Z(l+l-)+jets:
use both to reduce statistical uncertainties

$$\mathcal{L}(R) = \prod_{\text{region } i} \text{Pois} (N_{\text{OBS}}^{(i)} | K \times N_{\text{MC}}^{(i)})$$

- fit from data a common, global scale factor to W and Z normalisation



- assume the W/Z cross-section ratio is known to a given precision

(ATLAS MC accuracy: Sherpa NLO up to 2 partons, LO up to 4 partons)

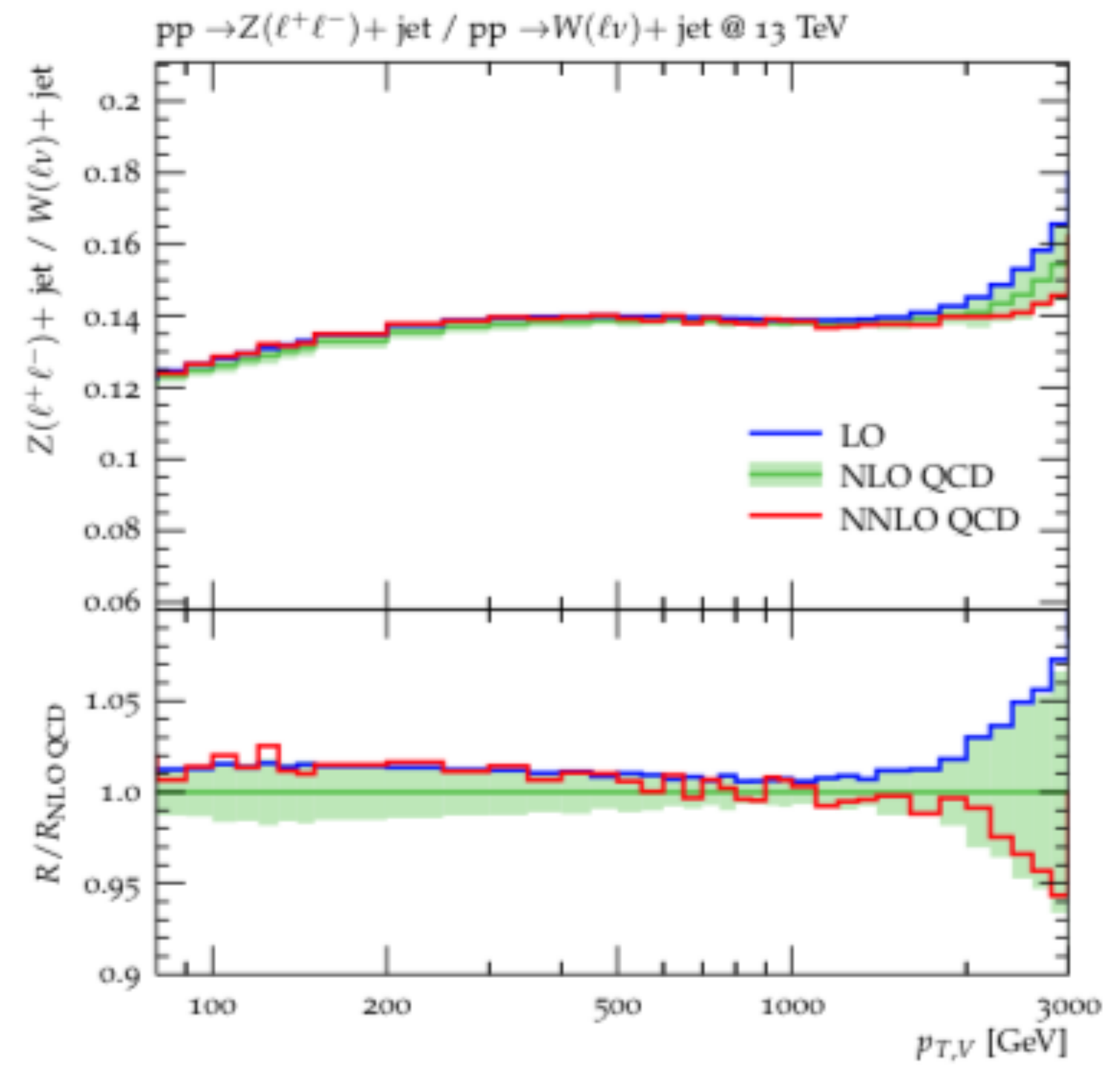
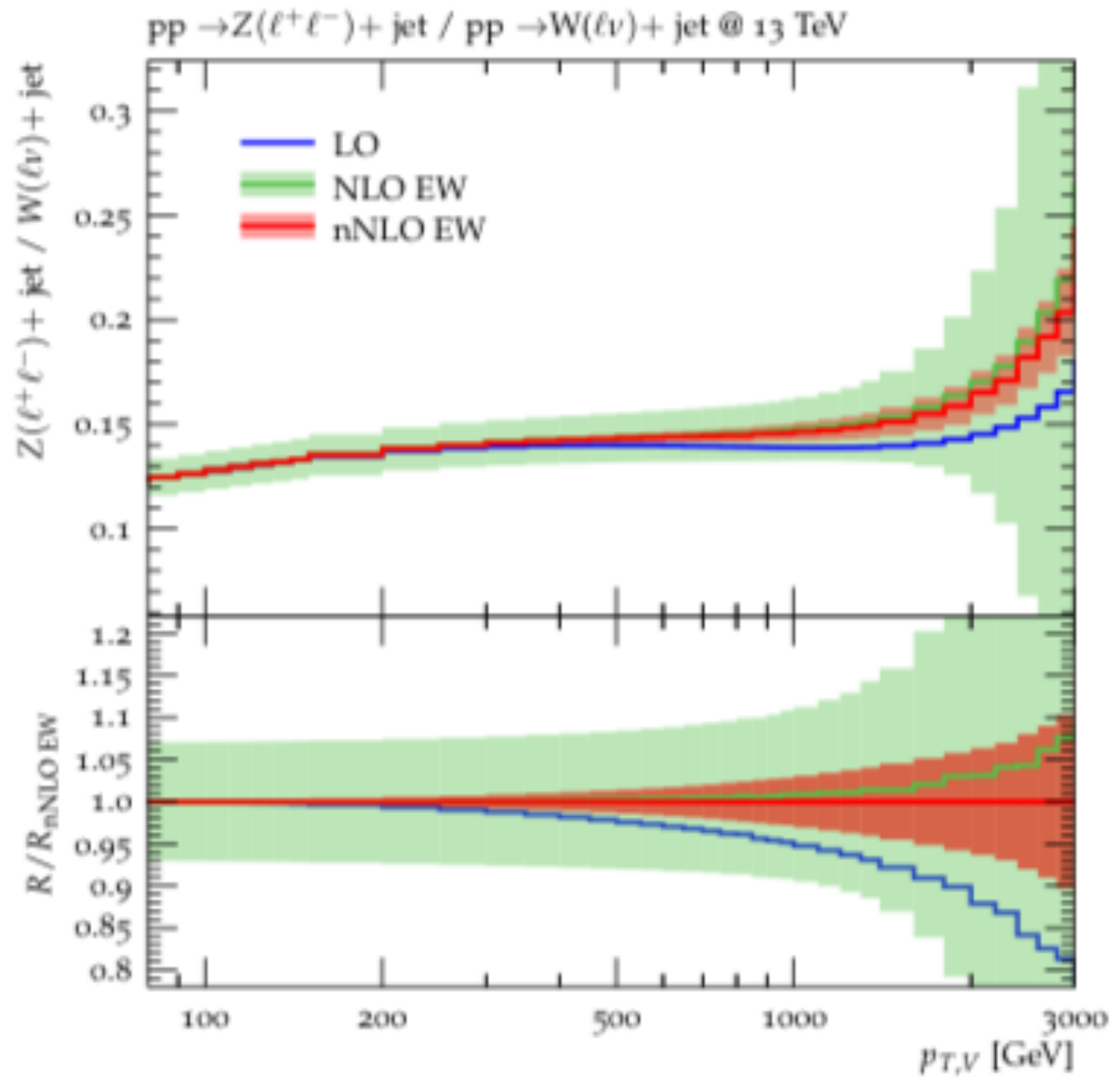
CROSS-SECTION RATIOS AT HIGHER ORDERS



EW uncertainties

>>

QCD uncertainties



key points:

- shape and normalisation uncertainties on the W/Z cross-section ratio
- correlation scheme from state-of-the-art theory calculations
- fit an overall correction factor common to W and Z

HOW THIS AFFECTS A SEARCH

Source of uncertainty and effect on the total SR background estimate [%]			
Flavor tagging	0.1 – 0.9	τ -lepton identification efficiency	0.1 – 0.07
Jet energy scale	0.17 – 1.0	Luminosity	0.01 – 0.05
Jet energy resolution	0.15 – 1.3	Noncollision background	0.2 – 0.0
Jet JVT efficiency	0.01 – 0.03	Multijet background	1.0 – 0.0
Pileup reweighting	0.4 – 0.24	Diboson theory	0.01 – 0.22
E_T^{miss} resolution	0.34 – 0.04	Single-top theory	0.13 – 0.28
E_T^{miss} scale	0.5 – 0.25	$t\bar{t}$ theory	0.06 – 0.7
Electron and photon energy resolution	0.01 – 0.08	V+jets τ -lepton definition	0.04 – 0.16
Electron and photon energy scale	0.3 – 0.7	V+jets pure QCD corrections	0.24 – 1.1
Electron identification efficiency	0.5 – 1.0	V+jets pure EW corrections	0.17 – 2.2
Electron reconstruction efficiency	0.15 – 0.2	V+jets mixed QCD–EW corrections	0.02 – 0.7
Electron isolation efficiency	0.04 – 0.19	V+jets PDF	0.01 – 0.7
Muon identification efficiency	0.03 – 0.9	VBF EW V+jets backgrounds	0.02 – 1.1
Muon reconstruction efficiency	0.4 – 1.5	Limited MC statistics	0.05 – 1.9
Muon momentum scale	0.1 – 0.7		
Total background uncertainty in the Signal Region: 1.5%–4.2%			

THE BIGGER PICTURE

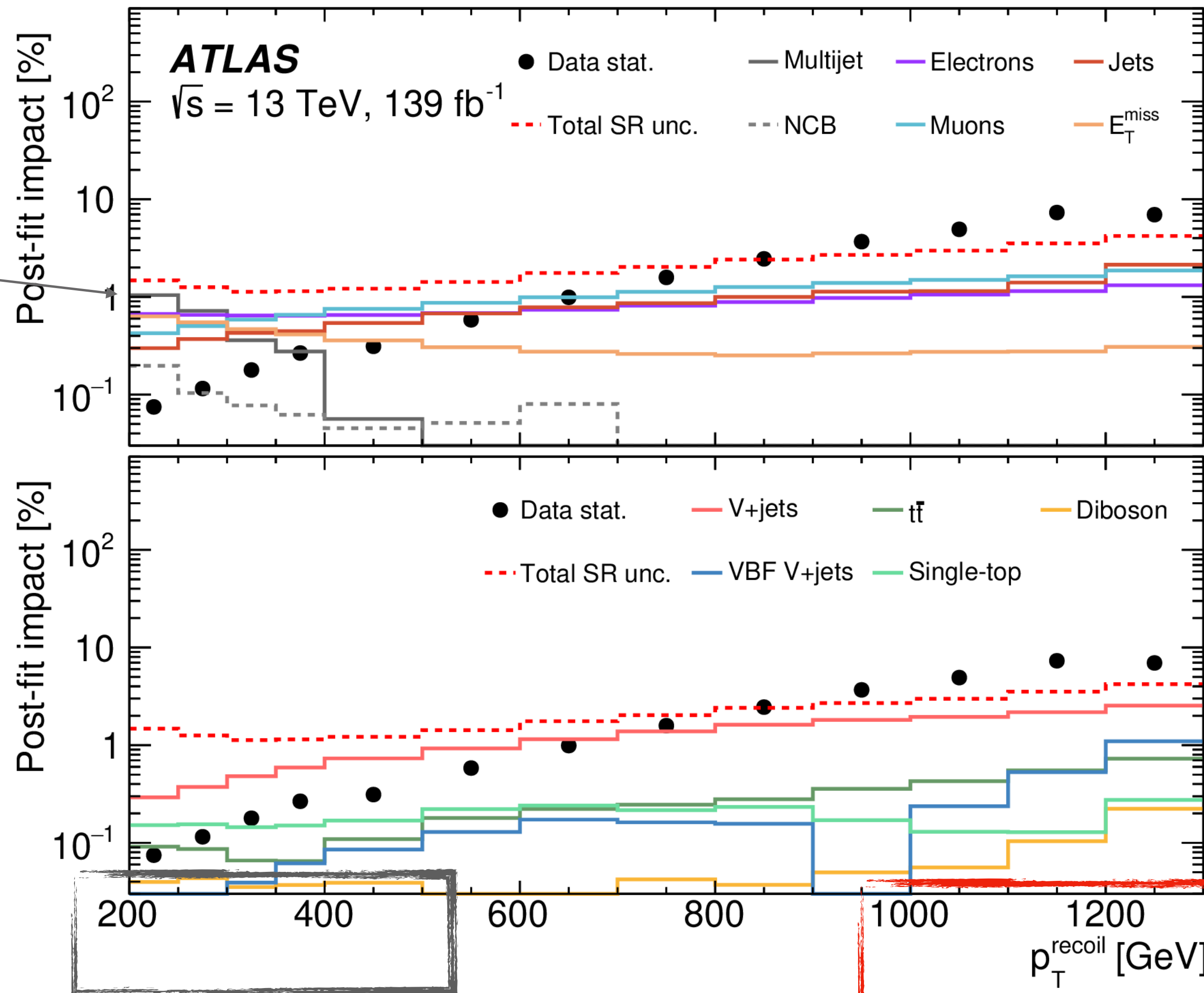
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Total background uncertainty in the Signal Region:		1.5%–4.2%	

"a precision search"?

