

Fisica Nucleare e Subnucleare III

Interpretazioni dei risultati
nell'ambito del Modello Standard

Analisi SM dei dati di LEP-SLC

Un fit globale di SM al set di misure di LEP e SLC precedentemente descritto, permette di determinare i seguenti parametri:

$\alpha_S(m_Z^2)$	0.1190 ± 0.0027
m_Z [GeV]	91.1874 ± 0.0021
m_t [GeV]	$173 \pm_{10}^{13}$
$\log_{10}(m_H/\text{GeV})$	$2.05 \pm_{0.34}^{0.43}$

Notiamo che l'ottima determinazione di α_s si ricava essenzialmente da $\sigma_{\text{lep}}^0 = \sigma_{\text{had}}^0 / R_\ell^0$ che pur essendo in teoria una quantità puramente leptonica, per come è determinata dipende fortemente da α_s .

Le masse del top e dell'Higgs sono invece legate alle correzioni radiative.

memorandum delle correzioni radiative

$$\begin{aligned}\sin^2 \theta_{\text{eff}}^f &\equiv \kappa_f \sin^2 \theta_W \\ g_{Vf} &\equiv \sqrt{\rho_f} (T_3^f - 2Q_f \sin^2 \theta_{\text{eff}}^f) \\ g_{Af} &\equiv \sqrt{\rho_f} T_3^f,\end{aligned}$$

$$\begin{aligned}\cos^2 \theta_W \sin^2 \theta_W &= \frac{\pi \alpha(0)}{\sqrt{2} m_Z^2 G_F} \frac{1}{1 - \Delta r} \\ \cos^2 \theta_{\text{eff}}^f \sin^2 \theta_{\text{eff}}^f &= \frac{\pi \alpha(0)}{\sqrt{2} m_Z^2 G_F} \frac{1}{1 - \Delta r^f}\end{aligned}$$

$$\begin{aligned}\rho_f &\equiv \Re(\mathcal{R}_f) = 1 + \Delta \rho_{\text{se}} + \Delta \rho_f \\ \kappa_f &\equiv \Re(\mathcal{K}_f) = 1 + \Delta \kappa_{\text{se}} + \Delta \kappa_f\end{aligned}$$

$$\begin{aligned}\Delta r &= \Delta \alpha + \Delta r_w \\ \Delta r^f &= \Delta \alpha + \Delta r_w^f\end{aligned}$$

$$\begin{aligned}\Delta \rho_{\text{se}} &= \frac{3G_F m_W^2}{8\sqrt{2}\pi^2} \left[\frac{m_t^2}{m_W^2} - \frac{\sin^2 \theta_W}{\cos^2 \theta_W} \left(\ln \frac{m_H^2}{m_W^2} - \frac{5}{6} \right) + \dots \right] \\ \Delta \kappa_{\text{se}} &= \frac{3G_F m_W^2}{8\sqrt{2}\pi^2} \left[\frac{m_t^2}{m_W^2} \frac{\cos^2 \theta_W}{\sin^2 \theta_W} - \frac{10}{9} \left(\ln \frac{m_H^2}{m_W^2} - \frac{5}{6} \right) + \dots \right]\end{aligned}$$

$$\begin{aligned}\Delta r_w &= -\frac{\cos^2 \theta_W}{\sin^2 \theta_W} \Delta \rho + \dots \\ \Delta r_w^f &= -\Delta \rho + \dots\end{aligned}$$

$$\begin{aligned}\Delta \kappa_b &= \frac{G_F m_t^2}{4\sqrt{2}\pi^2} + \dots, \\ \Delta \rho_b &= -2\Delta \kappa_b + \dots\end{aligned}$$