[you may attempt at unfolding the $Z_{\nu\nu}/W_{l\nu}$ cross-section ratio and do better - can you?]

OR A SEARCH FOR PRECISION?

MET comes from
mismeasured jets

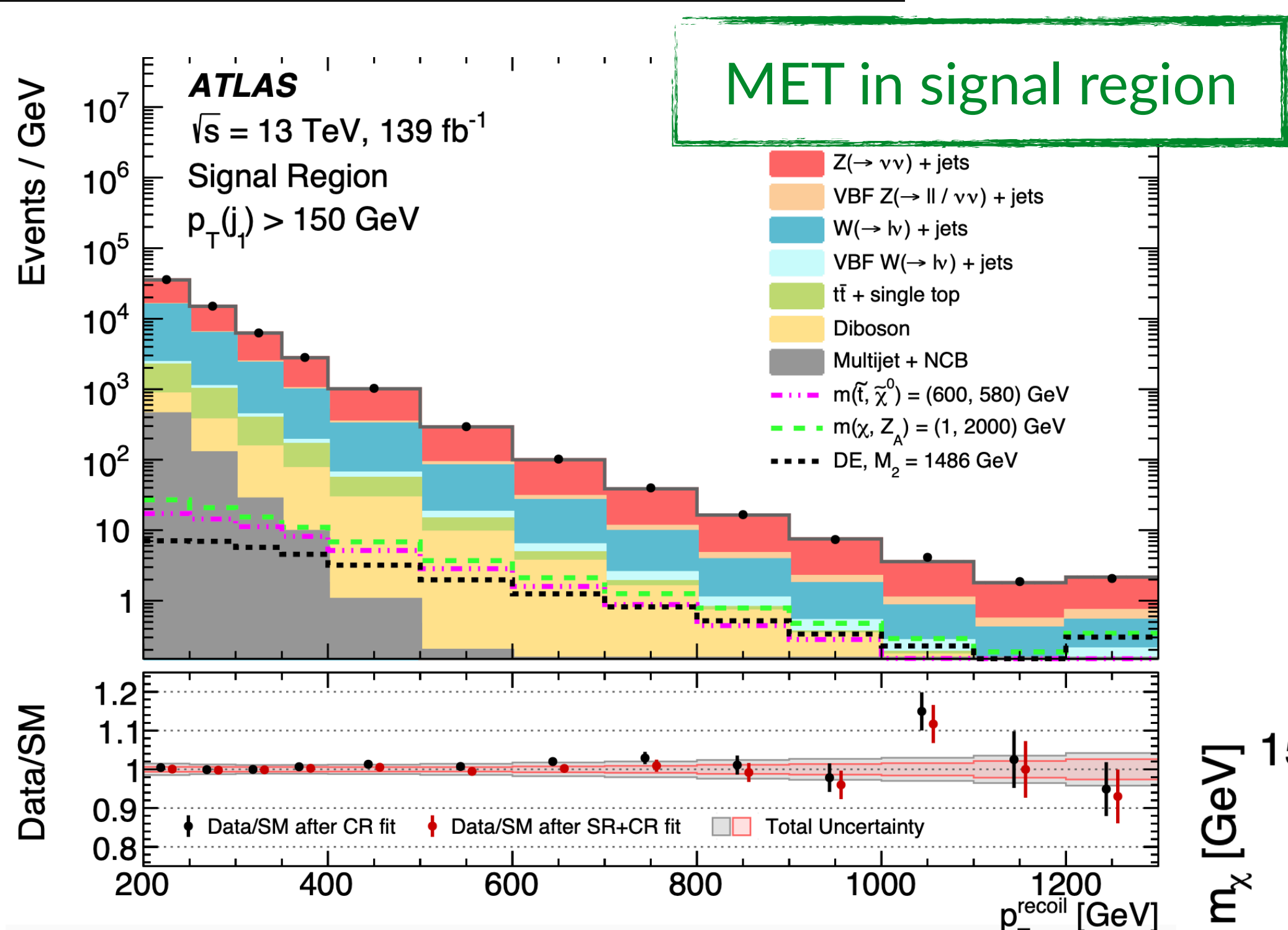


very hard to
calibrate high-
energy jets (multi-jet
balance, punch-through...)

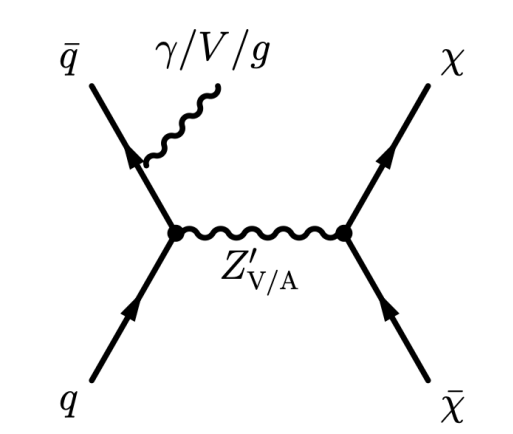
no standard
candle beyond
the Z boson

spin-0 interactions live here

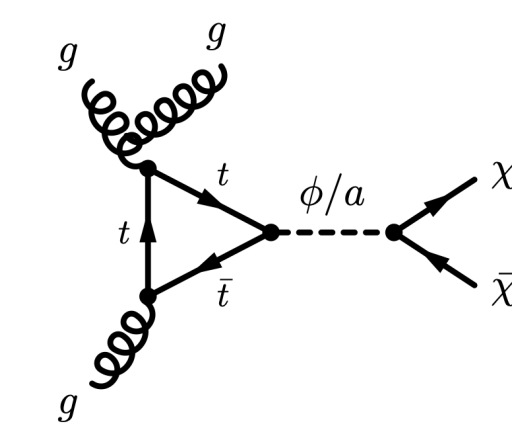
spin-1 interactions live here



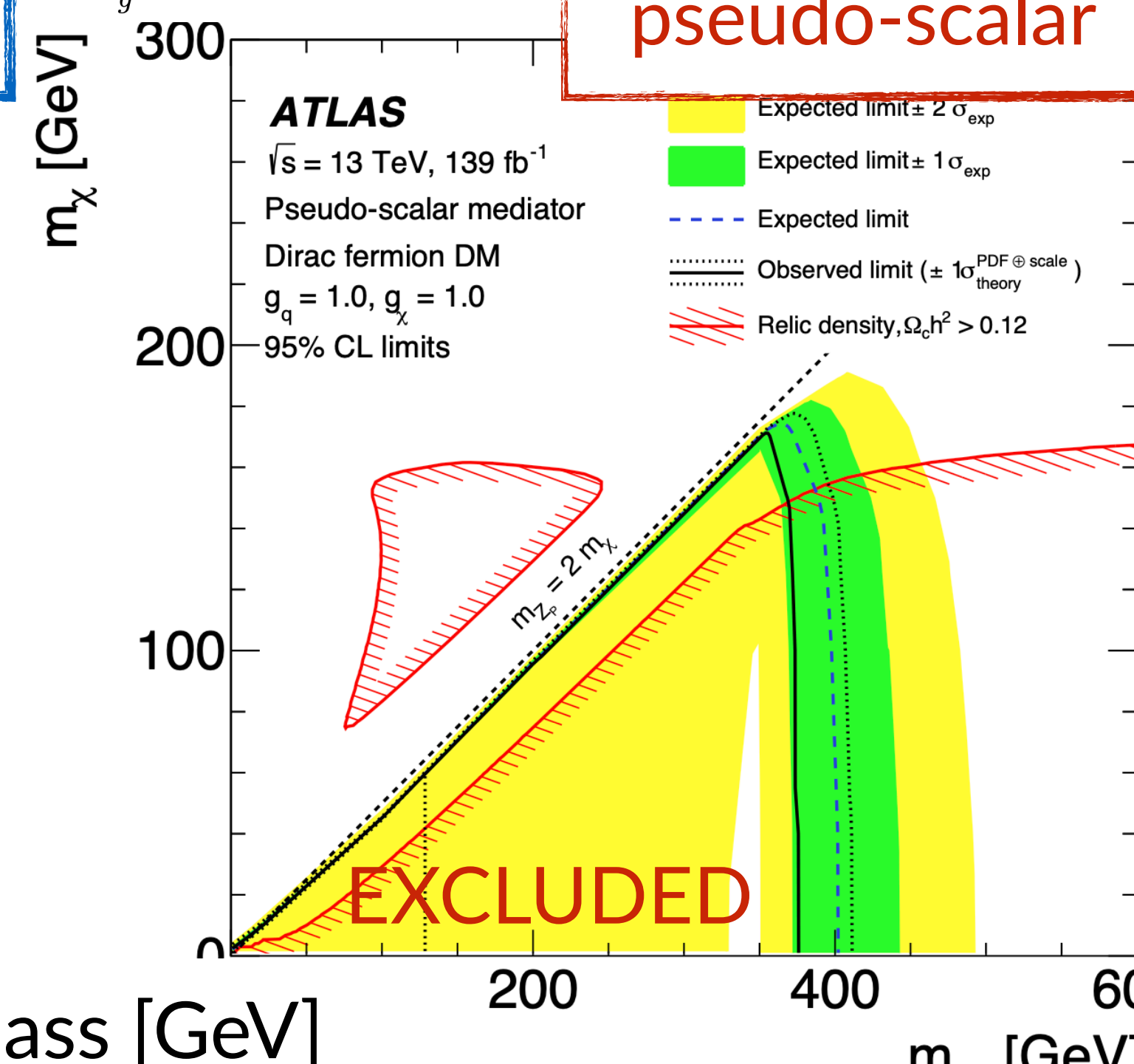
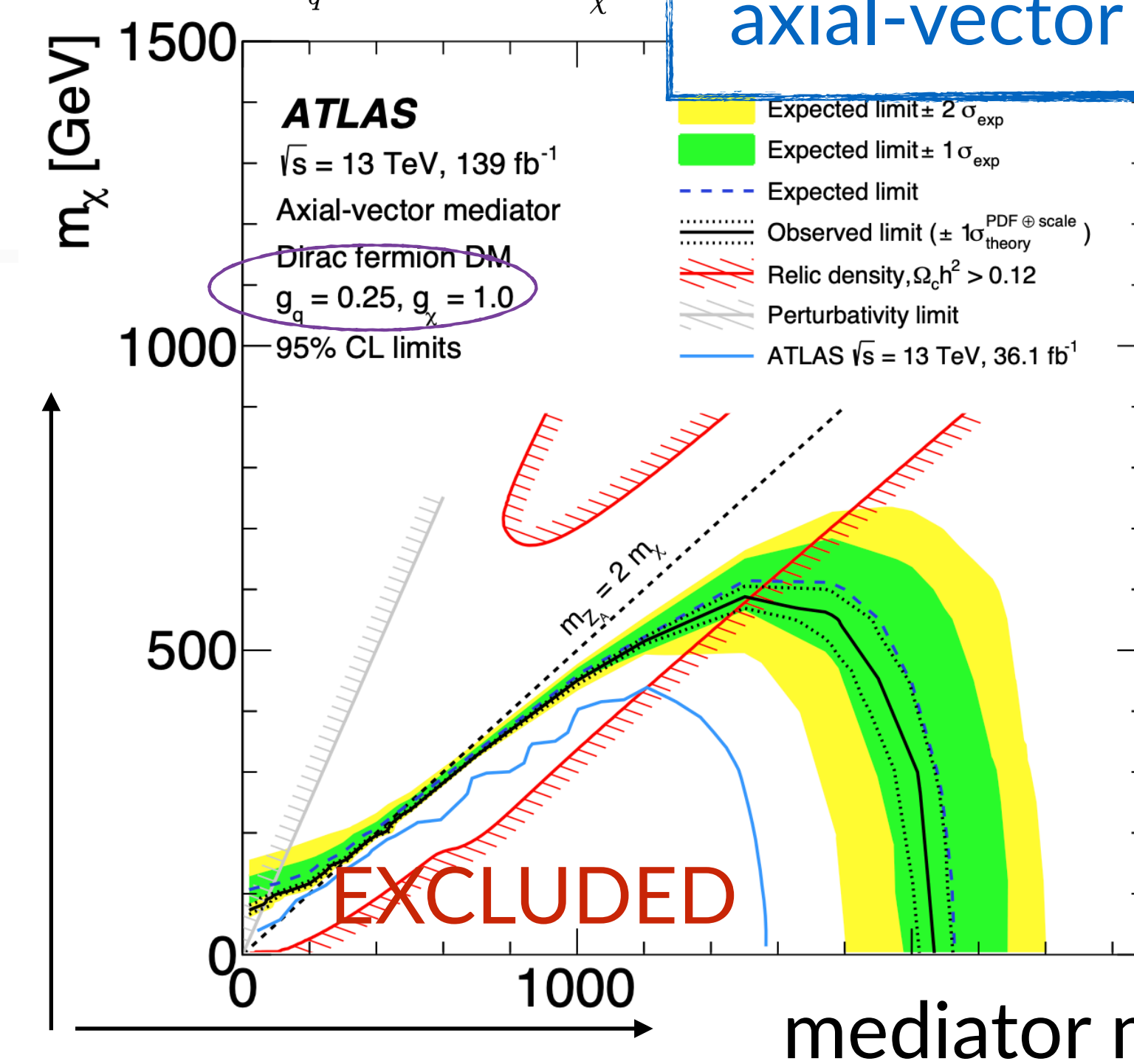
- 1.5-4.2% uncertainty on signal region background
 - theo: 0.3-1% for the W(lv)/Z(ll)->Z(νν) extrapolation
 - exp: electron/muon efficiency, jet energy scale/reso
- probing s-channel ($J^P=0^-, 1^+, 1^-$) and t-channel [36 fb $^{-1}$ only] DM-SM interactions



axial-vector



pseudo-scalar



discovery potential for these WIMP models depends on assumed interaction and couplings