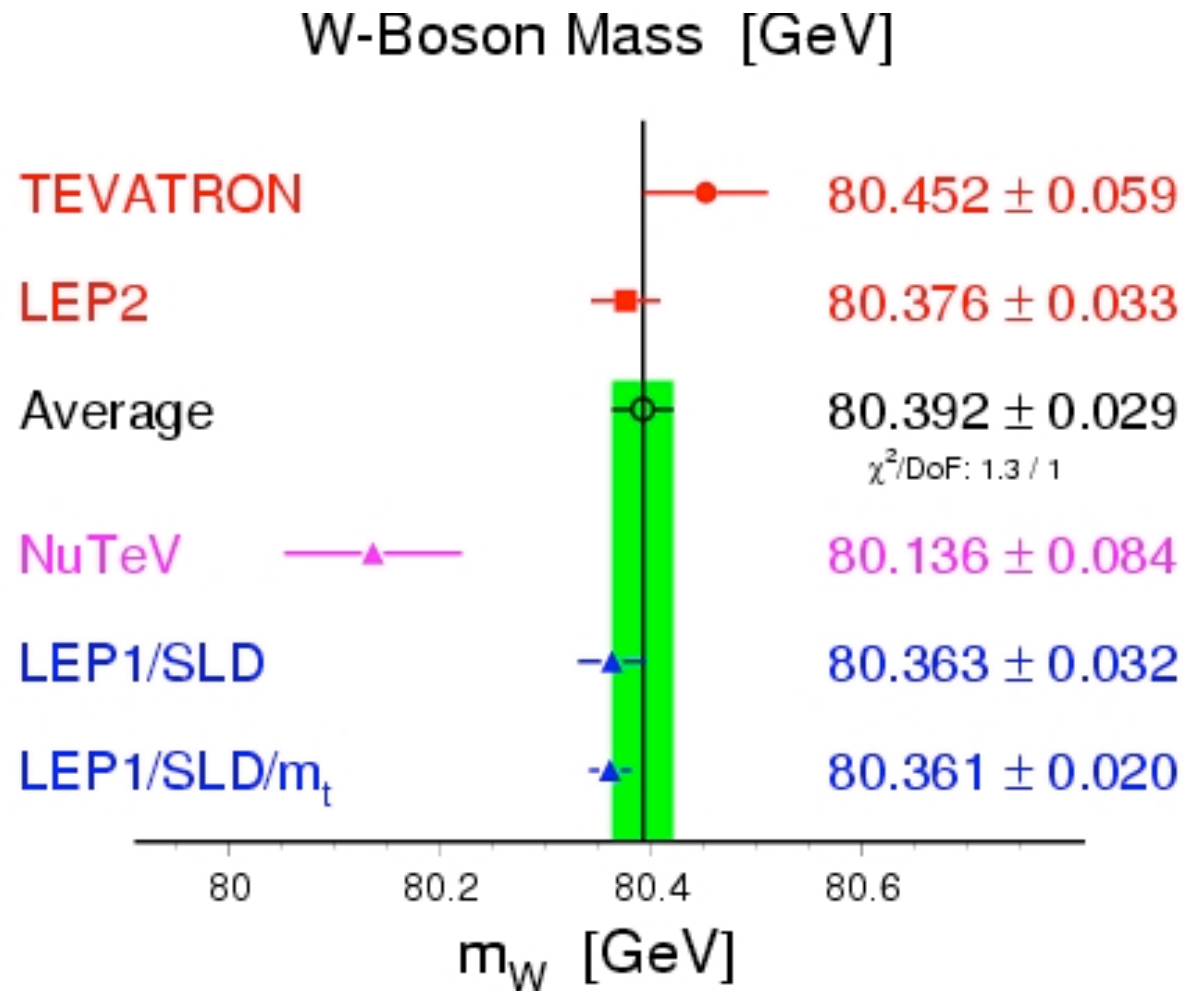
$$\Delta \rho \approx \frac{3G_F m_t^2}{8\sqrt{2}\pi^2}$$

I parametri effettivi dello SM

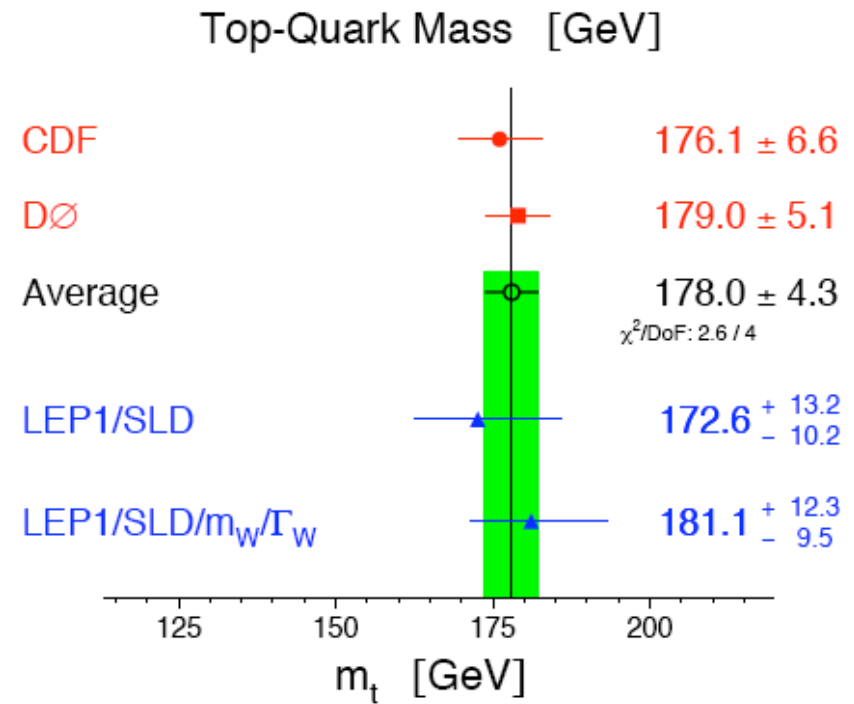
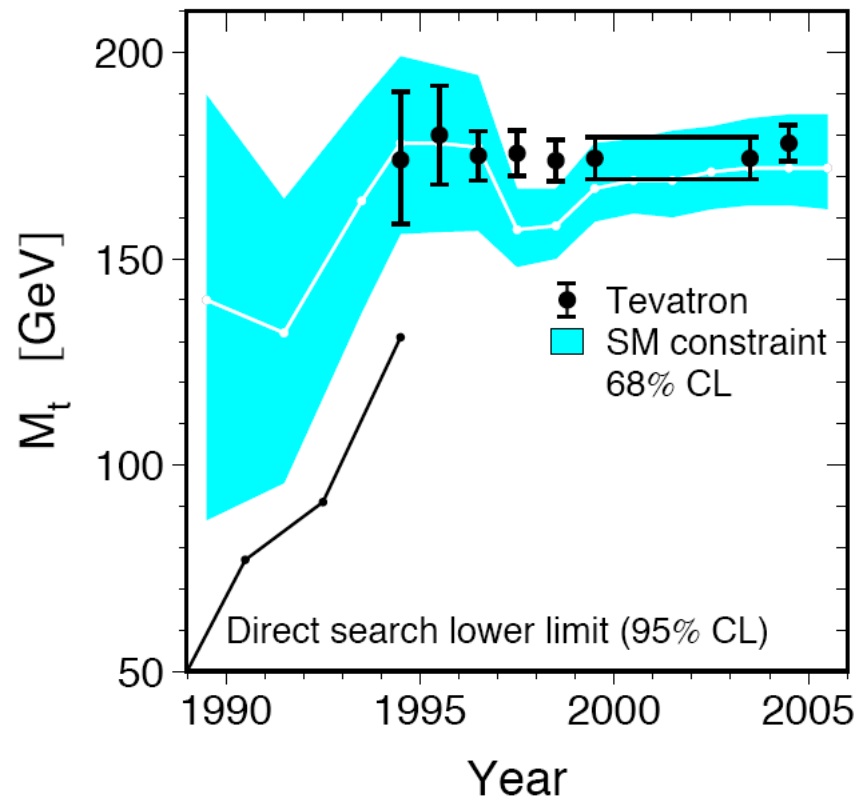
Utilizzando i valori di input del fit, si possono ricalcolare tutti i parametri introdotti attraverso le correzioni radiative, che permettono di determinare qualunque grandezza nell'ambito dello SM:

$$\begin{aligned}\sin^2 \theta_W &= 0.22331 \pm 0.00062 & \text{on-shell: } \frac{m_W^2}{m_Z^2 \cos^2 \theta_W} &= \rho_0 = 1 \\ \sin^2 \theta_{\text{eff}}^{\text{lept}} &= 0.23149 \pm 0.00016 \\ \sin^2 \theta_{\text{eff}}^{\text{b}} &= 0.23293 \pm_{0.00025}^{0.00031} \\ \rho_\ell &= 1.00509 \pm_{0.00081}^{0.00067} \\ \rho_{\text{b}} &= 0.99426 \pm_{0.00164}^{0.00079} \\ \kappa_\ell &= 1.0366 \pm 0.0025 \\ \kappa_{\text{b}} &= 1.0431 \pm 0.0036 \\ -\Delta r_{\text{w}} &= 0.0242 \pm 0.0021 \\ \Delta r &= 0.0363 \pm 0.0019\end{aligned}$$