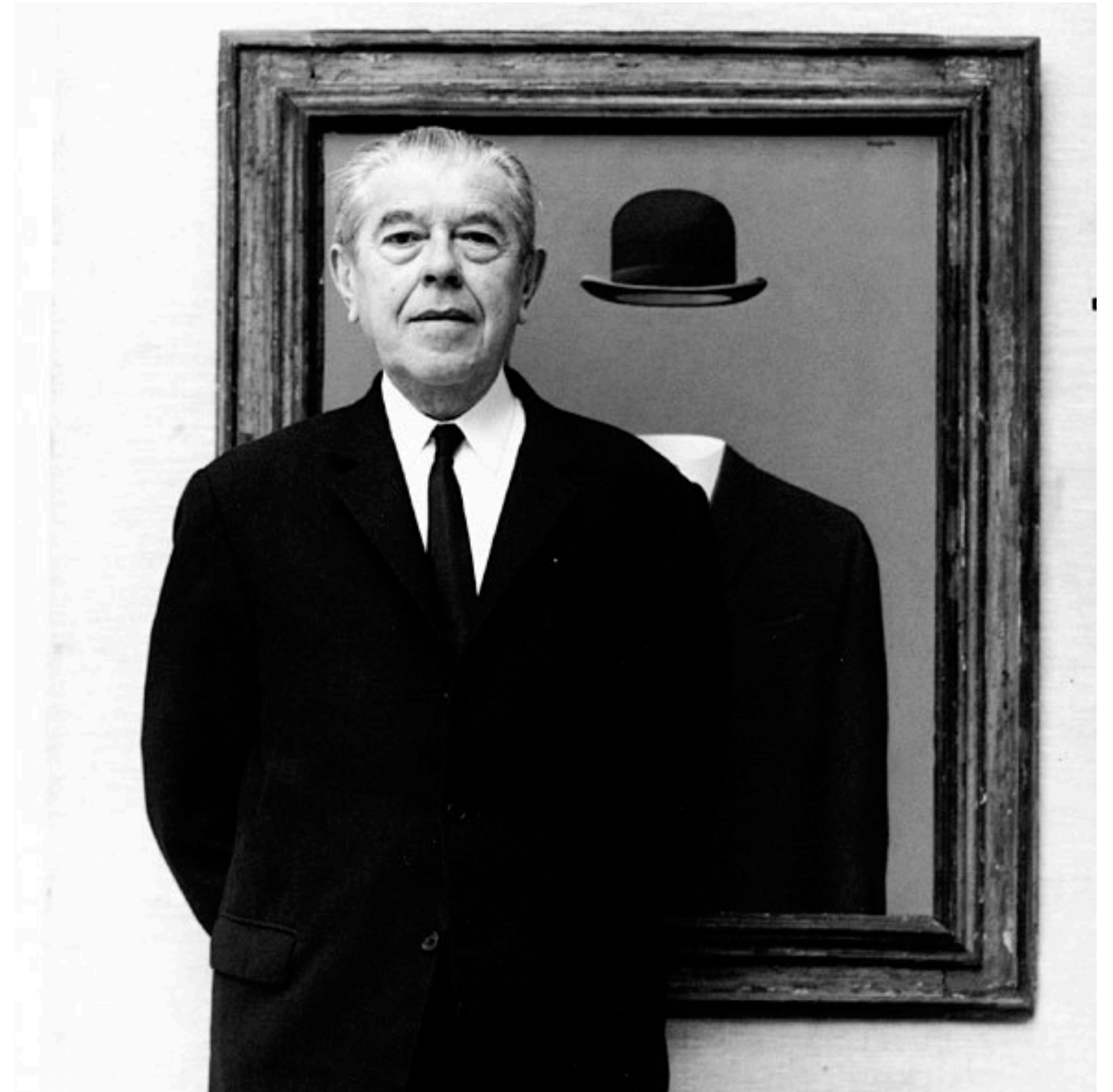
DM mass [GeV]

mediator mass [GeV]

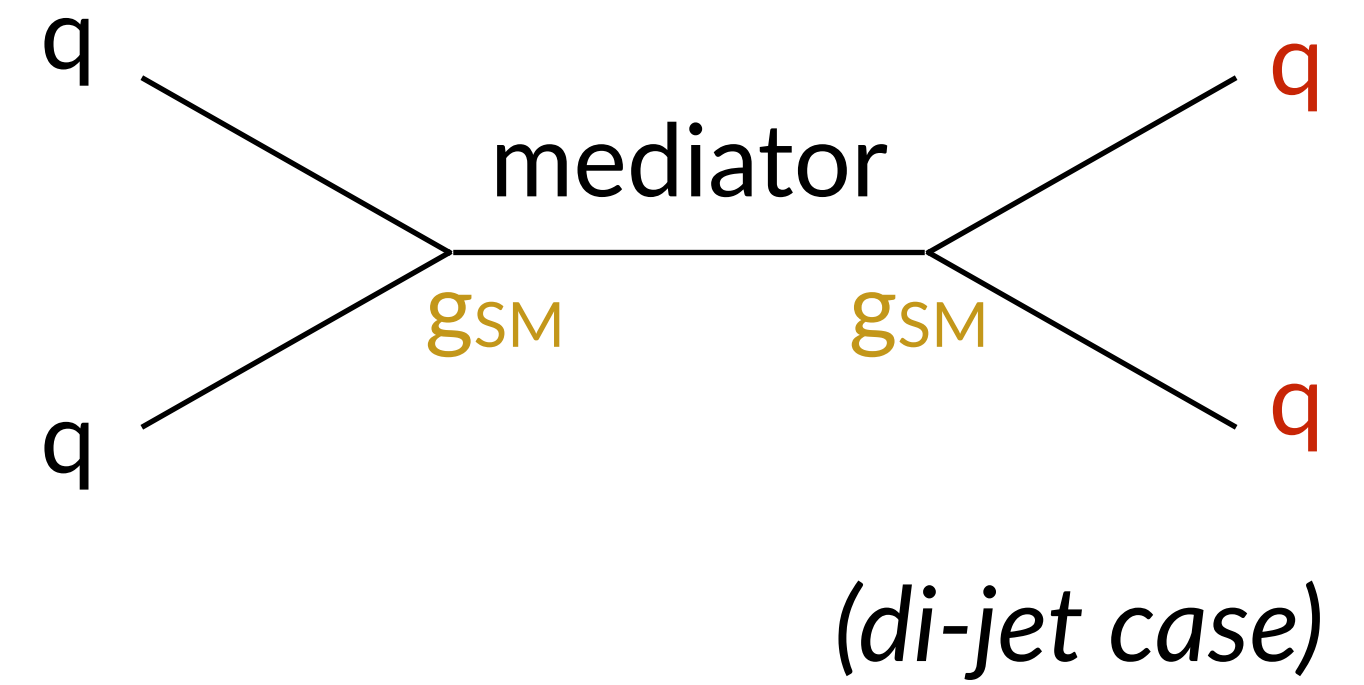
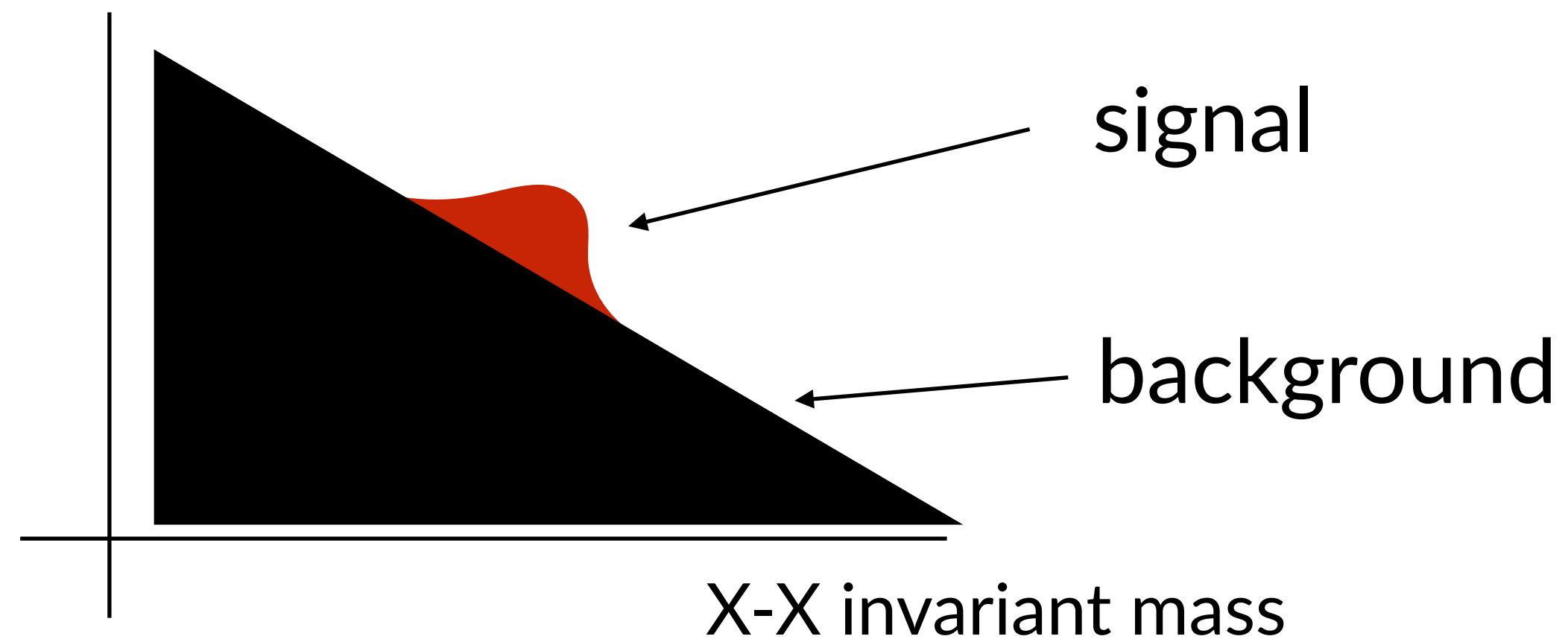
m_{Z_p} [GeV]

THE VISIBLE

di-jet, di-lepton, di-top...