la massa del W

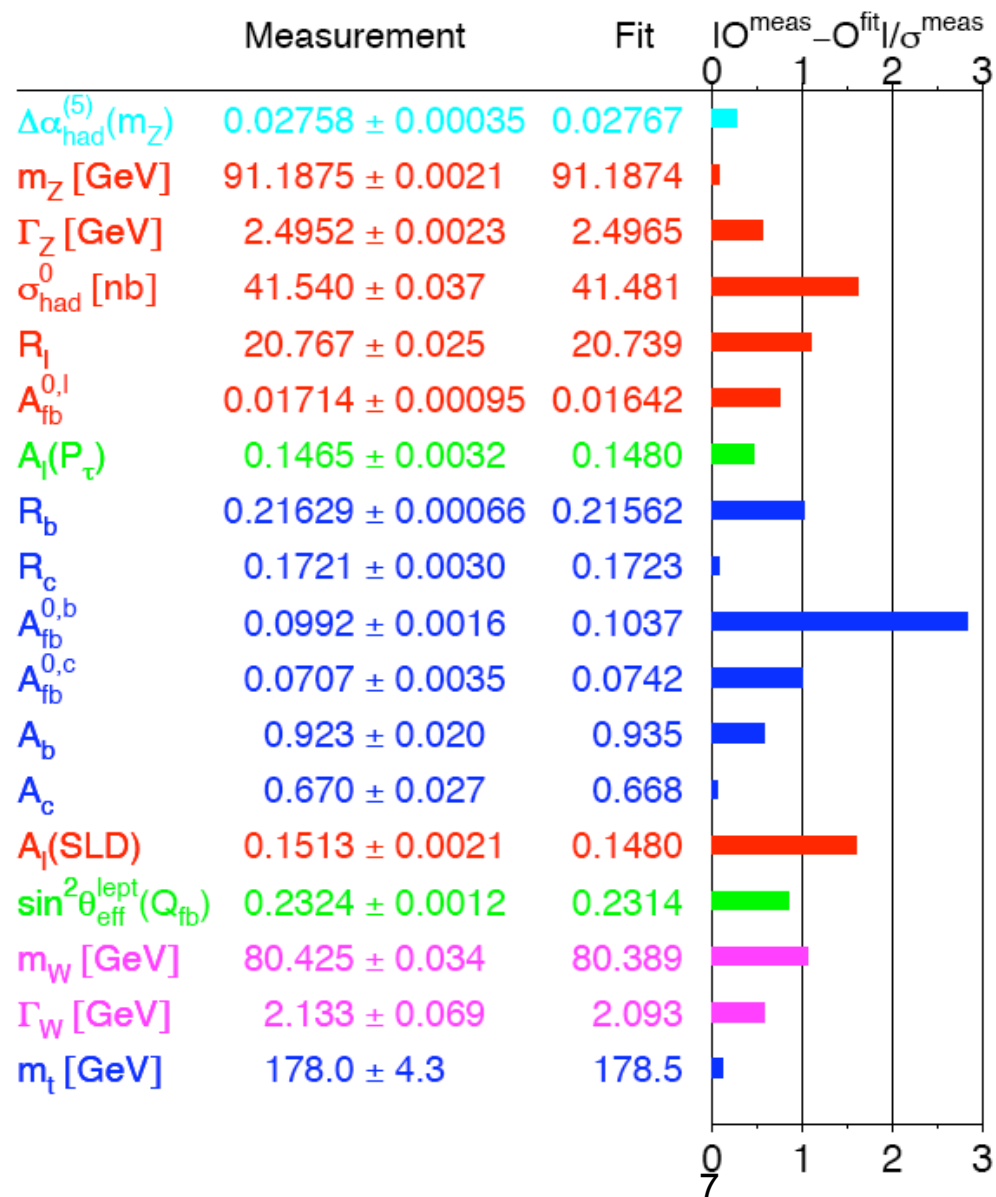


la massa del top

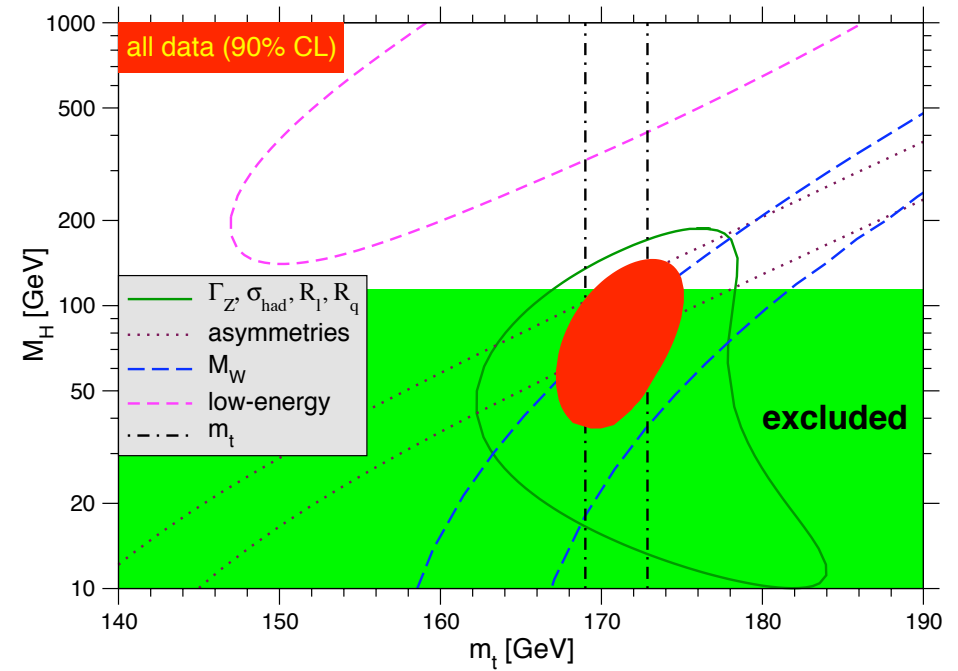
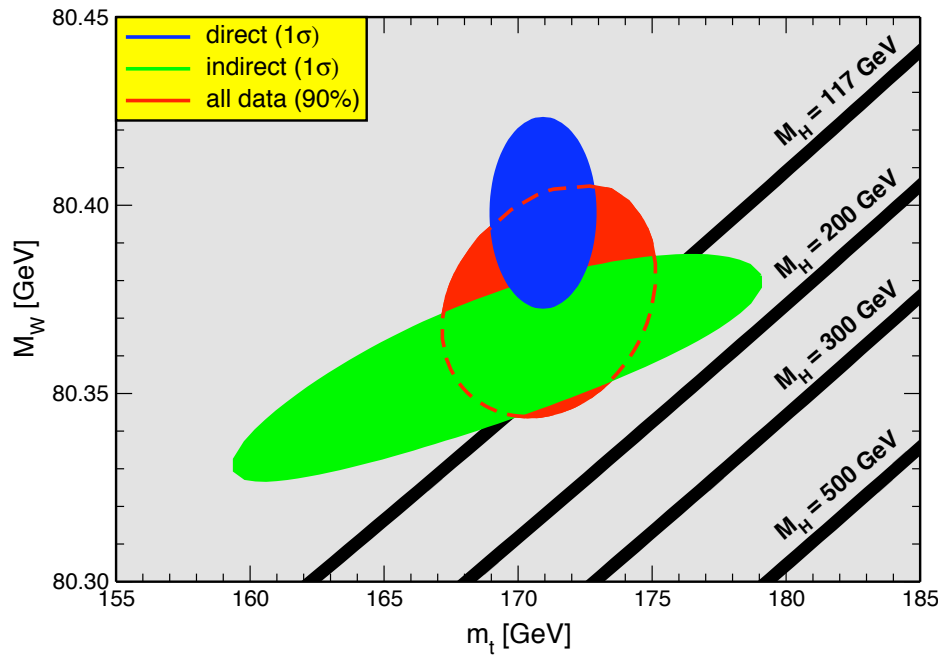