IF WE LOOK FOR THE MEDIATOR



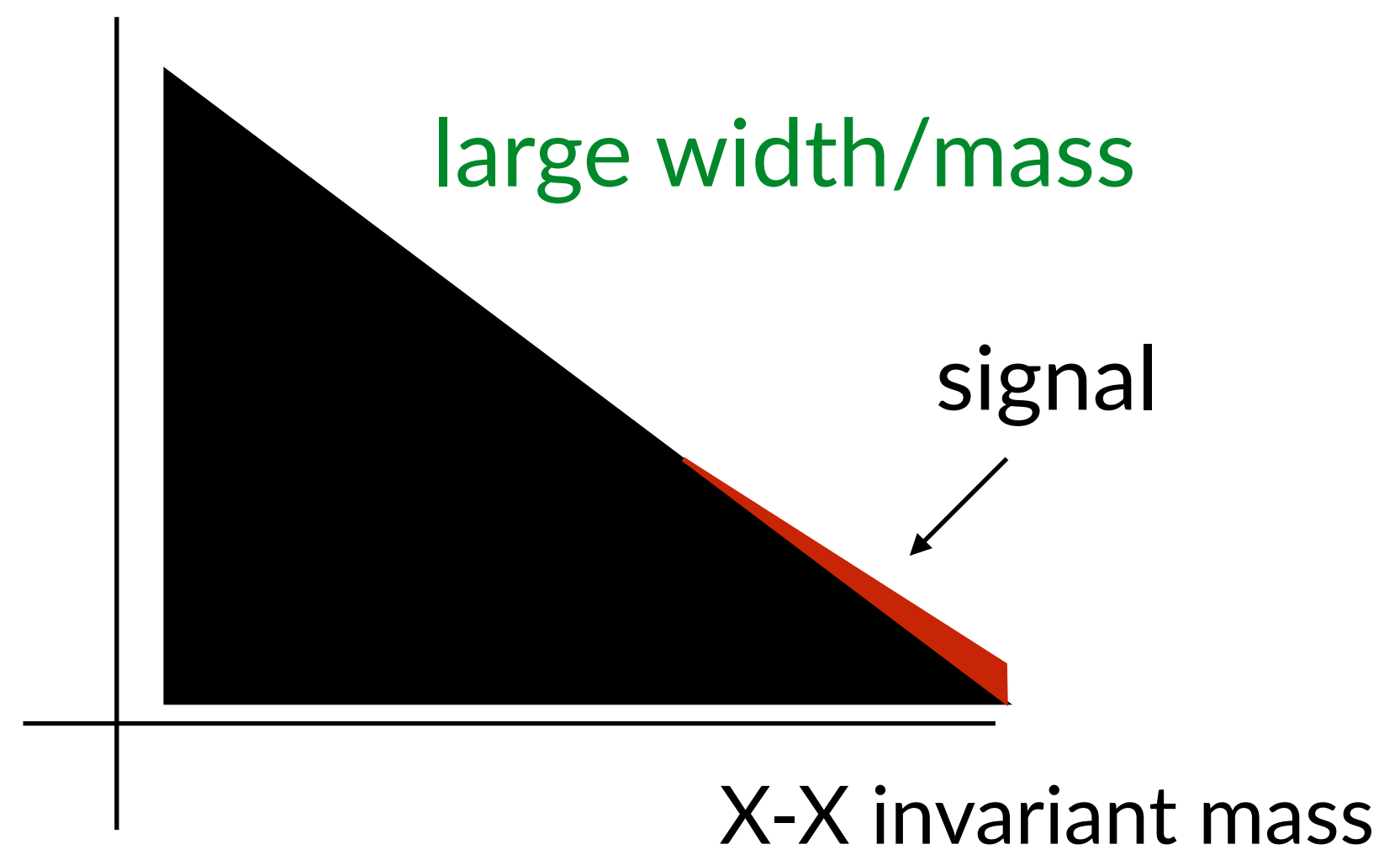
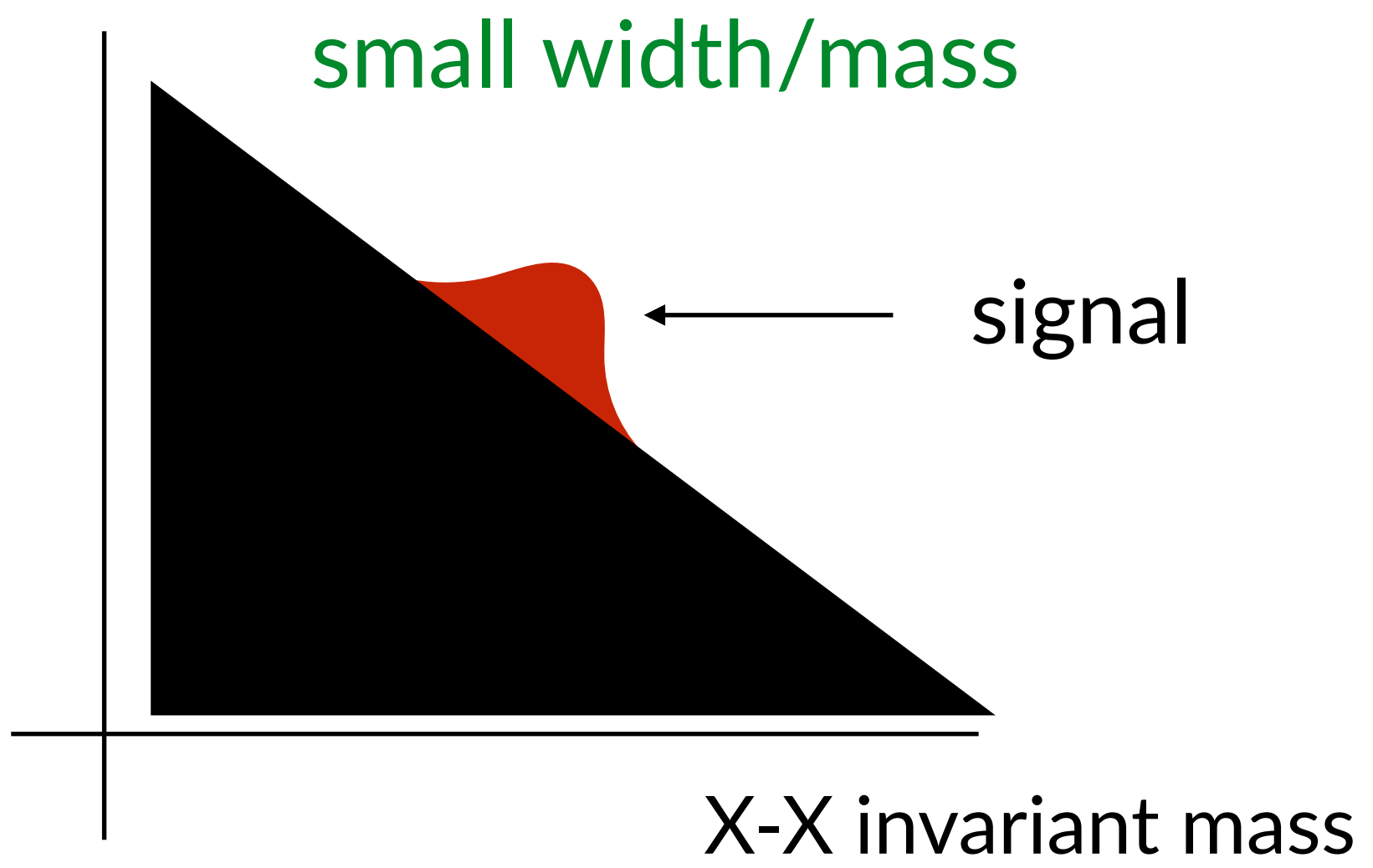
Ye Olde Resonance Discovery Algorithm

1. collect the events
2. discriminate signal from background

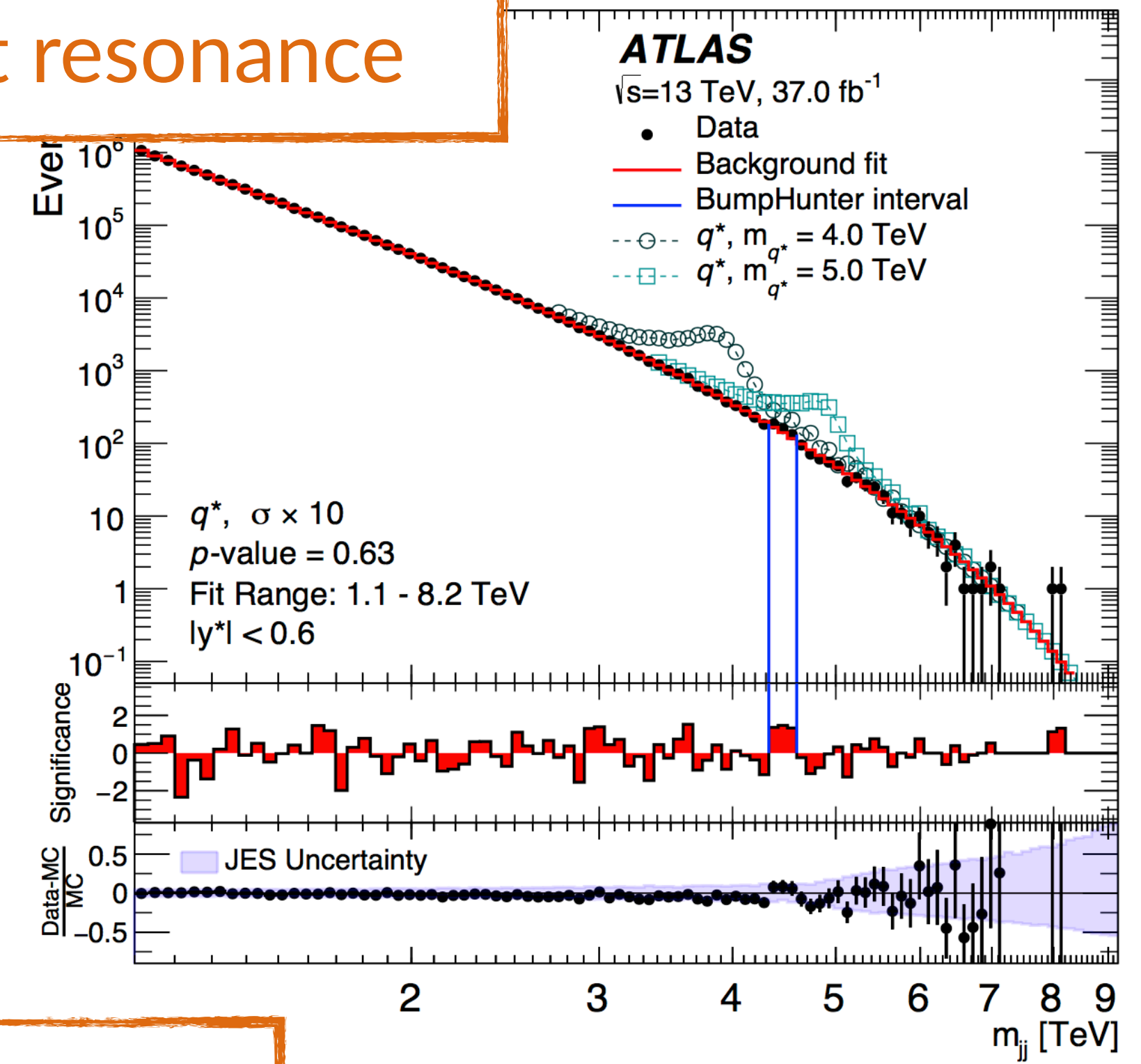
let's take di-jet as an example

TWO WAYS OF DOING SO

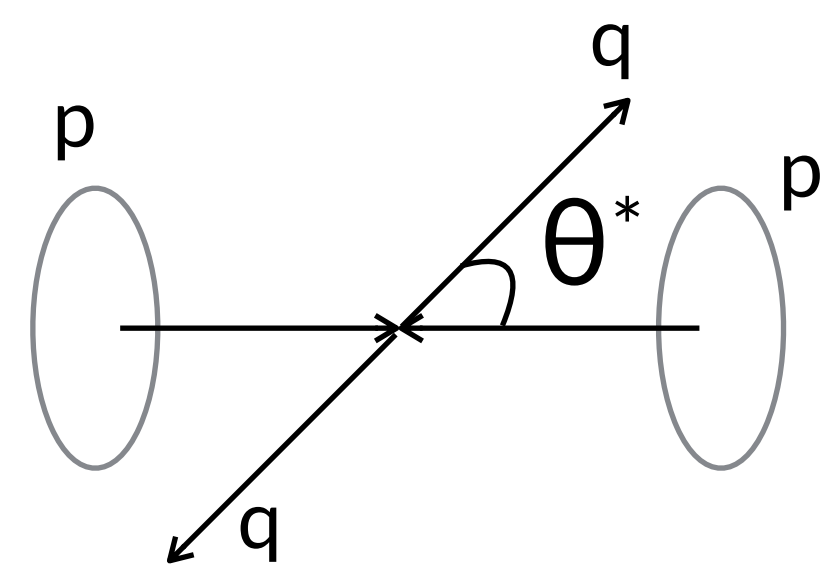
mediator-SM/DM coupling sets event rate and peak width