un fit globale

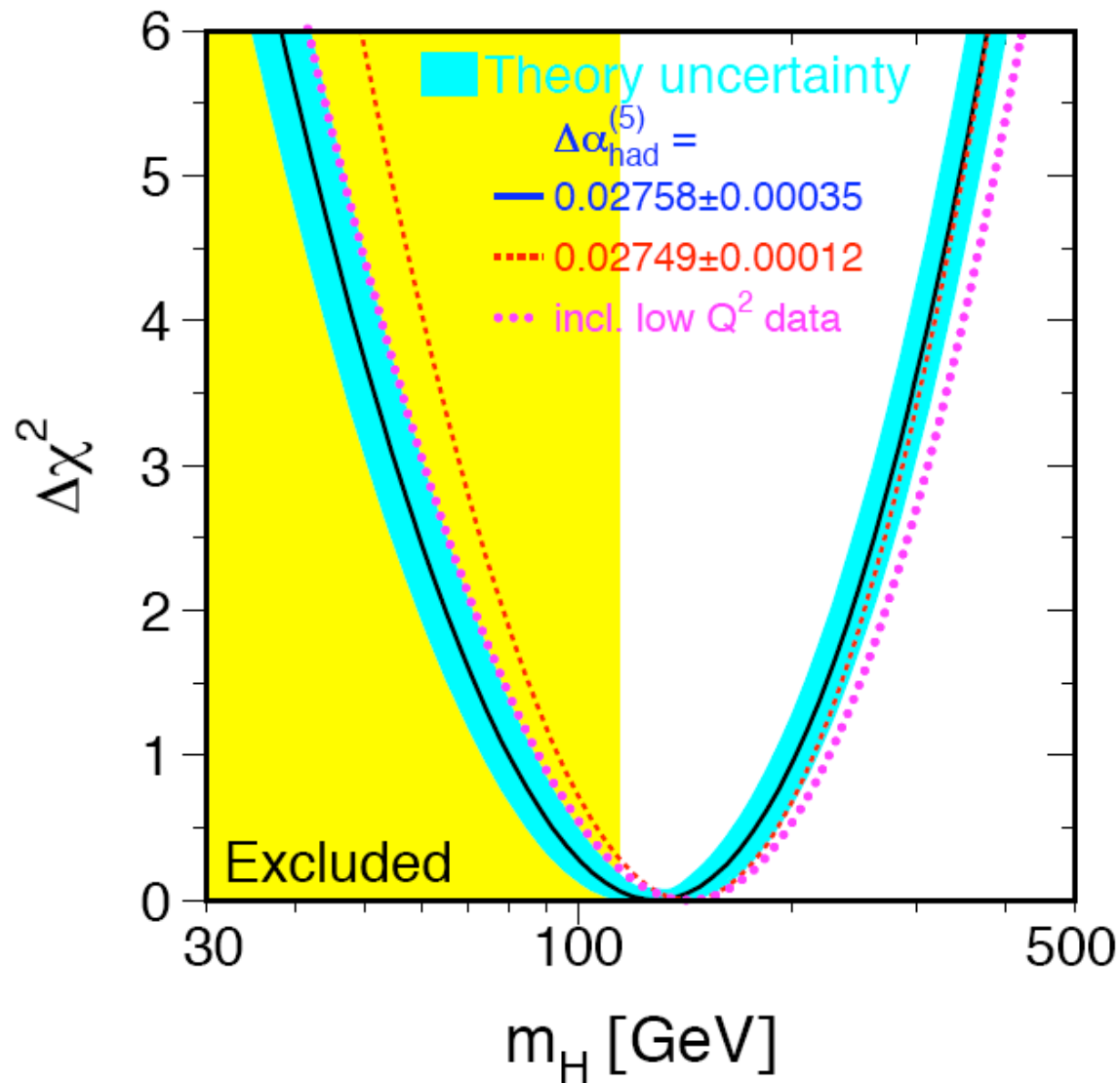
Includendo nel fit anche i valori misurati del top e del W si ottengono i seguenti risultati:



la massa dell'Higgs



la massa dell'Higgs



- excluding $\mathcal{A}_\ell(\text{SLD})$:

$$m_H = 175_{-66}^{+99} \text{ GeV}$$

- excluding $A_{\text{FB}}^{0,b}(\text{LEP})$:

$$m_H = 76_{-33}^{+54} \text{ GeV}$$