di-jet resonance



di-jet angular



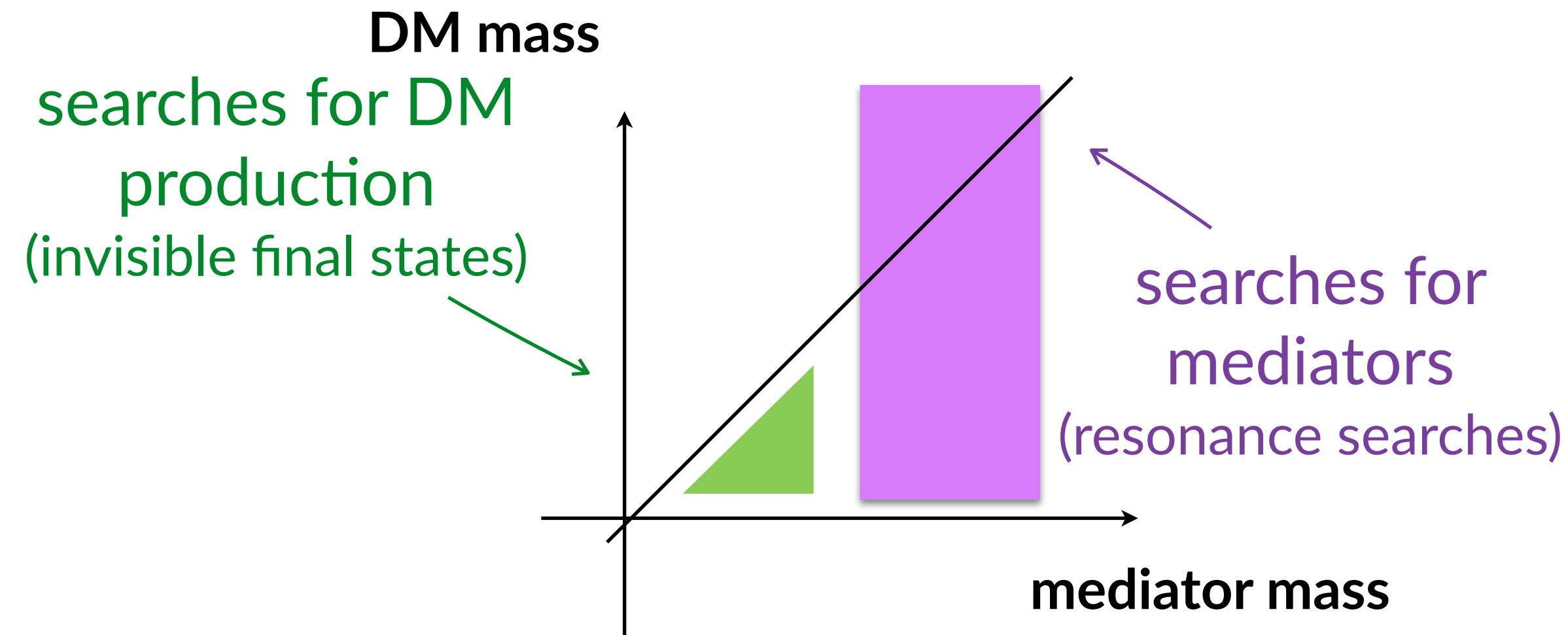
use instead:

$$\chi_{\text{dijet}} = e^{|y_1 - y_2|} \sim \frac{1 + |\cos \theta^*|}{1 - |\cos \theta^*|}$$

extends searches at higher masses (~4 TeV) and couplings

Implications for direct detection

1. take LHC results (high Q^2) at fixed values of the couplings



focus on spin-1
due to available
luminosity

2. extrapolate to low Q^2 of direct detection (EFT) caveat: 1605.04917

$$0^+ \quad \sigma_{\text{SI}} \approx 1.1 \times 10^{-39} \text{ cm}^2 \cdot \left(\frac{g_{\text{DM}} g_q}{1}\right)^2 \left(\frac{1 \text{ TeV}}{M_{\text{med}}}\right)^4 \left(\frac{\mu_{n\chi}}{1 \text{ GeV}}\right)^2$$

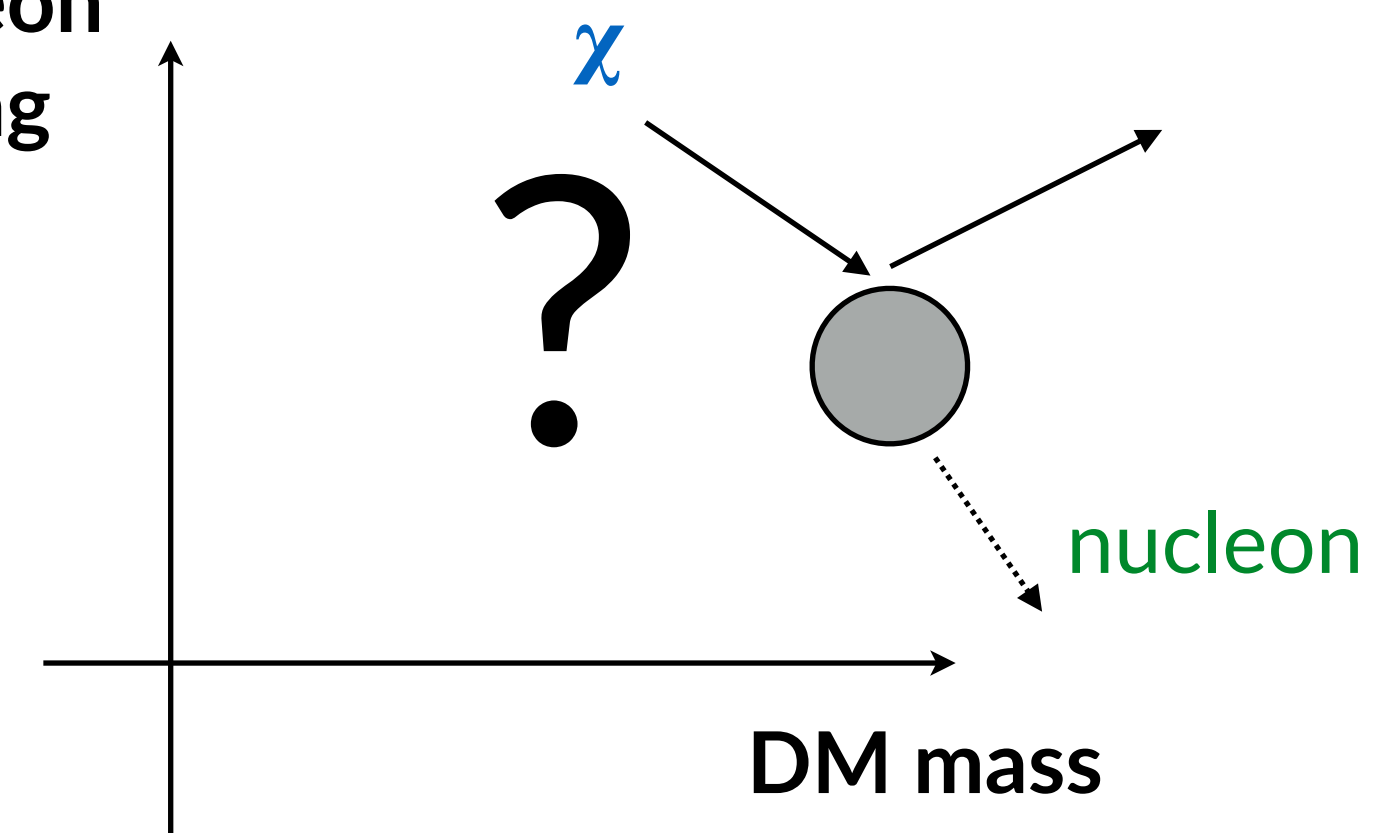
$$0^- \quad \sigma_{\text{SI}} \approx 0 \quad (\text{suppressed by velocity dependent terms})$$

$$1^+ \quad \sigma_{\text{SI}} \approx 6.9 \times 10^{-43} \text{ cm}^2 \cdot \left(\frac{g_{\text{DM}} g_q}{1}\right)^2 \left(\frac{125 \text{ GeV}}{M_{\text{med}}}\right)^4 \left(\frac{\mu_{n\chi}}{1 \text{ GeV}}\right)^2$$

$$1^- \quad \sigma^{\text{SD}} \approx 3.8 \times 10^{-41} \text{ cm}^2 \cdot \left(\frac{g_{\text{DM}} g_q}{1}\right)^2 \left(\frac{1 \text{ TeV}}{M_{\text{med}}}\right)^4 \left(\frac{\mu_{n\chi}}{1 \text{ GeV}}\right)^2$$

3. compare

DM-nucleon
scattering
cross-
section

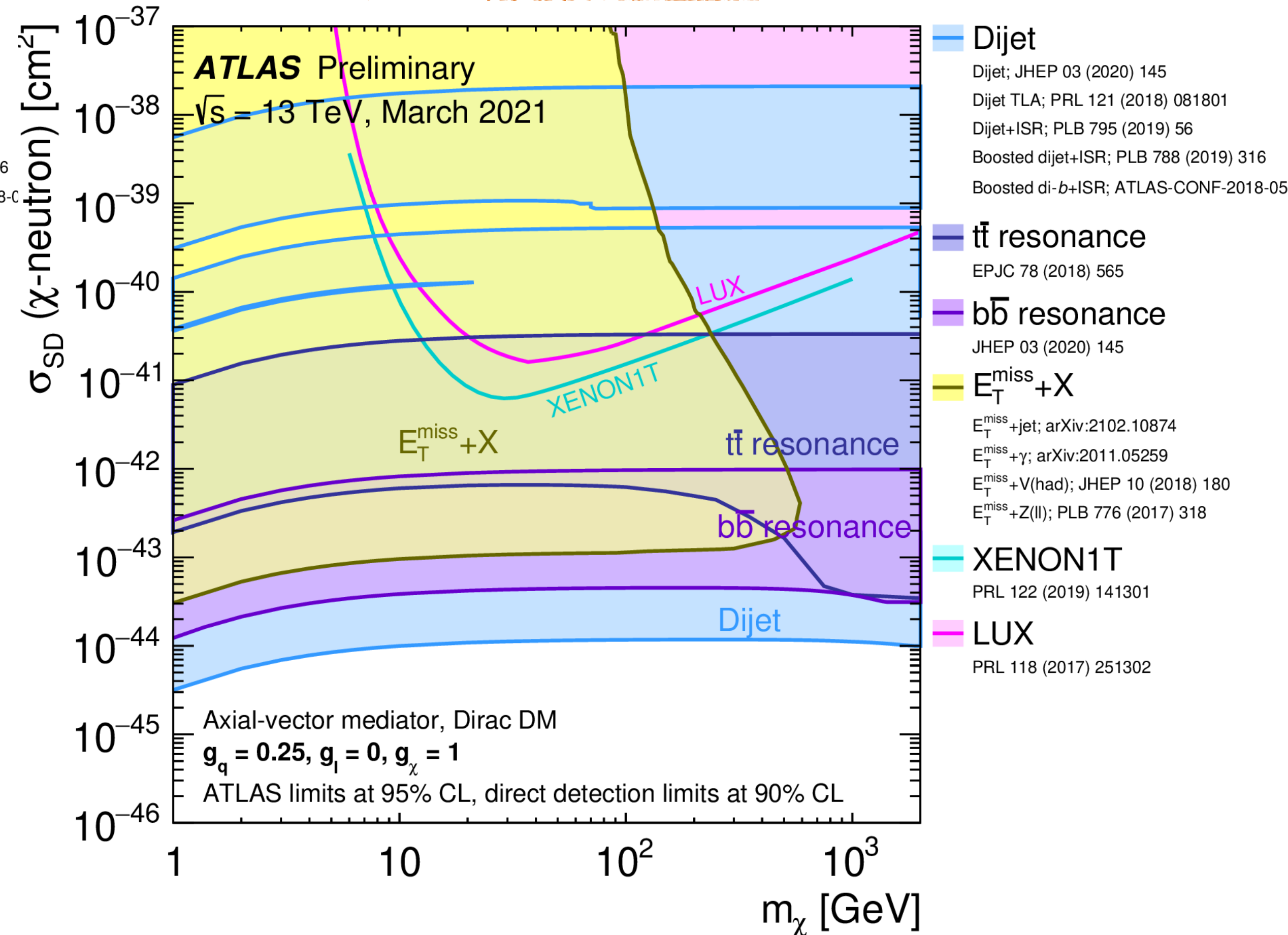
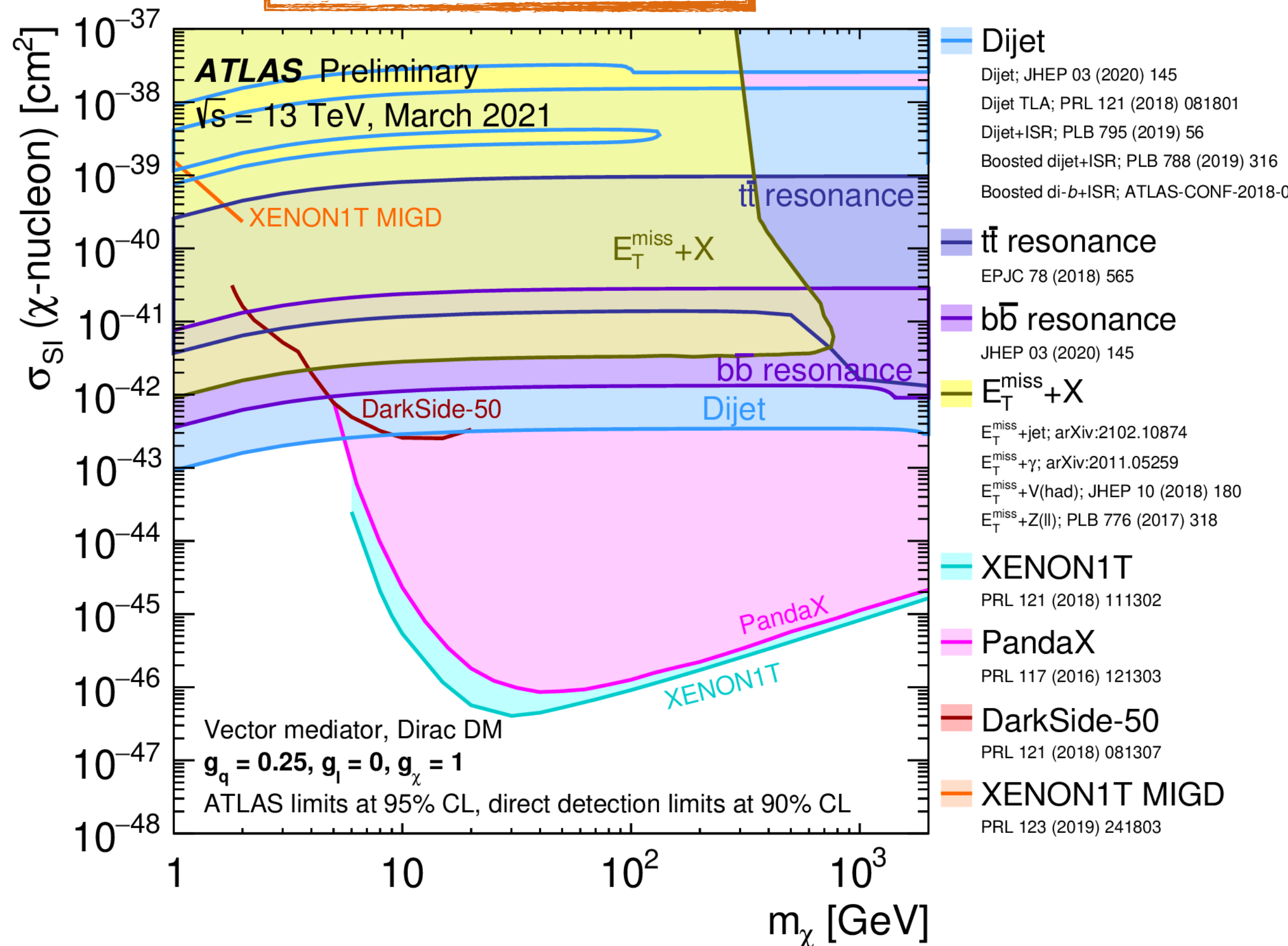


SPIN-1 NEUTRAL MEDIATOR: ATLAS VS UNDERGROUND

spin-independent scattering

leptophobic

spin-dependent scattering

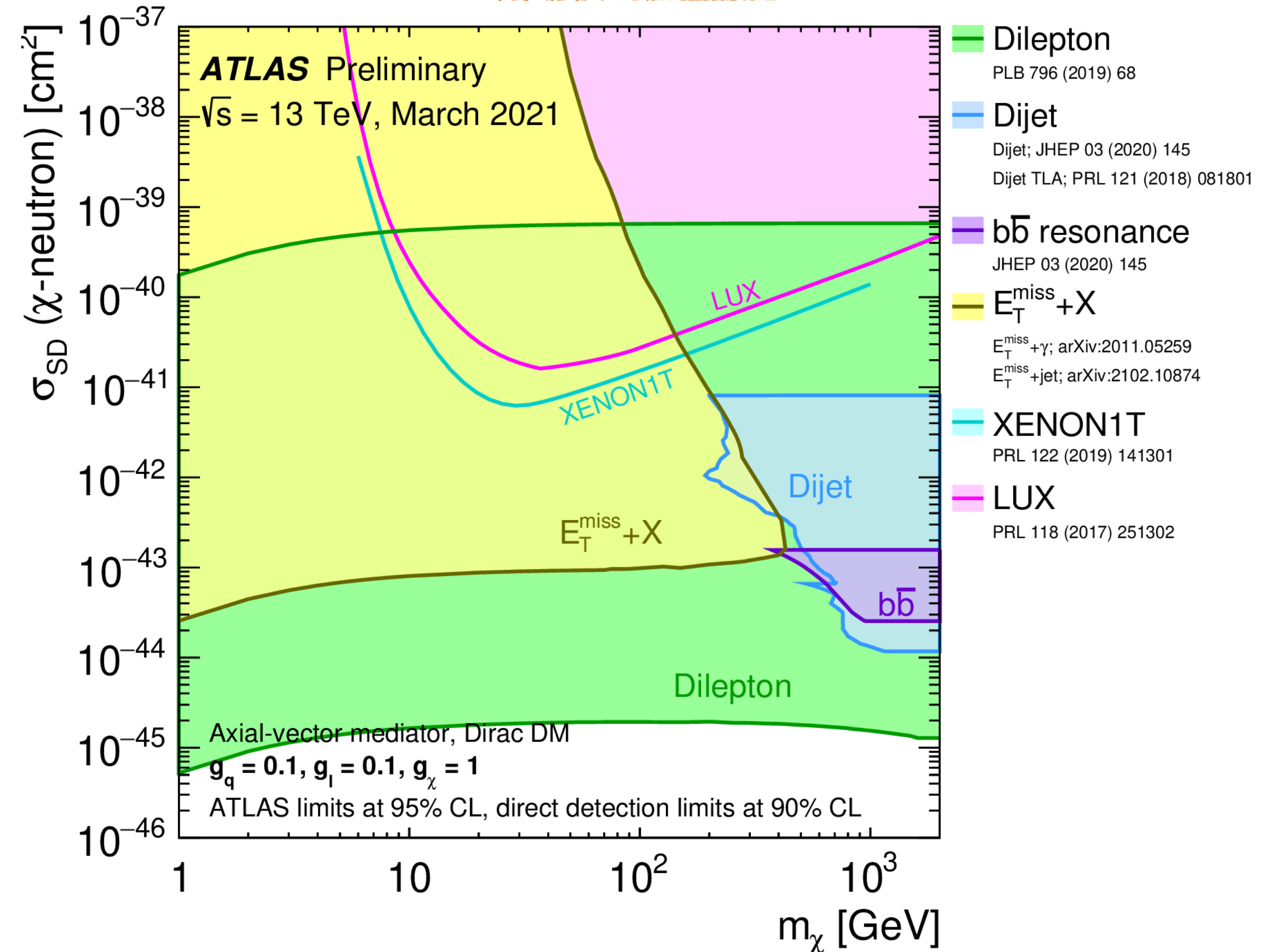
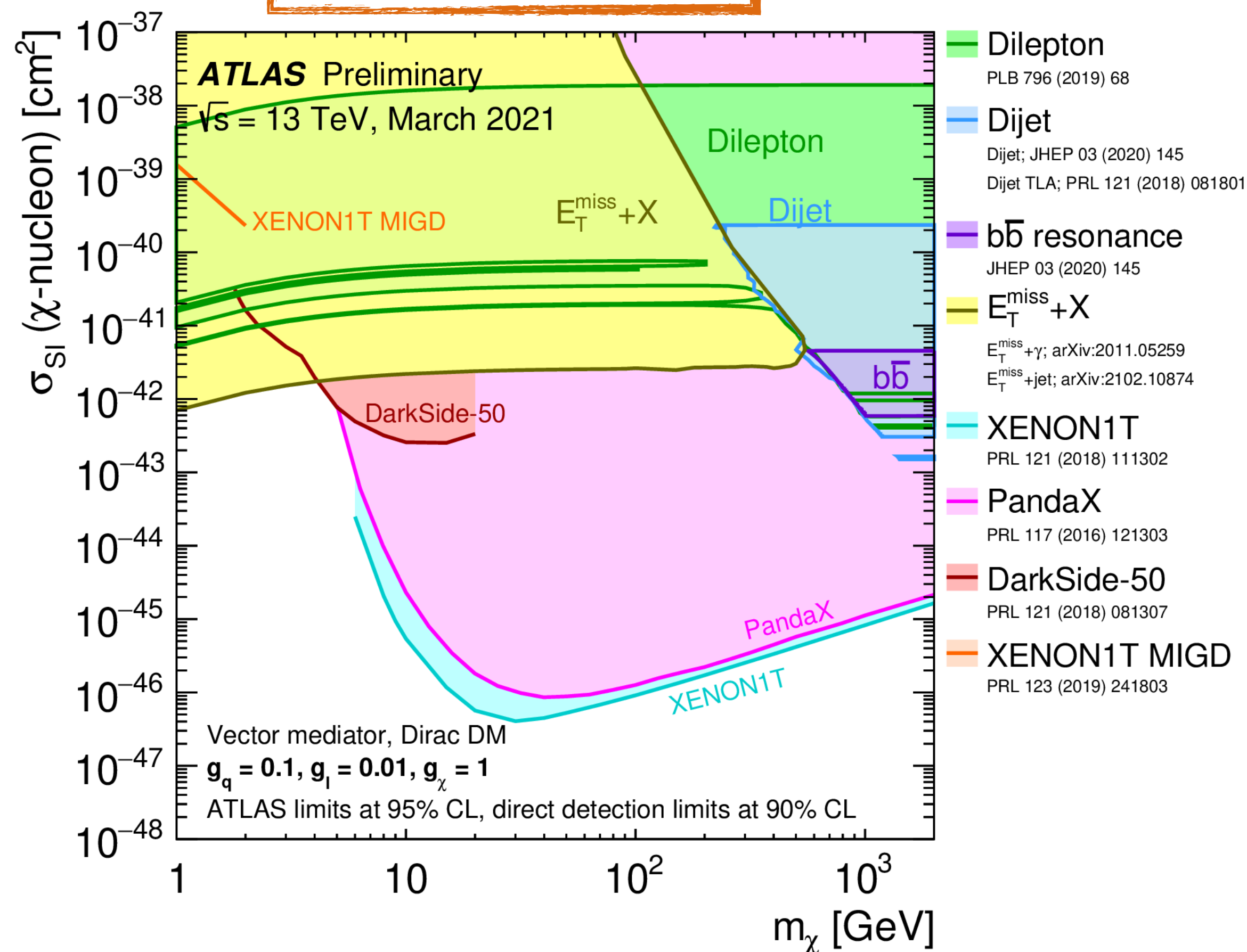


SPIN-1 NEUTRAL MEDIATOR: ATLAS VS UNDERGROUND

spin-independent scattering

leptophilic

spin-dependent scattering



key message: results are **complementary** but depend on the **model hypotheses** (how the WIMP couples to SM particles)

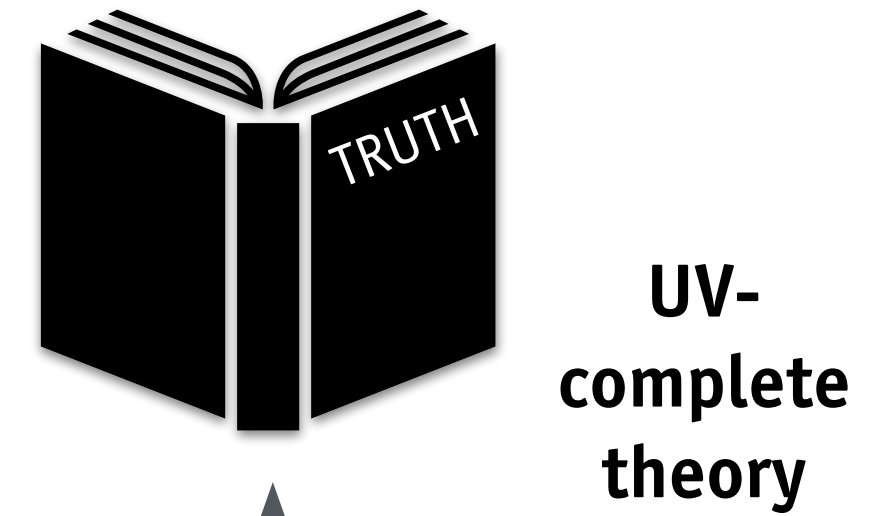
When we'll know more

Higgs boson may

- decay to WIMPs
- be produced with WIMPs
- decay to metastable states

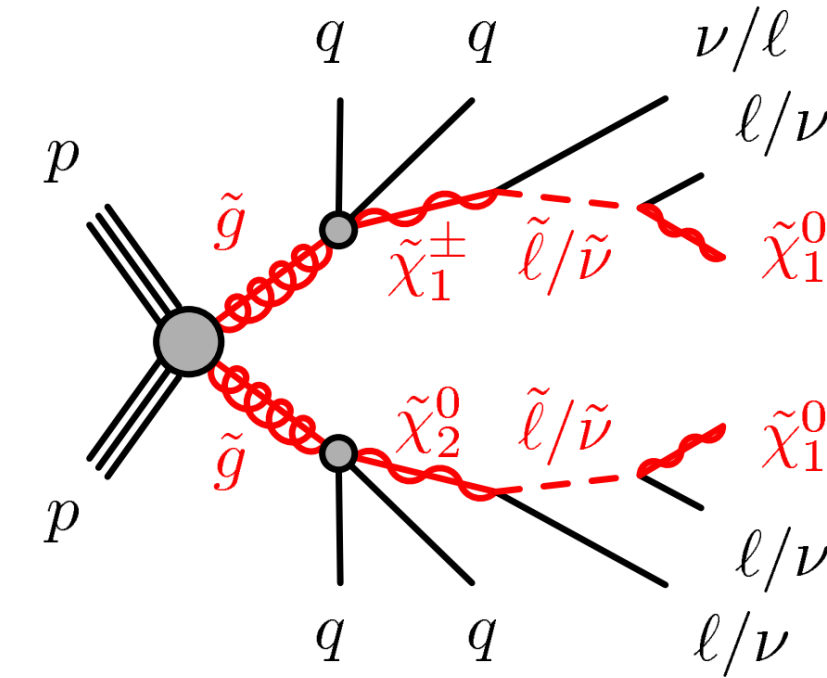
metastable states may

- produce WIMPs



UV-complete theory

simplified model

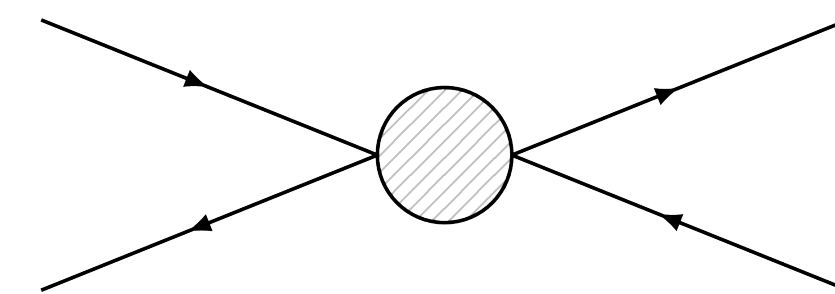


almost all LHC searches have implications for DM
the question is how to convert this into a quantitative statement

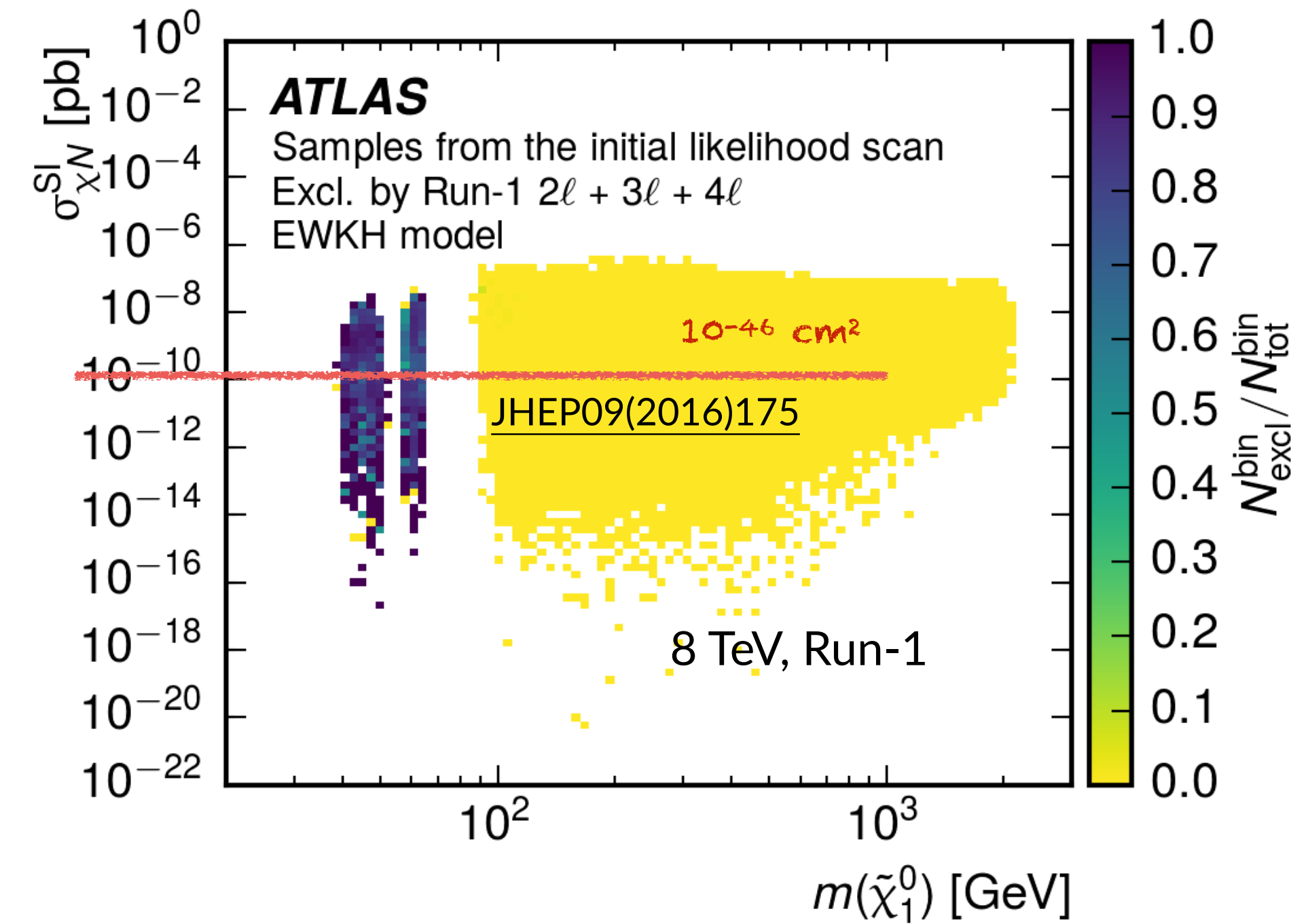
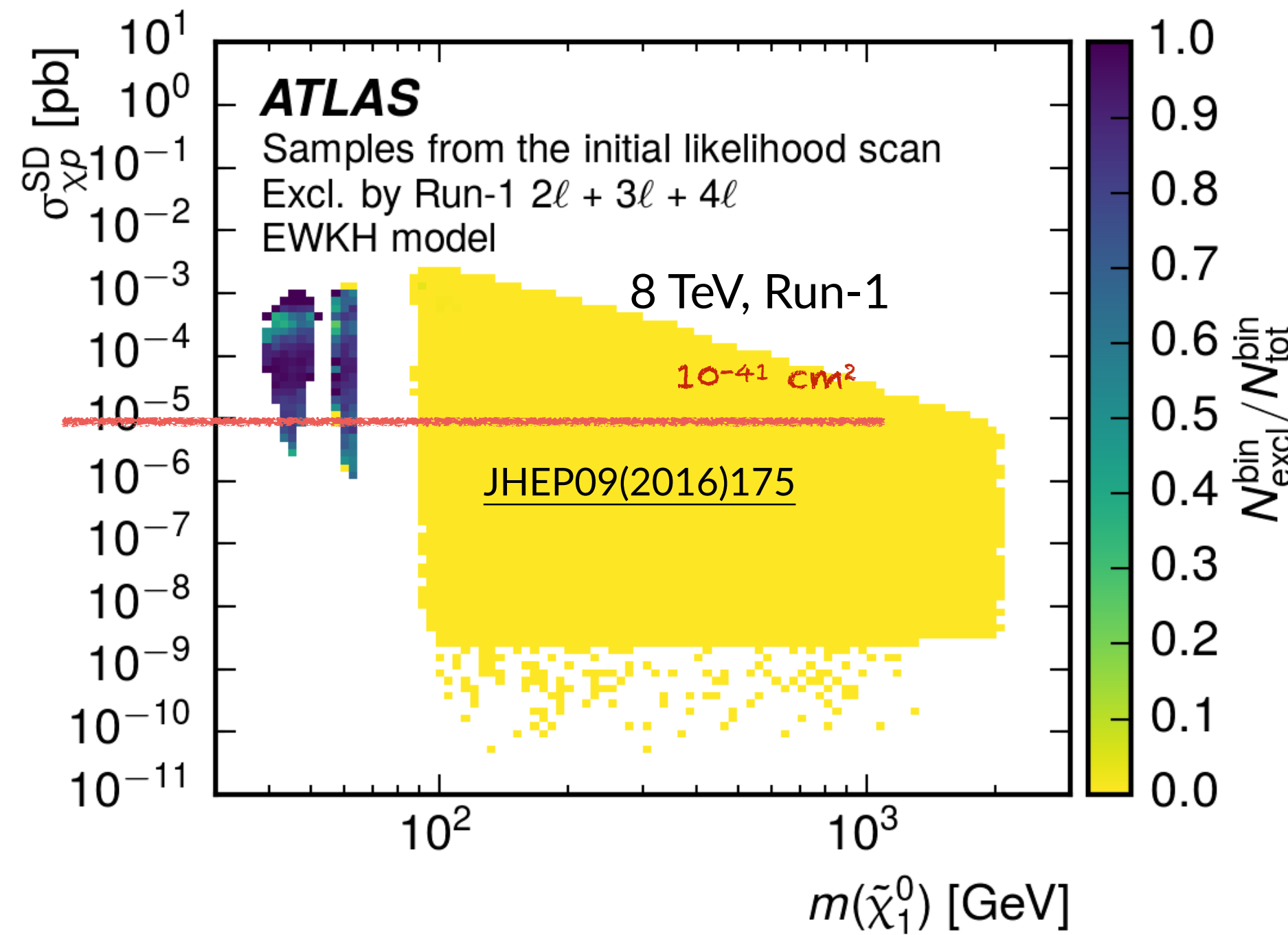


poorlydrawnlines.com

effective field theory



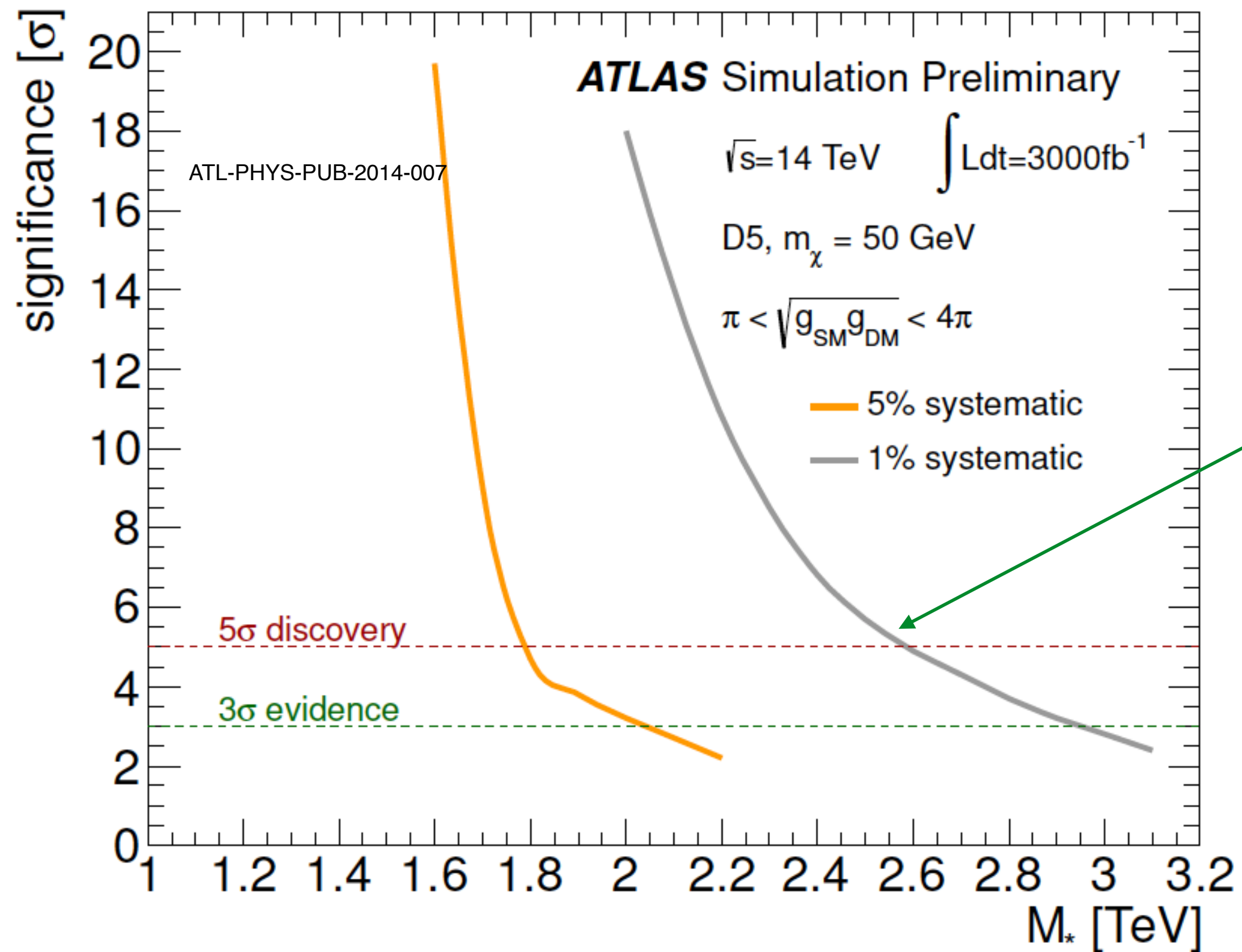
- take Run-1 SUSY search results
- take a simplified version of pMSSM
- scan parameter space in regions which explain relic DM abundance (relic density and flavour constraints, + relaxed DD constraints)
- check how many points are excluded



yellow means **<10%** of the explored parameter space was excluded

must analyse 13 TeV data exploiting all signatures
could really use some higher energy collider

jet+MET: reach in scale of new physics (EFT) for 3 ab⁻¹



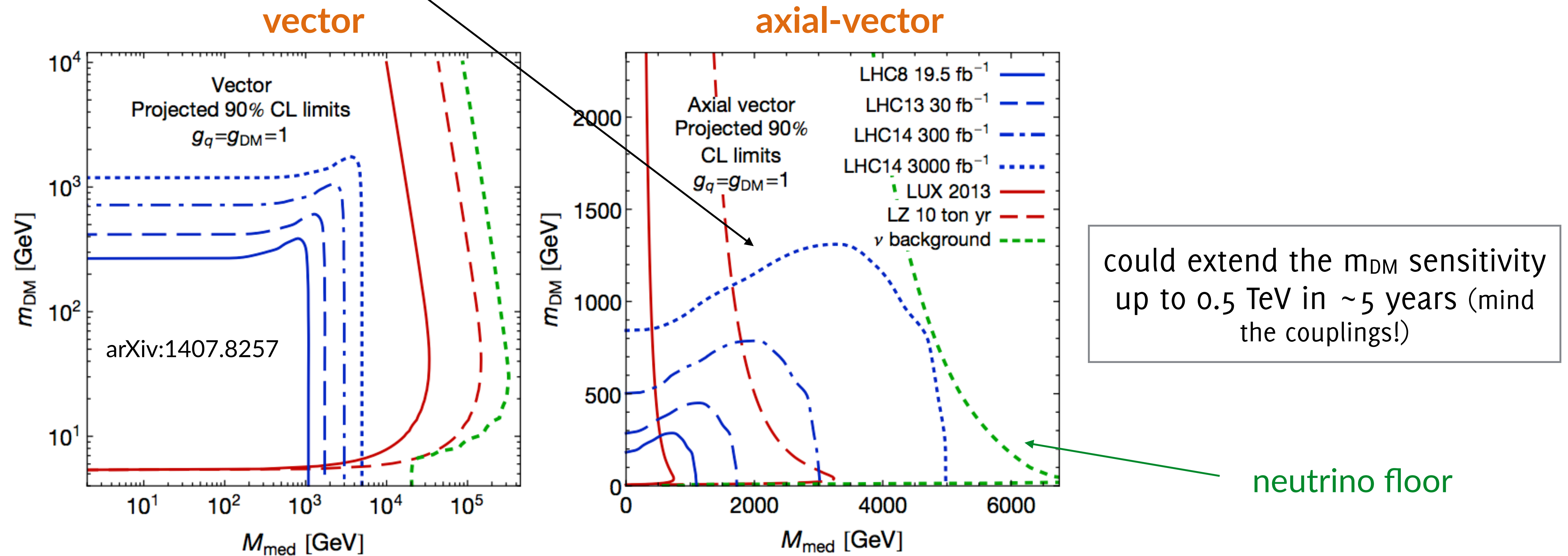
you need this level of precision...

- higher pileup, less room for MET triggers
 - spin-0 becomes more and more challenging
 - must exploit trigger tracking info also at L1
 - data scouting?
- “precision search”: need %-level systematics
 - lepton and jet uncertainties
 - theory work needed!
 - use SM V+jets measurements?

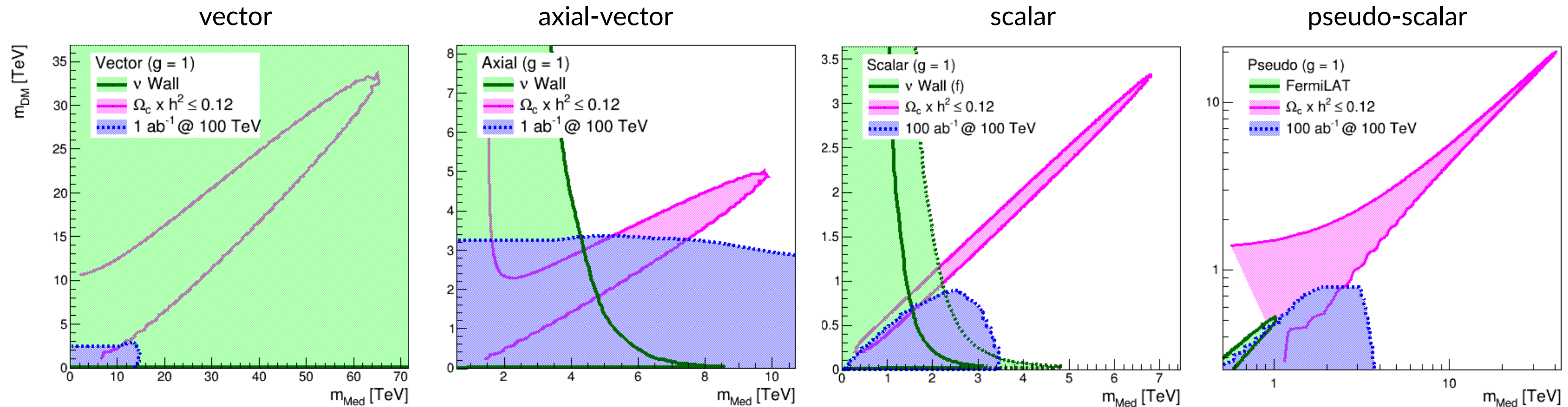
The complementarity challenge

region to the left of each curve is expected exclusion; LHC := “mono-jet”

- high-lumi LHC can beat direct detection up to neutrino background
- explore lower-cross-section extensions of the SM (SUSY, long-lived particles (e.g. 1707.05326)...)



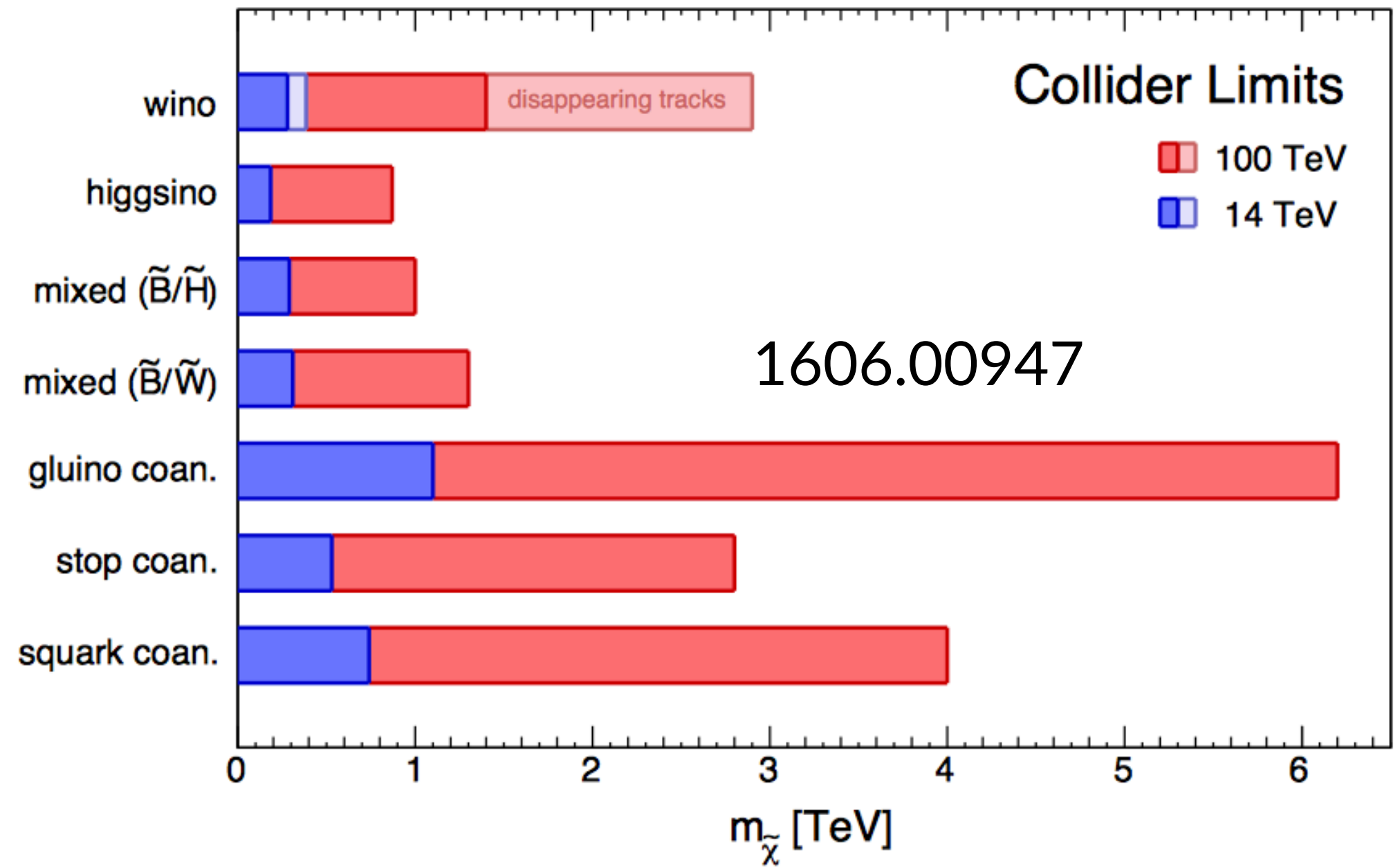
What about higher energy?

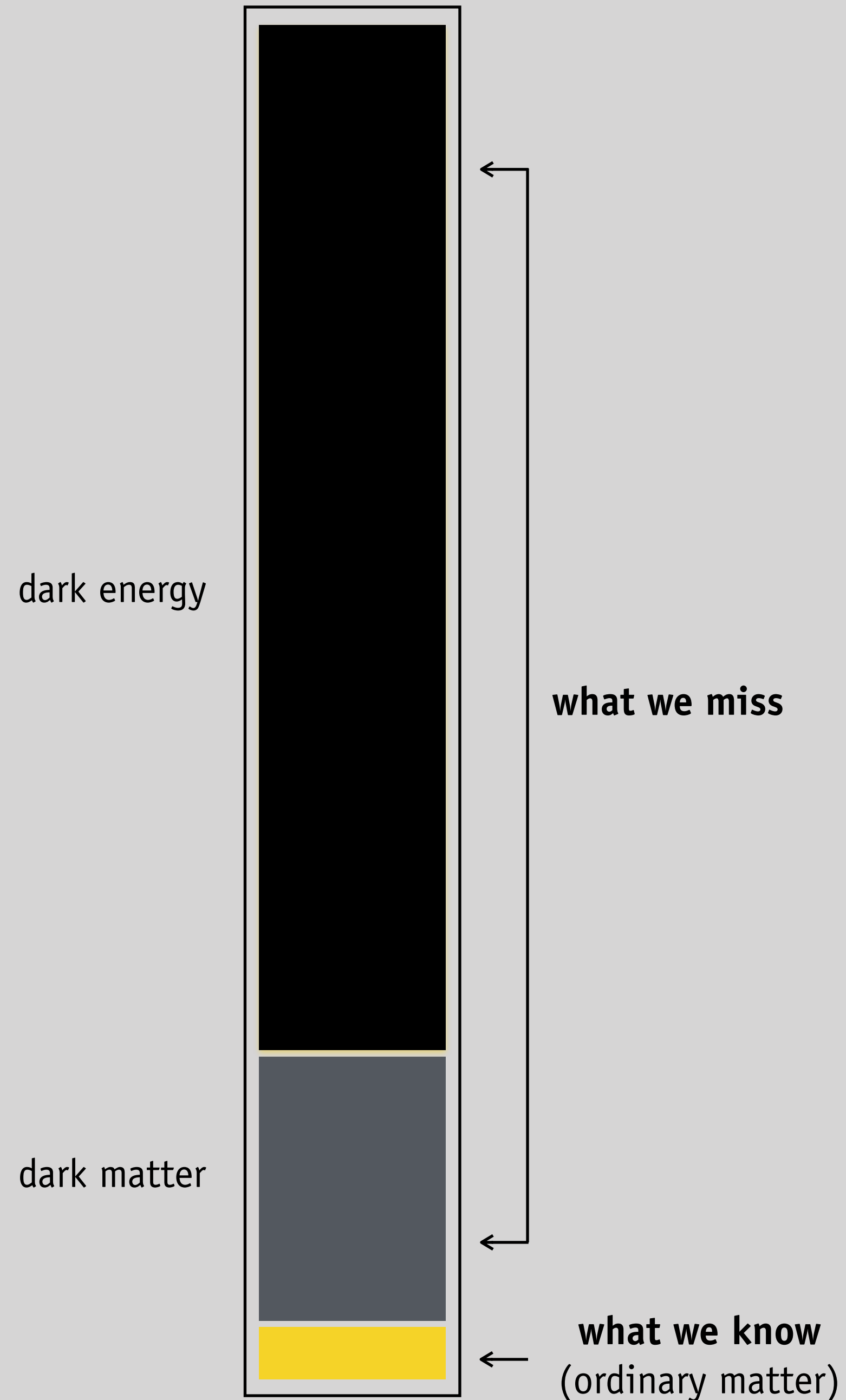


green: $x_{sec} \leq$ neutrino bkg
 blue: 1000 fb^{-1} @ 100 TeV
 purple: compatible with measured relic density

(for some choice of the couplings)

a higher-energy circular collider may push sensitivity to the TeV scale





dark matter exists

and we hope to see its interactions

need multiple strategies

instrumental and low- vs high- Q^2

rare events, complex processes

hard-to-model vs high-energy

complementary answers

time will unveil the right questions